# LABORATOIRE DE PHYSIQUE CORPUSCULAIRE

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# NUCLEAR DISASSEMBLY TIME SCALES

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# USING SPACE-TIME CORRELATIONS NUCLEAR DISASSEMBLY TIME SCALES

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### Abstract:

instabilities which may be responsible for nuclear disassembly. is obtained. This value is compared with those corresponding to different type of like and target-like fragments, a value of  $\tau$  for a nucleus with  $\varepsilon^*$  around 5 MeV/u deep inelastic scattering are studied. By using proximity effects between projectile this end, correlations between fragments originating from the two partners of a fragment emission: i.e the time from thermalization to multifragmentation. To possibility to measure the life-time  $\tau$  of an excited nucleus with respect to of multifragmentation. Second, preliminary results are shown concerning the which fragments are emitted almost simultaneously corresponding to the onset observed. This mechanism becomes faster and faster as  $E^*$  reaches 5 MeV/u for sequential process corresponding to long times between successive splittings is equilibrated source are analysed. At moderate excitation energy  $\epsilon^*$  = 3 MeV/u, a the space-time correlations between fragments originating from a common species produced in intermediate energy heavy-ion collisions are presented. First, Some results related to the disassembly time scales of highly excited nuclear

#### 1. Introduction

this work. address such a question from an experimental point of view. This is the aim of fragments are all emitted almost at the same time. Therefore, it is important to restored between each decay) and simultaneous fragmentation in which succession of binary splittings sufficiently separated in time so that equilibrium be also important to disentangle between sequential fragmentation  $(6)$  (that is a enough time to explore the whole available phase space. On the other hand, it is models  $(4-5)$  essentially relies on the assumptions that the decaying system has on the applicability of theoretical approaches. For instance, the various statistical involved time-scales. Indeed, time scales estimations can put severe constraints characterization of such a process requires to get some insights on the different energy of the system, a complete disassembly can be observed. The proper becomes important and as soon as  $\varepsilon^*$  becomes comparable with the binding increases, new decay modes set in  $(3)$ . In particular large fragment emission particle evaporation. However, we know now for several years that when  $\varepsilon^*$ excitation energy  $\varepsilon^*$  the dominant processes are binary fission and/or light matter as well as of the dynamics of nucleus-nucleus collisions  $(1-2)$ . At low of key interest for the understanding of the fundamental properties of nuclear The evolution with excitation energy of the decay modes of excited nuclei is

#### 2. Experimental conditions

150 degrees with a geometrical acceptance of 55%. Full detection efficiency for PPAC each followed by an ionisation chamber. The angular range covered was 3 XYZT  $(8)$ . These two detectors constitute an ensemble of 30 position sensitive detected in Mur and Tonneau while fragments were detected in Delf (7) and between 30 and 60 MeV/u. Light charged particles (not to be discussed here) were Au targets with various projectiles (Ne, Ar, Kr and Pb) at incident energies scattering chamber. The data presented in this paper were obtained by bombarding The experiments were performed at the Ganil facility in the Nautilus

angle with a resolution better than one degree. Z (with a resolution around 10 %), the fragment velocity V and the emission XYZT in the forward direction. The measured parameters are the atomic number velocity threshold: .5 cm/ns (.13 MeV/u) for Delf and 2 cm/ns (2.07 MeV/u) for atomic numbers equal to or larger than eight was obtained. The set·up had a low

with the requirement that at least 70 to 80  $%$  of the total charge be detected. least three large fragments. Events were sorted according to their "quality": i.e triggering conditions of the experimental apparatus required the detection of at here) in collisions involving the above-mentionned systems. In most cases, the inelastic scattering (these different reaction mechanisms will not be discussed nuclei of masses around 200-220 uma produced in incomplete fusion or deep In the following sections, we show results concerning the fate of excited

### 3. Time-scales for fragment emission from equilibrated highly excited nuclei

for example, in (12). kinematics) can strongly affect the results. Such a carefull analysis was achieved equilibrium fragment emission (essentially in the forward direction for direct understanding of the fate of excited nuclei is concerned. Indeed, fast non common origin in order for the conclusions to be meaningfull as far as our parameter of the simulations. One must check that detected fragments have a calculations using the time between successive fragment emission as the main experimental angular correlations to the results of classical trajectories possible to derive the time-scales between each splitting by comparing the originating from two different splittings. With help of computer simulations, it is sequential emission because of the weak correlation between fragments Coulomb repulsion. At variance, low relative angles are allowed in case of angles between all fragments taken two by two be forbidden because of the strong Indeed, in case of simultaneous fragmentation, it is expected that small relative different depending on whether the emission is simultaneous or sequential. when dealing with all the emitted fragments, the angular correlations are very angular correlations between fragments taken two-by-two  $(10-11)$ . In particular, time·scales must be investigated in details. This may be achieved with the help of characterize properly the multifragmentation process. The fragment emission 200-220. The occurence of multi-body decay is, however, not enough to binay fission stood around  $E^*=3$  MeV/u for nuclei with mass numbers around In  $(9)$ , it was shown that the onset of many-body decay as compared with

MeV/u and for very short times (of the order of 50 fm/c) at 60 MeV/u. agreement with the data is obtained for long times (more than 500 fm/c) at 30 The histograms in the fig. 1 are the results of computer simulations. Best fragment emission time when one goes from 3 to 5 MeV/u excitation energies. depletion at low relative angles. This is the indication for a strong decrease of the excitation energy. At low  $\varepsilon^*$ , it is almost flat while at larger  $\varepsilon^*$ , it exhibits a strong correlation function displays an impressive evolution as a function of the three-body decay whereas at 60 MeV/u,  $\varepsilon^*$  is around 5 MeV/u (12). The MeV/u,  $\varepsilon^*$  has been estimated around 3 MeV/u corresponding to the onset of hot nucleus produced in central Ar+Au collisions at 30 and 60 MeV/u  $(13)$ . At 30 kinematical correlations between three fragments emitted by a single equilibrated domain. As an example, we show in fig. 1 results obtained when analysing the We have done the analysis for several systems in the Fermi energy

space constraints. time suggesting that the processes may be governed to a large extent by phase exciation energy (or equivalently the temperature) and the fragment emission MeV/u and simultaneous emission). We find a strong correlation between the emission time around 300 fm/c) and Kr+Au at 60 MeV/u  $(15)$  ( $\varepsilon^*$  around 4.5-5 obtained for Ne+Au collisions at 60 MeV/u  $(14)$   $(\varepsilon^*$  around 4 MeV/u and A compilation of our results is displayed in fig. 2 with two more points



 $> 500$  fm/c) whereas at 60 MeV/u, it is simultaneous ( $\tau \le 50$  fm/c). From (13). various splitting times. At 30 MeV/u on the left, the decay is clearly sequential ( $\tau$ and the histograms are the results of the calculations described in the text for central Ar+Au collisions at 30 and 60 MeV/u. The dots are the experimental data fragments taken two by two emitted by a single equlibrated hot nucleus for Fig. 1: Correlation function for the relative angle distributions between three



Fig. 2: Fragment emission time as a function of the excitation energy.

#### 4. Estimates of the life time of excited nuclei with respect to fragment emission

scission neutron emission in fusion-fission reactions  $(18)$ . say 300 fm/c and values larger than 1000-2000 fm/c found by studying pre energy-like standard binary fission, then one should find times ranging between might be a "natural" continuity at high excitation energies of the observed low gentle shape (surface and Coulomb) instabilities. ln this case, multifragmentation variance, longer times are expected if the disassembly proceeds through more larger depending on the type of effective forces used in the models  $(17)$ . At the litterature  $(16)$  although recent calculations indicate that this value could be compression phase (if any). Time of the order of 50 to 100  $\text{fm}/\text{c}$  are often quoted in density) should set in very rapidly after the system reaches the maximum (corresponding to a spinodal decomposition of the system occuring at very low for the decay processes. In particular, it is believed that bulk instabilities different according to the various types of instabilities which may be responsible is often argued that the time scales for nuclear disassembly should be very stated in the introduction. Moreover, as far as dynamical models are concerned, it important for the theoretical models (in particular the statistical ones) as already in the case of simultaneous emission). The estimation of this quantity is (or any other initial time) and the emission of the first fragment (or all fragments nuclei with respect to fragment emission: that is the time between thermalization ln this section, we show how to get estimates of the life time of excited

Coulomb repulsion between the fragments. a fast disassembly, a depletion around  $\theta_{axis}=0^{\circ}$  is expected due to the strong degrees according to the value of the angular momentum). At variance, in case of fragments be forward-backward symmetric (i.e flat or with a minimum at 90 estimated in their own center-of-mass on the axis connecting the two primary partners, one expects that the projection of the velocities of the emitted fragments very long time between separation and subsequent decay of one of the two in the Coulomb field of its partner as schematically illustrated in fig. 3. In case of a kinematical characteristics of the fragments emitted by one of the excited nucleus Then the idea is to measure momentum and angular distortions in the appears that these conditions are fullfilled in Pb+Au collisions at 29 MeV/ $\mu$  (21). remain of a two-body type (we mean by this no complete or incomplete fusion). It effect be enhanced due to long interaction time. In addition, the collision must and the relative velocity in the entrance channel sufficiently slow so that the of a deep inelastic scattering. To this end, the system must be as heavy as possible proximity effects induced essentially by Coulomb forces between the two partners piece of information on fragmentation processes. We take advantage of the binary fission but to our knowledge it is the first time that it is used to get some two different sources. Such studies have already been performed (19-20) in case of previous section to space-time correlations between fragments originating from The following analysis is an extension of the method described in the





and then to estimate the amount of dissipated energy in the collision. We have : able to calculate the TKEL (Total Kinetic Energy Loss) of the two primary nuclei velocity  $V_R$  betwen the reconstructed primary nucleus and its partner, we were that the collision remained binary (i.e no fusion). By calculating the relative nucleus by averaging the velocities of the three emitted fragment as done in  $(21)$ 35. We checked by reconstructing the center-of-mass velocity of the decaying fragments of charge lower than 25 and one and only one with charge larger than with its partner. To this end, we required the detection of three and only three fragments emitted by one of the two primary nuclei were detected in coincidence We have selected events corresponding to the configuration in which three

$$
TKEL = ECM - TKE
$$
  
and  

$$
TKE = \frac{1}{2} \mu V_R^2
$$

TKEL by the following relation: per nucleon  $\varepsilon^*$ , this latter being approximately related (for symmetric systems) to evolution of several quantities of interest as a function of the excitation energy where  $\mu$  is the reduced mass of the system. Thus, it was possible to follow the

$$
\mathcal{E}^* = \frac{\text{TKEL}}{\text{A}_{\text{P}} + \text{A}_{\text{T}}}
$$

the decaying excited nucleus. indicating the rising of proximity effects and thus shorter and shorter life time for momentum space of the three fragments with respect to the heavy one) is a gradual transition towards stronger and stronger distorsions (repulsion in effects of the associated partner. However, as one goes to larger dissipation, there expected from the decay of a long-lived equilibrated nucleus and no proximity isocontours exhibit no distorsions and are forward-backward symmetric as corresponding to low TKEL and thus to rather peripheral collisions, the energy (or equivalently TKEL) bins have been considered. In the first one heavy partner is indicated in each panel by an arrow. Four different excitation partners of the collision). The average velocity in this frame of the associated such that their parrallel velocity is along the line connecting the two primary -Vper of the three emitted fragments (calculated in their own center-of-mass and the target. As an example, we show in fig. 4 the two-dimensional plots  $V_{\text{par}}$ in which Ap and  $A_T$  stand for the mass number of respectively the projectile and



The arrows indicate the velocity of the heavy partner. reaction. The figures in the panel correspond to four different TKEL windows. three fragments resulting from the disassembly of one of the two partners of the Figure 4: 2-d plots Vpar—Vper (calculated in a frame specified in the text} for the

In order to gain some quantitative insights on the life time, we have

comparison with the experimental data. into account the limitations of the experimental set-up in order to get a reliable until fragments are cold. The results of the simulation have been filtered taking them in proportion of their mass. Evaporation is considered along the dynamics equilibrium so that the dissipated energy (at the given time  $\tau$ ) is shared among Fragments are initially hot and their excitation energy is obtained assuming equation of motion for both the three fragments and the heavy partner. assumed. The post-dynamics of the decay process is considered by solving the out  $(4-5)$  or a saddle-point configuration  $(23)$  of 2 Fermi between the fragments is space according to a triangle and a minimum distance (corresponding to a freeze statistical weight calculated according to  $(23)$ . The three fragments are placed in is considered. A three fragment  $(A_i, Z_i)$  partition is chosen randomly and its (which is the main parameter of the model), the decay of one of the two partners TKE correlation (Wilczynski plot, not shown here). Then, at a given time  $\tau$ Weisskopf theory. With this simple model, we were able to reproduce the  $\theta$ cm vs light particle evaporation in the course of the reaction using the standard No deformation of the two partners was taken into account. We have included formula and the angular momentum transfer was estimated in the sticking limit. potentials  $(22)$ . The dissipation has been taken into account using the window trajectory calculations with conventionnal nuclear, coulomb and centrifugal the deep inelastic scattering of the two nuclei has been described using standard performed computer simulations. The entrance channel of the collision, that is

![](_page_9_Figure_1.jpeg)

numbers in each figure correspond to different TKEL (in MeV) windows. corresponds to a velocity pointed towards the heavy partner (see fig 3). The the two primary partners of the reaction. The orientation is so that cos  $\theta$  axis=1 corresponding to the center·of-mass of the three fragments) on an axis connecting obtained by projecting the velocities of the fragments (calculated in a frame disassembly of one of the two partners of the reaction. These distributions are Figure 5: Angular distributions of the three fragments resulting from the

between first contact and re-separation  $\tau_{inter}$  is around 200-250 fm/c. partners is around  $\tau_{\text{min}}$  = 50 fm/c and the interaction time defined as the time scales: the time between contact and minimum distance between the two primary simulation. From the model, we then get the following results concerning time confirmed by analysing the impact parameter distribution as given by the which a large amount of the avalaible energy has been dissipated. This is is found that most of the selected events correspond to rather central collisions in experimentally (this could be due to a lack of fluctuations in our crude model). It obtained although the model is unable to reproduce the largest values obtained and the results of the simulation (histogram). A rather correct agreement is We first show in fig. 6 the TKEL distribution for both the data (points)

![](_page_10_Figure_1.jpeg)

data while the histogram are the results of the calculation described in the text. Figure 6: Distribution of the TKEL for the selected events (see text). Points are the

occured before the separation of the two partners. In this case (two first panels lower than  $\tau_{inter}$  correspond to a situation in which the fragmentation has MeV/u. Several values of  $\tau$  have been considered with respect to  $\tau_{inter}$ . Values have been summed. This corresponds to excitation energies larger or equal to 5 distributions displayed in fig. 5 considering only the last two TKEL bins which We now compare the results of the model with the experimental angular bins in fig. 5. separation) for low values of the excitation energies corresponding to the first two Therefore, we can only give lower limits ( $\tau$  longer than 300-400 fm/c after  $350$  fm/c. It is clear that the sensitivity of the signal is limited to short times. distance of approach until fragmentation, we thus find a value of the order of 300 values around  $\tau = \tau_{inter} + 100 - 150$  fm/c. Estimating the time from the minimum larger than the separation time, the agreement is better and better until we reach separation. When the value of  $\tau$  is increased and that it becomes significantly that we can probably ruled out the possibility for the system to break before further refinements of the model would not change significantly the results so upper left in fig. 7) we found a strong disagreement with the data. We believe that

![](_page_11_Figure_1.jpeg)

the trajectory calculations. two partners. Tinter is the time for re-separation of the two partners as given by of  $\tau$  in each panel corresponds to different time for the disassembly of one of the the experimental data corresponding to the last two TKEL bins of fig. 5. The value Figure 7: Comparison between the results of the model described in the text with

#### 5. Conclusion

common equilibrated source, we have found that the fragment emission time concerning nuclear disassembly. Firstly, by considering fragments emitted by a intermediate energies, we have been able to estimate two different times Using fragment-fragment space-time correlations in nuclear collisions at instabilities that are responsible for nuclear disassembly. strong constraints on these latter and give new interesting insights on the type of think that extensive comparisons of our data with dynamical models could put of the two partners has been found suggesting maybe a rather gentle process. We simulation. A rather long value corresponding to  $100-150$  fm/c after re-separation excitation energy around  $5 \text{ MeV/u}$  by comparing the data with a computer deep inelastic scattering), we could estimate the life time of a nucleus with method to fragments originating from two different sources (the two partners of a multifragmentation (simultaneous fragmentation). Secondly, by extending the shorter (compatible with zero) values around 5 MeV/ $\mu$  indicating the onset of suggesting a low energy-like behaviour (sequential fragmentation) towards much evolves from a long time scale at moderate excitation energies (around 3 MeV/u)

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