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M E M O R A N D U M

To/A : B. Wiik  
From/De : C. Zupancic  
Subject/: NA4 Status Report  
Objet

Copy to/Copie à:  
I. Mannelli  
J. May

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CM-P00045438

Enclosed you shall find the NA4 Note 80-1 containing copies of the transparencies shown in our Status Report. Naturally, much of it is rather meaningless without oral comments. For this reason, I should be obliged to you if you treated the Note as confidential information accessible only to the SPSC.

CERN/EP/NA4 Note 80-1  
17 January 1980

These are transparencies prepared for and shown in the NA4 Status Report to the SPSC on January 15, 1980. Only pages containing the text are paginated. The pages 11 and 12 were not shown because time ran out and the SPSC did not accept the offer to show them during the discussion.

Let us hope that the report ending with page 13 is a good omen for the work in 1980.

NA 4 - An experiment to  
measure deep-inelastic  
muon scattering at high  $Q^2$   
and multimMuon production  
at large masses

U. of BOLOGNA - CERN -

JINR DUBNA - U. of MUNICH -

C.E.N. SACLAY

Equipment: magnetized torus

halo wall

hodoscopes

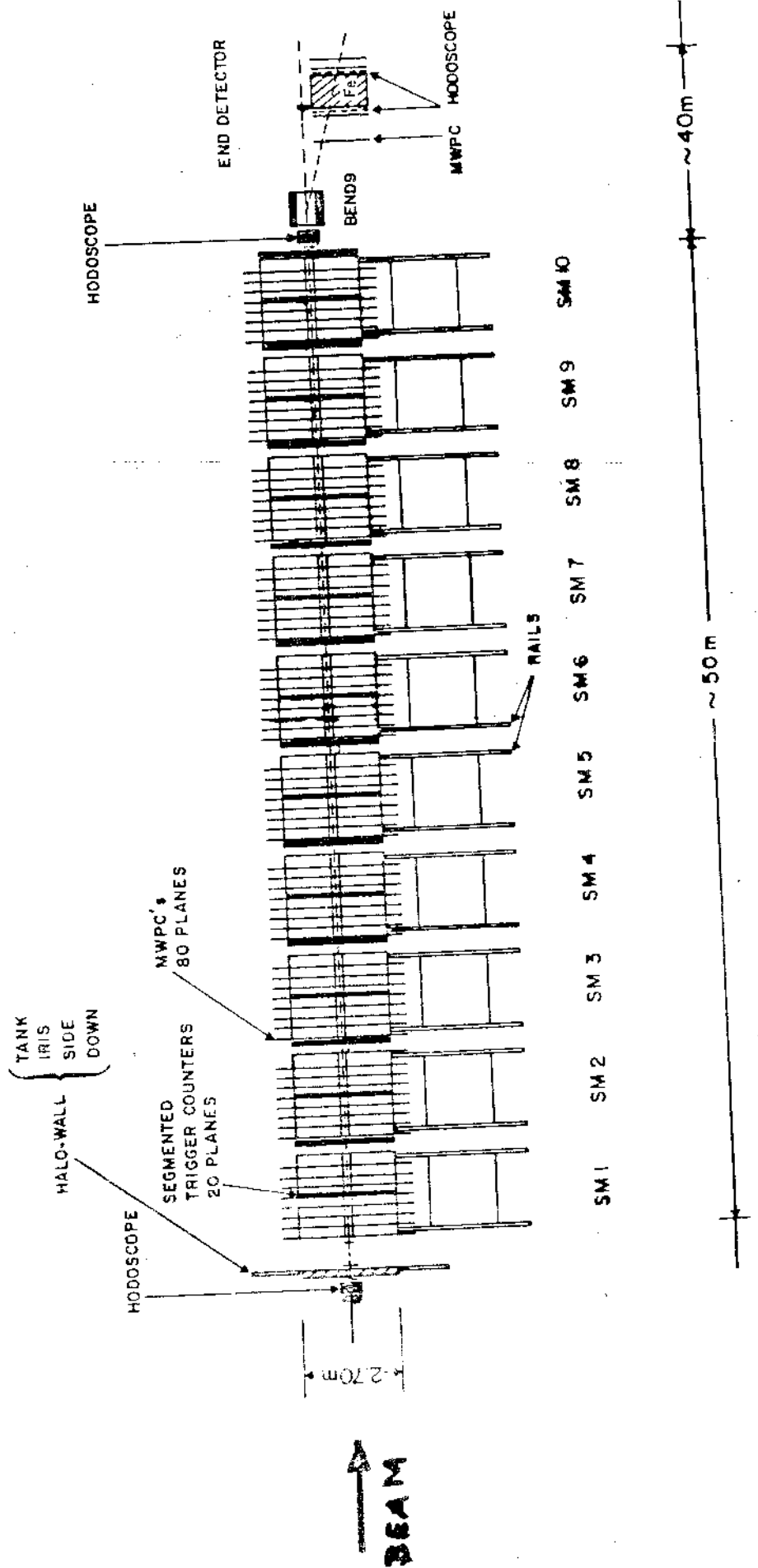
trigger counters + tag counters

MWPC's

end-detector

slides  
drawing

# EXPERIMENTAL SET-UP (TOP-VIEW)



## Advantages of apparatus:

repetitiveness

redundancy

azimuthal symmetry

high luminosity for  $H_2, D_2, C$

large acceptance for high  $Q^2$

## Disadvantages of apparatus:

$\cdot 1 Q_{\max} \lesssim Q^2$  acceptance

sees only muons

## Conclusion:

it is predestinated for  
high precision experiments  
at high  $Q^2$



## Status

|           | $E_{\mu}$<br>(GeV) | $N_{\mu}$            | good<br>events  | analyzed<br>good events |
|-----------|--------------------|----------------------|-----------------|-------------------------|
|           | 280                | $5 \times 10^{11}$   | $8 \times 10^5$ | $.3 \times 10^5$        |
| ( $\pm$ ) | 240                | $3 \times 10^{11}$   | $5 \times 10^5$ | $.4 \times 10^5$        |
| ( $\pm$ ) | 200                | $2.5 \times 10^{11}$ | $5 \times 10^5$ | $.9 \times 10^5$        |
|           | 120                | $2 \times 10^{11}$   | $5 \times 10^5$ | $.5 \times 10^5$        |

# BEAM TIME USAGE

15% SPS AND BEAM LINE FAULTS

13% SPECIAL TESTS AND CALIBRATIONS

10% CHECKS BETWEEN RUNS AND LOST TIME

62% NET DATA TAKING

NOTE THESE FIGURES ARE BASED ON PERIOD 60 RUNNING, THE BEST OF THE YEAR FOR WHAT IT CONCERNS MACHINE PERFORMANCE.



# Where do we stand?

1. Are data on tape OK? YES  
redundancy! event display

---

2. Are good events selected YES  
reliably and without  
losses? (eye scanning of ~5%)

3. Do we know the acceptance? YES  
(but Monte-Carlo statistics not yet sufficient)

4. Do we know the luminosity?  
At present to  $\pm 40\%$   
In the near future much better  
 $\sim \pm 1\%$

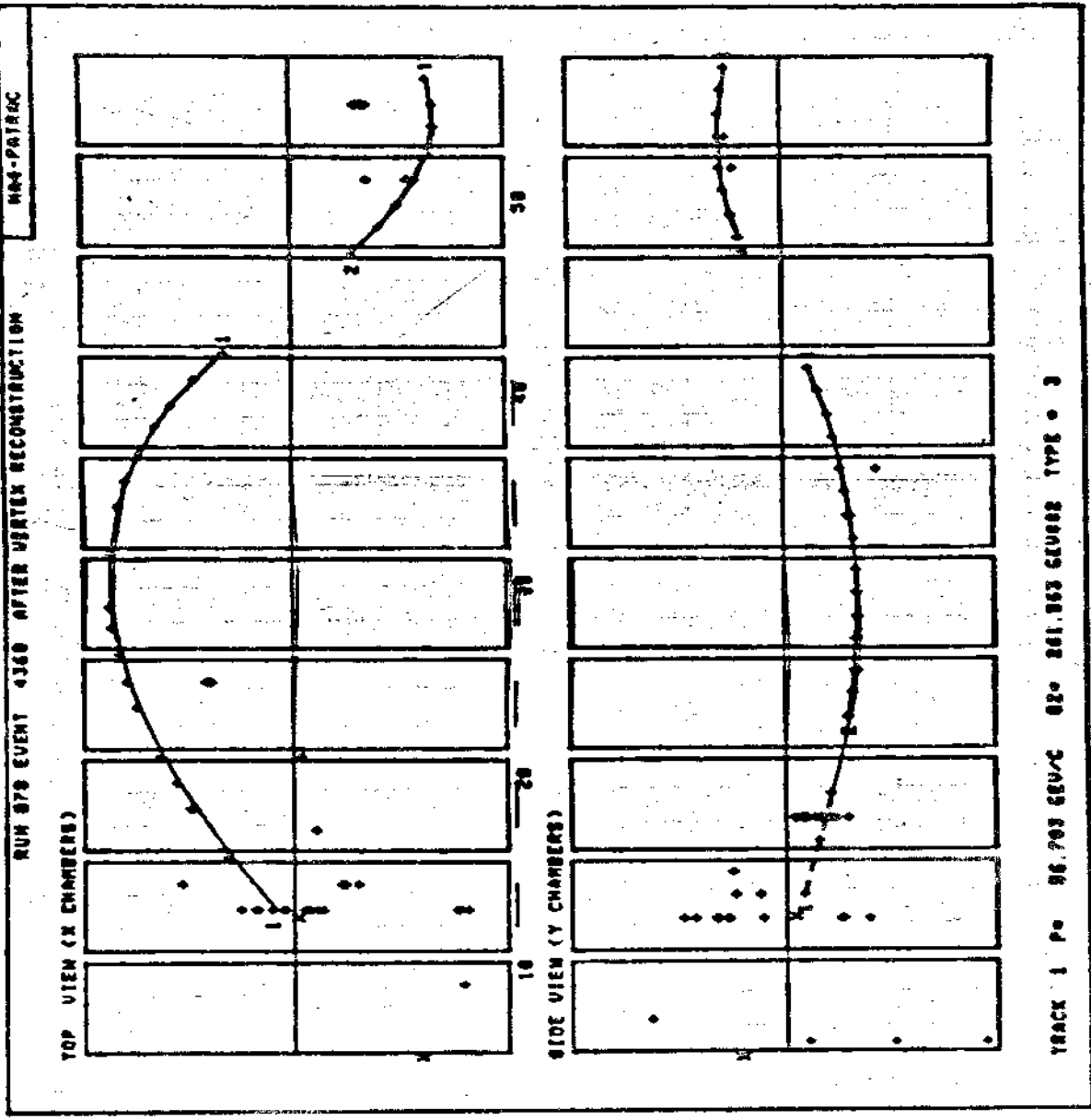
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5. Can we present our results for  
posterity?  
"smearing removed"  $\equiv$  experimental  
resolution unfolded YES approx.  
contrary to EPS + batavia

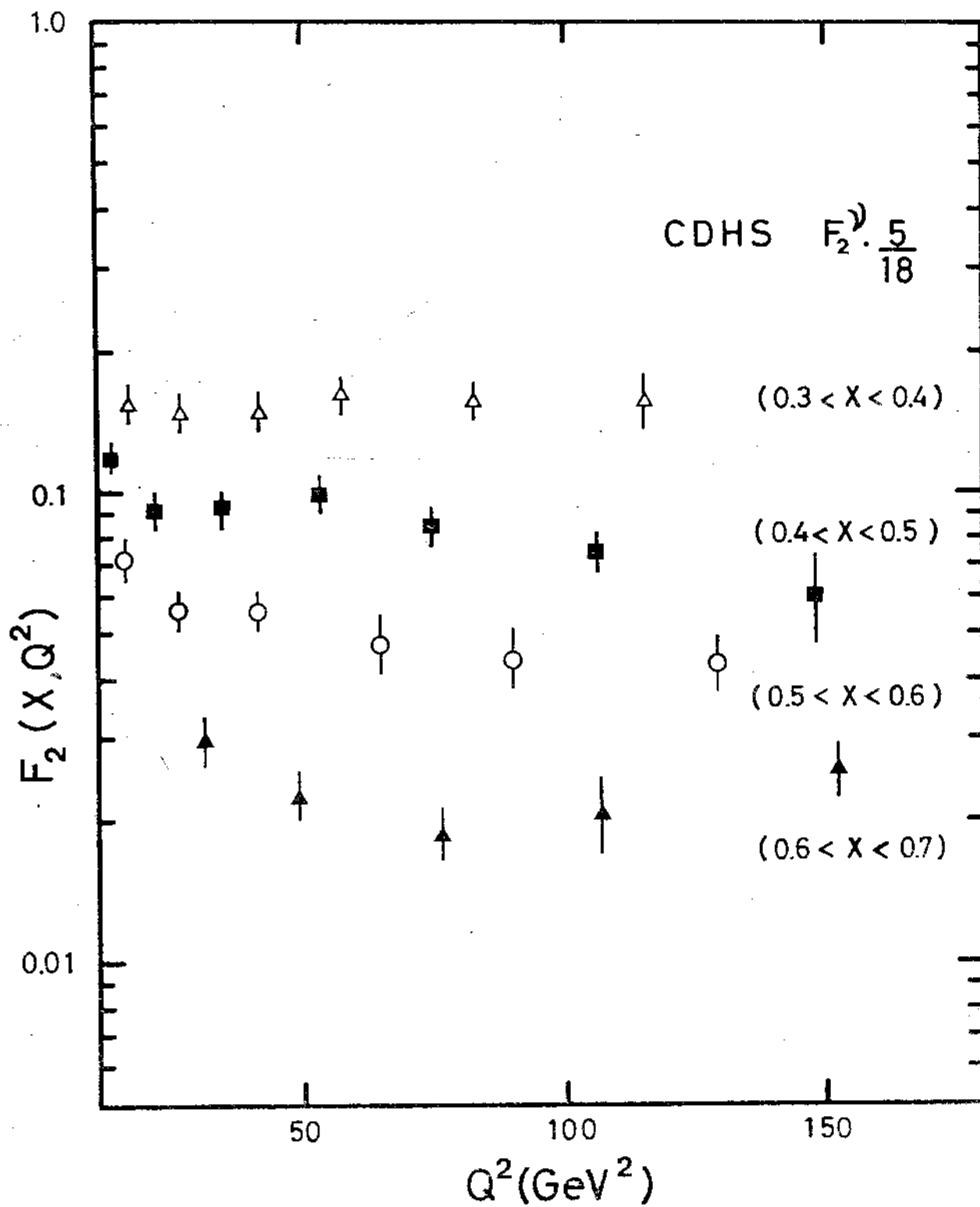
|                       |         |
|-----------------------|---------|
| radiative corrections | YES     |
| Fermi-motion unfolded | NO      |
| $R = .22$             | ASSUMED |

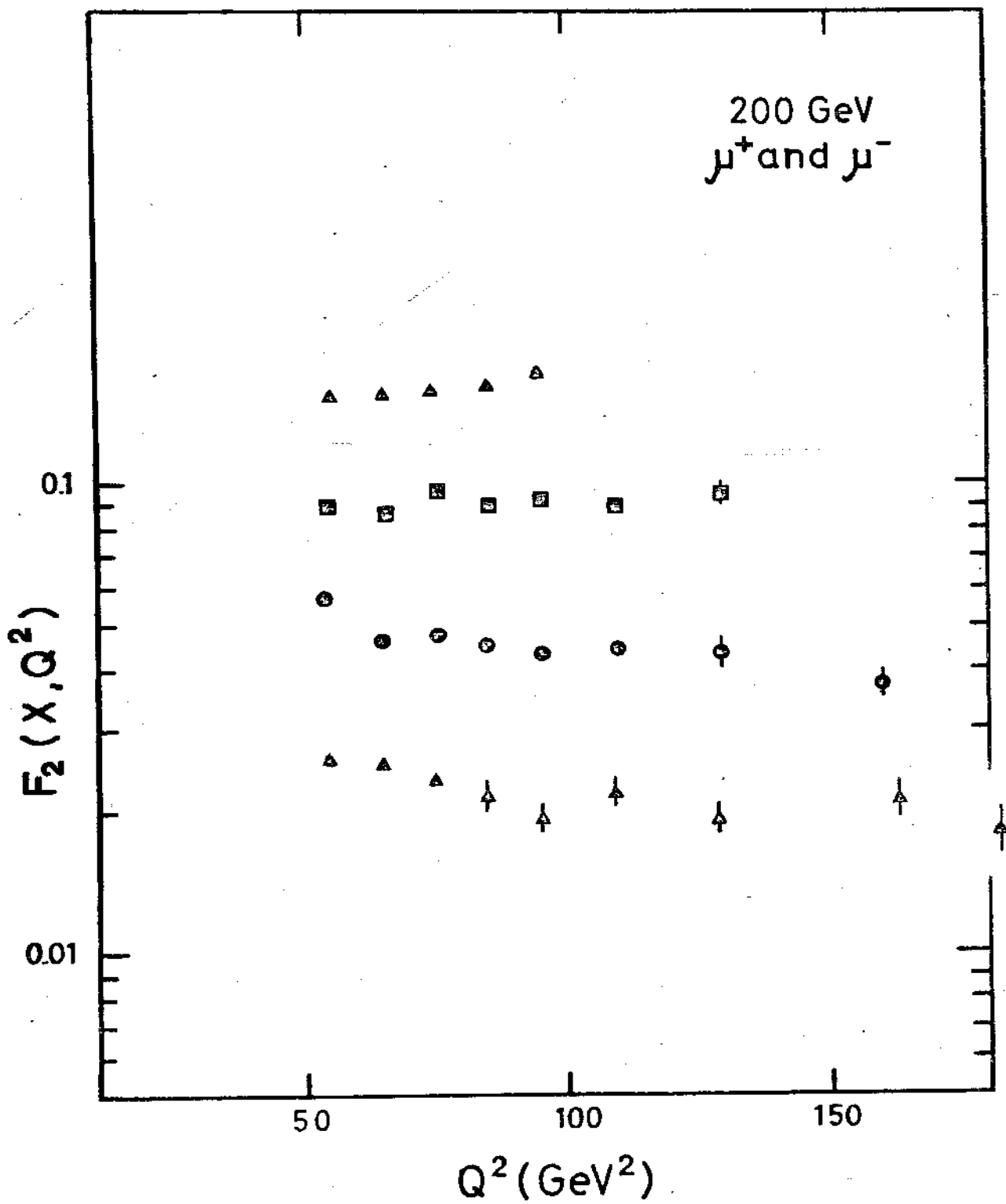
results from  $\sim 2 + \sim 2$  days  
of net running time

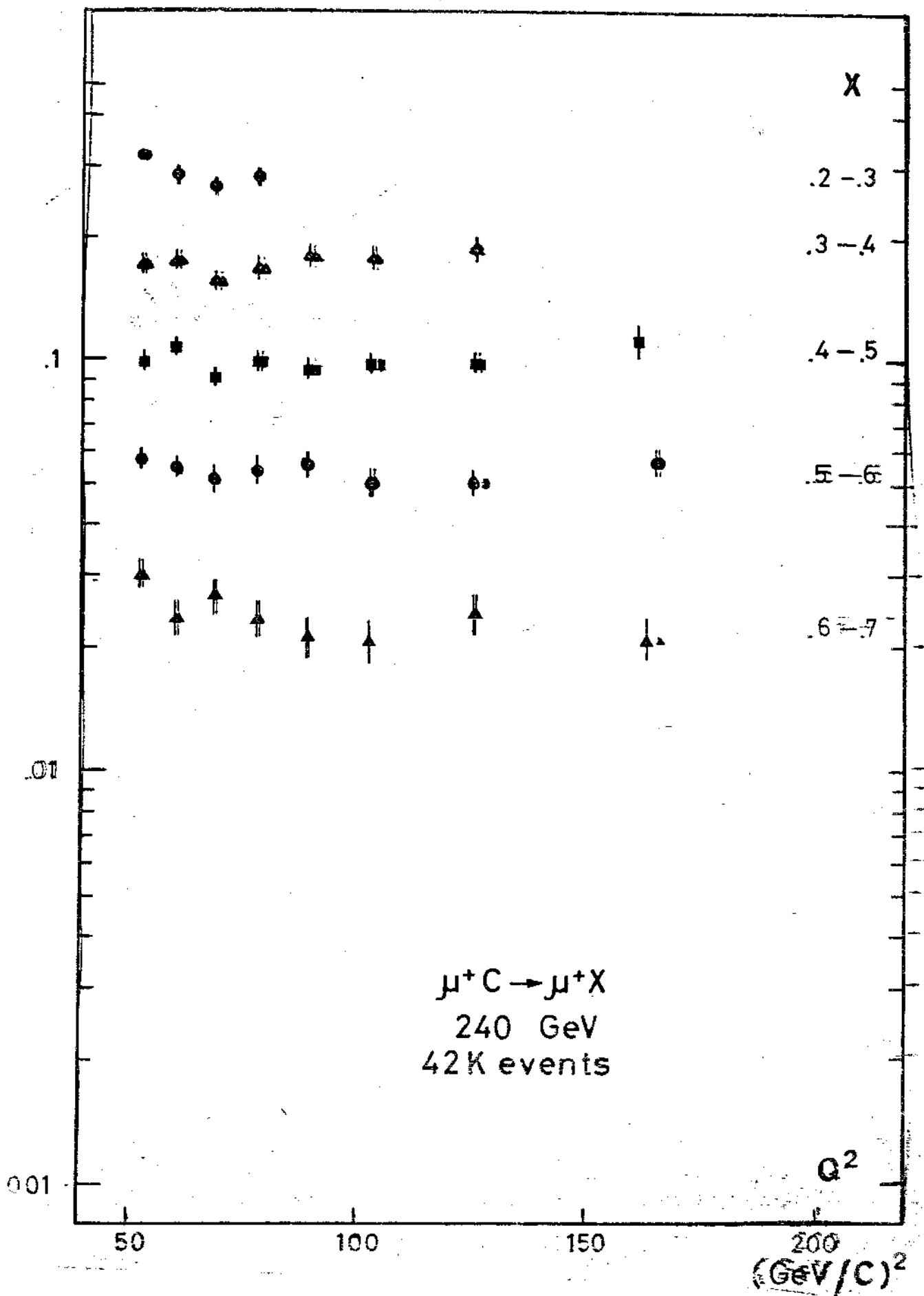
PLOT FRAME 104  
TO CHD "



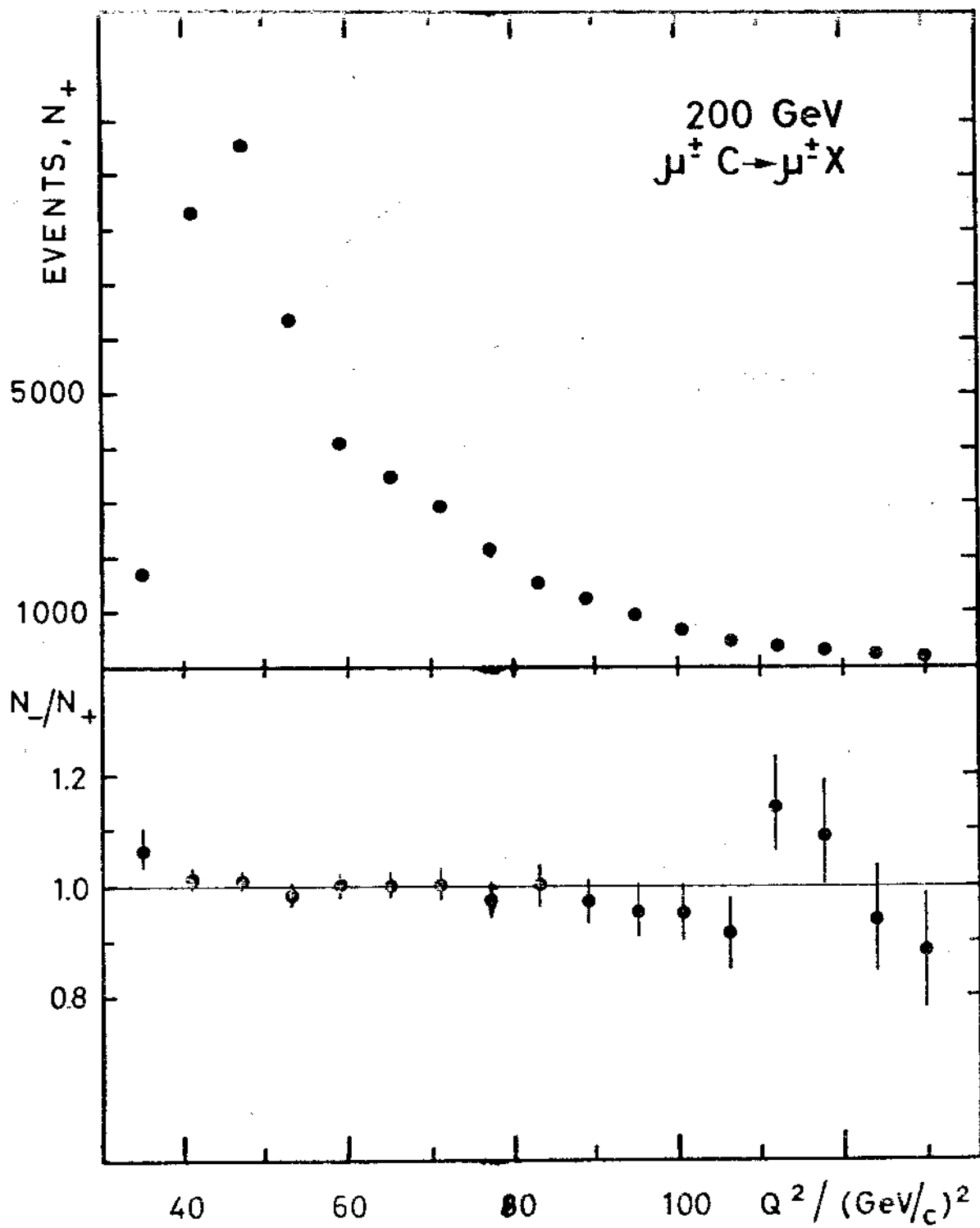
TRACK 1 Po 96.703 GEV/C BE- 261.853 GEV/C TYPE 0 3



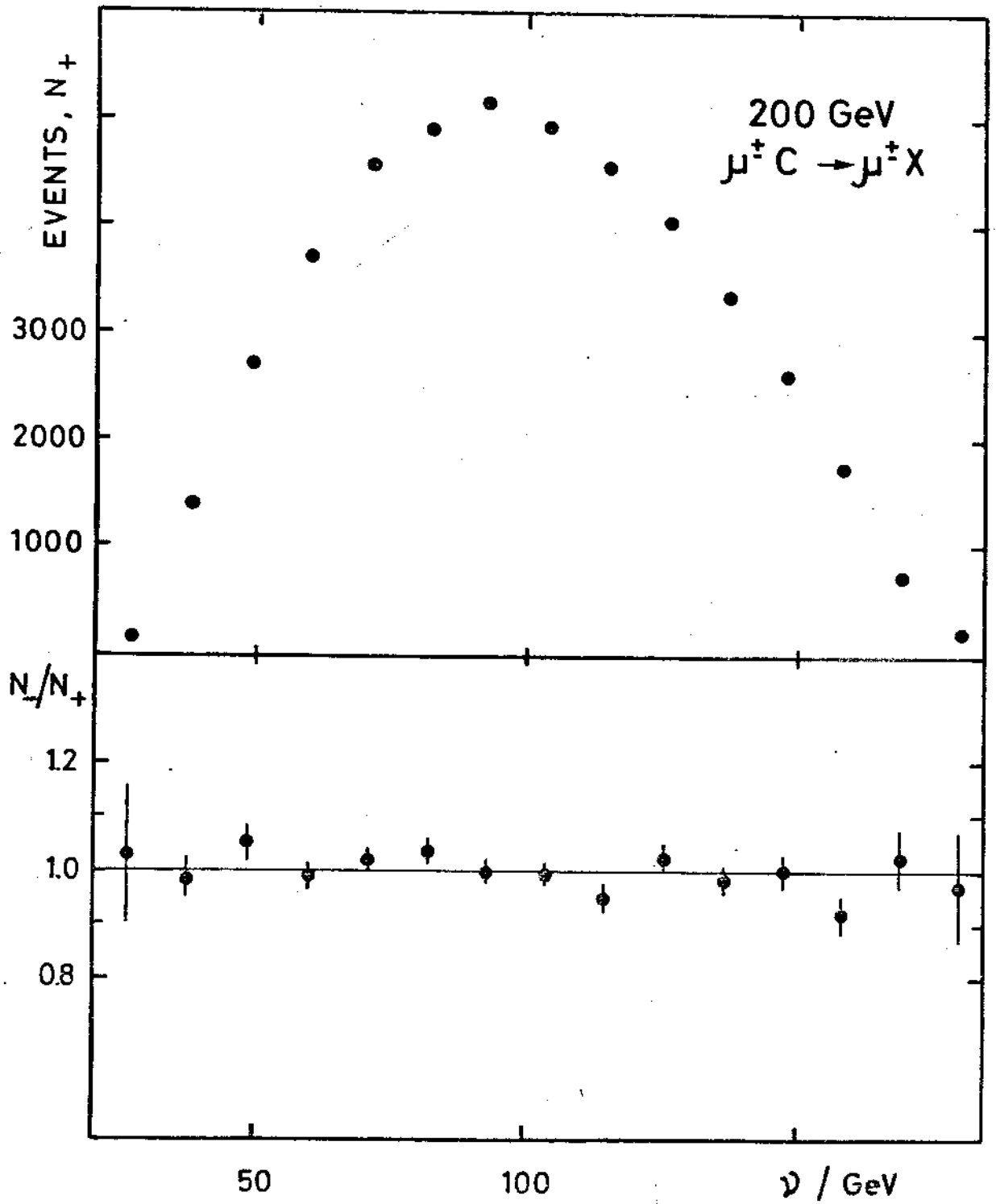


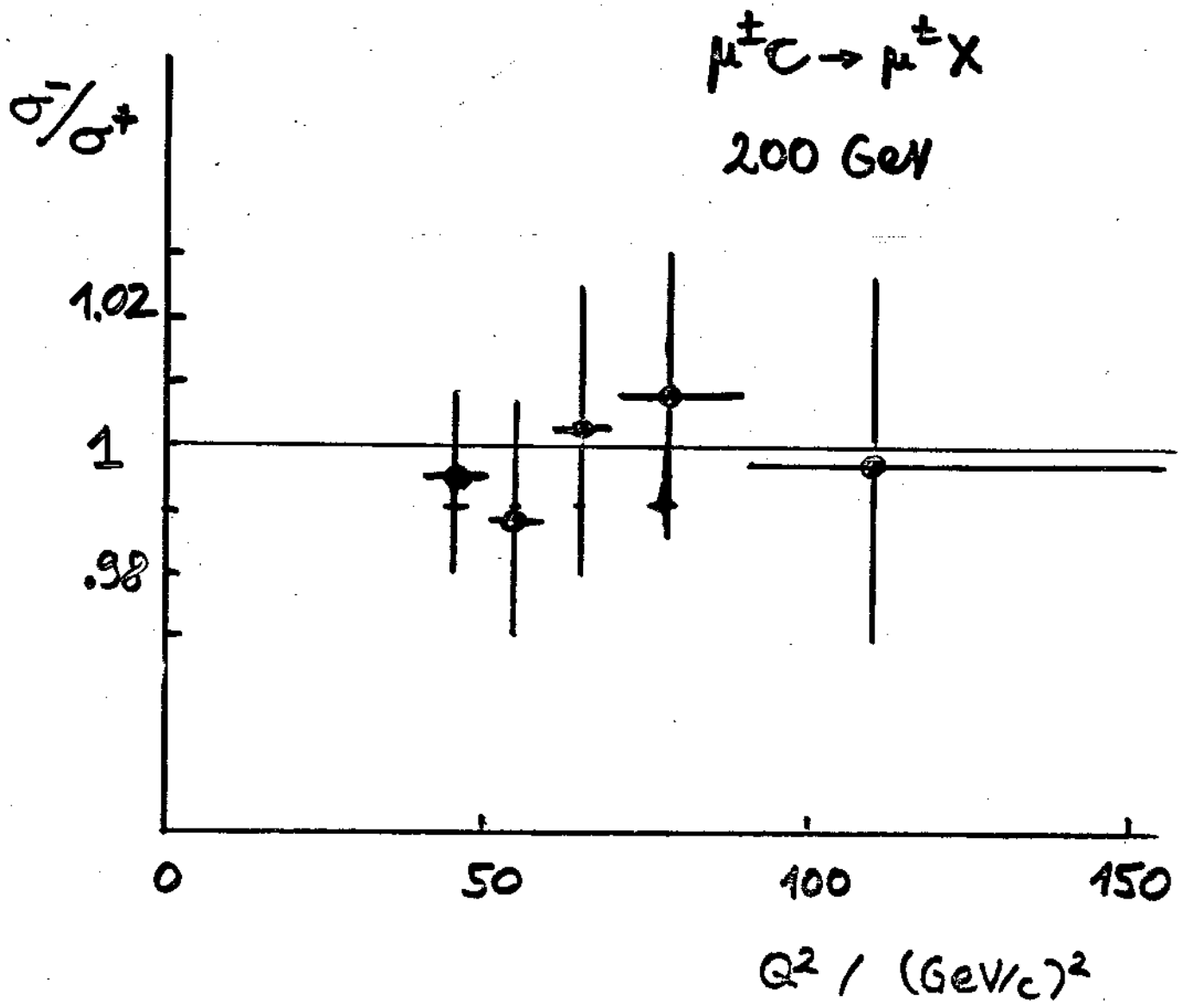












Experiment:

$$B \equiv \frac{(d\sigma/dx)_+ - (d\sigma/dx)_-}{(d\sigma/dx)_+ + (d\sigma/dx)_-}$$

$X$  "optimal" kinematical variable

Theory:

$$B = -1.8 \cdot 10^{-4} Q^2 g(\gamma) (a - |\lambda|v) A + R.C$$

$$g(\gamma) = \frac{1 - (1-\gamma)^2}{1 + (1-\gamma)^2} \implies X \equiv Q^2 g(\gamma) !$$

$$\lambda_+ = -\lambda_- = |\lambda| \quad \text{beam polarization}$$

$\left. \begin{array}{l} a \quad \text{axial} \\ v \quad \text{vector} \end{array} \right\} \text{muonic weak neutral current coupling constant}$

$$\left( \begin{array}{l} \text{W.S.} \quad a = -\frac{1}{2} \quad v = -\frac{1}{2} + 2 \sin^2 \theta_w \\ \text{i.e. } |v| \lesssim 1 \end{array} \right)$$

$A \sim$  hadronic axial structure function

$$\left( \text{QPM: } A \approx -1.8 \text{ independent of } x \text{ for isoscalar targets} \right)$$

The dominant radiative corrections should involve only photon exchanges  $\rightarrow$  scaling  $\rightarrow f(x,y)$  up to  $\log(E/m)$  terms

However those concerning photon-hadron coupling are model-dependent  $\rightarrow$  calculations perhaps unreliable

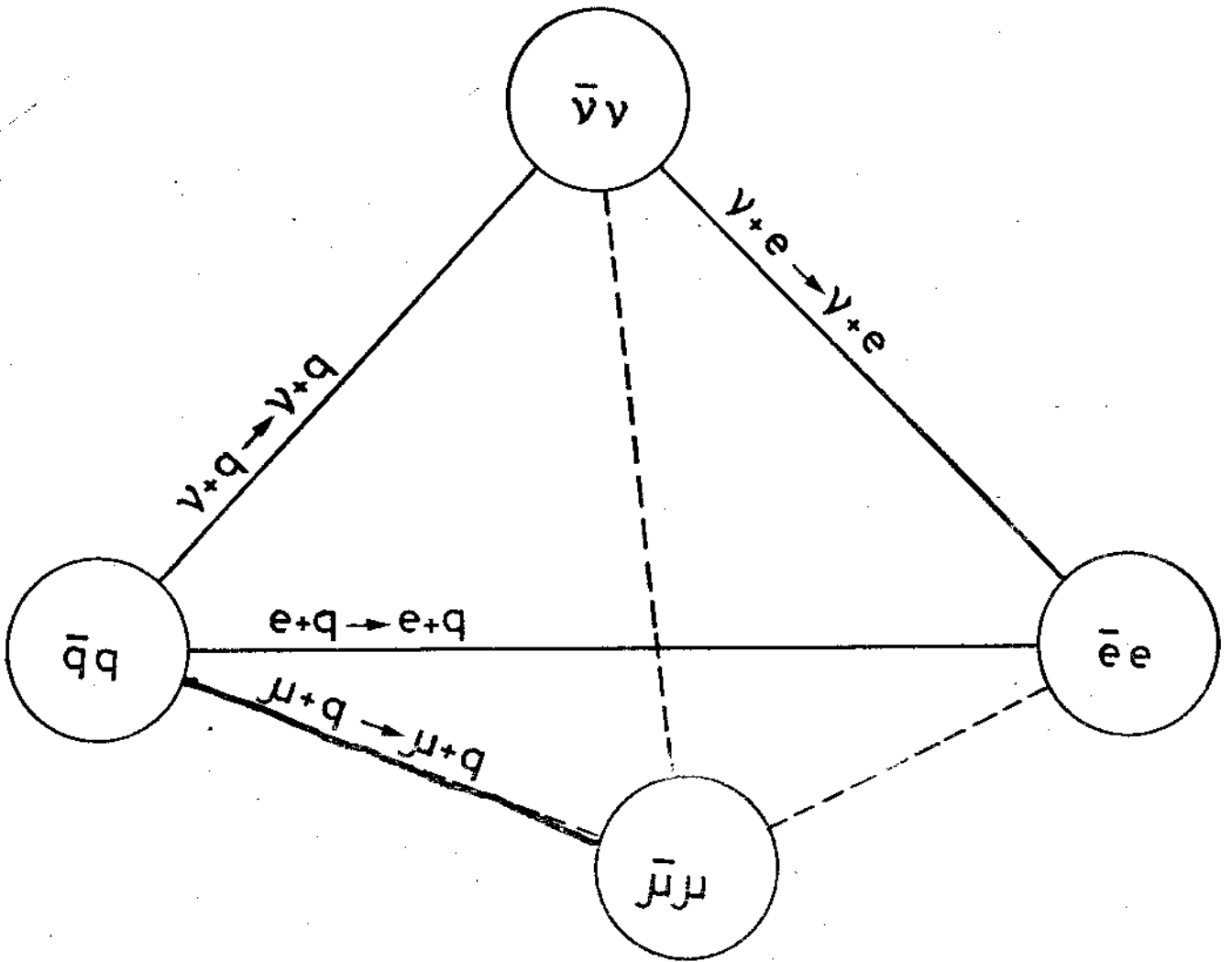
Conclusion:

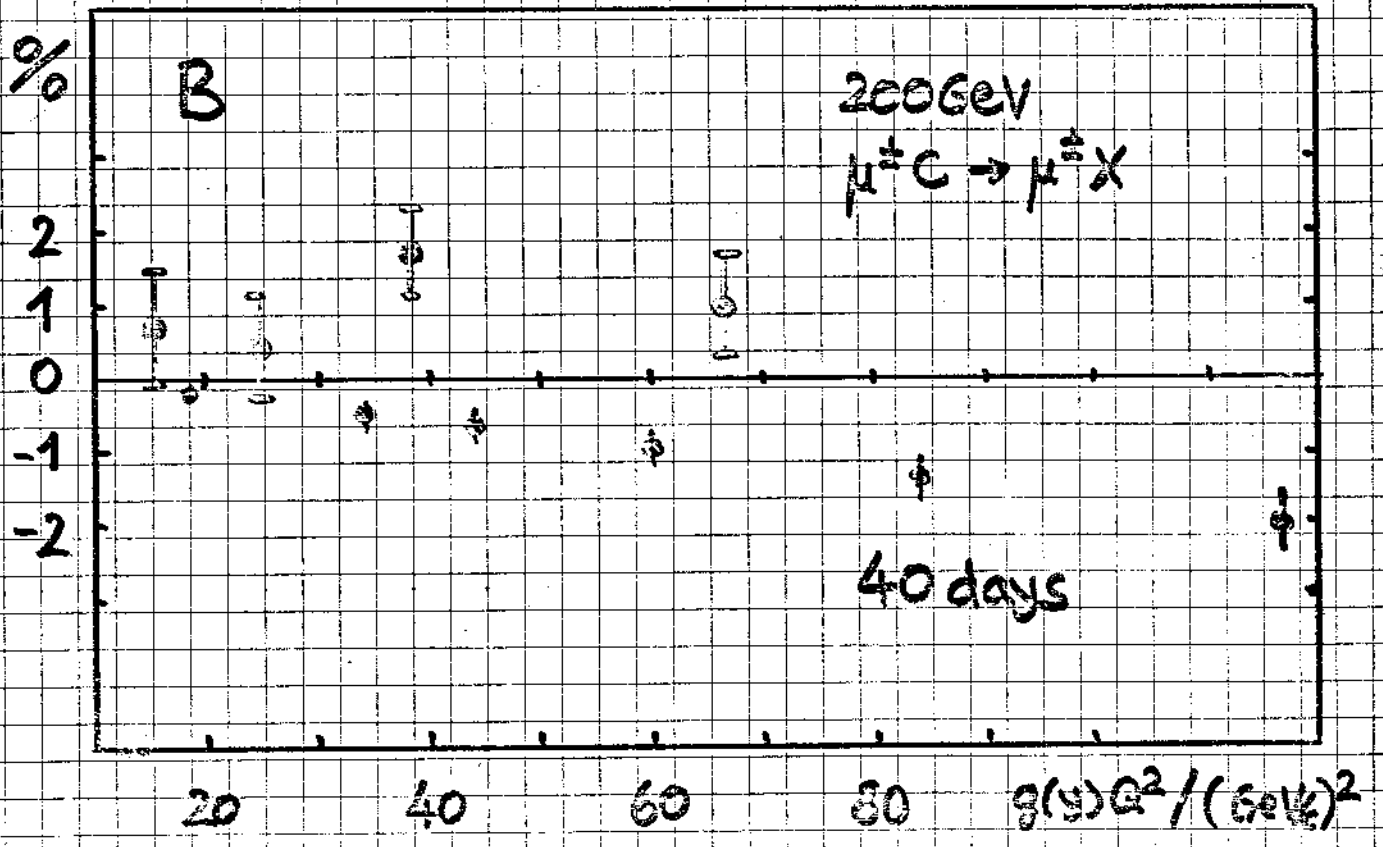
Measure at 2 widely separated incident energies in order to separate  $B_{WEAK}$  from  $B_{R.C.}$

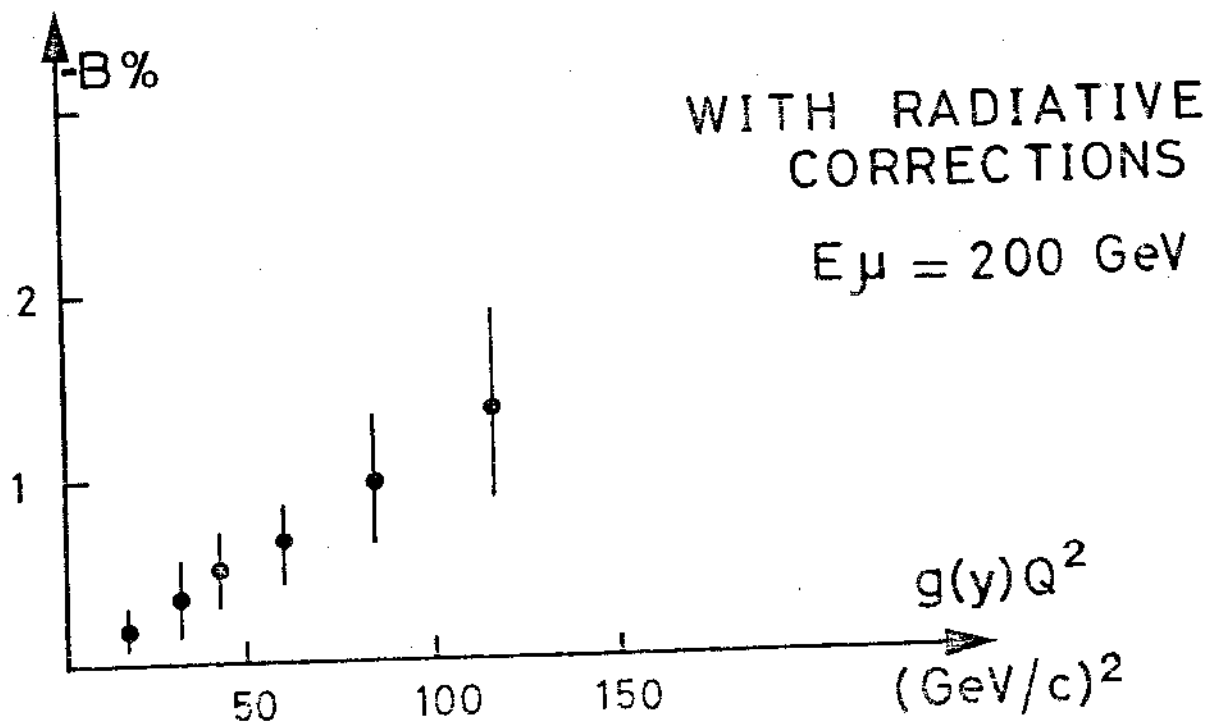
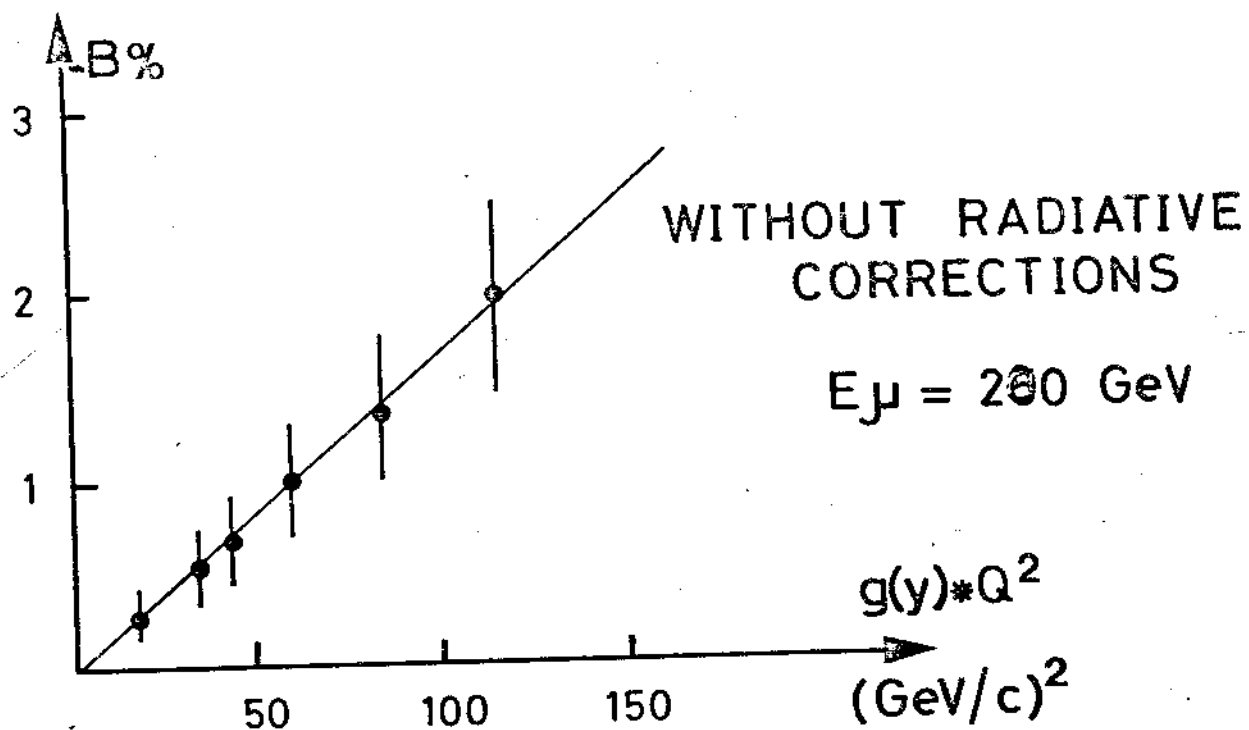
Is it an interesting experiment?

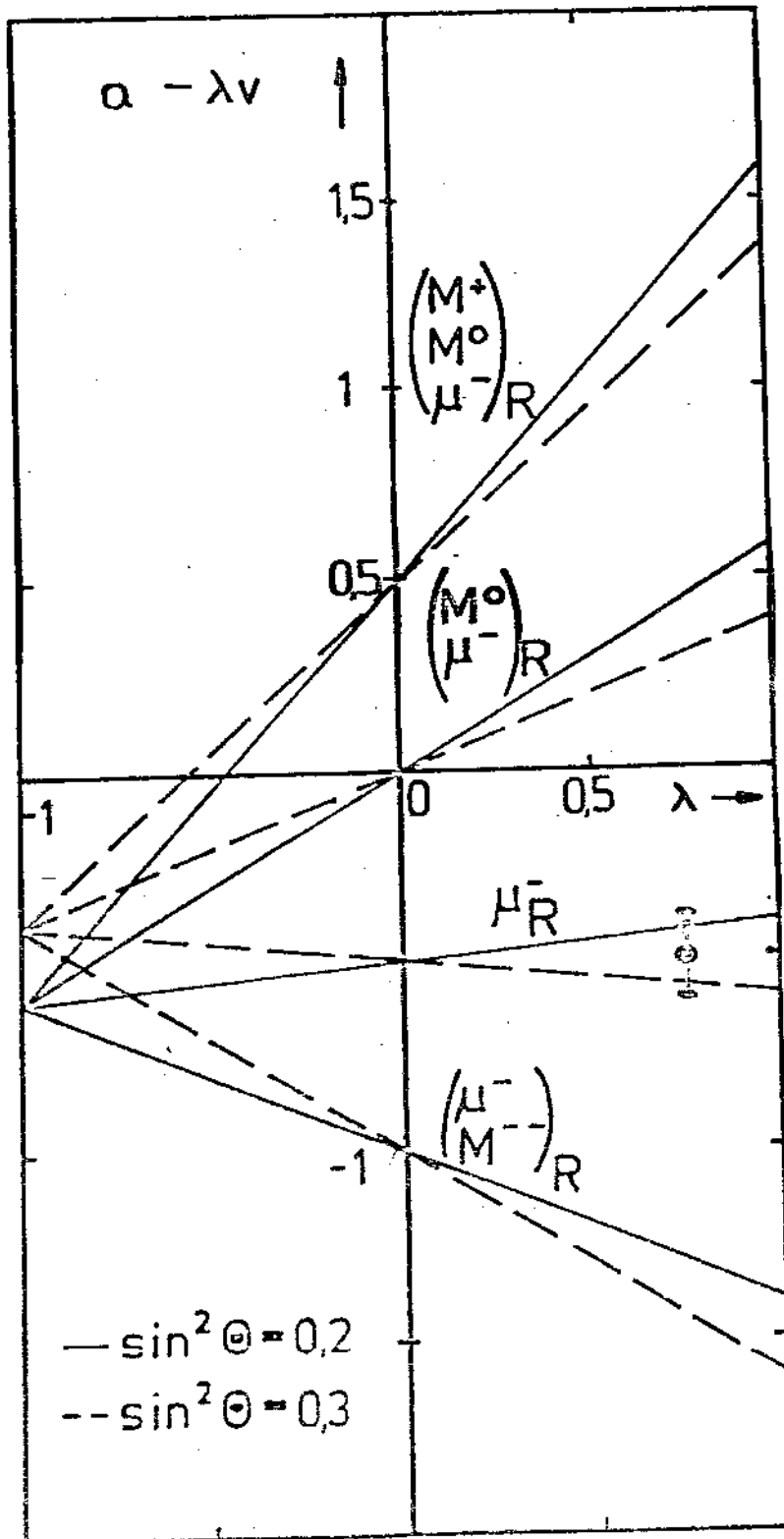
Test of  $\mu$ -e universality  
Sakurai tetrahedron

Specifically: is  $\mu_R$  singlet?  
other assignments











# REQUEST

| No. of days | Energy         | Intensity                                 | Purpose   |
|-------------|----------------|---|---|
| 50          | 200 GeV        | 50% $\mu^+$<br>50% $\mu^-$<br>$10^7$ /sec | main<br>B<br>run                                      |
| 30          | $\sim 100$ GeV | 50% $\mu^+$<br>50% $\mu^-$<br>$10^7$ /sec | R.C.<br>run   |
| 10          | 200 GeV        | $\mu^+, \mu^-$<br>$10^7$ /sec             | empty<br>target<br>run                                |
| 10          | 280 GeV        | $\mu^+$<br>$10^7$ /sec                    | improving<br>quality of<br>data at high<br>E $_{\mu}$ |

## Important conditions

$$\text{Intensity } (\mu^+) = \text{Intensity } (\mu^-)$$

As long a flat top as possible  
in order to maximize number of  
muons without exceeding  $10^7/s$

As frequent +/- switching  
as feasible, but at least

+|-|+ or -|+|-

sandwiching during any  
10 day period

THIS EXPERIMENTS  
STANDS OR FALLS  
WITH CONTROL OF  
SYSTEMATIC ERRORS

# Systematic errors

- 1. On slope
- 2. On absolute values

| physical quantity | experimental parameters | ampl. factor | origin of error + controls |
|-------------------|-------------------------|--------------|----------------------------|
|-------------------|-------------------------|--------------|----------------------------|

- 1. On slope

|                                      |  |   |  |
|--------------------------------------|--|---|--|
| $E'$<br>(energy of scattered $\mu$ ) | geometry of MWPC's<br><u><math>\vec{B}</math> in torus</u> | 5 | $\Delta \vec{B}_{\pm} \approx 10^{-4}$<br>Hall probes<br>loops etc.<br><u>saturation</u> |
|--------------------------------------|--|---|--|

expected error  $< 10^{-3}$

- 2. On absolute value

|                                    |   |   |  |
|------------------------------------|---|---|--|
| $E$<br>(energy of incident $\mu$ ) | geometry of E-defining hodoscopes<br><u><math>\vec{B}</math> in B6 bending magnet</u> | 3 | $\Delta \vec{B}_{\pm} \approx 2 \times 10^{-4}$<br>Hall probes |
|------------------------------------|---|---|--|

$\sigma_{\text{scatt}}$ geometry of  
MWPC'sbeam angle  
+ divergence

1

$$\Delta \sigma_{\text{sc}} < 3 \times 10^{-4}$$

hodoscopes

azimuthal sym.

↓

no linear terms

 $L^+/L^-$ luminosity  
ratioNo. of incident  $\mu$ 'sEffective target  
traversed

1

$$\Delta \left( \frac{L^+}{L^-} \right) \approx 10^{-3}$$

random source  
scalers ++ deadtime from  
hodoscopesbeam MWPC's  
hodoscopesprobably the decisive  
error for  
absolute valuesexpected total error  $\approx 2 \cdot 10^{-3}$ Frequent switching and constant  
(not too high) intensity important

# FINAL COMMENT

B-measurement (nearly)  
necessary step on the way  
to our goal in 1981-82:  
absolute precision 1-2%  
on  $F_2$  in  $H_2$  and  $D_2$

Last opportunity:

mounting  $H_2$  needs 3 months  
each time