Doctoral thesis

Search for scalar top-quark pair-production of compressed SUSY scenarios in the final state involving one lepton, jets, and missing transverse energy in *pp* collisions at $\sqrt{s} = 13$ TeV with the ATLAS detector

ATLAS 検出器を用いた重心系エネルギー 13 TeV の陽子陽子衝突における1レプトン、 複数ジェット、及び消失横エネルギーを終状態に持つ縮退した超対称性シナリオの スカラートップクォーク対生成の探索

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February 2018

Abstract

In 2012, the Higgs boson was discovered by the Large Hadron Collider (LHC) experiment at CERN. However, to derive the observed Higgs mass (125 GeV) in the Standard Model (SM), fine tuning between the bare Higgs mass and the radiative correction required. The SM has another problem, which is the absence of the particles constituting the dark matter (DM) indicated by the cosmological observation. One of the candidates of the theory which can solve these problems is the Supersymmetry (SUSY). If the scalar top quark (stop, \tilde{t}), which is the superpartner of the SM top quark, exists and has the mass below 1 TeV, the level of fine tuning can be significantly reduced because the radiative correction of the top quark loop can be canceled by the radiative correction of the stop loop. In addition, the neutralino $({\tilde{\chi}}_1^0)$, which is the neutral lightest supersymmetric particle (LSP) can become a candidate of the DM.

The LHC experiment searched for the stop pair production in a $pp \to \tilde{t}_1 \tilde{t}_1 \to t \tilde{\chi}_1^0 t \tilde{\chi}_1^0$ process and set a 1 TeV mass limit by exploiting the highest center-of-mass energy of the *pp* collisions. Unfortunately, the evidence of the stop pair production was not obtained. The direct searches for the stop pair production in the phase space challenging for the experiments is of interest. An example is the phase space, where two or three of stop, chargino, and neutralino have similar masses.

Here a search is presented for the stop pair production in a $pp \to \tilde{t}_1 \tilde{t}_1 \to b \tilde{\chi}_1^{\pm} b \tilde{\chi}_1^{\pm} \to bW^{\pm} \tilde{\chi}_1^0 bW^{\pm} \tilde{\chi}_1^0$ process with the 36.1 fb⁻¹ data of $\sqrt{s} = 13$ TeV *pp* collisions obtained by the LHC-ATLAS experiment from 2015 to the end of 2016. The search focuses on two theoretical scenarios, which have the compressed mass spectrum between the SUSY particles (sparticles) and can be searched by the final state involving one lepton, jets, and missing transverse energy $(E_{\text{T}}^{\text{miss}})$: I. the higgsino LSP scenario with small mass difference between the chargino $({\tilde{\chi}}_1^{\pm})$ and the neutralino and II. the bino LSP scenario with small mass difference between the stop and the chargino. In case of the higgsino LSP scenario, the signal region (SR), which has a high E_T^{miss} and an initial state radiation with a high momentum, was set and optimized. The dominant backgrounds $(t\bar{t})$ and $W + \text{jets}$ remaining after the signal event selection were estimated by using a semi-data driven method called the control region (CR) techniques to reduce the systematic uncertainties. The QCD/multi-jets background including a fake leptons was estimated to be negligible. No significant excess above SM expectation was observed in the SR. This result was reinterpreted to determinate the exclusion limit. The higgsino LSP scenario was excluded the stop mass up to 415 GeV. In case of the bino LSP scenario, the SR is introduced with rejecting jets tagged as originating from bottom quarks. The dominant background $(W + jets)$ was estimated by using the CR techniques. No significant excess above the SM expectation was observed in the SR. The bino LSP scenario was excluded in a part of the phase space with the stop mass up to 850 GeV.

The coverage in the phase space has been significantly extended by setting and optimizing the individual SRs dedicated for the two scenarios and by precisely estimating the background. I contributed to the strongly constrain for SUSY, in particular the stop pair production, by searching these scenario having the compressed mass difference between sparticles.

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Chapter 1

Introduction

The ultimate goal of the particle physics is the fundamental understanding of the particles and the interaction. The theory of the particles and the interactions evolved with the validation by the experiment. In 2012, the Higgs boson, which is an essential particle of [Standard Model \(SM\)](#page-113-3), was discovered by the [A Toroidal LHC](#page-113-4) [ApparatuS \(ATLAS\)](#page-113-4) and [Compact Muon Solenoid \(CMS\)](#page-113-5) experiments at the [Large Hadron Collider \(LHC\).](#page-114-0) The Higgs boson plays an impotant role in the understanding of the "*origin of mass*" of the particles. On the other hand, there are problems which can not be explained by the [SM:](#page-113-3)

- In the [SM,](#page-113-3) fine tuning is required between the bare Higgs boson mass and the radiative correction arising from the one-loop contribution of the top quark,
- Existence of [dark matter \(DM\)](#page-113-6) is indicated by the cosmological observations, but there are no particle candidates in the [SM.](#page-113-3)

These problems require the extensions of the [SM.](#page-113-3) One of the candidates of extended models which can solve these problems is the model with [Supersymmetry \(SUSY\).](#page-114-1) [SUSY](#page-114-1) is containing the symmetry between the boson and the fermion. The [Minimal Supersymmetric SM \(MSSM\)](#page-114-2) is a minimal extension of the [SM.](#page-113-3) [MSSM](#page-114-2) includes a partner (superpartner) for each [SM](#page-113-3) particle. The [scalar top quark \(stop\)](#page-114-3) \tilde{t}_1 , which is the superpartner of the [SM](#page-113-3) top quark, contributes to the cancellation of the radiative correction of the Higgs boson mass, and the level of fine tuning can be significantly reduced. In addition, the neutralino $\tilde{\chi}_1^0$, which is the [Lightest Supersymmetric](#page-114-4) [Particle \(LSP\)](#page-114-4) and is stable under the R-parity conservation, possibly constitutes the [DM.](#page-113-6)

Physicists have been searching for signs of [SUSY](#page-114-1) with several experiments. In the searches for stop-pair production with the decay channel $\tilde{t}_1\tilde{t}_1 \to t\tilde{\chi}^0_1 t\tilde{\chi}^0_1$ at the [ATLAS](#page-113-4) and [CMS](#page-113-5) experiments, no evidence of excess over the [SM](#page-113-3) was found. A mass region of the stop up to 1 TeV was excluded.

This thesis presents the search for the stop-pair production with the decay chain $\tilde{t}_1 \to b\tilde{\chi}_1^{\pm} \to bW\tilde{\chi}_1^0$, where $\tilde{\chi}_1^{\pm}$ indicates a chargino, based on 36.1 fb⁻¹ data of $\sqrt{s} = 13$ TeV [proton-proton \(](#page-113-7)*pp*) collisions taken by the [ATLAS](#page-113-4) detector. This decay chain makes it possible to search for signs of [SUSY](#page-114-1) in an experimentally challenging phase space, where two or three of $\tilde{t}_1, \tilde{\chi}_1^{\pm}$, and $\tilde{\chi}_1^0$ have similar masses. The analysis focuses on the following two scenarios, which can be probed by the final states containing one lepton, jets and large missing transverse energy $(E_{\text{T}}^{\text{miss}})$:

- a higgsino [LSP](#page-114-4) scenario, which reduces the level of fine tuning of the Higgs boson mass,
- *•* a bino [LSP](#page-114-4) scenario, where the bino is a candidate of the [DM](#page-113-6).

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To search for the stop in these scenarios with maximum possible sensitivity, an analysis method dedicated for each scenario has been developed. In addition, backgrounds are precisely estimated by the [Monte Carlo \(MC\)](#page-114-5) simulations and semi-data driven method for the reduction of systematic uncertainty.

The structure of the thesis is as follows. In Chapter [2](#page-7-0), problems of the [SM](#page-113-3) and theoretical motivation of [SUSY](#page-114-1) are reviewed, and target scenarios of this analysis are described. In Chapter [3](#page-22-0), an overview of [LHC](#page-114-0) and the [ATLAS](#page-113-4) detector is shown. In Chapter [4](#page-34-0), the phenomenology of the *[pp](#page-113-7)* collisions and the [MC](#page-114-5) simulations are introduced. In Chapter [5](#page-40-0), the object reconstructions and definitions are provided. In Chapter [6](#page-58-0) and [7,](#page-90-0) the analysis method and the result of the search for the higgsino [LSP](#page-114-4) scenario and the bino [LSP](#page-114-4) scenario, respectively, are given. In Chapter [8,](#page-105-0) the constraints on [SUSY](#page-114-1) parameters are compared with other analyses. In Chapter [9](#page-107-0), a conclusion of this thesis is described.

Chapter 2

Theoretical Motivations and SUSY Target Scenarios

2.1 Standard Model of Particle Physics

The [SM](#page-113-3) (Figure [2.1](#page-7-2)) [\[1](#page-115-0)] proposed in the 1970s described phenomena of fundamental particles and their interactions. The most important principles in the [SM](#page-113-3) are symmetries and the [Spontaneous Symmetry Breaking](#page-114-6) [\(SSB\).](#page-114-6) The six quarks and six leptons, which compose matters, are characterized by the chiral symmetry, and its symmetry breaking. The four gauge bosons (gluon, photon, *W* boson, *Z* boson), which intermediate the forces (strong, weak, electromagnetic), are characterized by the gauge symmetry. The scalar Higgs boson, which give a mass to the particle, is introduced by the [SSB](#page-114-6) in the Higgs mechanism. Their existence have been confirmed by a variety of experiments.

Figure 2.1: The illustration of the Standard Model particles [[2\]](#page-115-1). There are three generation of matter particles, four gauge bosons of force-carrier particles, and the scalar Higgs boson that generate the elementary-particle masses.

2.1.1 Problems of the SM \mathcal{S} iii \mathcal{S} of \mathcal{S} and \mathcal{S} at the minimum expectation value (VEV) for \mathcal{S} at the minimum expectation value (VEV) for \mathcal{S} at the minimum expectation value (VEV) for \mathcal{S} at the minimum exp

The [SM](#page-113-3) explains various experimental results. However, there are problems which can not be explained by the $\epsilon_{\text{max}} = \epsilon$ [SM.](#page-113-3) Two main problems are discussed in this section. $H_{\rm eff}$ is very roughly order \sim $H_{\rm eff}$ (100 GeV)2. The problem is that m2. The problem is that m2.

Fine Tuning Problem

Observable physical quantities, e.g, mass $(m_{obs.})$, are finite quantities defined by the renormalization for the perturbative expansion. The observed mass is defined as ϵ physical quantities, ϵ . ϵ , mass (m_{obs} ,), are finite quantities defined by the renormanzation for the ϵ

$$
m_{\text{obs.}}^2 = m_{\text{bare}}^2 + \Delta m^2,\tag{2.1}
$$

the radiative correction. Since the bare masses of fermions and gauge

where *m*bare is the bare mass and ∆*m* is the radiative correction. Since the bare masses of fermions and gauge bosons are assumed to be zero for the high energy scale, even if a cut-off parameter $(\Lambda_{\rm UV})$ is to be the Plank scale $(M_P \equiv \sqrt{\hbar c/G} \sim 10^{19} \text{ GeV})^1$, the radiative corrections to the masses of fermions and the gauge bosons are suppressed until around order of $log(\Lambda_{UV})$. In case of a scalar particle, the mass term is accepted by a symmetry. The radiative correction of the Higgs boson mass is affected by the $\Lambda_{\rm UV}$ times a coupling constant (λ_t) corresponding to a mass of fermions or gauge bosons. The dominant contribution to the radiative correction of the Higgs boson mass is the top quark which is the heaviest particle of the [SM](#page-113-3), and is written as

$$
\Delta m_h^2 = -|\lambda_t|^2 \Lambda_{\text{UV}}^2 + O(\log(\Lambda_{\text{UV}})).\tag{2.2}
$$

Here, λ_t is the coupling constant corresponding to the top quark. Figure [2.2](#page-8-2) shows the Feynman diagram for one-loop contribution of the top quark to the Higgs boson mass. To generate the observed Higgs boson mass S

Figure 2.2: Feynman diagram of one-loop contribution to the Higgs boson mass squared m_h^2 from the top quark.

of 125 GeV, the bare mass squared of the Higgs boson should be order of 10³⁸ and the fine tuning between the bare mass and the radiative correction is need at a level of $O(10^{-34})$ [\[3](#page-115-2)[–7](#page-115-3)].

Absence of the Particles Constituting the Dark Matter

The existence of [DM](#page-113-6) is indicated by various astronomical and cosmological measurements. The [DM](#page-113-6) is predicted to be stable, natural, and colorless. This particle of the [SM](#page-113-3) can not constitute the [DM.](#page-113-6) Therefore, existence of the new physics beyond the [SM](#page-113-3) is expected [[8,](#page-115-4) [9\]](#page-115-5).

[Cosmic microwave background \(CMB\)](#page-113-8) [[9\]](#page-115-5) is radiation coming from the early universe. As the universe expands, the primordial plasma, which is composed of hydrogen and helium, cooled and converted into gas. [CMB](#page-113-8) were radiated from this primordial plasma and have travelled through the universe. Since the [CMB](#page-113-8)

 1_{M_P} indicates the energy scale of the theory including the gravity. Here, *G* is the gravitational constant.

spectrum depends on the amount of matters and energy, the relic density^{[2](#page-9-0)} of the baryonic matter^{[3](#page-9-1)} and the [DM](#page-113-6) can be calculated. From the measurements of [CMB](#page-113-8) by WMAP [[10\]](#page-115-6) and Planck [[11\]](#page-115-7), the relic density of baryonic matter $(\Omega_b h^2)$ and dark matter $(\Omega_{\text{DM}} h^2)$ was obtained to be

$$
\Omega_{\rm b}h^2 = \begin{cases} 0.02264 \pm 0.00050 & \text{WMAP} \\ 0.02226 \pm 0.00023 & \text{Planck} \end{cases}, \ \Omega_{\rm DM}h^2 = \begin{cases} 0.1138 \pm 0.0045 & \text{WMAP} \\ 0.1186 \pm 0.0020 & \text{Planck.} \end{cases}
$$
 (2.3)

These results indicate that the amount of DM is estimated to be about 80% of the total gravitationally attractive component in our universe. The estimated amount of the ordinary SM matter is only about 20%.

[Weakly-Interacting Massive Particles \(WIMPs\)](#page-114-7) are ones of most favored candidates of the [DM](#page-113-6). They are electrically neutral and has weak-scale mass. If the [WIMPs](#page-114-7) are generated with other particles together in the early universe, the [WIMP](#page-114-7) number density matches the number density inferred from the cosmological observations. If the universe is dense and hot, the [WIMPs](#page-114-7) are annihilated into lighter particles and vice-versa. Figure [2.3](#page-9-2) shows the [WIMP](#page-114-7) equilibrium density as a function of temperature. The *<* σ*v >* is the thermal average of the annihilation cross section times relative velocity of two annihilating particles. As the universe cools down, [WIMPs](#page-114-7) continue to annihilate until all [WIMPs](#page-114-7) annihilate. The [WIMPs](#page-114-7) drop out of the thermal equilibrium, which is called the freeze-out. After freeze-out, [WIMP](#page-114-7) abundance remains constant. A particle with a weak interaction cross-section (red lines in Figure [2.3\)](#page-9-2) would freeze-out to reproduce the observed relic density. A particle with electromagnetic or strong interaction cross-sections would produce smaller relic abundance due to the high annihilation efficiency. Therefore, the [WIMPs](#page-114-7) are favored candidates of the [DM.](#page-113-6)

on of WIMP abundance as a function of the temperature (time). The solid line indicates $\frac{1}{2}$ ibrium dopeity. The dashed lines indicate the religions the equilibrium density. The dashed lines indicate the relic densities for different annihilation α cross-section and mass [[8\]](#page-115-4). Figure 2.3: Evolusion of WIMP abundance as a function of the temperature (time). The solid line indicates

For the weak cross section the thin dashed curves show the

²Relic density or abundance is that the density of a matter remained in the universe.

³Baryonic matter refers to ordinary matter made out of nucleons and electrons.

2.2 Supersymmetry

[SUSY](#page-114-1) [\[12](#page-115-8)[–20](#page-116-0)] is the expansion theory of [SM](#page-113-3) to introduce the symmetry between fermion and boson. An operator (Q) is introduced that it transforms a bosonic state into a fermionic state and vice-versa as

$$
Q | \text{Boson} \rangle = | \text{Fermion} \rangle, \quad Q | \text{Fermion} \rangle = | \text{Boson} \rangle. \tag{2.4}
$$

Q and *Q†* (the hermitian conjugate of *Q*) is the anticommuting spinors and a conserved quantity that is not to change a mass of particles. [SUSY](#page-114-1) is formed with the representation of the [SUSY](#page-114-1) algebra called supermultiplet. The [SUSY particles \(sparticles\)](#page-114-8) or the superpartners is the partners of the [SM](#page-113-3) particles.

The [MSSM](#page-114-2) [\[21](#page-116-1)] is one of the simplest models of [SUSY](#page-114-1) to satisfy the requirements of [SM.](#page-113-3) The points of [MSSM](#page-114-2) are following items:

- the boson and the fermion represent the different quantum states of one particle;
- [sparticles](#page-114-8) counterpart of each SM particle exists;
- the [sparticles](#page-114-8) of the [SM](#page-113-3) fermions have bosonic states with spin 0;
- the [sparticles](#page-114-8) of the [SM](#page-113-3) bosons have fermionic states with spin $1/2$;
- when the [SUSY](#page-114-1) is not broken, the mass of a particle and its [sparticle](#page-114-8) is same;
- the Higgs bosons are originating from two complex $SU(2)$ doublets.
- the R-parity $(R = (-1)^{2s+3(B-L)}$, where *s* is the spin, and B, L are the numbers of the quarks and the leptons.) conservation law exists.

There are two [vacuum expectation values \(VEVs\),](#page-114-9) v_u, v_d , corresponding to each of the two complex Higgs doublets. The ratio of [VEVs](#page-114-9) [\[21](#page-116-1)] is parametrized by the mixing angle β and the vacuum expectation value in the [SM](#page-113-3) (v_{SM}) is defined as

$$
v_u^2 + v_d^2 = v_{\rm SM}^2 = \frac{2m_Z^2}{g + g'}, \ \frac{v_u}{v_d} = \tan \beta \tag{2.5}
$$

where *g* and *g*['] are the gauge coupling constants. The R-parity conservation law means that the decayed particles from a [sparticle](#page-114-8) must contain a [sparticle.](#page-114-8) Thus, the [LSP](#page-114-4), which is a electrically neutral particle with a lightest mass and stable, must be appeared under the R-parity conservation law. All of the supermultiplets are shown in Table [2.1.](#page-11-0) There are [sparticles](#page-114-8) called gauginos corresponding to the gauge bosons of the [SM](#page-113-3). Two independent scalar boson [sparticle](#page-114-8) $(\tilde{q}_L, \tilde{q}_R, \tilde{\ell}_R, \tilde{\ell}_L)$ correspond to two types of the states of the fermions. The masses of bosons and fermions are different after the [SUSY](#page-114-1) breaking. There are eight independent Higgs components generated from the SU(2) Higgs doublets. Since the three components are absorbed to give the masses for W^{\pm} , Z, the five Higgs bosons and the five higgsino are appeared. The quantum numbers of $SU(3)_C$, $SU(2)_L$, $U(1)_Y$ for the particles and its [sparticles](#page-114-8) are same.

If the [SUSY](#page-114-1) is unbroken under the symmetry, the masses of [sparticles](#page-114-8) are the same as the masses of [SM](#page-113-3) particles, e.g. the masses of selectrons \tilde{e}_L and \tilde{e}_R are exactly equal to $m_e = 0.511$ MeV, and [sparticles](#page-114-8) are easy to be discovered at previous experiments. However, the [sparticles](#page-114-8) have not been discovered yet. This result indicates that [SUSY](#page-114-1) is broken in vacuum states chosen in by the nature[4](#page-10-1). The effective [MSSM](#page-114-2) Lagrangian including the [SUSY](#page-114-1) breaking based on the [SSB](#page-114-6) [\[21](#page-116-1)] can be defined as

$$
\mathcal{L}_{\text{eff}}^{\text{MSSM}} = \mathcal{L}_{\text{inv.}}^{\text{MSSM}} + \mathcal{L}_{\text{soft}}^{\text{MSSM}}.
$$
\n(2.6)

⁴This mean is that [SUSY](#page-114-1) breaking is based on the [SSB](#page-114-6).

Table 2.1: Supermultiplets in the [MSSM](#page-114-2) [\[21](#page-116-1)]. The upper part shows the gauge supermultiplets. The bottom part shows the chiral supermultiplets including the complex scalers with spin-0, the left-handed two-component Weyl fermions with spin-1/2, the right-handed singlelet Weyl fermion, and the Higgs doublets. T_{Higgs} doublets \sim 0 and m2 \sim 0 and m2 \sim 0 and m2 \sim

The first term $(\mathcal{L}_{\text{inv}}^{\text{MSSM}})$ $(\mathcal{L}_{\text{inv}}^{\text{MSSM}})$ $(\mathcal{L}_{\text{inv}}^{\text{MSSM}})$ contains the invariant part of the MSSM and the second term $(\mathcal{L}_{\text{soft}}^{\text{MSSM}})$ consists of [sparticle](#page-114-8) mass terms including the Higgs potential. The effect of [SSB](#page-114-6) appears in the second term and this
SUCM is a second term and this [SUSY](#page-114-1) breaking is called soft [SUSY](#page-114-1) breaking. m_{α} can play the role of for β to account for color. The multiplied by 3 to account for color. The shock fo

> To introduce [SUSY](#page-114-1) as extension of the [SM,](#page-113-3) the [stop](#page-114-3) (\tilde{t}) appears as the superpartner of the [SM.](#page-113-3) [Stop](#page-114-3) couples to the Higgs boson with the coupling constant $\lambda_{\tilde{t}}$, and the new Lagrangian term $\mathcal{L}_{\tilde{t}} \sim \lambda_{\tilde{t}} |H|^2 |\tilde{t}|^2$. As a result, the one-loop radiative correction to the Higgs mass squared has additional contribution described in Figure [2.4.](#page-11-1)

Figure 2.4: The illustration of Feynman diagrams for one-loop contribution of to the Higgs boson mass squared m_h^2 , due to a scaler top quark.

The correction for [stop](#page-114-3) [\[21](#page-116-1)] is written as

actually differ for the real and imaginary parts of H). Each of H). Each of the leptons and quarks of the Standard

$$
\Delta m_{h_{\tilde{t}}}^2 = \lambda_{\tilde{t}} [\Lambda_{\text{UV}}^2 - m_{\tilde{t}}^2 \ln \frac{\Lambda_{\text{UV}}}{m_{\tilde{t}}} + \cdots], \tag{2.7}
$$

where $m_{\tilde{t}}$ is the [stop](#page-114-3) mass. The radiative correction [[21\]](#page-116-1) is the sum of the radiative corrections for the top quark (fermion) and the [stop](#page-114-3) (boson) $\Delta m_h^2 \sim \Delta m_{h_t}^2 + \Delta m_{h_{\bar{t}}}^2$ and is written as

$$
\Delta m_h^2 \sim C \ln \frac{\Lambda_{\rm UV}}{m_{\tilde{t}}} + \cdots,
$$
\n(2.8)

where C is the constant value corresponding to the masses of the top quark and [stop](#page-114-3). The first term of equation

([2.2](#page-8-3)) is canceled by $\Delta m_{h_{\tilde{t}}}$. The remaining term is the log term of the ratio of $\Lambda_{UV}/m_{\tilde{t}}$ and the level of finetuning is scaled down to the log scale. There is another benefit to introduce the [SUSY.](#page-114-1) The [LSP](#page-114-4) can be the [DM](#page-113-6) candidate.

2.2.1 The Mass Spectrum of the MSSM

Neutralino and Chargino

The higgsinos and the electroweak gauginos mix with each other due to the Electro-Weak-Symmetry-Breaking. The neutralino is the four mass eigenstates formed by mixing the neutral higgsinos and the neutral gaugino $(N_i, i = 1, 2, 3, 4)$. The chargino is the two mass eigenstates formed by mixing the charged higgsinos and the charged gaugino $(\tilde{C}_i, i = 1, 2)$. In the gauge eigenstate for neutralino and chargino [\[21](#page-116-1)]: $\psi^0 = (\tilde{B}, \tilde{W}^0, \tilde{H}_d^0, \tilde{H}_u^0)$, $\psi^{\pm} = (\tilde{W}^+, \tilde{H}_u^+, \tilde{W}^-, \tilde{H}_d^-)$, these mass terms are sourced by MSSM Lagrangian and they can be written as

$$
\mathcal{L}_{\tilde{N} \text{ mass}} = -\frac{1}{2} (\psi^0)^T \mathbf{M}_{\tilde{N}} \psi^0 + c.c., \tag{2.9}
$$

$$
\mathcal{L}_{\tilde{C} \text{ mass}} = -\frac{1}{2} (\psi^{\pm})^T M_{\tilde{C}} \psi^{\pm} + c.c.
$$
\n(2.10)

(2.11)

where the $M_{\tilde{N},\tilde{C}}$ is the mass matrices. The mass matrix for neutralinos is given as

$$
\begin{pmatrix}\nM_1 & 0 & -\cos\beta\sin\theta_W m_Z & \sin\beta\sin\theta_W m_Z \\
0 & M_2 & \cos\beta\cos\theta_W m_Z & -\sin\beta\cos\theta_W m_Z \\
-\cos\beta\sin\theta_W m_Z & \cos\beta\cos\theta_W m_Z & 0 & -\mu \\
\sin\beta\sin\theta_W m_Z & -\sin\beta\sin\theta_W m_Z & -\mu & 0\n\end{pmatrix}
$$
\n(2.12)

where M_1 , M_2 , and μ are the masses of the bino, wino and higgsino and θ_W is the mixing angle generated from the weak neutral current interaction of the [SM](#page-113-3) $(e = g \sin \theta_W) = g' \cos \theta_W$. The neutralino mass eigenvalues given by the mass matrix [[21](#page-116-1)] can be written as

$$
m_{\tilde{N}_1} = M_1 - \frac{m_Z^2 \sin^2 \theta_W}{\mu^2 - M_1^2} (M_1 + \mu \sin 2\beta)
$$
\n(2.13)

$$
m_{\tilde{N}_2} = M_2 - \frac{m_W^2}{\mu^2 - M_1^2} (M_2 + \mu \sin 2\beta)
$$
\n(2.14)

$$
m_{\tilde{N}_3} = |\mu| + \frac{m_Z^2}{2(\mu + M_1)(\mu + M_2)} (I - \sin 2\beta)(\mu + M_1 \cos^2 \theta_W + M_2 \sin^2 \theta_W)
$$
(2.15)

$$
m_{\tilde{N}_4} = |\mu| + \frac{m_Z^2}{2(\mu - M_1)(\mu - M_2)} (I + \sin 2\beta)(\mu - M_1 \cos^2 \theta_W - M_2 \sin^2 \theta_W)
$$
(2.16)

where M_1 and M_2 are real and positive, and the μ is real with sign $I = \pm 1$. Each neutralino has different mixing between the electroweak gauginos and higgino: \tilde{N}_1 is a "bino-like"; \tilde{N}_2 is a "wino-like"; $\tilde{N}_{3,4}$ is a "higgsino-like". The mass matrix $(M_{\tilde{C}})$ for chargino [[21\]](#page-116-1) is given as

$$
\boldsymbol{M}_{\tilde{C}} = \left(\begin{array}{cc} \mathbf{0} & \mathbf{X}^T \\ \mathbf{X} & \mathbf{0} \end{array}\right), \ \ \mathbf{X}_{=} \left(\begin{array}{cc} M_2 & \sqrt{2}\sin\beta m_W \\ \sqrt{2}\cos\beta m_W & \mu \end{array}\right). \tag{2.17}
$$

The chargino mass eigenstates [\[21](#page-116-1)] can be written as

$$
m_{\tilde{C}_1} = M_2 - \frac{m_W^2}{\mu^2 - M_2^2} (M_2 + \mu \sin 2\beta)
$$
\n(2.18)

$$
m_{\tilde{C}_2} = |\mu| + \frac{m_W^2 I}{\mu^2 - M_2^2} (\mu + M_2 \sin 2\beta). \tag{2.19}
$$

Each chargino has different mixing between the wino and higgino: \tilde{C}_1 is a "wino-like", \tilde{C}_2 is a "higgsino-like".

In this thesis, the neutralinos and charginos are denoted as $\tilde{\chi}^0_i$, $(i = 1, 2, 3, 4)$ and $\tilde{\chi}^{\pm}_j$, $(j = 1, 2)$, where *i* and *j* are given in order of their mass (e.g. $m_{\tilde{\chi}_1^0} < m_{\tilde{\chi}_2^0} < m_{\tilde{\chi}_3^0} < m_{\tilde{\chi}_4^0}$).

Scalar Top Quarks

In the [MSSM,](#page-114-2) any scalar particles with the electric charge, the R-parity and the color can mix with each other because the soft terms of [MSSM](#page-114-2) Lagrangian is completely arbitrary. The mass eigenstates of the squarks and sleptons are obtained by the squared-mass matrices and the Yukawa coupling matrices which have the copuling parameters $(\mathbf{y} = (y_t, y_b, y_\tau)$ and A_t is the third component of the scalar coupling parameter a_u). The offdiagonal components of the mass matrices or Yukawa coupling matrices of the first- and second-generations for the squarks and sleptons are negligibly small. On the other hand, the third generation [sparticles,](#page-114-8) [stops,](#page-114-3) sbottoms, and the staus, are strongly affected from the off-diagonal components. Thus, the mass eigenstates of the third generation [sparticles](#page-114-8) are obtained by L-R mixing. To focus on the [stops,](#page-114-3) the mass eigenstates $(\tilde{t}_1, \tilde{t}_2)$ are given by diagonalizing 2×2 mass matrix:

$$
\left(\begin{array}{cc} m_{\tilde{t}_L}^2 & y_t v \sin \beta (A_t - \mu \cot \beta) \\ y_t v \sin \beta (A_t - \mu * \cot \beta) & m_{\tilde{t}_R}^2 \end{array}\right).
$$
 (2.20)

2.2.2 Naturalness for 125 GeV Higgs

After the cancellation of the quadratic term in the radiative correction of the Higgs boson mass, the following two point should be discussed. The first point is that the fine tuning should be as small as possible in for the naturalness. The second point is that the observed Higgs mass is near 125 GeV [[22,](#page-116-2) [23](#page-116-3)]. The observed Higgs mass squared [[22\]](#page-116-2) is defined as

$$
m_h^2 = M_Z^2 \cos^2 2\beta + \delta_t^2 \tag{2.21}
$$

where $M_Z^2 \cos^2 2\beta$ is the bare Higgs mass and δ_t^2 is the loop contribution of the top and [stop](#page-114-3) after the renormalization. Assuming $\cos^2 2\beta \sim 1$, the δ_t is required to be ~ 85 GeV by the limit from masses of observed Higgs and Z boson at the tree-level. Considering the one-loop level correction of [stop](#page-114-3), δ_t [\[22](#page-116-2)] can be written as

$$
\delta_t^2 \sim \frac{3}{(8\pi)^2} \frac{m_t^2}{v^2} [\ln \frac{m_{\tilde{t}}}{m_t^2} + \frac{X_t^2}{m_{\tilde{t}^2}} (1 - \frac{X_t^2}{12m_{\tilde{t}}^2})] \tag{2.22}
$$

where m_t is the top quark mass, $m_{\tilde{t}}$ is the [stop](#page-114-3) mass which is not same as the mass eigenstate of stop. Since the dominantly one-loop contribution depends on the geometric mean of [stop](#page-114-3) masses $m_{\tilde{t}}^2 = m_{Q_3} m_{u_3}$ where m_{Q_3} and m_{u_3} are the left and right-handed top squark mass parameters, this correction also largely depends on the light [stop](#page-114-3) mass $(m_{\tilde{t}_1})$ and its mixing parameter $X_t = A_t - \mu \cot \beta$. When the mixing parameter is required to be maximum, $X_t^{\max} = \sqrt{6}m_t$. Figure [2.5](#page-14-0) shows the Higgs mass calculated at the two loop in the MSSM as a function of the light [stop](#page-114-3) mass for two values of the top squarks mixing parameter. In this calculation, large tan β is assumed (tan $\beta = 20$). The red/blue bands are computed by using different calculators: Suspect, FeynHiggs. In the case of no mixing $(X_t = 0)$, the Higgs mass is not allowed at 125 GeV. On the other hand, in the case of maximal mixing, the mixed [stop](#page-114-3) mass $(m_{\tilde{t}_1})$ is not required to be heavy for 125 GeV Higgs.

The Higgs potential at the tree-level [[22\]](#page-116-2) is defined as:

$$
V = m_H^2 |h|^2 + \frac{\lambda_h}{4} |h|^4. \tag{2.23}
$$

Figure 1: The Higgs mass in the MSSM as a function of the lightest top squark mass, *m^t* ˜¹ , with Figure 2.5: The relation between the lightest [stop](#page-114-3) mass and the Higgs mass [\[22](#page-116-2)].

The mass of tree-level Higgs (m_h) is related with the quadric term of the potential, $m_h^2 = 2\lambda_h v^2 = -4m_H^2$. The amount of the fine tuning [22] is determined by the Higgs mass at the tree-level and the amount of the correction in this quadric potential, $\delta m_{H_u}^2$,

$$
\delta m_{H_u}^2 = -\frac{3y_t^2}{8\pi^2} (m_{Q_3}^2 + m_{u_3}^2 + |A_t|^2) \ln(\frac{\Lambda}{m_{\tilde{t}}}),\tag{2.24}
$$

where Λ is the scale of SUSY breaking. The parameter for the fine tuning (Δ_{m_h}) [22] can be written as the m_h^2 and the fundamental parameters (p_i) defined by $\Lambda: \mu$, $B\mu$, $m_{Q_3}^2$, $m_{u_3}^2$, $m_{H_u}^2$, and $m_{H_d}^2$, and then it becomes:

$$
\Delta_{m_h} = \max \left| \frac{\partial \ln m_h^2}{\partial \ln p_i} \right|.
$$
\n(2.25)

The inverse of Δ_{m_h} indicates the accuracy (%) of the fine tuning, and for example, if the Δ_{m_h} is large, it indicates that precise fine tuning is required. Figures [2.6](#page-15-1) show the contours of m_h in the MSSM as a function of a common [stop](#page-114-3) mass $m_{Q_3} = m_{u_3} = m_{\tilde{t}}$ and the mixing parameter X_t , for $\tan \beta = 20$. The red/blue bands show the allowed region with 124-126 GeV Higgs. The left plot shows the relation between the ratio $(X_t/m_{\tilde{t}})$ the relation between the ratio and the [stop](#page-114-3) mass, and the dash green lines show the mixed stop mass $(m_{\tilde{t}_1})$. These plots indicate that even for the 125 GeV Higgs boson mass, it is possible to reduce the amount of the fine tuning to a few %. The [stop](#page-114-3) mass and the Higgs mass are controlled by the μ parameter. Therefore, the higgsino should be small and be favored as [LSP](#page-114-4) due to the requirement of light [stop](#page-114-3) mass. and [stop](#page-114-3) mass $(m_{\tilde{t}})$, and the dash purple lines show the amount of the fine tuning. The right plot also shows

To be more natural (very small fine tuning), there is the Next-to-Minimum Supersymmetric Standard Model (NMSSM). NMSSM introduces the new singlet superfield that couples to the Higgs in the superpotential, $\lambda S H_u H_d$. The SM higgs mass of the lightest CP-even scaler at the tree-level [\[22](#page-116-2)] can be redefined by the λ term corresponding to the new singlet (S) and it is written as:

$$
|m_h|_{\text{tree}}^2 \le m_Z^2 \cos^2 2\beta + \lambda \nu^2 \sin^2 2\beta + \delta_t^2,\tag{2.26}
$$

where δ_t is included the loop corrections. The first term is the upper bound of MSSM and the second term is the contribution of the new singlet. The bound is saturated when the singlet is integrated out with a large

rigure 2.0: The relation between mixing parameter (Λ_t) , stop mass (m_t) , the amount of the fluming (Δ_{m_h}) , and the mixed [stop](#page-114-3) mass $(m_{\tilde{t}_1})$ assuming MSSM, $m_{Q_3} = m_{u_3} = m_{\tilde{t}}$ and $\tan \beta = 20$ $\text{tr}\left\{ \frac{22}{1} \right\}$ Figure 2.6: The relation between mixing parameter (X_t) , [stop](#page-114-3) mass (m_t) , the amount of the fine tuning $\text{det } V$ [22]. GeV [\[22\]](#page-116-2).

SUSY breaking mass, $m_S^2 > M_S^2$, which, in practice, can be realized with m_S several hundreds of GeV. The λ $\tan \beta$. This means that the largest Higgs mass is achieved with low $\tan \beta$ and λ as large as possible (~ 0.7). The smaller than 122 GeV. Figure [2.7](#page-16-0) shows the relation between the ratio $(X_t/m_{\tilde{t}})$ and the [stop](#page-114-3) mass and the dash purple lines show the amount of the fine tuning. To compare between Figure [2.6](#page-15-1)(left) and this plot, the accuracy of fine tuning in the NMSSM can be smaller than MSSM. is constrained up to 0.7 for the perturbation to the unified scale, and the term including λ grows at the small loop contribution is important and it should be needed because the $(m_h)_{\text{tree}}^2$ without this correction is always

*n*_{ttes} with the Well-Tempered Neutralin *,* (5) 2.2.3 DM Candidates with the Well-Tempered Neutralino

There are three candidates of the [LSP](#page-114-4)[/DM](#page-113-6) in SUSY [\[24](#page-116-4)]; pure bino (\tilde{B}) , pure higgsino (\tilde{H}) , and pure wino (\tilde{W}) . First, to consider the pure bino LSP, the bino annihilation occurs in the early universe through the squarks and sleptons exchange. The contribution of the bino annihilation for Ω_{DM} [[24\]](#page-116-4) can be approximated as:

$$
\Omega_{\tilde{B}}h^2 = 1.3 \times 10^{-2} \left(\frac{m_{\tilde{e}_R}}{100 \text{GeV}}\right)^2 \times \frac{(1+r)^4}{r(1+r^2)} (1+0.07 \log \frac{\sqrt{r}100 \text{GeV}}{m_{\tilde{e}_R}}),\tag{2.27}
$$

where r is the squared ratio of the bino mass and three degenerated right-handed slepton mass $(m_{\tilde{e}_R})$. Pure bino LSP scenario assuming $r \leq 0.9$, which does not degenerate the bino and slepton, gives the relic density too high.

Second, to consider the pure Higgsino [LSP,](#page-114-4) it is promising candidate traditionally because the annihi-Second, to consider the pure Higgsino LSP, it is promising candidate traditionally because the annihilation cross-section is more effective. The annihilation channel into the gauge boson, and in addition, the gsino [LSP](#page-114-4). A large higgisno mass is need to cancel the positive contribution to M_Z^2 . The relic density for the co-annihilation should be important because the chargino and neutralino should be degenerated for the hig-

 $(\Delta_{m_h}),$ and the mixed stop mass $(m_{\tilde{t}_1})$ assuming NMSSM, $m_{Q_3}=m_{u_3}=m_{\tilde{t}}$ and $\tan\beta=2$ = 0*.*7 for tan = 2 and 5, moving from left to right, with *m^Q*³ = *m^u*³ = *m^t* Figure 2.7: The relation between mixing parameter (X_t) , [stop](#page-114-3) mass $(m_{\tilde{t}})$, the amount of the fine tuning GeV [\[22\]](#page-116-2).

pure higgsino [LSP](#page-114-4) [\[24\]](#page-116-4) can be approximated as:

$$
\Omega_{\tilde{H}} h^2 = 0.11 \left(\frac{\mu}{1 \text{TeV}}\right)^2. \tag{2.28}
$$

Thus, the relic density is too low, and to fix this, the Higgsino must have a large mass with TeV-scale.

Third, the pure wino LSP can be con[s](#page-114-4)idered, and the dominant annihilation is into the gauge boson same as the pure higgsino [LSP](#page-114-4). The approximation of relic density of the pure wino [\[24](#page-116-4)] is:

$$
\Omega_{\tilde{W}}h^2 = 0.13(\frac{M_2}{2.5 \text{TeV}})^2.
$$
\n(2.29)

Likewise the higgsino [LSP](#page-114-4) case, wino mass larger than 2.5 TeV is need. The models of pure higgsino and wino [LSP](#page-114-4) requiring the large mass over the TeV scale have other problem such as the natural SUSY described in
 S_{eff} and S_{eff} and S_{eff} and S_{eff} and S_{eff} are not in the natural SUSY described in Section [2.2.2](#page-13-0).

The component of neutralino may not be the pure bino, higgsino, wino, and more likely a mixture of them in the nature, if anything, there is some possibil[it](#page-116-5)y of favoring to be mixed neutralino in the nature $[24, 25]$. The annihilation channels increase more and the Ω_{DM} can be reproduced by mixing components. However, when the mixed neutralino is considered, the m_Z values included in the soft term of SUSY is also need to be taken care
 $\frac{1}{2}$ and $\frac{1}{2}$ is also need to be taken care [Supersymmetric Particle \(NLSP\).](#page-114-10) This model reduces the relic density of dark matter by using the small fine tuning for t[he](#page-116-4)se mass parameters. The effective mass matrix for bino/wino mixing [24] is defined as: for the natural SUSY. One of the simple mixing neutralino is built by the bino [LSP](#page-114-4) and wino [Next-to-Lightest](#page-114-10)

$$
M = \begin{pmatrix} M_1 & 0 \\ 0 & M_2 \end{pmatrix} - \sin 2\beta \frac{M_Z^2}{\mu} \begin{pmatrix} \sin^2 \theta_W & -\sin \theta_W \cos \theta \\ -\sin \theta_W \cos \theta & \cos^2 \theta_W \end{pmatrix} + O(\frac{1}{\mu^2})
$$
(2.30)

where θ_W is the mixing angle of SM and this equation is assumed $M_1 \sim M_2$. The bino/wino mixing angle θ , $1/\mu^2$ term and the ratio of bino/wino masses [\[24](#page-116-4)] are also defined as:

$$
\theta \equiv \frac{\sin 2\theta_W \sin 2\beta M_Z^2}{2\mu \Delta M_1}, \ \delta \equiv \frac{\sin 2\theta_W M_Z^2}{2\mu^2 \Delta}, \ \Delta \equiv \frac{M_2 - M_1}{M_1}.
$$
\n(2.31)

In the case of $M_1 \sim M_2$ such as $M_1 - M_2 \sim 0$, θ and δ becomes larger than unity, and θ can be θ_W . The masses of the lightest and 2nd lightest neutralinos and the lightest chargino [[24\]](#page-116-4) can be approximated as:

$$
m_{\tilde{\chi}_1^0} = M_1, \tag{2.32}
$$

$$
m_{\tilde{\chi}_2^0} = M_1 \left(1 - \frac{\sin^2 2\beta M_Z^2}{\mu M_1} - \frac{M_Z^2}{\mu^2} \right),\tag{2.33}
$$

$$
m_{\tilde{\chi}_1^{\pm}} = M_1 \left(1 - \frac{\sin^2 2\beta M_W^2}{\mu M_1} - \frac{M_W^2}{\mu^2} \right). \tag{2.34}
$$

Therefore, if the degeneration between M_1 and M_2 is assumed around 10%, The neutralino that is the candidate of dark matter can have the mass around few hundreds GeV.

2.2.4 Current Exclusion Limit of Direct Stop Pair Production

The [stop](#page-114-3) pair productions with the *[pp](#page-113-7)* collisions are continuously and widely searched by the ATLAS and CMS experiments. Unfortunately, there are no evidences of that, and it is interpreted into constrains on the models. In this section, some direct [stop](#page-114-3) pair production searches at the ATLAS and CMS are reviewed.

 $\tilde{t}_1 \to b\tilde{\chi}_1^{\pm}$ decay channel is motivated by the higgsino [LSP](#page-114-4) scenario for the naturalness and the bino LSP and the wino [NLSP](#page-114-10) scenario for the [DM.](#page-113-6) Figure [2.8](#page-18-0) show the exclusion limit of $\tilde{t}_1 \to b\tilde{\chi}_1^{\pm}$ process for the higgsino [LSP](#page-114-4) scenario. Since the [stop](#page-114-3) modeled by higgsino LSP scenario can decay either into $t\tilde{\chi}_1^0$, $b\tilde{\chi}_1^{\pm}$, and $t\tilde{\chi}_2^0$, the CMS experiment assumes the mixing of decay channels with the half of [branching ratio \(BR\)](#page-113-9). The ATLAS experiment also assumes the mixing described in Figure [2.9](#page-18-1) at the Run-2 [\[26](#page-116-6)]. These processes are excluded up to about 1000 GeV of [stop](#page-114-3) mass, however the boundary region nearby $m_{\tilde{t}_1} < m_b + m_{\tilde{t}_1^{\pm}}$ have not been searched yet.

Figure [2.10](#page-19-1) show the exclusion limit of $\tilde{t}_1(\tilde{b}_1) \to b\tilde{\chi}_1^{\pm}$ process for the bino [LSP](#page-114-4) and wino [NLSP](#page-114-10) scenario. These processes are excluded up to about 900 GeV of [stop](#page-114-3) (sbottom) mass for the scenario with $m_{\tilde{\chi}^{\pm}_1} = 2m_{\tilde{\chi}^0_1}$ condition, however the scenario with $\Delta m(\tilde{t}_1, \tilde{\chi}_1^{\pm}) = 10$ GeV excluded only about 450 GeV.

Figure 2.8: The exclusion limits of the direct [stop](#page-114-3) pair production decayed to $t\tilde{\chi}_1^0$ or $b\tilde{\chi}_1^{\pm}$ with $\Delta m(\tilde{\chi}_1^{\pm}, \tilde{\chi}_1^0) = 5$ GeV at *[pp](#page-113-7)* collisions in (a) the ATLAS experiment [[27\]](#page-116-7) and (b) CMS experiment [\[28](#page-116-8)].

Figure 2.9: The exclusion limits of the direct [stop](#page-114-3) pair production decayed to $t\tilde{\chi}_1^0$, $b\tilde{\chi}_1^{\pm}$, and $t\tilde{\chi}_2^0$ with $\Delta m(\tilde{\chi}_1^{\pm}, \tilde{\chi}_1^0) = 5$, $\Delta m(\tilde{\chi}_1^0, \tilde{\chi}_0^2) = 10$ GeV at *[pp](#page-113-7)* collisions in the ATLAS experiment [[26\]](#page-116-6).

Figure 2.10: The exclusion limits of the direct [stop](#page-114-3) (sbottom) pair production decayed to $b\tilde{\chi}^{\pm}_1$ with (a) $m_{\tilde{\chi}^{\pm}_1} = 2m_{\tilde{\chi}^0_1}$ GeV [[26\]](#page-116-6), with (b) $\Delta m(\tilde{t}_1, \tilde{\chi}^{\pm}_1) = 10$ GeV [[27\]](#page-116-7) at *[pp](#page-113-7)* collisions in the ATLAS experiment.

2.3 Target Scenarios for the Stop

We focus on searches in two compressed scenarios with final state of one isolated lepton, jets, and E_T^{miss} : (a) Higgsino [LSP](#page-114-4), (b) Wino [NLSP.](#page-114-10) These scenarios assume some requirements such as:

- *•* R-parity conservation;
- *•* The neutralino is [LSP](#page-114-4);
- Decay channel: $\tilde{t}_1 \rightarrow b + \tilde{\chi}_1^{\pm}$ with $BR(\tilde{t}_1 \rightarrow b + \tilde{\chi}_1^{\pm}) = 100\%$.

Figure [2.11](#page-19-2) shows the Feynman diagram of the target scenarios. The neutralinos, which appear as the [LSPs](#page-114-4) from decays of the charginos, can not be detected similarly to the neutrino in the [ATLAS](#page-113-4) detector, and become missing transverse energy $(E_{\text{T}}^{\text{miss}})$. One *W* boson decays to a lepton and a neutrino, and the other *W* boson decays into the hardonic jets. The neutrino also becomes the $E_{\rm T}^{\rm miss}$.

Figure 2.11: Feynman diagram of $\tilde{t}_1 \to b + \tilde{\chi}_1^{\pm}$ decay channel. The chargino decays into a *W* boson and a rey matrix diagram of $q_1 \rightarrow q_1 \chi_1$ decay enalmer. The enargino decays may a γ boson and a neutralino that is [LSP](#page-114-4) for R-parity conservation. Large E_T^{miss} is expected because of neutralinos and one neutrino originated from *W* boson.

(a) Higgsino LSP

Assuming the naturalness described in the Section [2.2.2](#page-13-0), the higgsino mass must be small and the $\tilde{\chi}_1^{\pm}$ and $\tilde{\chi}_1^{0}$ mixing to form the mass eigenstates are favored to compress. This scenario is considered for a simplified model that the [LSP](#page-114-4) is higgsino $(N_{3,4} \sim \tilde{\chi}_{1,2}^0)$ and the bino and the wino are decoupled. Figure [2.12](#page-20-0) shows the [sparticle](#page-114-8) mass spectrum for the higgsino [LSP](#page-114-4) scenario. Assuming these assumptions, the chargino of [NLSP](#page-114-10) is also to be the higgsino-like same as the second component $(C_2 \sim \tilde{\chi}_1^{\pm})$.

Figure 2.12: The mass spectrum of [sparticles](#page-114-8) for the higgsino [LSP](#page-114-4) scenario. The analysis of this thesis assumes that the higgsino decouple the bino and wino. In addition, the mass difference between chargino and the neutralino is compressed.

Figure [2.13](#page-20-1) shows the searched two-dimensional mass plane $(m_{\tilde{t}_1}, m_{\tilde{\chi}_1^0})$. The [stop](#page-114-3) can decay into either $b\tilde{\chi}_1^{\pm}$, $t\tilde{\chi}^0_1$, and $t\tilde{\chi}^0_2$, and these [BRs](#page-113-9) depend on the \tilde{t}_R and \tilde{t}_L composition of the [stop.](#page-114-3) The [stop](#page-114-3) decaying into $t\tilde{\chi}^0_1$ and $t\tilde{\chi}_2^0$ are mostly originated from \tilde{t}_L , and the [stop](#page-114-3) decaying into $b\tilde{\chi}_1^{\pm}$ from \tilde{t}_R . Therefore, in the boundary region [stop](#page-114-3) is not able to decay into top quarks depending on $b\tilde{\chi}^{\pm}_1$, and we assume $BR(\tilde{t}_1 \to b\tilde{\chi}^{\pm}_1) = 100\%$ $BR(\tilde{t}_1 \to b\tilde{\chi}^{\pm}_1) = 100\%$. It is possible to use simplified [MC](#page-114-5) simulation for the [stop](#page-114-3) pair production in the boundary region, however the [stop](#page-114-3) is also degenerated for the chargino and the neutralino. Thus, the search becomes more difficult due to large backgrounds using final state particles with soft energy and momentum. On the other hand, other region where the [stop](#page-114-3) can decay all channels should have mixing [BRs](#page-113-9) of those channels. In this analysis, I focus and search on the boundary region with special kinematic selection assuming 5 GeV mass difference.

boundary region depend on $b\tilde{\chi}_1^{\pm}$ channel and the mixing region depend on all channels. The search is almost impossible in the forbidden region because the final state particles have very soft Figure 2.13: The illustration of the searched mass region in the two-dimensional mass plane $(m_{\tilde{t}_1}, m_{\tilde{\chi}_1^0})$. The energy and momentum, therefore, are not detectable in the [ATLAS](#page-113-4) detector.

(b) Wino NLSP

From the point of view of the [DM](#page-113-6) search, we consider the wino [NLSP](#page-114-10) scenario, where the [LSP](#page-114-4) and [NLSP](#page-114-10) are the bino and wino $(N_{1,2} \sim \tilde{\chi}_{1,2}^0)$. The [stop](#page-114-3) in the wino [NLSP](#page-114-10) scenario can decay into either $b\tilde{\chi}_1^{\pm}$, $t\tilde{\chi}_1^0$, and $t\tilde{\chi}_2^0$. We focus on the $b\tilde{\chi}_1^{\pm}$ simplified model with $BR(\tilde{t}_1 \to b\tilde{\chi}_1^{\pm}) = 100\%$ $BR(\tilde{t}_1 \to b\tilde{\chi}_1^{\pm}) = 100\%$ assuming the mass difference between the [stop](#page-114-3) and the chargino to be 10 GeV. Figure [2.14](#page-21-0) shows the [sparticle](#page-114-8) mass spectrum for the wino [NLSP](#page-114-10) scenario. Assuming these assumptions, the chargino is to be wino-like same as the first component $(C_1 \sim \tilde{\chi}_1^{\pm})$.

Figure 2.14: The mass spectrum of [sparticles](#page-114-8) for the wino [NLSP](#page-114-10) scenario. The analysis of this thesis assumes that the higgsino decouple the bino [LSP](#page-114-4) and the wino [NLSP](#page-114-10). In addition, the mass difference between the [stop](#page-114-3) and the chargino is assumed to be 10 GeV.

Figure [2.15](#page-21-1) shows the searched mass region in the two-dimentional mass plane $(m_{\tilde{t}_1}, m_{\tilde{\chi}_1^0})$ for the wino [NLSP](#page-114-10) scenario. [Stop](#page-114-3) in model can be searched at widely mass plane to the boundary $(m_{\tilde{\chi}^{\pm}_1} \, \text{i} \, m_{\tilde{\chi}^0_1})$. Stop in this model could not be searched widely in the Run-1, and the obtained upper limit of [stop](#page-114-3) mass was around 500 GeV.

Figure 2.15: The illustration of two-dimentional searched mass region in the $(m_{\tilde{t}_1}, m_{\tilde{\chi}_1^0})$ plane. The $\tilde{t}_1 \to b\tilde{\chi}_1^{\pm}$ assuming $BR(\tilde{t}_1 \to b\tilde{\chi}_1^{\pm}) = 100\%$ and the mass difference $\Delta m(\tilde{t}_1, \tilde{\chi}_1^{\pm}) = 10 \text{ GeV}$ can be searched widely for the wino [NLSP](#page-114-10) scenario.

Chapter 3

Large Hadron Collider and ATLAS Detector

Signals expected by target scenarios of the [stop](#page-114-3) pair production are searched for using data from [LHC](#page-114-0) and [ATLAS](#page-113-4) detector located at [European Organization for Nuclear Research \(CERN\)](#page-113-10) in this analysis. The details of [LHC](#page-114-0) and [ATLAS](#page-113-4) detector are described in this chapter.

3.1 Large Hadron Collider

[LHC](#page-114-0) shown in Figure [3.1](#page-22-2) [[29\]](#page-116-9) is a circular accelerator with the *[pp](#page-113-7)* collisions at [CERN](#page-113-10). There are four experiments (ATLAS, CMS, ALICE, LHCb) corresponding to the interaction points. The center-of-mass energy \sqrt{s} of pp collisions is maximum 14 TeV.

Figure 3.1: Schematic view of the [CERN](#page-113-10) accelerator complex. There are 4 main experiments at the interaction points of [LHC.](#page-114-0) Protons are generated by providing electromagnetic field for hydrogen gas. They are accelerated by some accelerators step-by-step such as protons \rightarrow Linac2 (50 MeV) \rightarrow Booster (1.4 GeV) \rightarrow PS (25 GeV) \rightarrow SPS (450 GeV) \rightarrow LHC (7 TeV) [[29](#page-116-9)].

CHAPTER 3. LARGE HADRON COLLIDER AND ATLAS DETECTOR 19

Protons are accelerated with multistage accelerators. First, protons are generated from hydrogen gas and then accelerated to 50 MeV by a linear accelerator, Linac2. Thereafter, protons are accelerated to 1.4 GeV \rightarrow $25 \text{ GeV} \rightarrow 450 \text{ GeV}$ by several circular accelerators called by PSB, PS, and SPS respectively. Finally, protons are accelerated up to 7 TeV energy by [LHC.](#page-114-0) Two proton beams are collided periodically in 25 ns time interval which is bunch spacing. A event rate is defined as:

$$
\frac{dN}{dt} = \mathcal{L}_{\text{ins.}} \times \sigma.
$$
\n(3.1)

The cross-section, σ , is the invariant physical quantity for interaction between two beams. The instantaneous luminosity $\mathcal{L}_{ins.}$, which indicates the quantity of the accelerator ability can be parametrized as:

$$
\mathcal{L}_{\text{ins.}} = \frac{n_{\text{b}} f_{\text{r}} n_{1} n_{2}}{2 \pi \Sigma_{\text{x}} \Sigma_{\text{y}}},\tag{3.2}
$$

where n_1 and n_2 are beam populations, f_r is revolution frequency, n_b is the number of bunches, and Σ_x and Σ_y are beam width in *x* and *y* directions.

3.1.1 Data Taking in Run-2

The [ATLAS](#page-113-4) experiment was started from 2009 and the run period, where the [LHC](#page-114-0) ran with $\sqrt{s} = 7$ (2011) and 8 (2012) TeV from 2011 to the end of 2012, was called Run-1. The maximum instantaneous luminosity was about 0.35×10^{34} cm⁻²s⁻¹ and the integrated luminosities were about 6 fb⁻¹ in 2011 and about 24 fb⁻¹ in 2012. During the shutdown period, from 2013 to the end of 2014, the accelerator components such as beam pipe, magnets, etc. are upgraded for increasing energy and luminosity. The run period from 2015 to 2018, which is called Run-2, the [LHC](#page-114-0) operates with $\sqrt{s} = 13$ TeV and maximum $\mathcal{L}_{ins.} = 1.4 \times 10^{34}$ cm⁻²s⁻¹. I used the *[pp](#page-113-7)* collisions' data which were taken from 2015 to the end of the 2016 in Run-2. Figures [3.2](#page-23-1) show the integrated luminosities in 2015 (a) and 2016 (b). The total delivered luminosity by [LHC](#page-114-0) was 42.7 fb^{-1} and the total recorded luminosity in the [ATLAS](#page-113-4) detector was 39.5 fb⁻¹. The loss of integrated luminosity is due to the detector or operation efficiency, but the high efficiency more than 90% was kept from 2015 to the end of 2016.

Figure 3.2: The integrated luminosity in (a) 2015 and (b) 2016. The green histograms show the recorded (generated) luminosities in [LHC](#page-114-0) and the yellow histograms show the recorded luminosities by using the [ATLAS](#page-113-4) detector [\[30](#page-116-10)].

3.2 Overview of the ATLAS Detector

Figure [3.3\(a\)](#page-24-3) shows the schematic view of the [ATLAS](#page-113-4) detector [\[31](#page-116-11)]. The detector is a cylindrical general purpose detector with the size of about 25 m diameter and about 44 m length. Inner detectors, a solenoid magnet, calorimeters, toroid magnets, and muon detectors are installed in this order from the innermost layer. This section introduces the coordinate system of [ATLAS](#page-113-4) detector and the outline of each sub-detectors.

Figure 3.3: (a) Schematic view of the [ATLAS](#page-113-4) detector [[31\]](#page-116-11) and (b) the coordinate system of [ATLAS](#page-113-4) [[32\]](#page-116-12). This detector is a cylindrical generic detector with the size of \sim 25 m diameter and \sim 44 m length and it is constructed by subdetectors and magnets: the tracking inner detectors, the calorimeters, and the muon spectrometers. The center of [LHC](#page-114-0) axis, the vertical of [LHC](#page-114-0) axis, and the beam axis are defined as *x*-axis, *y*-axis, and *z*-axis, respectively.

3.2.1 The Coordinate System

The coordinate system of [ATLAS](#page-113-4) detector is shown in Figure [3.3\(b\)](#page-24-3) [[33\]](#page-116-13). The interaction point is defined as the origin. The Cartesian coordinate (x, y, z) is set as (horizontal direction, vertical direction, proton beam pipe direction). In addition, the length $r = \sqrt{x^2 + y^2}$ in the transverse plane (*x-y* plane), the polar angle θ measured from the *z*-axis, and the azimuthal angle ϕ in the transverse plane are defined. Table [3.1](#page-25-0) shows the summary of the commonly used variables. Especially, pseudorapidity (η) and transverse momentum (p_T) are often used.

3.2.2 Inner Detector

In the [ATLAS](#page-113-4) experiment, huge number of tracks are generated from the interaction point at the timing of 25 ns bunch crossing. The [inner detector \(ID\)](#page-113-11) [\[34](#page-116-14), [35](#page-117-0)] located at the innermost part of the [ATLAS](#page-113-4) detector is equipped to detect charged particles and precisely reconstruct the trajectory and momentum. The [ID](#page-113-11) consists of the pixel detector including the [Insertable B-Layer \(IBL\)](#page-113-12), the [SemiConductor Tracker \(SCT\)](#page-114-11), and the [Transition](#page-114-12) [Radiation Tracker \(TRT\)](#page-114-12) in order from interaction point. Solenoid magnet with 2 T is installed in the outside of [ID](#page-113-11) and the inner detector measures tracks of charged particles curved by magnetic field. The acceptance region is $|\eta|$ \lt 2.5 which covers the barrel region ($|\eta|$ \lt 2.0) and the endcap region ($|\eta|$ \gt 2.0). In the barrel region, the [IDs](#page-113-11) with concentric cylinder shape are installed around beam axis and in the endcap region, the disk shaped [IDs](#page-113-11) are installed perpendicular to the beam axis. The designed p_T resolution is $\sigma_{p_T}/p_T = 0.05 \times p_T$ (GeV) \oplus 1%.

Variables	Descriptions	Definitions
\boldsymbol{p}	momentum	$\boldsymbol{p}=(p_x,p_y,p_z)$
$p_{\rm T}$	Transverse momentum	$p_{\rm T} = \sqrt{p_x^2 + p_y^2}$
ϕ	Azimuthal angle in the transverse plane	
θ	Polar angle from the z -axis	$\phi = \tan^{-1} \frac{p_y}{p_x}$ $\theta = \tan^{-1} \frac{p_T}{p_z}$
η	Pseudorapidity	$\eta = -\ln(\tan \frac{\theta}{2})$
$\Delta\phi$	The minimum difference between 2 ϕ	$\Delta\phi_{i,j} = \min(\phi_i - \phi_j , \pi - \phi_i - \phi_j)$
$\Delta \eta$	The minimum difference between 2 η	$\Delta \eta_{i,j} = \min(\eta_i - \eta_j)$
ΔR	The distance in $\eta - \phi$ space	$\Delta R_{ij} = \sqrt{\Delta \phi_{ij}^2 + \Delta \eta_{ij}^2}$

Table 3.1: The commonly used variables in the ATLAS experiment. These variables are used for particle information.

Pixel Detector

Pixel detector described in Figure [3.4](#page-25-1) consists of semiconducting silicon sensors and is installed closest to the beam pipe. In order to improve tracking robustness, luminosity effects, tracking precision and because of beam pipe replacement, and large radiation dose, [IBL](#page-113-12) $[36, 37]$ $[36, 37]$ $[36, 37]$ was installed in the innermost layer side from 2013 to 2014. There are 4 layers in the barrel and 5 layers of disk type in the endcap. The minimum pixel size is $50 \times 400 \ \mu m^2$, and in case of [IBL,](#page-113-12) it is $50 \times 250 \ \mu m^2$. The hit pixel information is sent to readout electronics at the time when the charged particles pass through silicon sensors. The total number of channels in whole pixel detector is about 80×10^6 , and the tracks are reconstructed by pattern matching method. The coverage region is $|\eta|$ \lt 2.5. Figure [3.5](#page-26-1) shows the relation between impact parameter (described in Section [5.1](#page-40-1)) resolution and transverse momentum. The impact parameter resolution is up about ∼100 *µ*m for high momentum region.

tributed over the three detector layers with different failure

Figure 3.4: Schematic view of ATLAS 4-layer pixel detector for Run-2 [\[34](#page-116-14)].

Semiconductor Tracker

768 readout strips with 80 μ m pitch. Each module consists of four single sided silicon sensors. Two sensors which corresponds to 88 out of 1744 modules, randomly distributed to 88 three module are glued together in back-to-back with 40 mrad angle difference. The coverage is \mathbf{B} sympath the maintenance of the maintenance of the \mathbf{B} nd the resolutions of $R-\phi$ direction and Z direction are 16 μ m and 580 μ m. Therefore, SCT \cdots at \cdots constalled in \cdots \cdots with 4 tayers. This detector contains of in n detector is 6.36×6.40 cm² size and it has τ the tests on the surface and after the full re-connection in the full re-connection in the full re-connection in the full rewith 40 mrad angle difference. The coverage is rection are 16 $\mu \mathrm{m}$ and 580 $\mu \mathrm{m}$. Therefore, SCT with 6.2 million readout channels. Each silicon detector is 6.36×6.40 cm² size and it he solder connections. Thus both failure modes are not related to the [SCT](#page-114-11) is microstrip detector with p-on-n silicon and is constructed with 4 layers. This detector contains 61 $m²$ of silicon detectors, with 6.2 million readout channels. Each silicon detector is 6.36×6.40 cm² size and it has on each side of the module are glued together in back-to-back with 40 mrad angle difference. The coverage is $|\eta|$ < 2.5 region and the resolutions of $R-\phi$ direction and Z direction are 16 μ m and 580 μ m. Therefore, [SCT](#page-114-11)

Figure 3.5: Z impact parameter resolution as a function of transverse momentum [\[34](#page-116-14)].

can reconstruct tracks 200 micron apart.

Transition Radiation Tracker

The purpose of [TRT](#page-114-12) detector is to reconstruct tracks and identify the electron. The detector is constructed by straw tubes for fast electrons identification even in high event rates environment. In the barrel region, about 50000 straws are installed along *z*-axis and they are separated at the center. About 320000 straws are installed along radial direction in the endcap region. Thus, the total number of readout channels is about 400000, and typically 36 hits for one track are output in *|*η*| <* 2*.*0 region. To obtain good fast response, each straw has 4 mm diameter and it is constructed by a gold-plated W-Re wire $(30 \mu m$ diameter) and mixed gas (Xe: 70%, CO₂: 20%, CF4: 10%). Electrons are identified with transition photons generated from Xe gas. To combine multiple straw hits for one track, the position precision is required to be better than 50 *µ*m in the [LHC](#page-114-0) environment.

3.2.3 Calorimeter

The [ATLAS](#page-113-4) calorimeter, described in Figure [3.6](#page-26-2) [\[31](#page-116-11)], consists of the electromagnetic calorimeter and hadronic calorimeter. These calorimeters are located at outside of the solenoid magnet. In total, $|\eta| < 4.9$ is covered.

Figure 3.6: Schematic view of the [ATLAS](#page-113-4) calorimeters [[31\]](#page-116-11).

Figure 3.7: Structures of (a) the LAr electromagnetic calorimeter and (b) the hadronic calorimeter [[31\]](#page-116-11).

Electromagnetic Calorimeter

Electromagnetic calorimeter shown in Figure [3.7\(a\)](#page-27-0) is the lead/[liquid argon \(LAr\)](#page-114-13) detector with accordionshaped kapton electrodes and lead absorber plates. The calorimeter adopts accordion geometry, in order to obtain fast readout of signals and reduce dead space. The coverage region is *|*η*| <* 1*.*475 for barrel region and 1.375 $\langle \eta | \langle 3.2 \rangle$ for endcap region. The pre-sampler detector $(|\eta| \langle 1.8 \rangle)$ is installed in inner size of calorimeters due to discrimination of the size of electromagnetic showers. Therefore, this geometry provides complete ϕ symmetry and there is no azimuthal cracks. The total number of readout channels is about 174000 channels.

The radiation lengths (X_0) are $> 22 X_0$ in the barrel region and $> 24 X_0$ in endcap region. The radiation length between the beam pipe and the pre-sampler is about 1.7 X_0 . The strip section has about 4.3 X_0 and divides about 4 mm pitch position information in the η direction. It measures precise positions and identifies particles such as γ , ϕ^0 , e , ϕ with high η resolution ($|\Delta \eta| \sim 0.0031$). The square section has $\Delta \eta \times \Delta \phi$ 0.025×0.025 granularity and the radiation length of about 16 X_0 . Back section has 0.05 η granularity and the radiation length of around $2X_0 \sim 12X_0$. The energy resolution satisfies $\sigma_E/E = 10/\sqrt{E(\text{GeV)}} \oplus 0.7\%$.

Hadronic Calorimeter

Hadronic calorimeter consists of the tile calorimeter in the barrel region ($|\eta|$ < 1.7) described in Figure [3.7\(b\)](#page-27-0) and the [LAr](#page-114-13) calorimeter in the endcap region $(1.5 < |\eta| < 3.2)$. The tile calorimeter is sampling calorimeter with steal as the absorber and scintillator as the active material. The granularity in $\Delta \eta \times \Delta \phi$ is typically 0.1×0.1 . The [LAr](#page-114-13) calorimeter consists of [LAr](#page-114-13) and tungsten/copper plates. There are two segments in each side with a typical granularity of $\Delta \eta \times \Delta \phi = 0.1 \times 0.1$ (1.5 < |n| < 2.5) and $\delta \eta \times \delta \phi = 0.2 \times 0.2$ (2.5 < |n| < 3.2). Extremely forward region $(3.1 \lt |\eta| \lt 4.9)$ is covered by the special [LAr](#page-114-13) calorimeter which adopts narrow tungsten tube to accommodate with high ionization rate. In order to reducing the punch-through into the muon system, the total interaction length in whole region is about 10. The energy resolutions satisfy $\sigma_E/E = 50/\sqrt{E(\text{GeV)}} \oplus 3\%$ in ($|\eta|$ < 3.2) and $\sigma_E/E = 100/\sqrt{E(\text{GeV)}} \oplus 10\%$ in (3.2 < $|\eta|$ < 4.9).

3.2.4 Muon Spectrometers

[Muon Spectrometers \(MSs\)](#page-114-14) [[31,](#page-116-11) [38–](#page-117-3)[40\]](#page-117-4) are installed at the outermost layer of [ATLAS](#page-113-4) detector described in Figure [3.8](#page-28-1) [\[31](#page-116-11)]. The aim is to trigger and to take the precision tracks of muons curved by the toroid magnetic field at fast. This is constructed by 4 muon detectors and is designed against the corresponding radiation backgrounds such as neutrons/photons from secondary interaction in the calorimeter, shield material and beam pipe. [Thin Gap Chamber \(TGC\)](#page-114-15) and [Resistive Plate Chamber \(RPC\)](#page-114-16) are used for level 1 trigger decision and [Monitored Drift Tube \(MDT\)](#page-114-17) and [Cathode Strip Chamber \(CSC\)](#page-113-13) are used for precision tracking.

Figure 3.8: Schematic view of the [ATLAS](#page-113-4) muon spectrometers [\[31](#page-116-11)].

Thin Gap Chamber

[TGC](#page-114-15) is the multi-wired proportional chamber. The chamber can acquire the 2 dimensional hit position information (η, ϕ) from anode wire and cathode strip. In order to realize fast single muon trigger for 25 ns bunch space, this thickness design is adopted to reduce the maximum drift time. Tungsten wires with 50 *µ*m diameter and gold plating are stretched with the pitch of 1.8 mm. The readout strips of copper plate with $30 \mu m$ thickness are laid vertically for wires. In addition, the gas mixture of 55% CO₂ and 45% n – pentane circulates in the chamber for ionization and prevention of discharge. The detection efficiency of muons for a chamber is 99%. [TGC](#page-114-15) is constructed by 3 stations described in Figure [3.9\(a\)](#page-29-0) and [3.9\(b\)](#page-29-0) in the end-cap region ($|\eta| > 1.05$) and total number of layers is 7 for wire and 6 for strip. The trigger efficiency for track of muon with $p_T > 20 \text{ GeV}$ is about 90% efficiency.

Resistive Plate Chambers

[RPC](#page-114-16) described in Figures [3.10\(b\)](#page-29-1) [\[41](#page-117-5)] is one of the gas detector with space-time resolution of typically 1 cm \times 1 ns. The gas mixture of $C_2H_2F_4$ circulates in the 2 mm narrow gap sandwiched by 2 resistive plates called bakelite with 2 mm thickness, and this chamber provides the 2 dimensional position information (η, ϕ) from the readout strips put on the each plate. The 3 layers of [RPC](#page-114-16) is installed in barrel region ($|\eta| < 1.05$) with symmetry for ϕ direction. Thus, the muon track is triggered and reconstructed with 3 layer coincidence.

Figure 3.9: (a) Layout of three [TGC](#page-114-15) stations, indicated by M1, M2, and M3 [\[40](#page-117-4)] and (b) the cross-sectional drawing of the [TGC](#page-114-15) [[31\]](#page-116-11).

Figure 3.10: (a) Layout of three [RPC](#page-114-16) layers [[41\]](#page-117-5) and (b) the cross-sectional drawing of the [RPC](#page-114-16) [\[42](#page-117-6)].

Monitored Drift Tubes

[MDT](#page-114-17) described in Figure [3.11\(a\)](#page-30-0) [[39\]](#page-117-7) is constructed by the aluminum tube gas detectors with 30 mm diameters and 400 μ m thickness wall. The wire with 50 μ m is strained into the tube and the gas mixture of ArCH₄N₂ is circulates in tubes. [MDT](#page-114-17) has the good space-time resolution for 700 ns maximum drift time, small Lorentz angle and small gas amplification. The single-wire resolution is typically 80 μ m (Figure [3.11\(b\)](#page-30-0)). To reconstruct the muon track precisely, 2×4 of tube layers are installed in inner station, and 2×3 of tube layers are installed in middle and outer station. To detect the strain of structure, the precise positions of MDT are monitored by laser displacement sensors and therefore MDT provides precision track reconstruction by the alignment.

Figure 3.11: (a) Cross-sectional drawing of the [MDT](#page-114-17) [[39\]](#page-117-7) and (b) the single-wire position resolution as a function of drift length [\[31](#page-116-11)].

Cathode Strip Chambers

Since a lot of [quantum chromodynamics \(QCD\)](#page-114-18) jets or neutrons are generated by the *pp* collisions or the collisions between high energy particles and structure, the [MDT](#page-114-17) hit rate in forward region ($|\eta| > 2.0$) may exceed the the tolerance rate of about 150 Hz*/*cm². Therefore, in this region, [CSC](#page-113-13) with about 1000 Hz*/*cm² tolerance rate is installed instead of [MDT](#page-114-17). [CSC](#page-113-13) is one of the multi-wired proportional chambers same as [TGC,](#page-114-15) and it readouts the signals of η direction from cathode strips (Figure [3.12](#page-30-1)). [CSCs](#page-113-13) are arranged in 2 \times 4 layers and the gas mixture of $ArCO_2CF_4$ circulates in these chambers. The position resolution is better than 60 μ m and [CSCs](#page-113-13) have high performances about 7 ns time resolution and short drift time of ¡ 30 ns.

Figure 3.12: Cross-sectional drawing of the [CSC.](#page-113-13) The size of s, W and d is 2.5 mm, 5.3 mm and 2.5 mm, respectively [\[39](#page-117-7)].

3.2.5 Superconducting Magnets

The [ATLAS](#page-113-4) detector basically measures the momentum of charged particles curved by the effect of magnetic field. Super conducting solenoid and toroidal magnets are installed in the [ATLAS](#page-113-4) detector described in Figure [3.13.](#page-31-1) The central solenoid provides the 2 ∼ 2.6 T magnetic field along the beam pipe for inner detector. The charged particles from a interaction point are curved to ϕ direction by effect of solenoid magnetic field. In order to reduce the energy deposit of electron or jets in the solenoid, the solenoid is constructed with minimum amount of material. The total X_0 of the coil and structure is about 0.66. The barrel/end-cap toroid magnet installed in outer of calorimeters provides about 4 T magnetic field along the ϕ direction. The charged particles such as muons are curved to η direction by the effect of toroidal magnetic field. The toroid magnet is designed in unique shape with 8 symmetric for phi direction and has "air-core" to reduce the amount of material for reconstruction of muon track with only muon spectrometers. Therefore, the strength of magnetic field is ununiform and depends on η and ϕ as described in Figure [3.14\(a\)](#page-31-2) for solenoid and [3.14\(b\)](#page-31-2) for toroid.

Figure 3.13: Schematic view of the solenoid and toroidal magnets [\[31](#page-116-11)].

Figure 3.14: Magnetic field strength supplied by (a) the solenoid magnet and (b) the toroidal magnet [[31\]](#page-116-11).

3.2.6 Trigger System

In order to collect the interested physics events (i.e. [SUSY](#page-114-1) signal events) with high efficiency into the data storage, the [ATLAS](#page-113-4) detector introduces two levels of triggers to select the interested physics events with eliminating background events. Figure [3.15](#page-32-1) shows the trigger[/data acquisition \(DAQ\)](#page-113-14) system in Run-2 [\[43](#page-117-8)]. When the data come from inner detectors, calorimeters and muon spectrometers, hardware-based [level one \(L1\)](#page-114-19) trigger decision run parallel to stacking data in memories temporary. After [L1](#page-114-19) trigger is accepted, softwarebased [high level trigger \(HLT\)](#page-113-15) run to reconstruct events rather precisely and execute decision based on the event type. Since the collision rate of proton called pile-up drastically increases corresponding to the [LHC](#page-114-0) upgrade for the increases of the center of mass energy up to 13 TeV and of the instantaneous luminosity up to 10^{-34} cm⁻²s⁻¹, the DAQ system also was upgraded.

Figure 3.15: Illustration of the [ATLAS](#page-113-4) trigger/data acquisition flow [[43\]](#page-117-8).

L1 Triggers

The [L1](#page-114-19) trigger provides information of the [Regions of Interests \(RoIs\)](#page-114-20) in η and ϕ positions of the interested particle. The [central trigger processor \(CTP\)](#page-113-16) decides the final [L1](#page-114-19) accepts by the integrated information of [L1](#page-114-19) trigger from each detector and it sends the [L1](#page-114-19) decision to each detector to flow the temporary stored data. The [L1](#page-114-19) trigger provides the L1 accepts to [HLT](#page-113-15) with 100 kHz rate within 2.5 μ s decision time. Figure [3.16](#page-33-2) [\[44\]](#page-117-9) shows total [L1](#page-114-19) rate as a function of time throughout a fill taken in October 2016 with a peak luminosity of $\mathcal{L}_{\text{ins.}} = 1.31 \times 10^{34} \text{ cm}^{-2} \text{s}^{-1}$ and a peak pile-up of $\mu = 42$. The maximum [L1](#page-114-19) rate is up to 97 kHz by adding additional [L1](#page-114-19) total energy triggers. Subsequently the additional [L1](#page-114-19) rate is removed and the rate follows an exponential decay with decreasing luminosity during an [LHC](#page-114-0) fill.

High Level Trigger

[HLT](#page-113-15) constructed by CPUs and software selects the events with multiple pieces of information such as tracks, momentums of particles, etc. with full granularity information of detectors corresponding the [L1](#page-114-19) [RoI](#page-114-20) region. It

Figure 3.16: Total [L1](#page-114-19) rate as a function of time throughout a fill taken in October 2016 with a peak luminosity of $\mathcal{L}_{ins.} = 1.31 \times 10^{34}$ cm⁻²s⁻¹ and a peak pile-up of $\mu = 42$ [[44](#page-117-9)].

makes the final trigger decision and reduces the 100 kHz [L1](#page-114-19) trigger rate to 1 kHz within about 200 ms processing time, and then it sends the passed events to the data storage servers.

3.2.7 Data Quality in Run-2

[Data quality \(DQ\)](#page-113-17) system is prepared for taking the data in good quality. This system feedbacks the offline information to [DAQ](#page-113-14) run as soon as possible to keep data in quality data. To process it with high speed, about 2% of data are stored in calibration stream where [DQ](#page-113-17) runs. The data are analyzed at offline with high priority when [DAQ](#page-113-14) run is finished, and then the histograms of detection efficiency, trigger quality, etc. are generated. The experts of each detector and data quality group check the histograms and the high quality data called "[Good Run List \(GRL\)](#page-113-18)" able to use in the physics analysis are provided.

3.3 Data for this study

The data taking with $\sqrt{s} = 13$ TeV starts successfully from 2015. Finally, the integrated luminosity included in [GRL](#page-113-18) of 2015 is 3.21 fb⁻¹and the integrated luminosity of 2016 is 32.9 fb⁻¹. The associated uncertainty for application of beam, detector and data quality is 3.2%. This analysis uses in total 36.1 fb⁻¹integrated luminosity in [GRL.](#page-113-18)

Chapter 4

Phenomenology of Proton-Proton Collisions and Monte Carlo Simulation

SUSY particles can be generated from pair production or annihilation. Thus, the high energy pp collisions in the LHC have the potential to directly generate SUSY pairs. Since a proton consists of quarks and gluons bound by the strong interaction, the understanding of QCD calculations is essential in making precise predictions. This chapter discusses the basic features of *[pp](#page-113-7)* collisions. The simulation does not fully reproduce the theoretical predictions of [quantum electrodynamics \(QED\)](#page-114-21) and [QCD](#page-114-18), but rather includes numerical calculations and parametrizations of analytical results. More details are included in Reference [\[45,](#page-117-10) [46](#page-117-11)]. Finally, I presents an overview of the [MC](#page-114-5) samples which are used in this analysis.

4.1 Production at the LHC

The cross-section (σ_{tot}) of *[pp](#page-113-7)* collisions for a scattering processes $ab \to n$ (a, b) : initial state partons, *n* : final state particle n) at the [LHC](#page-114-0) experiment can be written by using the factorization approach [\[47](#page-117-12)]:

$$
\sigma_{\rm tot} = \sum_{a,b} \int_0^1 dx_a dx_b \int f_a^{h_1}(x_a, \mu_F) f_b^{h_2}(x_b, \mu_F) \frac{d\hat{\sigma}_{ab \to n}(\mu_F, \mu_R)}{dy}, \tag{4.1}
$$

where $x_{a,b}$ are parton fractions, $f_{a,b}^{h_{1,2}}$ are the [parton distribution functionss \(PDFs\)](#page-114-22) where $h_{1,2}$ are parent hadrons such as protons, μ_F is the factorization scale, μ_R is the renormalization scale and the $d\hat{\sigma}_{ab\to n}/dy$ is the parton-level cross section. The parton-level cross-section depends on the momenta (*y*) given by the final state phase space Φ_n on the μ_F and the μ_R , and the fully differential parton-level cross-section is defined as

$$
\frac{d\hat{\sigma}_{ab \to n}}{d\mathbf{y}} = \frac{d\Phi_n}{d\mathbf{y}} \frac{1}{2\hat{s}_{ab}} |M_{ab \to n}|^2,\tag{4.2}
$$

where $M_{ab\to n}$ is the [matrix element \(ME\)](#page-114-23) and $1/\hat{s}_{ab}$ is the parton flux equaled to $1/(2x_a x_b s)$ where *s* is the hadronic center-of-mass energy squared. The cross-section of two partons is related with only the initial state and the final state, and the *ME* can have all decay processes. Figure [4.1](#page-35-0) shows the schematic view of the production of *[pp](#page-113-7)* collisions and these processes are described below.

Figure 4.1: Schematic view of the production of *[pp](#page-113-7)* collisions.

Parton Distribution Function (PDF)

The PDF's describe the probability to find the parton *a* (*b*) carrying the fraction $x_a(x_b)$ of the momentum of the parent hadron h_1 (h_2) at the momentum transfer Q^2 . The hard process from [pp](#page-113-7) collisions cannot be calculated directly due to the dominant low-energy [QCD](#page-114-18) effect in the parton structure, thus the factorization theorem is utilized. This theorem separates the calculation between the calculable short-distance process and the universal long-distance part, which can be derived from a fit to data. The factorization scale *µ^F* is used to separate the low-energy and high-energy effects and the evolutions of [PDF](#page-114-22)'s are described by the Dokshitzer-Gribov-Lipatov-Altarelli-Parisi (DGLAP) evolution equations [\[48–](#page-118-0)[50\]](#page-118-1). In addition, the [PDF](#page-114-22) including only non-perturbative [QCD](#page-114-18) can also be estimated phenomenologically from the previous [QCD](#page-114-18) measurement to match the pertubative [QCD](#page-114-18) predictions. The combination and global fitting of several [QCD](#page-114-18) measurements: deep inelastic scattering (DIS) and hadron-hadron collision (HERA, Tevatron) are applied, and thus the [LHC](#page-114-0) experiment is mainly used these results: PDF4LHC [[51\]](#page-118-2), NNPDF [[52\]](#page-118-3), CT14 [[53\]](#page-118-4), MSTW [[54\]](#page-118-5).

Hadronization

This process is consequence of the so called "confinement" effect of strong interaction in [QCD](#page-114-18) theory. In other words, for a free parton, the confinement potential $(V(r) = kr$, where $k \sim 0.2 \text{ GeV}^2$ increases distance, and finally diverges. The aggregate of fragmented hadrons produces partons in singlet color state. The hadronization describes these processes using the fragmentation function $D(z)$ (where *z* is the momentum fraction of the seed hadron) with the [PDF](#page-114-22). The most common model of the hadronization is the Lund-String-Model [[55\]](#page-118-6).

Additional Parton Radiations (ISR/FSR)

In the [QCD](#page-114-18) processes considered, it is possible to add the additional gluons (which then hadronize to jets) to the initial state or the final state particles. These additional processes are defined [initial state radiation \(ISR\)](#page-114-24) and the [final state radiation \(FSR\).](#page-113-19)

Underlying Events

Besides the hard process of two collinding partons, many other hadronic processes take place in a collision event. These processes are called the [underlying event \(UE\)](#page-114-25). The [UE](#page-114-25) includes two categories of processes: the
beam remnants and the multiple parton soft [QCD](#page-114-0) interaction (pile-up events). The protons involved in the hard scattering process are instantaneously converted into fragmented hadrons, which subsequently hadronise to final state particles. In addition, multiple parton interactions (e.g. $2 \rightarrow 2$) can also occur. The impact of the [UE](#page-114-1) cannot be ignored for the performance of energy or momentum measurements, and thus several models of the [MC](#page-114-2), whose parameters can be tuned by using experimental results, are usually employed in the estimation.

Pile-up event (μ) , first described in Section [3](#page-22-0), are generated by the multiple *[pp](#page-113-0)* interactions per the bunch crossing. It is correlated with the instantaneous luminosity of [LHC](#page-114-3). The average of μ increases up to \sim 40 at the Run-2, and this effect cannot be ignored. Thus, the hard process interactions are modeled and to these the pile-up particles are overlaid, by using *[pp](#page-113-0)* collision events.

4.1.1 Parton Shower Simulation

The [QCD](#page-114-0) matrix elements cannot be computed exactly, thus the [ME](#page-114-4) is usually calculated by using the [parton](#page-114-5) [shower \(PS\)](#page-114-5) approximation. The [QCD](#page-114-0) showering is well known from first principles, however the problem is that the divergence of soft or collinear emission produced by [QCD](#page-114-0) shower cannot be ignored. These emissions provide the dominant contribution to the extra partons from the partons involved in the hard scattering. The [PS](#page-114-5) approach can calculate the perturbation to all orders, in which the cross-section of an additional soft parton $(d\sigma_{n+1})$ is factorized from the original cross-section $(d\sigma_n)$ and the probability of parton splitting $P_{i\to jk}$. The cross-section can be written as

$$
d\sigma_{n+1} = \sigma_n \sum_{i \to jk} \frac{\alpha_S}{2\pi} \frac{d\theta^2}{\theta^2} dz P_{i \to jk}(z, \phi) d\phi,
$$
\n(4.3)

where notations of i, j, k indicates the parent parton (*i*) and the children partons (j, k) , z is the fraction of energy carried by parton k from its parent parton i, θ is an opening angle between the parton k and i, ϕ is an azimuthal angle of a parton *j* around an axis defined by *i*. The probabilities $P_{i\rightarrow jk}$ can be calculated by using the DGLAP evolusion equations, and thus the $P_{i\to jk}$ for all pattern of quarks and gluon emission can be obtained as

$$
P_{q \to q\bar{q}} = \frac{z^2 + (1 - z)^2}{2}, \tag{4.4}
$$

$$
P_{q \to qg} = \frac{4}{3} \frac{1+z^2}{1-z},\tag{4.5}
$$

$$
P_{q \to qq} = \frac{4}{3} \frac{1 + 1(1 - z)^2}{z}, \tag{4.6}
$$

$$
P_{q \to gg} = 3 \frac{z^4 + 1 + 1 + (1 - z)^4}{z(1 - z)}
$$
\n(4.7)

The [PS](#page-114-5) approximation has a significant issue that consists in a phase space overlap (double-counting) between jets. It should be corrected by the "matching" and "merging" procedures and the famous algorithms are the Catani-Krauss-Kuhn-Webber (CKKW) [\[56](#page-118-0), [57\]](#page-118-1) algorithm and the Michelangelo-L Mangano (MLM) algorithm [\[58](#page-118-2)].

4.2 Signal and SM Background Productions in the LHC

4.2.1 Stop Pair Production

Figure [4.2](#page-37-0) shows the stop pair production at the LHC. The stop can be only pair-produced at the LHC. One W boson decays into one lepton and neutrino and other W boson decays hadronically as two jets. Thus, the final state particles are one lepton, jets, and missing transverse momentum that account for a neutrino and two neutralinos.

Figure 4.2: Feynman diagram of stop pair production at *[pp](#page-113-0)* collisions.

4.2.2 SM Background Productions

The SM backgrounds, which are abundantly produced at the LHC, are $t\bar{t}$, $W + \text{jets}$, $t\bar{t} + W/Z$, single top, $Z + \text{jets}$, dibosons (*WW/W Z/ZZ*, etc). Figures [4.3](#page-37-1) show these background productions. In all these physics processes there can be leptons, jets, and missing transverse energy, thus these background categories have a non negligible probability of passing the analysis selection.

Figure 4.3: Feynman diagrams of [SM](#page-113-1) background productions at *pp* collisions. Backgrounds, which are abundantly produced, are (a) $t\bar{t}$, (b) $t\bar{t} + W/Z$, (c) single top, (d) *V*+jets, (e) dibosons, where *V* means a vector boson (*W, Z*).

4.3 Simulated Samples

This section lists all the [MC](#page-114-2) simulations for background processes and signal processes.

Table [4.1](#page-38-0) shows details of the simulation samples including the [ME](#page-114-4) generator, [PDF](#page-114-6) set, the [PS](#page-114-5) and hadronization model, the [UE](#page-114-1) tune, and order of the cross-section calculation.

Process	ME generator	PDF set	PS and hadronization	UE tune	Cross-section calculation
$t\bar{t}$	POWHEG-BOX v2 [59]	CT10 [60]	PYTHIA 6 [61]	P2012 [62]	$NNLO + NNLL$ [63-68]
Single-top	POWHEG-BOX v2	CT10	PYTHIA 6	P2012	$NNLO + NNLL$ [69-71]
V+jets ($V = W/Z$)	SHERPA 2.2.0 [72]	NNPDF3.0 [52]	SHERPA	Default	NNLO [73]
Diboson	SHERPA 2.2.1	CT10	SHERPA	Default	NLO
$t\bar{t}$ +V	MG5_aMC@NLO 2.2.2 [74]	NNPDF3.0	PYTHIA 8 [75]	A ₁₄ [76]	NLO [74]
SUSY signal	MG5 _{-a} MC@NLO 2.2 - 2.4	NNPDF2.3 [77]	PYTHIA 8	A14	$NLO+NLL$ [78]

Table 4.1: Overview of the simulated samples.

The ME generators include POWHEG [[59\]](#page-118-3) [[79–](#page-119-10)[82\]](#page-120-0), SHERPA [\[72](#page-119-3)] and MADGRAPH [\[74](#page-119-5)], in addition the modeling of b-hadron decay is simulated by using EVTGEN v1.2.0 [\[83](#page-120-1)] for all samples.

Tune of the Underlying Events including Pile-up

The [UEs](#page-114-1) including the pile-up (minimum-bias interactions) to be overlaid to the hard-scattering event are produced in all samples to simulated the effect of multiple *[pp](#page-113-0)* collisions in the same or nearby bunch crossing. The number of minimum-bias interactions is tuned using the multiparton interaction (MPI) parameters of Pythia 6(8) that are generated from "P2012" and "A14" tune series. These tune series are generated by the several PDFs: CTEQ6L1 [[84\]](#page-120-2), MSTW2008LO [[54\]](#page-118-9), NNPDF23LO [\[85](#page-120-3)], and HERAPDF15LO [[86\]](#page-120-4).

Detector Simulation

All background samples are processed with the full simulation based on the Geant 4 [\[87](#page-120-5)], and the signal samples are processed with the ATLAS fast simulation [\[88](#page-120-6)] that are based on the parametrization of the electromagnetic calorimeters and hadron calorimeters simulated by the Geant 4.

4.3.1 Background Samples

The $t\bar{t}$ and single-top are calculated to the Next-to-Next-to-Leading Order (NNLO) with the resummation of the soft gluon emission in the Next-to-Next-to-Leading Logarithmic (NNLL) accuracy. These [MEs](#page-114-4) are generated by using Powheg and it is interfaced to Pythia 6 for calculation of the [PS](#page-114-5) and hadronization.

Madgraph and Sherpa are mostly used for the process which have many jets including the [ISR](#page-114-7) and [FSR](#page-113-2) because these MC simulations can precisely calculate better than other glsplMC. The *W*/*Z*+jets and diboson samples are prcessed with Shepra 2.2.0 and 2.2.1. These [ME](#page-114-4) generators use Comix [[89\]](#page-120-7) and OpenLoop [\[90\]](#page-120-8) [ME](#page-114-4) calculations. For calculations of the [PS](#page-114-5) and hadronization, the default [PS](#page-114-5) calculator of Sherpa [\[91](#page-120-9)] with ME+PS@NLO prescription [[92\]](#page-120-10) is used. The NN[PDF](#page-114-6)3.0 PDF set is used in conjunction. The $W/Z +$ jets are only normalised to NNLO cross-section.

The [ME](#page-114-4) of $t\bar{t}+V$ are calculated by using the MADGRAPH and PYTHIA 8 interfaced to MADGRAPH is used for [PS](#page-114-5) and hadronization.

4.3.2 Signal Samples

The [ME](#page-114-4) generator for signal processes is MADGRAPH and the ME is calculated to Leading Order (LO). The generator includes up to two extra partons, and is interfaced to Pythia 8 for the [PS](#page-114-5) and hadronization. Signal cross-sections for stop pair production are calculated to NLO in the strong coupling constant, adding the resummation of soft gluon emission at NLL accuracy (NLO+NLL). Figure [4.4](#page-39-0) shows the relation between the stop mass $(m_{\tilde{t}_1})$ and cross-section $(\sigma_{\tilde{t}_1})$. The band corresponds the cross-section uncertainties calculated by the cross-section predictions using different [PDF](#page-114-6) sets. For the higgsino [LSP](#page-114-8) scenario, the assumed mass difference between chargino and neutralino is set to 5 GeV. For the wino [NLSP](#page-114-9) scenario, the assumed mass difference between stop and chargino is set to 10 GeV. Both scenarios can use the simplified models of [MC,](#page-114-2) where $BR(\tilde{t}_1 \to b\tilde{\chi}_1^{\pm})$ is set to 100% because the searched regions are constrained by the masses of stop, chargino and neutralino and the other decay channels (e.g. $\tilde{t}_1 \to t \tilde{\chi}_1^0$) is forbidden.

Figure 4.4: Cross-section of stop pair production as a function of stop mass at NLO and NLL accuracy. The error band corresponds to the uncertainty.

Chapter 5

Object Reconstructions and Definitions

The data passing the online trigger requirements are recorded, and the events contained in the recorded raw data are reconstructed offline using several event reconstruction procedures. All objects contained in each event are reconstructed and identified with four-momentum and track information. In this chapter, an overview of several reconstruction or identification methods and the definition of the objects that will be used in this analysis will be given.

5.1 Tracks and Primary Vertex

The tracks used for physics analysis are produced by the baseline offline track reconstruction algorithm from the [ID](#page-113-3)'s. Only the muon tracks are reconstructed by the combination of the [ID](#page-113-3)'s and [MS](#page-114-10)'s and it is described in Section [5.3](#page-45-0). The baseline track reconstruction algorithm consists of 3 steps [[93\]](#page-120-11). In the first step the threedimensional hit points referred to as space-points from pixel and SCT detectors are collected. In the Pixel detector, each cluster, which is a set of connected pixels, equates to one space-point, while in the SCT detector. clusters are defined as the combination of both sides of a strip layer. To obtain the space-point that corresponds to the clusters the pixel detector, the charge in the pixel sensor is collected on multiple pixels. The intersection of a charged particle and a pixel sensor is determined by the connected component analysis (CCA) [[94\]](#page-120-12) and a linear approximation refined with a charge interpolation technique. Finally, the clusters are determined by the neural network (NN) technique [\[95](#page-120-13)]. The second step is the iterative combinational track finding. After the creation of the clusters, seeds are formed with sets of three space-points of Pixel or SCT detectors. The four different combination types of seeds can be made by satisfying the condition that some space-points come from pixel(SCT) and one space-point from SCT(pixel). One additional space-point compatible with the seed is also required to improve the purity. After that, the track candidates are reconstructed by a combinational Kalman filter [[96\]](#page-120-14) with seeds. Since the purity is further improved, TRT extension [[97\]](#page-120-15) is included to the track finding. The third step consists in the reconstruction of the tracks. A weight, called track score, is applied to track candidates (e.g. missing clusters on the track trajectory reduce the score). The χ^2 of the track fit, which is same as the ATLAS global track fit [[98\]](#page-120-16), is also applied to reconstruct the track momentum. Finally, tracks are determined considering these values.

A refined algorithm called "Tracking In Dense Environment (TIDE)" [\[93](#page-120-11)] is used. It was developed to improve the track reconstruction efficiency of the NN and to handle the multiple tracks from pile-up due to the luminosity increase. Figure [5.1](#page-41-0) shows the average efficiency for the reconstruction of jets with different jet-flavor tagging. The latter is determined exploiting the lifetime of b-quarks measured by the track impact parameters (described in Figure [5.2](#page-41-1)), the identification, and properties of displaced vertices. More information of b-quark reconstruction is shown in Section [5.4.](#page-48-0) Both light-flavor jets and b-jets efficiencies are improved by about 10% by the use of TIDE.

0.9 jets ranges from 450 GeV to 750 GeV. The efficiencies increases by about 10% with respect to the Figure 5.1: Average reconstruction efficiencies of jets with different jet-flavor tagging. The p_T of the selected Run-1 result [[93\]](#page-120-11).

Figure 5.2: Definition of the impact parameters for a track. (a) is a three-dimentionsional illustration, (b) is its projection on the $Z-R$ plane, and (c) is the projection on the $X-Y$ plane $\frac{1}{2}$ reconstruction algorithms are shown: $\frac{1}{2}$ the baseline reconstruction $\frac{1}{2}$ particle its projection on the Z-R plane, and (c) is the projection on the X-Y plane.

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approach to vertex finding and fitting. It can work with good performance up to an average of pile-up events The determination of the primary vertex [[99\]](#page-121-0) is important to reconstruct the tracks and the momentum of particles. The method for the reconstruction of vertices [\[100](#page-121-1)] in the [ATLAS](#page-113-4) experiment consists in an iterative (μ) up to 40. From Run-2, μ is greater than 40, and the effect is not negligible. Thus, a new algorithm [[99\]](#page-121-0) that reduce the dependence on the pile-up of the vertex finding efficiency has been introduced. The new algorithm is similar to an imaging algorithm and it can identify simultaneously all vertex locations in the [LHC](#page-114-3) bunch crossing by using all tracks. After the identification of vertex positions, vertices are determined with the vertex finding and fitting algorithm. When several vertices are identified, the vertex with the highest $\sum_{\text{tracks}} p_{\text{T}}^2$ and

CHAPTER 5. OBJECT RECONSTRUCTIONS AND DEFINITIONS 38

with at least two tracks associated to it is defined as the primary vertex. In this analysis, to improve the purity of the hard-scattering collisions of interest, the selection of tracks with $p_T > 400$ MeV is required.

5.2 Electrons

Electrons are among the final state particles of interest of this analysis. Electron tracks are detected by using the inner detectors and their energies are determined by using the energy deposit in the [electromagnetic](#page-113-5) [\(EM\)](#page-113-5) calorimeter. The dominant backgrounds background sources are hadrons and non-prompt electrons that originate predominantly from photon conversions and heavy flavor hadron decays. Thus, identification and isolation criteria to reduce these backgrounds and to improve the purity are also required. The reconstruction of electrons proceeds through several steps:

Seed-cluster Reconstruction

At first, the "seeds", defined as longitudinal towers with total transverse energy above 2.5 GeV are found into the sliding window with a size 3×5 in units of $0:025 \times 0:025$ that corresponds to the granularity of the [EM](#page-113-5) calorimeter middle later. The next step is to form the clusters and to reconstruct their kinematics using the clustering algorithm [[101](#page-121-2)] with the seeds information. The clustering efficiencies are 95% for transverse energy above 7 GeV and 99% for transverse energy above 15 GeV.

Track Reconstruction

After the seed reconstruction, the loose track reconstruction proceeds from the track seeds produced by the inner detectors. This reconstruction has two steps. The first one is the pattern recognition using the energy loss information. Two pattern recognitions corresponding to the pion hypothesis and electron hypothesis are included in the this process. The pattern recognition using pion hypothesis is the same as the standard [ATLAS](#page-113-4) pattern recognition and this algorithm allows up to 30% energy loss at each intersection of the tracks to take into account for possible bremsstrahlung. If the track seeds have transverse momentum above 1 GeV, the pion pattern recognition algorithm is discarded. In this case, the electron pattern recognition algorithm, which allows large energy loss, is performed. The second step is to fit the tracks using the ATLAS global χ^2 track fitter [\[98](#page-120-16)]. which is the same as the baseline track reconstruction.

Electron Specific Track Fit

In case the track reconstruction passed the electron hypothesis, the specific track re-fit algorithm proceeds. This algorithm requires the match between tracks having more than 4 silicon detector hits and [EM](#page-113-5) clusters determined at seed-cluster reconstruction phase. After that, these tracks are reconstructed by using the Gaussian Sum Filter (GSF) [[102\]](#page-121-3), which takes into account the non-linear bremsstrahlung.

Electron or Photon Candidate Reconstruction

If several electron track candidates are found, the primary tracks is determined by using the cluster-track distance $\Delta R = \sqrt{\Delta \eta^2 + \Delta \phi^2}$ calculated with different momentum hypotheses and inner detector information such as the number of pixel hits. If no associated hit in the inner detectors is found, this candidate is considered as a photon candidate. To increase the reconstruction quality of electron and photon, some selections on the associated hits and tracks information are introduced and the calibrated energy described in Section [5.2.1](#page-44-0) is also recalculated by re-forming the clusters using the multivariate techniques [[103](#page-121-4)] in this step.

The combination between tracks and primary vertex is required to reduce the backgrounds originating from conversions and secondary particles. The following selection on the track parameters such as d_0 , z_0 , Δz_0 , and σ_{d_0} is required: $d_0/\sigma_{d_0} < 5$ and $\Delta z_0 \sin\theta < 0.5$ mm. Figure [5.3](#page-43-0) shows the reconstruction efficiency corresponding to the E_T (a) and η (b) that are obtained by using the $Z \to ee$ events for both [MC](#page-114-2) and data. The reconstruction efficiency for electrons associated to good quality tracks varies from 97% to 99%. The compatibility between data and [MC](#page-114-2) is good.

Figure 5.3: Measurement of the reconstruction efficiency (a) as a function of E_T integrated over the full pseudorapidity range and (b) as the function of η for 15 GeV $\langle E_T \rangle$ = 50 GeV [[101\]](#page-121-2).

The electron candidates determined from the electron reconstruction algorithm could originate from backgrounds such as hadronic jets or converted photons. To improve the purity of real electrons, the identification algorithm is applied. This algorithm uses several properties of clusters, tracks and energy (e.g. the electron cluster, the calorimeter shower shape, etc.) with two selections. The first selection is the number of IBL hits information to reduce the photon conversion and the second is the likelihood-based on the TRT high-threshold hit. The baseline identification algorithm uses the likelihood-based (LH) method which is one of the multivariate analysis (MVA) techniques. It can take into account several properties of electron candidates at the same time. The output value of the LH method is the likelihood-ratio between the likelihood signal probability and the sum of likelihood signal and background probabilities, defined as:

$$
dL = \frac{\mathcal{L}_{\rm S}}{\mathcal{L}_{\rm S} + \mathcal{L}_{\rm B}}, \quad \mathcal{L}_{\rm S} = \prod^n P_{\rm S(B)},\tag{5.1}
$$

where $P_{S(B)}$ is the probability density function.

The identification criteria are defined for three different levels of background rejection (loose, medium, tight). Each criterion is determined by using the several operation points of the relation between background rejection and electron identification efficiency. Some variables such as the shower shape depend on the *|*η*|* and *E*T, and thus the operation points are optimized in each region separately for $|\eta|$ and E_T . Figure [5.4](#page-44-1) [\[104](#page-121-5)] shows the combined the reconstruction and identification efficiency as a function of E_T (a) and η (b) that is measured by using the $Z \rightarrow ee$ events for both [MC](#page-114-2) and data. There is good agreement between data and [MC,](#page-114-2) and the data[/MC](#page-114-2) ratio ranges from 90% to 99%.

To further discriminate the signal originating from a hard-scattering process of interest and backgrounds (photon conversion, etc), electron isolation criterion are also introduced for electron reconstruction. This

Figure 5.4: Combined electron reconstruction and identification efficiencies (a) as a function of E_T integrated over the full pseudorapidity range and (b) as the function of η for $E_T > 4.5$ GeV [[104\]](#page-121-5).

criterion uses two variables based on E_T and p_T . The one is the $E_T^{\text{cone}0.2}$ which is defined as the sum of transverse energies of the topological clusters within a cone of ∆*R* = 0*.*2 around the candidate electron cluster. The other is the $p_T^{\text{varcone }0.2}$, defined as the sum of transverse momentum of all tracks within a cone of $\Delta R = \min(0.2, 10 \text{GeV}/E_T)$ around the candidate electron track. These tracks must pass the following requirements; $E_T > 1$ GeV; $(n_{\text{Si}} \geq 7, n_{\text{Si}}^{\text{hole}} \leq 2, n_{\text{pixel}}^{\text{hole}} \leq 1, n_{\text{Si}}^{\text{mod}} \leq 1)$, where $n_{\text{Si}}^{\text{hole}}$ and $n_{\text{pixel}}^{\text{hole}}$ are the numbers of missing hits in the pixel and SCT and $n_{\rm Si}^{\rm mod}$ is the number of hits in the silicon detector assigned to more than one track; $\Delta z_0 \sin \theta < 3$ mm.

Differences between data and [MC](#page-114-2) for all reconstruction, identification and isolation methods are taken into account by a correction factor called scale factor. The scale factor is calculated by using the $Z \rightarrow ee$ and $J/\psi \rightarrow ee$ events.

5.2.1 Energy Calibration

The energy calibration is important for physics analysis and more details are given in reference [\[103](#page-121-4), [105](#page-121-6)]. The baseline calibration procedure is the same as in Run-1 and the procedure for Run-2 has been tuned for higher luminosities and energies: 1) data-driven corrections optimized to mitigate the non-uniformity of detector response; 2) simulation-based calibration; 3) data-driven correction of energies scale factor for data and resolution for [MC.](#page-114-2) The correction between data and [MC](#page-114-2) for mis-calibration is defined as:

$$
E_i^{\text{data}} = E_i^{\text{MC}} (1 + \alpha_i), \tag{5.2}
$$

where E_i^{data} and E_i^{MC} are the electron energies in data and simulation, and α_i represents the deviation, where the index *i* indicates the pseudorapidity region. The electron energy calibration resolution is defined as:

$$
\frac{\sigma(E)}{E} = \frac{a}{\sqrt{E}} + \frac{b}{E} + c,\tag{5.3}
$$

where *a* and *b* are parameters that describe respectively the shower fluctuations and electronic noise in the calorimeter and *c* is a constant term. The values of most of the systematic uncertainties have been taken from Run-1 results and the relative uncertainty on the energy resolution is better than 10% with *Et <* 50 GeV.

5.2.2 Definition

Table [5.1](#page-45-1) shows the definition of the two criteria for the electron channel in this analysis: baseline electron and signal electron. The baseline criterion applies the loose selection for electron candidates and the signal criterion applies the tight selection. To reduce the fake electron candidates and also to improve the purity of real electron, electron candidates should be signal electrons. In addition, there are two electron selections defined as "soft" and "hard", depending on the energies (momentum) for each criterion. The soft electron selection is used for the higgsino [LSP](#page-114-8) search described in Section [6](#page-58-0), because the momenta of the final state particles are usually very low. The momentum selection value of electron candidates should be greater than 5 GeV, which is the threshold for efficient detection. The identification and the isolation criteria should be tight, in order to remove the fake-electrons. On the other hand, the hard electron selection is used for the wino [NLSP](#page-114-9) search described in Section [7.](#page-90-0) The final state particles of this scenario are not sensitive populate the low momentum region. The momentum selection threshold can be high and the purity is also expected to be very high. Thus, we can loosen the identification and isolation requirements.

5.3 Muon

Muons [\[106](#page-121-7)] are also among the final state particles considered in this analysis. Similar to the electron object reconstruction, muons are also reconstructed following the several selections to reduce the non-prompt muons originating form hadron decays: identification, and isolation. Muon tracks are basically reconstructed by the [ID](#page-113-3) and the [MS](#page-114-10) independently. Finally, the muon tracks are produced by using the combination of these track candidates. The muon reconstruction in the [ID](#page-113-3)'s is the same as the general track reconstruction described in Section [5.1](#page-40-0). In the case of [MS'](#page-114-10)s, the MS tracks are reconstructed by using the hit pattern from the MDT and trigger chambers with hough transform algorithm [\[107](#page-121-8)]. This algorithm finds at least two seed-segments in the middle layers of MDT and the muon tracks are reconstructed by using [ATLAS](#page-113-4) global χ^2 fit with these seed-segments and other hits. After that, several combinational reconstruction techniques are used to get the muon tracks with high purity:

Combined (CB) Muon

This algorithm is the basic reconstruction algorithm for muon tracks. It generates the muon combined tracks by using the global re-fit of hits corresponding to the [ID](#page-113-3) tracks and the [MS](#page-114-10) tracks. To generate high purity tracks, some hits of a [MS](#page-114-10) track are removed or added to increase the fit quality.

Segmented Tagged (ST) Muon

This algorithm is used to increase the acceptance of muons with low p_T . The [ID](#page-113-3) tracks identified as muon-like objects should match at least one segment of MDT or CSC and the combined muon tracks are reconstructed. Calorimetered Tagged (CT) Muon

To cover and to increase the acceptance of muon tracks passing through the [MS](#page-114-10) dead region ($|\eta| < 0.1$), this

algorithm is used. This technique is almost the same as that of ST muon, and in addition the positions of energy deposits in the calorimeters matched to the [ID](#page-113-3) tracks are used instead of [MS](#page-114-10) tracks.

Extrapolated (ME) Muon

The ME muon technique is included in combined muon algorithms for the high eta range (2*.*5 *< |eta| <* 2*.*7).

Muon track candidates are searched for in this order CB *>* ST *>* CT *>* ME. The muon identification criteria is defined to suppress backgrounds originating from pions, kaons, etc. This criterion uses several variables to increase the purity of the muon sample. These are:

- *• q/p* significance, defined as the absolute value of the difference between the ratio of the charge and the momentum detected by [ID](#page-113-3) and [MS](#page-114-10);
- ρ' , defined as the absolute value of the difference between the transverse momenta detected by [ID](#page-113-3) and [MS](#page-114-10);
- normalized χ^2 of the combined track fit.

The identification criterion includes the basic selection $(n_{pixel} \ge 1; n_{SCT} \ge 5; n_{pixel or SCT}^{hole} < 3)$ for robustness of the momentum measurements and it can separate three different categories (loose, medium, tight) with different values of purity and efficiency. The medium category is the ATLAS default selection and it has the lowest systematics. It uses the CB muon and ME muon and the selection is defined as:

- Total hits ≥ 3 with at least $n_{\text{MDT}} \geq 2$;
- q/p significance $\lt 7$.

The loose category uses all combined muon tracks to increase the identification efficiency. The selection requirement is the same as the medium selection. For higher purity, the tight category is defined and it requires only CB muon. The selection for the tight category is the same as the medium selection and it adds more requirements: hits must be present in two [MS](#page-114-10) stations; normalized $\chi^2 < 8$; two-dimensional cut between q/p vs ρ' . Table [5.2](#page-46-0) shows the efficiencies for prompt muons from *W* decays and hadrons decaying in-flight and misidentified as prompt muons computed using a $t\bar{t}$ [MC](#page-114-2). The efficiency of loose category is more than 96% for both p_T regions and the misidentification rate is less than 0.8%. In case of tight category, that is also good agreement; the efficiency is more than 89% and the rate is less than 0.2%.

Table 5.2: Efficiency for prompt muons from W decays and hadrons [\[106](#page-121-7)].

Selection	$4 < p_{\rm T} < 20 \text{ GeV}$		$20 < p_T < 100 \text{ GeV}$		
	[%]	$\epsilon_{\text{Hadron}}^{\text{MC}}$ [%]	$[\%]$ ϵ^{MC}	$\epsilon_{\text{Hadron}}^{\text{MC}}$ [%]	
Loose	96.7	0.53	98.1	0.76	
Medium	95.5	0.38	96.1	0.17	
Tight	89.9	0.19	91.8	0.11	

Figure [5.5](#page-47-0) [\[108](#page-121-9)] shows the reconstruction efficiencies with the medium identification criteria measured by using tag-and-probe method for the $Z \to \mu\mu$ and $J/\psi \to \mu\mu$ events. The average efficiencies for medium identification are around 98% and the data are in good agreement with the [MC](#page-114-2). The efficiency for loose identification is almost the same as the efficiency for the medium identification. For tight identification, the efficiency is a few percent lower than that of the medium identification. There are some inefficient regions corresponding to the eta and phi arising from the poor alignment of MDT. For this analysis, the loose and tight categories are used.

The prompt muons produced by the decay of heavy particles such as the *W* boson are isolated. On the other hand, non-prompt muons originating from the decay of hadronic jets are not isolated, being specially

Figure 5.5: Combined electron reconstruction and identification efficiencies (a) as a function of η integrated over the full ϕ and p_T range with $p_T > 10$ GeV selection and (b) as the function of p_T integrated over the full ϕ and η range [\[108](#page-121-9)].

close to other particles. Thus, the isolation criteria to reduce these backgrounds is required similarly as for the electron reconstruction. This criterion uses two isolation techniques: track based and calorimeter bases. The track based technique uses the $p_T^{\text{variance0.3}}$ variable, which is the sum of transverse momenta for tracks of the charged particles with $p_T > 10$ GeV into the $\Delta R < 0.3$, excluding the tracks of the muon candidate. The calorimeter based uses $E_{\rm T}^{\rm topocone0.2}$, which is the sum of the transverse energies corresponding to the energy deposits of the calorimeter tower, including also the muon candidate track. The isolation criteria is selected by using several working points and this analysis uses the "FixedCutTightTrackOnly" criterion, which requires $p_{\rm T}^{\rm varcone0.3}/p_{\rm T}^{\mu} < 0.06$ to increase the purity of prompt muons.

5.3.1 Muon Calibration

The muon calibration is also performed to correct the simulation of the muons in order to match the data, by using only CB muons. In particular, the transverse momentum in [MS](#page-114-10) (p_T^{MS}) is affected by the energy loss in the calorimeter. The corrected transverse momentum is defined as:

$$
p_{\rm T}^{\rm Cor,Dec}(\text{Dec} = \text{ID}, \text{MS}) = \frac{p_{\rm T}^{\rm MC,Dec} + \sum_{n=0}^{1} s_n^{\rm Dec}(\eta, \phi)(p_{\rm T}^{\rm MC,Dec})^n}{1 + \sum_{m=0}^{2} \Delta r_m^{\rm Dec}(\eta, \phi)(p_{\rm T}^{\rm MC,Dec})^{m-1}g_m},\tag{5.4}
$$

where $p_T^{\text{MC,Dec}}$ is the uncorrected transverse momentum in simulation, Δr_m^{Dec} and s_n^{Dec} are the momentum resolution smearing and the scale correction in a specific (η, ϕ) detector region, and g_m are normally distributed random variables with zero mean and unit width. The numerator describes the momentum scales and the denominator describes the momentum smearing with the relative p_T resolution in simulation. The relative p_T resolution is defined as:

$$
\frac{\sigma(p_{\rm T})}{p_{\rm T}} = r_0/p_{\rm T} \oplus r_1 \oplus r_2 \cdot p_{\rm T},\tag{5.5}
$$

with ⊕ denoting a sum in quadrature.

5.3.2 Definition

Table [5.3](#page-48-1) shows the definition of the two criteria for the muon channel in this analysis: baseline muon and signal muon. The baseline criterion applies the loose selection for muon candidates and the signal criterion applies the medium selection. In addition, there are also two muon selections defined as "soft" and "hard" in the same way ad for the electrons selections.

baseline muon	signal soft(hard) muon		
$p_{\rm T} > 4 \text{ GeV}$	$p_{\rm T} > 4(27)~{\rm GeV}$		
$ \eta < 2.7$	$ \eta < 2.7$		
Loose	Medium		
	$ z_0 \sin \theta < 0.5$ mm, $ d_0/\sigma_{d_0} < 5$		
	FixedCutTightTrackOnly Isolation		

Table 5.3: Definition of baseline and signal muon.

5.4 Jets

If high energy partons emitted, these unstable partons are decayed and hadronized into pre-stable particles: γ , π^{\pm} , *K*, *p*, *n*, etc. These pre-stable particles can interact with the material of the calorimeters and the showers, which are a lump of the reaction process called "jets", are reconstructed. To observe jets, a jet clustering algorithm is needed; this section describes the general jet clustering algorithm, reconstruction, calibration, and definition.

5.4.1 Jet Clustering Algorithm and Reconstruction

In general, the anti- k_t algorithm [[109](#page-121-10)] is used for jet clustering at the [ATLAS](#page-113-4) experiment. It is based on the k_t [[110](#page-121-11)] and Cambridge/Aachen [\[111](#page-121-12), [112\]](#page-121-13) algorithms. This algorithm uses the distance between particles defined as:

$$
d_{ij} = \min(k_{t,i}^{2p}, k_{t,j}^{2p}) \frac{\Delta_{ij}^2}{R^2},\tag{5.6}
$$

where $k_{t,i}$ is the transverse momentum $(k_{t,i} = p_{t,i})$ for a particle "i", $\Delta_{ij}^2 = (y_i - y_j)^2 + (\phi_i - \phi_j)^2$, where y_i and ϕ_i are respectively the rapidity and azimuth of a particle "i". R is the radius parameter for the cone of a jet, and *p* is the parameter that defines the power of transverse momentum. The distance is used to cluster particles for jet reconstruction. In case of $p = 1$, this algorithm is the same as the k_t algorithm, and the case of $p = -1$ is the anti- k_t algorithm. The k_t algorithm iteratively merges two particles (starting from those with lowest p_T) that are closest to each other. On the other hand, the anti-*k^t* algorithm iteratively merges two particles (starting from those with highest p_T) closest to each other. For example of anti- k_t algorithm, assuming one hard particle "1" and a soft particle "i" which are closest than any other particles, the $d_{1i} = min(1/k_{t1}^2, 1/k_{ti}^2)\Delta_{1i}^2/R^2$ is exclusively determined by the k_{t1} of hard particle and Δ_{1i} separation. In other words, soft particles tend to cluster to the hard ones, and if there are no other hard neighbouring particles within a distance $2R$, a perfectly conical jet based on the hard particles "1" can be generated by simple accumulation of all the soft particles within a circle of radius *R*. If another hard particle "2" exists, with $R < \Delta_{12} < 2R$, two hard jets are reconstructed. In case of $k_{t1} \gg k_{t2}$, the shape of jet based on the hard "1" is perfectly conical, and the shape of jet based on the hard "2" is partly conical due to the removal of overlapping particles. In case of $k_{t1} \sim k_{t2}$, both cones are divided by a straight line with the distance b between the boundary and the center of the jet, which is determined by the requirement $\Delta R_{1b}/k_{t1} = \Delta R_{2b}/k_{t2}$. The clustering algorithm is working iteratively until \min_{ij} $(d_{ij}) > \min_{i}$ (k_{Ti}^{-2}) .

Figures [5.6](#page-49-0) shows the results of jet clustering with different algorithms: (a) k_t algorithm, (b) anti- k_t algorithm. The event used is a simple parton-level event together with many random soft "ghosts". In case of *k^t*

algorithm, the shapes of jets are not uniform and the boundaries are ambiguous. On the other hand, the jets clustered by using anti- k_t algorithm have the perfectly/partly conical shape and jets are well separated. In this analysis, the radius parameter *R* is set to 0.4.

Figure 5.6: The results of jet clustering corresponding to (a) the k_t algorithm and (b) anti- k_t algorithm. The event used is a simple parton-level event generated by Herwig simulation with many random soft specific set of ghosts used, and change when the ghosts are model when the ghosts are model

The input parameters for the anti- k_t algorithm are a collection of three-dimensional, massless, positiveenergy topological clusters (topo-clusters), made of calorimeter cell energies. Topo-clusters are generated from the cells that contain energies above a noise threshold estimated by the electronic noise and simulated pile-up noise. In addition, the jet is compared to a true jet estimated from [MC](#page-114-2) generator, which has the particle-level distance $\Delta R = \sqrt{(\Delta \eta)^2 + (\Delta \phi)^2}$. energy scale. The reconstructed jet is required to match the true jet with $p_T > 7$ GeV and $|eta| < 4.5$ using the

$\mathbf{F} = \mathbf{F} \cdot \mathbf{F} \cdot \mathbf{F} = \mathbf{F} \cdot \mathbf{F} \cdot \mathbf{F} = \mathbf{F} \cdot \mathbf{F} \cdot \mathbf{F} \cdot \mathbf{F} = \mathbf{F} \cdot \mathbf{F$ 5.4.2 Jet Energy Calibration

The reconstructed jet is calibrated to restore the jet energy scale to that of the true jet reconstructed at the $\frac{1}{2}$ specific set of $\frac{1}{2}$ and $\frac{1}{2}$ are modified. the following subsections and more details are given in reference [113]. The reconstructed jet is calibrated to restore the jet energy scale to that of the true jet reconstructed at the particle-level energy scale. The full four-momentum of a reconstructed jet is scaled generally, and the Figure [5.7](#page-50-0) presents an overview of the calibration steps for [EM](#page-113-5)-scale calorimeter jets. Each step is briefly described in

First, to improve the η resolution, the four-momenta of jets are recalculated to point to the hard-scatter primary vertex. The four-momentum of the jet is recalculated for both data and MC simulation, and a correction factor called origin correction is estimated from the ratio between the reconstructed and simulated jets.

Pile-up Corrections

Next, since the extra energy from the pile-up is removed, the pile-up is corrected in two steps. The first step is the area-based correction which subtracts the per-event pile-up contribution to the p_T of each jet according to its area. This correction is calculated from the median p_T density ρ of jets in the $\eta - \phi$ plane and the definition is $\rho = p_T/A$ where A is the area of a jet that is calculated by using the ghost association. The rho is calculated $\frac{1}{2}$ radiation. The simple place the simple simple is chosen for its sometimity to soft rediction. To reduce the bias from $\frac{1}{2}$ by using the k_t algorithm, which is chosen for its sensitivity to soft radiation. To reduce the bias from hard

Figure 5.7: Overview of the calibration steps for [EM](#page-113-5)-scale calorimeter jets [[113\]](#page-121-14).

scatter jets, the median p_T density is used for ρ . The second step is to correct for the residual p_T dependence on the number of primary vertices (N_{PV}) and the average number of pile-up events (μ) . This dependence can be approximated from linear fits without correlation between N_{PV} and μ . The fit parameters are α and β , which correspond to the $N_{\rm PV}$ and μ , and the fits are done separately in bins of $p_T^{\rm truth}$ and $|\eta|$. The pile-up corrected 0.03 to below 0.006 above 200 GeV. The origin correction procedure in 2015 is identical to that used in $\frac{1}{2}$ calibration $\frac{3}{2}$ $p_{\rm T}$ ($p_{\rm T}^{\rm corr}$) is given by:

$$
p_{\rm T}^{\rm corr} = p_{\rm T}^{\rm reco} - \rho \times A - \alpha \times (N_{\rm PV} - 1) - \beta \times \mu.
$$
 (5.7)

MC-based *Corrections*

After the pile-up correction, reconstructed jets are also corrected by using a 3-step [MC](#page-114-2)-based procedure. First, the four-momentum of a reconstructed jets are also corrected by using a σ step me stated procedure. This, the four-momentum of a reconstructed jet is corrected by using the particle-level energy scale of the simulation. events, and is discussed in Section 5.2. Further in Section 5.2. Further increase to the reconstruction. The correction uses the ratios of p_T and η between the reconstructed jet and true jet, and they depend on p_T and η : $R_{p_{\text{T}}}(p_{\text{T}}, \eta) = p_{\text{T}}^{\text{reco}}/p_{\text{T}}^{\text{truth}}, R_{\eta}(p_{\text{T}}, \eta) = \eta^{\text{reco}}/\eta^{\text{truth}}$. At the second step, the calorimeter response and jet reconstruction are sensitive to the fluctuations of the particle composition of a jet and its energy distributions. The residual after pile-up corrections and first [MC](#page-114-2)-based correction is corrected by using the global sequential calibration (GSC) method, which uses information of all [EM](#page-113-5) calorimeters plus all hadronic calorimeters. Finally, Figure 5.8 shows the average energy response as a function of η_{det} of jets. The energy response is corrected for since the [MC](#page-114-2) simulation cannot perfectly model the detector responses and the interactions between the particles and the detector material, they are corrected by using three well measured reference objects $(Z, \gamma, \text{multi-jets})$. pile-up and is parametrized as a function of *E*reco.

Γ ₁ The larger center-of-mass energy and property and property variables, Γ and property variables, Γ which function $\frac{1}{100}$ 5.4.3 Flavor Tagging

The final state of signals for this analysis contains b-jets originated from the b-quarks. The flavor tagging for reconstruction and identification of b-jets from jets is important for this analysis. Basically, three different algorithms described below are used for flavor tagging:

- impact parameter based algorithm;
- *•* inclusive secondary vertex reconstruction algorithm;
- decay chain multi-vertex reconstruction algorithm.

Figure 5.8: The average energy response as a function of η_{det} for jets [\[113](#page-121-14)].

 $\frac{1}{2}$ a) $\frac{1}{2}$ The average energy response as a function of $\frac{1}{2}$ is the substitute of $\frac{1}{2}$ and $\frac{1}{2}$ Finally, a multivariate algorithm called MV2c20 is used to discriminate b-jets and other flavor jets by using the output variables obtained from each algorithm. This section describes these algorithms and more details are
given in reference [114] α [α]. given in reference [\[114](#page-122-0)].

 Error and Error , Error , Error , Error All of flavor tagging algorithms use the charged track information generated from [IDs](#page-113-3). A given track is associated with only one jet and if it satisfies the association criteria with respect to more than one jet, the jet with minimum ΔR (track, jet) is chosen. Moreover, tracks must satisfy the additional requirements (e.g. p_T , η)

Impact Parameter Based Algorithms: IP2D, IP3D $\frac{1}{2}$ Pasca Mgorianins. If $2D$, if $\frac{1}{2}D$

Impact parameter based algorithms [115] are based on the fact that a hadron containing a b-quark has long
lifetime ($c\tau \sim 450 \mu$ m). Tracks corresponding to a b-jet tend to have a larger impact parameter than the tracks correspond-ing to the other flavor jets. Thus, the signed impact parameter $(d_0, Z_0 \sin \theta)$ significances are used for these algorithms. These algorithms calculate the log likelihood ratio for b- and other-flavor hypothesises, Impact parameter based algorithms [[115\]](#page-122-1) are based on the fact that a hadron containing a b-quark has long and it discriminates between a b-jet and another flavor jet.

The difference between the IP2D and IP3D algorithms is whether the longitudinal impact parameter IP3D algorithm uses both impact parameters. Typically the longitudinal impact parameter is not affected by \mathbb{R}^n distributions of the log-likelihood ratio for the IP2D (a) and IP3D (b) b-tagging algorithm. The shape of lightflavor (dotted red) jets distribution for IP2D has a clear exponential tail at high positive values. On the other hand, the shape of light-flavor (dotted red) jets distribution for IP3D is affected by small effects of pile-up on the longitudinal impact parameter. Both distributions of b-jets (solid green) for each algorithm obtain higher value of log-likelihood ratio, compared to the light-flavor jets. $(Z_0 \sin \theta)$ is used or not. The IP2D algorithm uses only the transverse impact parameter (d_0) , while the the pile-up, and the IP2D algorithm has good robustness against the effects of pile-up. Figure [5.9](#page-52-0) shows the

Figure 5.9: The distributions of the log likelihood ratio for (a) IP2D and (b) IP3D b-tagging alge Figure 5.9: The distributions of the log likelihood ratio for (a) IP2D and (b) IP3D b-tagging algorithm [[115\]](#page-122-1).

Second Vertex Finding Algorithm: SV

6 6 a secondary vertex originated from the decay of unstable particles: long-lived particles (e.g. *KS*, Λ), photon This algorithm is used to explicitly reconstruct an inclusive displaced secondary vertex within the jet. This algorithm reconstructs two-track vertices from the candidate tracks, and these tracks are rejected if they form conversion, or particles produced by the hadronic interaction with the detector material. After that, a single vertex is reconstructed by using the tracks that survive this preselection.

Decay Chain Multi-Vertex Algorithm: JetFitter

The multi-vertex reconstruction algorithm can reconstruct the decay for $PV \rightarrow b$ -jet $\rightarrow c$ -jet using the topological structure of a weak b- and c-hadron decay. The output of this algorithm can be obtained by a Kalman filter approximating the b-hadron flight path.

Multivariate Algorithm: MV2

Finally, b-jets and other-flavor jets are discriminated by using a multivariate analysis called MV2 [\[116](#page-122-2)] that is based on a boosted decision tree (BDT) which takes as input the output variables generated from three basic algorithms. BDT training uses 5 million $t\bar{t}$ events. Figure [5.10](#page-53-0) shows the MV2c20 output for b- and other-flavor jets in $t\bar{t}$ events, and the light-flavor and c-jet rejection as a function of b-jet efficiency for MV2c00, MV2c10, $MV2c20$ b-tagging algorithms in $t\bar{t}$ events. All MV2 algorithms use a sample of jets containing b-jets as signal and other-flavor jets as backgrounds for BDT training, and they differ by the ratio of the contamination of b-jets and other-flavor jets. MV2c00 algorithm uses only background jets that are light-flavor jets for the training, while the background composition for MV2c10 is 93% light-flavor jets and 7% c-jets, and for MV2c20 it is 80% light-flavor jets and 20% c-jets.

MV2c10 has a larger rejection for c-jets, however it has a lower rejection for light-flavor jets, while the performance of MV2c10 and MV2c20 is comparable. This analysis uses the MV2c10 algorithm for b-tagging.

Figure 5.10: (a) MV2c10 output for b- and other-flavor jet, and (b) the light-flavor and (c) c-jet rejection as a function of b-jet efficiency in $t\bar{t}$ events [\[116](#page-122-2)]. Section 4.2, MV2c00 denotes the MV2 algorithm where no *c*-jet contribution was present in the training. MV2c10 Section 4.2, MV2c00 denotes the MV2 algorithm where no *c*-jet contribution was present in the training. MV2c10

Table [5.4](#page-53-1) shows the definition of the operating points calculated when integrating over all jets in the $t\bar{t}$ sample. According to the above results, we dec Similarly to the rejection v*s* eciency curves reported in Figure 10, the enhancement in *c*-jet rejection 77% b-jet efficiency. brought by the optimization of the MV2 multivariate classifier is also clearly visible over the full *p*^T and *b*-jet eciency on a *tt* ¯ sample. Table 2 shows the operating points defined for the recommended tagger battes, we decided to use in this analysis the third **b**-circle spectrum on a ttagger on a sample. The operation of the recommended tagger of the recommended tagger on the recommended tagger of the recommended tagger of the recommended tagger of the recommended tagger of the sample. According to the above results, we decided to use in this analysis the third row operating point with

Table 5.4: Operating points for MV2c10 b-tagging algorithm [\[116](#page-122-2)].

BDT Cut value	b-jet Efficiency [%] c-jet Rejection τ -jet Rejection			Light-jet Rejection
0.9349	60	34	184	1538
0.8244	70	12	55	381
0.6459	77		22	134
0.1758	85	3.1	8.2	33

5.4.4 Suppression of Pile-up Jets

Since the pile-up becomes an important component for the jet energy fraction and it affects the flavor tagging, we need to reduce the pile-up jets [\[117](#page-122-3)]. The additional transverse energy (E_T) originated from the pile-up jet can be estimated typically to subtract on average from the signal interaction of interest. The jet-vertex-fraction (JVF), defined as the ratio of the transverse momentum sum can remove the pile-up jet with minimal JVF requirement:

JVF =
$$
\frac{\sum_{k} p_{\text{T}}^{\text{trk}_{k}}(\text{PV}_{0})}{\sum_{l} p_{\text{T}}^{\text{trk}_{l}}(\text{PV}_{0}) + \sum_{n \geq 1} \sum_{l} p_{\text{T}}^{\text{trk}_{l}}(\text{PV}_{n})}.
$$
 (5.8)

as a function of jet *p*^T and jet ⌘. The distributions have been produced with a fixed cut at the 77% *b*-jet

as a function of jet *p*^T and jet ⌘. The distributions have been produced with a fixed cut at the 77% *b*-jet

Here, PV₀ is the hard-scatter vertex and PV_j; $j \ge 1$ corresponds to primary vertices that are generated by the pile-up interactions in the same bunch crossing. The case of $JVF = -1$ indicates that there are no tracks associated to jets. The number of reconstructed primary vertices increases corresponding to the increase of the number of pile-up tracks, and the denominator also increases corresponding to the number of reconstructed primary vertices. Hence, in case of a signal jet originated from hard-scatter interaction, the value of JVF tends to shift to small values.

The point is that the hard-scatter jet efficiency depends on the number of reconstructed primary vertices

 $(N_{V_{tx}})$. To fix this dependency, two track-based variables are developed: corrJVF and R_{p_T} . The pile-up jet and the signal jet are discriminated by using a multivariate analysis that takes as input the variables corrJVF and R_{p_T} . Both variables are computed from the combined information of the calorimeter and tracking and they are defined as: $4 + 1$ $6 + 1$ $1 + 1$ $1 + 6$ $\mathcal{A}^{\text{max}}_{\text{max}}$

$$
JVF = \frac{\sum_{k} p_{\text{T}}^{\text{trk}_{k}} (\text{PV}_{0})}{\sum_{l} p_{\text{T}}^{\text{trk}_{l}} (\text{PV}_{0}) + \frac{\sum_{n\geq 1} \sum_{l} p_{\text{T}}^{\text{trk}_{l}} (\text{PV}_{n})}{k \cdot n_{\text{trk}}^{\text{PU}}}, \quad R_{p_{\text{T}}} = \frac{\sum_{k} p_{\text{T}}^{\text{trk}_{k}} (\text{PV}_{0})}{p_{\text{T}}^{\text{jet}}}. \tag{5.9}
$$

Basically, corrJVF is similar to the JVF. To correct the linear increase of an average of p_T^{PV} , the term which denotes the scalar p_T sum of the associated tracks originated from pile-up interactions is divided by the total number of pile-up tracks $(n_{\text{trk}}^{\text{PU}})$ and its coefficient. Figure [5.11\(a\)](#page-54-0) shows the distribution of corrJVF for pile-up and hard-scatter jets with $20 < p_T < 30$ GeV. The distributions of corrJVF for pile-up and hard-scatter jets are different. The next variable $R_{p_{\text{T}}}$, shown in Figure [5.11\(b\),](#page-54-0) is defined as the scalar p_{T} sum of the tracks associated with the jet. These tracks originate from the hard-scatter vertex divided by the fully calibrated jet p_T . Finally, a new discriminant called the jet-vertex-tagger (JVT) is constructed using the corrJVF and R_{p_T} . Figure [5.11\(c\)](#page-54-0) shows the JVT distribution for hard-scatter and pile-up jets with $20 < p_T < 30$ GeV. A value of $JVT = -1$ is assigned to jets with no associated tracks. the associated tracks originated from phe-up interactions is divided by the total neighborhood is defined as the $\frac{1}{2}$ largely avoid in statistical flux in space in sparse in sparsely populated μ_{T} sum of the tracks distribution for hard-scatter and phe-up jets with \mathcal{L}_{tot}

Figure 5.11: (a) The distribution of corrJVF for pile-up and hard-scatter jets with $20 < p_T < 30$ GeV, (b) the Primary-vertex dependence of the hard-scatter jet eciency for 20 < *p*^T < 30 GeV (solid markers) and α distribution of $R_{p_{\rm T}}$ for phe-up and nard-scatter jets and (c) JVT d outputs generated from corrJVT and $R_{p_{\rm T}}$ [117]. vertex dependence of the hard-scatter jet eciency for 20 < *p*^T < 30 GeV (solid markers) and 30 < *p*^T < or phe-up and hard-scatter jets and (c) JVT distribution to hiput the (i.e. no associated tracks) are omitted in this figure. Jets with *R*pT > 1 have JVT from 0.98 to 1 and are not distribution of $R_{p_{\text{T}}}$ for pile-up and hard-scatter jets and (c) JVT distribution to input the

 $5.4.5$ Jet Definition

Table [5.5](#page-55-0) shows the definition of the three criteria for jets and b-tagging used in this analysis: baseline jet, the signal criterion adds η and JVT selection values. In addition, the criterion of b-jets includes the signal jet signal jet, b-tagged jet. The baseline criterion is applied only for jet candidates with p_T above 20 GeV, and criterion and additional MV2c10 selection for b-tagging, except for the p_T selection value, which is the same as *R*pT is peaked at 0 and steeply falling for pileup jets, where no or only little *p*T from the *pT* from tracks from the *pT* from tracks from the *pT* from tracks from the *pT* from the *pT* from the *pT* from the *pT* for the baseline criterion.

are associated with the hard-scatter vertex, its definition is at first order independent of *N*Vtx. The *R*pT 5.5 Missing Transverse Momentum

The final states of the signal considered in this analysis contains two neutralinos and one neutrino, which cannot selected by the ATI AS detect be detected by the [ATLAS](#page-113-4) detector. For this reason, the direct reconstruction of any neutralinos and neutrinos is impossible, and we need to reconstruct of the momenta of these particles using kinematic information of the

baseline jet	signal jet	b-iet
$p_{\rm T} > 20~\mathrm{GeV}$	$p_{\rm T} > 25~\mathrm{GeV}$	$p_{\rm T} > 20~\mathrm{GeV}$
	$ \eta < 2.5$	$ \eta < 2.5$
	\mid JVT $=0.59$ for $ \eta <2.4$ and $p_{\rm T}<60 GeV$	JVT = 0.59 for $ \eta $ < 2.4 and $p_T < 60 GeV$
		$\text{MV2c10} > 0.6459 \ (\epsilon_{b-tagging} > 77\%)$

Table 5.5: Definition of baseline jets, signal jets, and b-jets.

final state particles. In case of the *[pp](#page-113-0)* collisions, the longitudinal momentum, which is parallel to the beam axis is not constrained due to the unknown initial parton momentum, but fortunately the transverse momentum is known. The missing transverse momentum $(E_{\text{T}}^{\text{miss}})$ is measured as an imbalance in the sum of visible transverse momenta and it includes the transverse momenta of the invisible particles, such as neutralinos and neutrinos. The $E_{\rm T}^{\rm miss}$ reconstruction uses the calibrated hard objects and soft-term containing the residual visible momenta mainly from soft jets ($p_T < 20$ GeV) and misidentified muons, and it is defined as:

$$
E_{\rm T}^{\rm miss} = \sqrt{(E_x^{\rm miss})^2 + (E_y^{\rm miss})^2},\tag{5.10}
$$

components:
$$
E_{x(y)}^{\text{miss}} = \sum_{\text{particles}=(e,\gamma,\tau,\text{jets},\mu)} E_{x(y)}^{\text{miss},\text{particles}} + E_{x(y)}^{\text{miss},\text{soft-term}},
$$
 (5.11)

where $E_{x(y)}^{\text{miss}}$ is the component of $E_{\text{T}}^{\text{miss}}$ and they can be calculated from the sum of object terms. Each object term is given by the negative vectorial sum of the momenta corresponding to each particle $(E_{x(y)}^{\text{miss, particles}} =$ $-\sum p_{x(y)}^{\text{miss, particles}}$). This calculation uses all baseline electrons, muons, photons, τ , and jets, and the overlap of these objects is removed. The soft-term is calculated by the track soft term algorithm (TST)) [[118\]](#page-122-4), and the TST sums over the momenta of tracks that are reconstructed by using the information of only inner detectors and not associated to any jets. In addition, the tracks with momentum uncertainties larger than 40% are removed.

 $\mathbf{5.5.1} \quad E_{\mathrm{T}}^{\mathrm{miss}} \ \mathbf{Triggers}$

This analysis focuses on both signal topologies with high $E_{\rm T}^{\rm miss}$ described in Section [6](#page-58-0) and [7.](#page-90-0) Thus, we use the datasets which are selected by $E_{\rm T}^{\rm miss}$ triggers called xe trigger to get signal-like events. The threshold of the xe trigger are sometimes changed during the run in order to keep trigger rates under control and thus the datasets corresponding to the $E_{\rm T}^{\rm miss}$ trigger used in this analysis are:

- HLT_xe70_L1XE50 (2015);
- HLT_xe90_mht_L1XE50 (2016, A-D3);
- HLT_xe100_mht_L1XE50 (2016, D4-F1);
- *•* HLT xe110 mht L1XE50 (2016, F2-L).

Here, [L1](#page-114-11)XE indicates the use to the $E_{\rm T}^{\rm miss}$ trigger based on roughly reconstructed $E_{\rm T}^{\rm miss}$ from the L1 calorimeter [RoIs.](#page-114-12) The transverse energy threshold is above 50 GeV. After passing the [L1](#page-114-11) trigger, the HLT trigger algorithms (HLT xe) are used. The HLT xe70 L1XE50 used in 2015 data-taking is calculated based on the calorimeter cells approach. This calculates the contribution of $E_{\rm T}^{\rm miss}$ by the summation of $p_{x,y}^i = E_i \cos \theta_i \sin \phi_i$ obtained at each cell in both LAr and tile calorimeter. Finally, $E_{\rm T}^{\rm miss}$ is calculated by the negative vectorial sum of each cell's contribution. The xe trigger with mht calculates $E_{\text{T}}^{\text{miss}}$ directly by summing over the jets reconstructed with the trigger algorithm.

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To identify the trigger plateau, the efficiency for the xe trigger is studied. For this purpose, we use events taken by the single lepton trigger and we select events with exactly 1 lepton, at least 4 jets and least 1 b-tag. In other to reduce the contamination from multi-jet events, further cleaning cuts are applied: $m_T > 30$ GeV, $|\Delta\phi(\text{jet}_i, \vec{p}_T^{\text{miss}})| > 0.4$ with $i = 1.2$. Figure [5.12](#page-56-0) shows the E_T^{miss} trigger efficiencies as a function of the offline $E_{\rm T}^{\rm miss}$. The agreement of the trigger efficiency in data and [MC](#page-114-2) is good in both channels down to 200 GeV. The trigger efficiency is above 98% for $E_{\rm T}^{\rm miss} > 230~{\rm GeV}$, and thus this analysis requires the offline threshold value to be 230 GeV.

Figure 5.12: Trigger efficiency (a) for HLT_xe110_mht_L1XE50 in muon events and (b) for stxe trigger (including xe90, xe100 and xe110) electron events.

5.6 Overlap Removal

When candidates that pass the object selection overlap with each other, we need to remove the overlap in order to avoid double-counting. The overlap removal (OR) procedure restores the correct objects by comparing candidates with the selection corresponding to each object. In addition, the OR procedure is based on an improved acceptance for real leptons, and the optimal OR procedure is detailed below:

- 1. Electron/Muon OR: The loose muons are reconstructed from the calo-tagged muons, and they can also be reconstructed as electrons. If a muon and an electron overlap within ∆*R <* 0*.*01, the muon is removed if it is a calo-tagged muon, else the electron is removed;
- 2. Electron/Jet OR: If a baseline electron and a baseline non b-tagged jet are found within ∆*R <* 0*.*2, the object is interpreted as an electron and the overlapping jet is removed;
- 3. Muon/Jet OR: If a baseline muon can be the same as a baseline non b-tagged jet with the ghost-matched algorithm within ∆*R <* 0*.*4, the object is interpreted as a muon if either of the following requirements is satisfied:
	- The jet has less than 3 tracks with $p_T > 500$ MeV,
	- The p_T ratio of the muon and jet is greater than 0.7 ($p_T^{\mu}/p_T^{\text{jet}} > 0.7$);
- 4. Jet/Lepton OR: If a jet passing previous OR steps overlaps with a lepton in a cone of radius *R* = $0.04 + 10/p_T^ℓ$ (up to a maximum radius of 0.4), the lepton is removed;
- 5. Electron/Tau OR: If an electron passing previous OR steps overlaps with a tau in a cone of radius $R = 0.1$, the tau is removed;

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6. Tau/Jet OR: Tau objects are only used to compute the m_{T2}^{τ} variable described in reference [[119\]](#page-122-5) and veto on it. If the event passes the veto the tau object is no longer used and instead the jet object is considered for the rest of the computations.

Chapter 6

Analysis for the Higgsino LSP Scenario

This chapter describes the search for stop pair production in the higgsino [LSP](#page-114-8) scenario. The sections provide the target event topology, the event selection, the background estimation, the statistical analysis, the systematic uncertainties, and the result.

6.1 Event Topology

Figure [6.1](#page-58-1) shows the target event topology of the analysis of the higgsino [LSP](#page-114-8) scenario. This analysis focuses on a scenario with mass difference between the chargino and the neutralino to be 5 GeV. The momentum of final state particles and $E_{\rm T}^{\rm miss}$ are relatively low because a large part of the momentum or the energy of the chargino is used to generate the neutralino. It is challenging to detect low momentum particles with a high detection efficiency and an effective suppression of background particles. Therefore, a specific topology with the [ISR](#page-114-7) with high momentum (high-[ISR](#page-114-7)) is employed. The final state particles are boosted and can have higher momenta. The target event contains at least one high- p_T jet, large E_T^{miss} , and one isolated soft lepton (ℓ) . The event selection has been optimized for two benchmark parameter sets (a) $(m_{\tilde{t}_1}, m_{\tilde{\chi}_1^{\pm}}, m_{\tilde{\chi}_1^0}) = (350 \text{ GeV}, 305 \text{ eV})$ GeV, 300 GeV) and (b) $(m_{\tilde{t}_1}, m_{\tilde{\chi}_1^{\pm}}, m_{\tilde{\chi}_1^0}) = (300 \text{ GeV}, 255 \text{ GeV}, 250 \text{ GeV}).$

Figure 6.1: Illustration of the target event topology with high-ISR.

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There are two main [SM](#page-113-1) backgrounds. One is the $t\bar{t}$ background and the other is the $W +$ jets background. The $t\bar{t}$ production has a large cross section in pp collisions, and a top quark decays into one *W* boson and *b* quark with nearly 100% [BR](#page-113-6). In case a *W* boson decays into lepton pair, the final state has exactly same particles. In case a lepton is reconstructed for the $t\bar{t}$ events with hadronic *W* decays (fake lepton), the event constitute a background. The *W* + jetsbackground arises when the *W* boson decays to a lepton pair and the jets include a high- p_T jet. Figures [6.2](#page-59-0) show the illustrations of the event topology for signal, $t\bar{t}$, and $W + \text{jets}$. Typically, $t\bar{t}$ and W + jets backgrounds have decay products in both directions with respect to $\vec{p}_{\rm T}^{\rm miss}$.

Figure 6.2: Event topologies for (a) signal and main backgrounds (b) $t\bar{t}$ and (c) $W + \text{jets}$.

6.2 Event Selection for Signal Region

The events of *[pp](#page-113-0)* collisions' data have to be selected to obtain the signal like events. A [signal region \(SR\)](#page-114-13) is defined with kinematic variables. Table [6.1](#page-61-0) shows the summary of [SR](#page-114-13) for the higgsino [LSP](#page-114-8) scenario. The requirements on kinematic variables are determined as explained in the following subsections.

6.2.1 Preselection

Preselection of the events is defined for the higgsino [LSP](#page-114-8) scenario. The jet with the highest p_T should not be a b-tagged jet because [ISR](#page-114-7) is mostly light flavor quarks. It is required to have p_T higher than 400 GeV. E_T^{miss} is required to be higher than 230 GeV so that the trigger efficiency is inside the plateau region (see Section [5.5.1](#page-55-1)). Exactly one lepton with p_T higher than 4 GeV for a muon (5 GeV for an electron) is required. At least two jets including minimum one b-tagged jet are required.

6.2.2 Kinematic Variables

Several kinematic variables are defined to reduce the [SM](#page-113-1) backgrounds and to enhance the signal sensitivity in the [SR.](#page-114-13)

Figure 6.3: Distributions of the variables used for preselection for the higgsino [LSP](#page-114-8) scenario: (a) $p_T^{\text{jet}_1}$, (b) $E_{\rm T}^{\rm miss},$ (c) jet multiplicity, and (d) b-tagged jet multiplicity.

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Table 6.1: Summary of the event selection for [SR](#page-114-13) of the higgsino [LSP](#page-114-8) scenario. The jet with the highest p_T among the jets in an event should not be b-tagged.

Transverse Mass

Transverse mass m_T is defined as the invariant mass calculated from the energy and momentum in a plane perpendicular to the beam axis for a particle which decays into two particles. This variable can be calculated from one visible particle and another invisible particle such as neutrino:

$$
m_{\rm T} = \sqrt{2 \cdot p_{\rm T}^{\ell} \cdot E_{\rm T}^{\rm miss} \left(1 - \cos\Delta\phi(\vec{\ell}, \vec{p}_{\rm T}^{\rm miss})\right)}.
$$
\n(6.1)

Here p_T^{ℓ} is the lepton p_T , and $\Delta\phi(\vec{\ell}, \vec{p}_T^{\text{miss}})$ is the azimuthal angle between the lepton and \vec{p}_T^{miss} directions. This variable is used to characterize the mass of a leptonically decaying *W* boson. The distribution provides a Jacobian peak at W boson mass (about 80 GeV). Since only transverse information is used to calculate *m*T, *m*^T is a good kinematic variable to separate the signal and the background in the environment where the longitudinal information of a neutrino can not be obtained.

Minimum Azimuthal Opening Angle

The minimum azimuthal opening angle $\min(\Delta\phi(\vec{p}_T^{\text{miss}}, b\text{-jet}))$ is defined as the minimum azimuthal angle between b-jet and $\vec{p}_{\rm T}^{\rm miss}$ among all possible pairs of b-jet and $\vec{p}_{\rm T}^{\rm miss}$. The signal events have smaller value due to high-ISR.

Ratio between Lepton Transverse Momentum and Missing Transverse Energy

The ratio between lepton transverse momentum and missing transverse energy $p_T^{\ell}/E_T^{\text{miss}}$ is lower for signal events due to low- p_T lepton and high E_T^{miss} .

Reconstructed Top Mass

The reconstructed top mass $m_t^{\text{reclustered}}$ is used to suppress $t\bar{t}$ backgrounds with di-leptonic or semi-leptonic decays. Figure [6.4](#page-62-0) shows the illustrations of the top reconstruction algorithm. An algorithm based on the anti- k_t clustering of small-radius jets is used. First, all small-radius jets in the event are clustered by using the anti- k_t algorithm with a large radius parameter $R_0 = 3.0$. Next, each of the resulting very-large-radius jets are iteratively shrunk, until their radius matches their p_T , following the approximation $R(p_T)=2 \times 175 \text{ GeV}/p_T$ within the range $(0.3 < R < 0.5)$. Figure [6.5](#page-62-1) shows the distribution of the mass of the reconstructed top candidates for di-leptonic or semi-leptonic $t\bar{t}$ events. The semi-leptonic $t\bar{t}$ event has the peak around 175 GeV.

Figure 6.4: The illustration of the top reconstruction algorithm.

Figure 6.5: The black (red) histogram shows the reclustered jet mass for $t\bar{t}$ events with di-leptonic (semi-leptonic) decays.

6.2.3 SR Optimization

The selection for the [SR](#page-114-13) was optimized to reject the [SM](#page-113-1) backgrounds as much as possible and to obtain a high sensitivity of the excess from the [SM](#page-113-1) prediction. All [SM](#page-113-1) backgrounds, which are considered to remain in the [SR,](#page-114-13) were taken into account by using the [MC](#page-114-2) simulation: $t\bar{t}$, $W + \text{jets}$, single-produced top quark (single-top), top quark pair production in association with vector boson $(t\bar{t} + V)$, *Z* boson production in association with jets $(Z + \text{jets})$ and two vector-bosons production (diboson). The total background systematic uncertainty was assumed to be 30% for this optimization.

The expected sensitivity is calculated by using the statistical method described in Appendix [A.](#page-108-0) A backgroundonly hypothesis testing was used. The significance Z value $(Z = \Phi^{-1}(1-p))$, where p is the p-value), which is approximated by using numerical method $[120, 121]$ $[120, 121]$ $[120, 121]$ $[120, 121]$, is used for the [SR](#page-114-13) optimization. If $Z = 3$ (it is equivalent

to $p = 1.3 \times 10^{-3}$), an evidence of the inconsistency between the data and the background-only hypothesis is implied.

6.2.4 Selection Optimization Scan

The selection is optimized to obtain a higher Z value. The baseline selections are set before the optimization:

- *•* exactly one signal soft lepton (described in Section [5.2.2](#page-45-2) and [5.3.2](#page-47-1))
- $E_{\rm T}^{\rm miss} > 230$ GeV for $E_{\rm T}^{\rm miss}$ trigger efficiency plateau,
- $N_{\text{iets}} \geq 2$ signal jets (signal jets described in Section [5.4.5\)](#page-54-1),
- $p_{\rm T}^{\rm jet_1} > 400 \text{ GeV},$
- $N_{\text{b-jets}}(p_{\text{T}}^{\text{b-jets}} > 25 \text{ GeV}) \ge 1.$

After requiring the baseline selection, the requirements for other kinematic variables are optimized. To reduce the uncertainty on the expected Z value, the selection is optimized with the number of events after the selection no to be too small. Table [6.2](#page-63-0) shows the scanned cut values. The final optimal values are shown in Table [6.1.](#page-61-0)

Table 6.2: The list of scanned cut values of several kinematic variables.

Cut variables	Scanned cut values
$E_{\rm T}^{\rm miss}$ [GeV]	$>$ 230, $>$ 300, $>$ 360, $>$ 420, $>$ 480
m_T [GeV]	$<$ 150, $<$ 125, $<$ 100, $<$ 75, $<$ 50
$\min(\Delta\phi(\vec{p}_{\rm T}^{\rm miss}, b\text{-jet}))$	< 2.2, < 1.8, < 1.5, < 1.3, < 0.9
$p_T^{\ell}/E_{\rm T}^{\rm miss}$	$< 0.05, < 0.04, < 0.03, < 0.02, < 0.01$
$m_t^{\text{reclustered}}$ [GeV]	$<$ 250, $<$ 200, $<$ 150, $<$ 100, $<$ 50

If the cut value of $E_{\rm T}^{\rm miss}$ (Figure [6.3\(b\)](#page-60-0)) is 300 GeV, the Z value is more than 3 for the benchmark point (a). The peak Z value is obtained with $E_{\rm T}^{\rm miss} > 420$, but the numbers of events for signal and backgrounds are less and the statistical uncertainty becomes larger. Therefore, the $E_{\rm T}^{\rm miss}$ is 300 GeV. Figure [6.6\(a\)](#page-64-0) shows the m_T distribution for the events for which all the requirements except for the m_T requirement are applied. Since the $t\bar{t}$ and W + jets backgrounds can have one lepton and neutrino from W boson decay, m_T distributions of those backgrounds have a peak around the *W* boson mass. In addition, m_T distribution for dileptonic $t\bar{t}$ events, where one lepton is not identified, is outside the detector acceptance, or is a hadronically decaying tau lepton, tend to have a higher value due to a requirement of high $E_{\rm T}^{\rm miss}$. Therefore, $m_{\rm T}$ is required to be less than 50 GeV. Figure [6.6\(b\)](#page-64-0) shows the distributions of $\min(\Delta\phi(\vec{p}_T^{\text{miss}}, b\text{-jet}))$ for the events for which all the requirements except for the $\min(\Delta\phi(\vec{p}_{T}^{\text{miss}}, b\text{-jet}))$ requirement are applied. To reduce $W + \text{jets background, which has flat }$ min($\Delta\phi(\vec{p}_{\rm T}^{\rm miss}, b$ -jet)) distribution restriction of the direction for b-tagged jets, min($\Delta\phi(\vec{p}_{\rm T}^{\rm miss}, b$ -jet)) is required to have less than 1.5. Figure [6.6\(c\)](#page-64-0) shows the $p_T^{\ell}/E_T^{\text{miss}}$ distribution. The signal has a soft lepton and high E_T^{miss} , while, the backgrounds such as $t\bar{t}$ and W + jets have a high- p_T lepton when they have high E_T^{miss} . Therefore, the ratio for the signal has the peak in the low $p_T^{\ell}/E_T^{\text{miss}}$ region and $p_T^{\ell}/E_T^{\text{miss}}$ is required to be less 0.02. Figure $6.6(d)$ shows the $m_t^{\text{reclustering}}$ distribution. Since a [stop](#page-114-14) of the signal event can not decay into the top quark, the signal events have a peak at around zero. The $t\bar{t}$ backgrounds have a peak at around 175 GeV. Therefore, $m_t^{\text{reclustered}}$ is required to be less than 150 GeV.

Figure 6.6: Distributions of kinematic variables after the event selection except for the requirements on the variable for which the distribution is shown for the higgsino SR optimization: (a) m_T , (b) $\min(\Delta\phi(\vec{p}_{\rm T}^{\rm miss}, b\text{-jet})),$ (c) $p_{\rm T}^{\ell}/E_{\rm T}^{\rm miss}$, and (d) $m_t^{\rm{reclustered}}$.

6.3 Background Estimations

After the selection, which have topologies similar to the signal, remain in this [SR](#page-114-13). The background events in [SR](#page-114-13) should be precisely estimated. A semi-data driven method called [control region \(CR\)](#page-113-7) technique is used for the estimation of some backgrounds. The fake lepton background originating from the [QCD/](#page-114-0)multi-jets processes possibly affects [SR](#page-114-13). The effect of this background was estimated with fully data-driven method called "fake factor method". Other minor backgrounds such as the dilepton, single-top, $Z + jets$, and $t\bar{t} + V$ have small contribution and are estimated by using [MC](#page-114-2) simulation.

6.3.1 Semi-Data Driven Method

The semi-data driven method uses the [CRs](#page-113-7) in which background events are dominant. The background events in [SR](#page-114-13) in the [MC](#page-114-2) sample are corrected by the number of events in [CR](#page-113-7) in the data sample. The background predictions in [SR](#page-114-13) called "normalized background predictions" are estimated with [MC](#page-114-2) samples scaled using the "normalization factors" (μ_p) which are computed with the fit in the corresponding [CRs](#page-113-7). The relation between the normalized background predictions and normalization factors are defined as:

$$
N_p(\text{SR}) = \frac{N_p(\text{CR}, \text{ data})}{N_p(\text{CR}, \text{ MC})} \times N_p(\text{SR}, \text{ MC}) = \mu_p \times N_p(\text{SR}, \text{ MC})
$$
(6.2)

where the $N_p(SR)$ is the number of events of normalized background predictions and $N_p(CR, MC)$ and $N_p(SR, MC)$ are the numbers of [MC](#page-114-2) events in [CR](#page-113-7) and [SR,](#page-114-13) respectively. The total uncertainty for the backgrounds in the [SR](#page-114-13) is a combination of the statistical uncertainties in the [CRs](#page-113-7) and the residual systematic uncertainties for extrapolation. The [CRs](#page-113-7) are designed with the following requirements to reduce the extrapolation uncertainties to the [SR](#page-114-13):

- high purity for one type of dominant background,
- free of signal contamination.
- looser selection than signal region.

In this analysis, the main backgrounds are $t\bar{t}$ and $W + \text{jets}$. The definitions of the [CR](#page-113-7) for the $t\bar{t}$ background (T[CR](#page-113-7)) and the CR for the $W +$ jets background (WCR) are summarized in Table [6.3](#page-65-0). For validations of the estimation, the [validation region \(VR\)](#page-114-15) is defined as shown in Table [6.3](#page-65-0).

Table 6.3: Overview of the event selections for [SR,](#page-114-13) [CRs](#page-113-7), and [VRs](#page-114-15). Square brackets are used to show a range of the requirement.

Cut Variables	SR.	TCR.	TVR.	WCR.	WVR.
Number of b-tagged jets	>1	>1	>1	$=1$	$=1$
m_T [GeV]	< 50	< 160	< 160	< 160	< 160
$\min(\Delta\phi(\vec{p}_{\rm T}^{\rm miss}, b\text{-jet}))$	< 1.5	< 1.5	< 1.5	>1.5	>1.5
$p_{\rm T}^{\ell}/E_{\rm T}^{\rm miss}$	< 0.02	[0.03, 0.1]	< 0.03	[0.03, 0.1]	< 0.03
$m_t^{\text{reclustered}}$ [GeV]	< 150	> 150	>150	< 150	< 150

6.3.2 QCD/Multi-Jets Estimation

The lepton p_T of the higgsino [SR](#page-114-13) is relatively low. A low momentum particle in the QCD/multi-jets events can be misidentified as a lepton. It is important to estimate the QCD/multi-jets effect. A data-driven method called "fake factor method" is used for the estimation.

Two types of lepton selection criteria are used in this method. They are defined as "ID lepton" and "Anti-ID lepton" described in Table [6.4](#page-66-0). The ID lepton is required to pass the tight identification criterion, which is the same as that used for "signal lepton". On the other hand, Anti-ID lepton is required to mass the loose identification criterion, which is the same as that used for "baseline lepton", and is required not to pass the "signal lepton" criterion. The Anti-ID lepton includes more fake leptons. The [QCD/](#page-114-0)multi-jets event in [SR](#page-114-13) is estimated by the following three steps: 1) fake factor measurement, 2) [QCD](#page-114-0) CR measurement, and 3) [QCD](#page-114-0)/multi-jets estimation.

Table 6.4: Definition of ID and Anti-ID leptons

1) Fake Factor Measurement

The fake factor (F) is defined as:

$$
F_{\rm lepton} = \frac{N_{\rm ID}^{\rm lepton}}{N_{\rm Anti-ID}^{\rm lepton}} \text{ (lepton = } e \text{ or } \mu\text{)},\tag{6.3}
$$

where the nominator is the number of ID lepton $(N_{\text{ID}}^{\text{lepton}})$ and the denominator is the number of Anti-ID lepton ($N_{\text{Anti-ID}}^{\text{lepton}}$). It is measured in a low $E_{\text{T}}^{\text{miss}}$ region, where the [QCD](#page-114-0)/multi-jets event is enhanced. The jet enriched data samples triggered by several pre-scaled single leptons instead of the $E_{\rm T}^{\rm miss}$ trigger are used. The fake factor depends on the lepton p_T and it is calculated independently in five bins of the lepton p_T . Table [6.5](#page-66-1) shows the relation between the bin of lepton p_T and pre-scaled triggers. Since the pre-scale values are independent and the integrated luminosity is different for each pre-scaled trigger, the data and [MC](#page-114-2) samples are normalized with an arbitrary luminosity, that is 10 pb^{-1} in this analysis.

Table 6.5: The relation between pre-scaled single electron and muon triggers and the bin of lepton p_T .

"lhvloose" means that the likelihood selection for a trigger selection is loose and the backgrounds are enriched in the data. "L1EM" indicates the [L1](#page-114-11) trigger for electromagnetic objects, with the following number showing the threshold in a unit of GeV. The character "mu" indicates the muon trigger with the follwing number showing the threshold in a unit of GeV.

In the high m_T region, the real-lepton backgrounds arising from the $t\bar{t}$ and $W + \text{jets}$ processes are dominant instead of fake lepton background. Therefore, the fake factor CR and fake factor SR are defined as in Figure [6.7.](#page-67-0)

Figure 6.7: Definition of the fake factor [SR](#page-114-13) $(m_T < 40 \text{ GeV})$ and [CR](#page-113-7) $(100 \text{ GeV} < m_T < 200 \text{ GeV})$.

The normalization factor is measured with the m_T distribution in the fake factor [CR](#page-113-7), and the real-lepton backgrounds are estimated by applying this factor to the number of events in the fake factor [SR.](#page-114-13) Table [6.6](#page-67-1) shows the result for the normalization factors.

Normalization factor	Anti-ID lepton	ID lepton
NF_{el}	2.87 ± 0.28	1.51 ± 0.1
NF_{mu}		1.54 ± 0.18 1.11 ± 0.06

Table 6.6: Normalization factors calculated in the fake factor [CR.](#page-113-7)

Since almost all lepton candidates which pass Anti-ID lepton criterion are not real-leptons, the difference between data and [MC](#page-114-2) is larger than the ID lepton events. Figures [6.8](#page-68-0) and [6.9](#page-69-0) show the $E_{\rm T}^{\rm miss}$ and $m_{\rm T}$ distributions with the normalization factors applied. Data in high m_T region is consistent to MC applied normalization factors. The data of $E_{\rm T}^{\rm miss}$ distributions are rough because the statistic of data taken by prescaled triggers is very low.

Figure 6.8: $E_{\rm T}^{\rm miss}$ distributions for (a) ID electron, (b) ID muon, (c) Anti-ID electron, and (d) Anti-ID muon. All distributions are obtained by applying the normalization factors.

Figure 6.9: m_T distributions for (a) ID electron, (b) ID muon, (c) Anti-ID electron, and (d) Anti-ID muon. All distributions are obtained by applying the normalization factors.

Figures [6.10](#page-70-0) show the lepton p_T distributions of ID and Anti-ID leptons. The fake factors are computed by taking the ratio of the number of ID leptons to the number of Anti-ID leptons as a function of p_T . The real lepton contamination is subtracted when measuring the fake factor.

Figure 6.10: Lepton p_T distributions of (a) ID electron, (b) ID muon, (c) Anti-ID electron and (d) Anti-ID muon in the fake factor [SR](#page-114-13) $(m_T < 40 \text{ GeV})$.

Figure 6.11: Fake factor distributions for (a) electron and (b) muon. The red hatched region indicates the statistical uncertainty plus background subtraction uncertainty (*±*5%). The blue hatched region indicates the total uncertainty including the uncertainty shown by red hatched region plus the sample composition uncertainty.

The results of fake factor are shown in Figures [6.11](#page-71-0). Backgrounds may not be estimated correctly due to some effects: pre-scaled trigger effect, insufficient backgrounds statistics, etc. The systematic uncertainty is the maximum difference between fake factors when the total number of ID and Anti-ID backgrounds are changed by *±*5% as shown in Figures [6.12](#page-71-1).

Figure 6.12: Fake factor distributions for (a) electron and (b) muon with different background subtractions.

The systematic uncertainty due to the difference of the fake lepton composition between SR and a region where the fake factor is measured. Figure [6.13](#page-72-0) shows this uncertainty. The p_T of the away-side jet is varied by changing the composition. The total uncertainty of fake lepton is around 30%.

Figure 6.13: Fake factor distributions for (a) electron and (b) muon with different background subtractions.

2) QCD/Multi-Jets CR Measurement

[QCD](#page-114-0)/multi-jets [CR](#page-113-0) is defined by the same requirements as those for [SR](#page-114-1) except for Anti-ID lepton criteria instead of ID lepton criteria. In this sample, the Anti-ID leptons are treated with the same way as the ID leptons in the [SR,](#page-114-1) for example in the $E_{\rm T}^{\rm miss}$ calculation and the overlap removal. The number of [QCD](#page-114-0) [CR](#page-113-0) events $(N_{\text{QCR}}^{\text{QCD}})$ $(N_{\text{QCR}}^{\text{QCD}})$ $(N_{\text{QCR}}^{\text{QCD}})$ affected by only [QCD/](#page-114-0)multi-jets is defined as:

$$
N_{\text{QCR}}^{\text{QCD}} = N_{\text{QCR}} - N_{\text{QCD}}^{\text{non-QCD}}.\tag{6.4}
$$

It is estimated by subtracting [SM](#page-113-1) backgrounds ($N_{\text{QCD}}^{\text{non-QCD}}$ $N_{\text{QCD}}^{\text{non-QCD}}$ $N_{\text{QCD}}^{\text{non-QCD}}$) from the total number of events in QCD [CR](#page-113-0) (N_{OCR}) . Since the usual lepton scale factors are not appropriate due to the use of Anti-ID lepton criteria, the normalization of the [SM](#page-113-1) backgrounds is not trivial. Therefore, the dedicated normalization factors need to be applied. The normalization factors are calculated in the soft-lepton preselection described in Table [6.7.](#page-73-0)

Selection	Comments
$E_{\rm T}^{\rm miss}$ triggers	
jet cleaning	veto events that contain a jet that fails the loose jet cleaning criteria
	exactly one soft lepton $p_T > 4(5)$ GeV for muon(electron), no additional baseline leptons
	$p_T < 25$ GeV for data/MC plots (no cut for the higgsino SR)
≥ 2 signal jets	
≥ 1 <i>b</i> -jet	
Leading and second jet $p_T > 25 \text{ GeV}$	
$E_{\rm T}^{\rm miss} > 230~{\rm GeV}$	start of the $E_{\rm T}^{\rm miss}$ trigger plateau
$ \Delta\phi(j_{1.2}, \vec{p}_{\rm T}^{\rm miss}) > 0.4$	control of QCD/multi-jet backgrounds

Table 6.7: Soft-lepton preselection for the normalization factor calculation.

To reduce the [QCD](#page-114-0)/multi-jets effect and to increase the SM backgrounds effect, the $E_{\rm T}^{\rm miss}$ and $m_{\rm T}$ selections are varied. The results are shown in Figure [6.14.](#page-73-1)

Figure 6.14: Normalization factors for (a) electron and (b) muon with various selections.

The normalization factors are saturated in high $E_{\rm T}^{\rm miss}$ and $m_{\rm T}$ region, and the requirement on $E_{\rm T}^{\rm miss}$ is 230 GeV and the requirement on m_T is 100 GeV. The normalization factor for election is 1.23 \pm 0.07 and the normalization factor for muon is 1.18 ± 0.06 . The backgrounds composition uncertainty is included in these errors.

Figure [6.15](#page-74-0) shows $E_{\rm T}^{\rm miss}$ and $m_{\rm T}$ distributions in [QCD](#page-114-0) [CR](#page-113-0) with the selection shown in Table [6.7](#page-73-0) replacing $E_{\rm T}^{\rm miss} > 230$ GeV by $E_{\rm T}^{\rm miss} > 50$ GeV. There is a large difference between data and [SM](#page-113-1) backgrounds in low $E_{\rm T}^{\rm miss}$ and m_T regions due to the [QCD](#page-114-0)/multi-jets background. On the other hand, there is no significant difference in high $E_{\rm T}^{\rm miss}$ and $m_{\rm T}$ regions, and the data is consistent with [SM](#page-113-1) background except for [QCD/](#page-114-0)multi-jets. The effect of [QCD](#page-114-0)/multi-jets is smaller in high momentum regions.

Figure 6.15: $E_{\rm T}^{\rm miss}$ distributions in the fake lepton CR for (a) electron channel and (b) muon channel, and $m_{\rm T}$ distributions in the fake lepton CR for (c) electron channel and (d) muon channel.

3) QCD/Multi-Jets Estimation

The [QCD/](#page-114-0)multi-jets background in the SR $(N_{\rm SR}^{\rm QCD})$ $(N_{\rm SR}^{\rm QCD})$ $(N_{\rm SR}^{\rm QCD})$ is estimated by multiplying the fake factor to $N_{\rm QCR}^{\rm QCD}$:

$$
N_{\text{SR,lepton}}^{\text{QCD}} = N_{\text{QCR,lepton}}^{\text{QCD}} \times F_{lepton} \text{ (lepton = } e \text{ or } \mu\text{)}.
$$
 (6.5)

The [QCD/](#page-114-0)multi-jets estimation is validated with the selection summarized in Table [6.7](#page-73-0). Figure [6.16](#page-75-0) shows the $E_{\rm T}^{\rm miss}$ distributions and $m_{\rm T}$ distributions with $E_{\rm T}^{\rm miss} > 50$ GeV instead of $E_{\rm T}^{\rm miss} > 230$ GeV for both lepton channels. Figure [6.17](#page-75-1) shows the lepton p_T distributions with the same selection. The [QCD](#page-114-0)/multi-jets are well predicted in both of electron and muon channels. The [QCD](#page-114-0)/multi-jets background are estimated for the higgsino [SR](#page-114-1) is summarized in Table [6.8](#page-76-0).

Figure 6.16: $E_{\rm T}^{\rm miss}$ distributions in the SR with $E_{\rm T}^{\rm miss} > 50$ GeV selection for (a) electron and (b) muon, and m_T distributions in the SR with $E_T^{\text{miss}} > 50$ GeV selection for (c) electron and (d) muon.

Figure 6.17: Lepton p_T distributions in the SR with $E_T^{\text{miss}} > 50 \text{ GeV}$ selection for (a) electron channel and (b) muon channel.

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Table 6.8: Result of the [QCD/](#page-114-0)multi-jets estimation for the higgsino [SR.](#page-114-1)

The statistical and systematic uncertainties of [SM](#page-113-1) backgrounds except for [QCD/](#page-114-0)multi-jets background described in Section [6.5](#page-79-0) is around 5. The [QCD](#page-114-0)/multi-jets background is relatively small, and neglected in this analysis.

6.4 Systematic Uncertainties

In order to quantify the evidence of new physics with small statistics from the comparison between data and [MC](#page-114-2), the statistical significance is needed to certify with the all systematics. This section discusses the statistical analysis for this analysis and all systematic uncertainties considered in this analysis.

6.4.1 Systematic Uncertainties

The systematic uncertainties impact on the signal and background estimations. The main components are experimental uncertainties and theoretical uncertainties. These systematic uncertainties are included as nuisance parameters with Gaussian constraints (θ) and these parameters are profiled in the likelihood fit.

There are two types of uncertainties. The one affects the extrapolation from the CRs into the SRs. The uncertainties with this type are implemented as the uncertainties on the transfer factor (TF):

$$
TF = \frac{\text{Number of MC events in SR (VR)}}{\text{Number of MC events in CR}}.\tag{6.6}
$$

The other one affects the overall normalization of the [MC](#page-114-2) samples. They are not cancelled out at the extrapolation.

The nuisance parameters are determined with optimal values simultaneously when the profiled likelihood ratio is fitted. In order to improve the fit stability and the fast execution of the fit, the uncertainties with small values, which do not greatly impact on the fit result, are removed from the fit.

Experimental Uncertainties

The experimental uncertainties are generated mainly from the ones related to detectors that include the effects of object reconstruction, identification, and energy/momentum measurement. It does not only includes objectbased uncertainties, but also the uncertainties corresponding to [LHC,](#page-114-3) e.g. integrated luminosity, pile-up, etc. The dominant uncertainties of the experimental uncertainties are shown below.

• Jet uncertainties

The imperfect knowledge of [Jet Energy Scale \(JES\)](#page-114-4) and [Jet Energy Resolution \(JER\)](#page-114-5) [[122\]](#page-122-0) become the dominant experimental uncertainties. There are parametrised by 74 independent [JES](#page-114-4) uncertainties modeled from each calibration step. Fortunately, several uncertainties with similar behavior can be combined, and thus the total [JES](#page-114-4) uncertainties can be reduced to 3 independent uncertainties. All [JER](#page-114-5) uncertainties are similar behavior and they can be combined. Thus the only one [JER](#page-114-5) uncertainty is used for this analysis. Figures [6.18](#page-77-0) show the measured uncertainties on [JES](#page-114-4) and [JER](#page-114-5) with the breakdown of each source. The resulting uncertainties expressed as relative uncertainties on the total predicted background yield in the SRs are in the range 1.4 - 7% for [JES](#page-114-4) and 1.5 - 7% for [JER](#page-114-5), respectively. In addition, the modelling of the b-tagging efficiencies and mistag rates also become one of the systematic uncertainties. The uncertainty is evaluated by varying training samples used by the MV2 algorithm, and the resultant uncertainty is typically in a range of 1.6 - 13%.

Figure 6.18: Measured uncertainties in (a) JES and (b) JER with the breakdown of each source $[122]$ $[122]$.

• $E_{\rm T}^{\rm miss}$ uncertainties

The effects of the uncertainties for lepton/jet energy scale and resolution are propagated to the *E*miss T calculation and so the $E_{\rm T}^{\rm miss}$ uncertainties are also taken into account in this analysis. These uncertainties correspond to the scale and resolution similar to the jets uncertainties.

• Pile-up reweighting uncertainty

The uncertainty corresponding to the pile-up reweighting is also included in this analysis.

• Liminosity uncertainty

re
. The uncertainty for integrated luminosity is measured by using the LUCID detector [\[123](#page-122-1)]. The total al
... uncertainty is about 3.7%.

• Lepton uncertainties

to the [ID](#page-113-2) measurement and [MS](#page-114-6) measurement. These uncertainties also include the uncertainties of the of the EM calorimeter in Run-2. On the other hand, the muon has two type of uncertainties corresponding of electrons, there are three efficiency uncertainties corresponding to the identification, energy scale, and All of the uncertainties for the lepton identifications and energy scales/resolutions are evaluated. In case energy resolution. They are evaluated based on the discrepancy between simulated and observed response identification and energy scale/resolution.

Theoretical Uncertainties

 n_{e} and the early data taking ϵ_{e} and the early data taking period with ϵ_{e} The theoretical uncertainties mainly correspond to the calculation of [MC](#page-114-2) simulation.

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The source of Theoretical Uncertainties

• Renormarisation and factorisation scales

The renormalization and factorisation scales $(\mu_{\text{renom.}}, \mu_{\text{fact.}})$, which are used for calculation MC simulations, are not physical theory parameters, but they impact on observables when fixed-high order calculation for the perturbation theory is implemented. Therefore, these contaminations should be considered as the theoretical uncertainties. There uncertainties are estimated by comparing different samples with the different scale values by a factor of 0.5 to 2.

• Interference

This uncertainty is only for single-top background. The single-top background [MC](#page-114-2) samples are calculated NLO-level, which has the $W\top \rightarrow WWbb$ process and it is overlapped with the $t\bar{t}$ background. This overlap is removed by comparing the single-top and $t\bar{t}$ background [MC](#page-114-2) samples and is calculated as the interference uncertainty.

• The other uncertainties

Typically, the other theoretical uncertainties corresponding to the modeling of ME generator, parton showers, fragmentation/hadronisation are calculated by using different MC samples with different modelings. These calculations are different for each background, and the details are described in Section [6.4.1.](#page-78-0)

The amounts of Theoretical Uncertainties

The uncertainties in the modelling of $t\bar{t}$ and single-top backgrounds include separately effects of hard-scattering, fragmentation, radiation and interference. The amount of ISR/FSR is also considered. The MC generator uncertainty is evaluated by comparing events produced with Powheg-Box+Herwig++ v2.7.1 with those either MG5_{-a}MC@NLO v2.2.3+Herwig++ v2.7.1 (NLO) or SHERPA v2.2. To estimate the effects of fragmentation and hadronisation, the events generated with POWHEG-Box are hadronised with either PYTHIA6 or Herwig++. The effect of the amount of ISR/FSR is estimated by using the Powheg-Box+Pythia6 samples with defferent parton shower radiation, NLO radiation, and the fragmentation/hadronisation scales. The interference uncertainty is calculated by comparing the sum of $t\bar{t}$ and single-top backgrounds that are generated by MG5_{-aMC@NLO} v2.2.3. The resulting uncertainties from all sources on the CR to SR extrapolation factors are 10-45% for $t\bar{t}$, and 10-47% for single-top, and the interference term dominates the latter uncertainty.

The uncertainty in the modelling of $W +$ jets background includes the effect of the modeling. It is estimated by comparing the different ME generators: Sherpa, MG5 aMC@NLO v2.2.3+Pythia8 (NLO). In addition, the effect of varying the scales for the matching scheme for matrix element, parton shower, etc, are also estimated. The total modeling uncertainty is around 13-32%.

The diboson uncertainties are also considered and they are estimated by varying the renormarisation, factorisation, and resummation scales. The theoretical uncertainties range from 13 to 32%.

For the SUSY signal uncertainty, the cross-section uncertainty is taken into account from the envelope of the cross-section predictions using the difference PDF sets and factorisations/renormarisation scales [\[78](#page-119-0)]. The resulting uncertainties range from 13 to 23%.

6.5 Results

In this section, the unblinded result for the higgsino [LSP](#page-114-7) scenario is presented. After introducing the likelihood fit, the result of the background-only fit is shown, which provides the estimation of backgrounds with the impact of the systematic uncertainty, and the results of the comparison between the observed data yields and the predicted [SM](#page-113-1) background yields in [CRs](#page-113-0) and [VRs](#page-114-8) are shown. Finally, the final comparison between the observed data and the background yields in [SR](#page-114-1) and this interpretation on [SUSY](#page-114-9) signal models are shown.

6.5.1 Likelihood for the statistical analysis

The full likelihood function for [SR](#page-114-1) and [CRs](#page-113-0) in this analysis can be defined as

$$
L(n|\mu, \mathbf{b}, \boldsymbol{\theta}) = P_{\text{SR}} \times P_{\text{CR}} \times C_{\text{syst}}
$$

= $P(n_{SR}|E_{SR}(\mu, \mathbf{b}, \boldsymbol{\theta})) \times$
 $P(n_{\text{TCR}}|E_{\text{TCR}}(\mu, \mathbf{b}, \boldsymbol{\theta})) \times P(n_{\text{WCR}}|E_{\text{WCR}}(\mu, \mathbf{b}, \boldsymbol{\theta})) \cdot C_{\text{nuis}}(\boldsymbol{\theta}).$ (6.7)

Here, E_{SR} , E_{TCR} , and E_{WCR} are the expectation value for each region, and C_{nuis} is the function of nuisance parameters. The probabilities *P* of [SR](#page-114-1) and [CRs](#page-113-0) are defined as the Possion distribution function. The details of the profile likelihood can be found in Appendix [A.](#page-108-0)

6.5.2 The Result of the Background-only Fit

The background-only fit is performed to derive the $t\bar{t}$ and $W + \text{jets}$ normalization factors from [CRs](#page-113-0) with high purity $t\bar{t}$ or $W + j$ ets events, respectively. The both [CRs](#page-113-0) are taken into account not to be contaminated by signal. Other backgrounds are included in this fit within their respective uncertainties. The $t\bar{t}$ and $W + \text{jets}$ normalization factors are free parameters and are determined as:

$$
\mu_{t\bar{t}} = 0.73 \pm 0.11, \text{and} \tag{6.8}
$$

$$
\mu_{W+\text{jets}} = 1.12 \pm 0.25. \tag{6.9}
$$

Table [6.9](#page-84-0) shows the background yields before and after the fit and the number of observed events in all [CRs](#page-113-0) and [VRs](#page-114-8). Here, the ["MC](#page-114-2) exp." labels describe the nominal [MC](#page-114-2) prediction before the fit, and the "Fitted" labels describe the number of [MC](#page-114-2) prediction after the fit. Other minor backgrounds are fixed with the input values from these [MC](#page-114-2) predictions for the fit, and they are not normalized in each [CR](#page-113-0) and [VR.](#page-114-8) The effect of the fit for these minor backgrounds is considered to be negligible. The observed data yield and the total number of fitted background events in each [CR](#page-113-0) and [VR](#page-114-8) are consistent.

Figures [6.19](#page-80-0), [6.20](#page-81-0), [6.21,](#page-82-0) and [6.22](#page-83-0) show distributions of selected variables in each [CR](#page-113-0) and [VR.](#page-114-8) The shapes of all distributions in each [CR](#page-113-0) are consistent between the data and the fitted [MC](#page-114-2) predictions. In addition, the statistical fluctuation in each [VR](#page-114-8) tends to become large because VRs have the tighter selections than [CRs,](#page-113-0) but fortunately the shapes of the data and the fitted total [MC](#page-114-2) prediction are consistent. Therefore, the $t\bar{t}$ and *W* + jets normalization factors are reliably validated, and they can be used for the background estimation in [SR.](#page-114-1)

Table [6.10](#page-85-0) shows systematic uncertainties in each [CR](#page-113-0) and [VR.](#page-114-8) These tables include only some dominant uncertainties. The most dominant uncertainty in TCR is the uncertainty coming from the $t\bar{t}$ normalization factor and it has about 11%. In case of WCR, the most dominant uncertainty is the uncertainty coming from the W + jets normalization factor and it has about 16%. In the [VRs](#page-114-8), the most dominant uncertainty in TVR is the modeling of the hard scatter for $t\bar{t}$, which is about 22%, and the most dominant uncertainty in WVR is

Figure 6.19: Observed distributions of selected variables in TCR: (a) $E_{\rm T}^{\rm miss}$, (b) $m_{\rm T}$, (c) $p_{\rm T}^{\ell}$, and (d) $p_{\rm T}^{\ell}/E_{\rm T}^{\rm miss}$. The histograms show the [MC](#page-114-2) background predictions, normalised to cross-section times integrated luminosity and the dominant process in each [CR](#page-113-0) is normalised to data. The hatched red error bands indicate the combined uncertainties.

Figure 6.20: Observed distributions of selected variables in WCR: (a) E_T^{miss} , (b) m_T , (c) p_T^{ℓ} , (d) $p_T^{\ell}/E_T^{\text{miss}}$. The histograms show the [MC](#page-114-2) background predictions, normalised to cross-section times integrated luminosity and the dominant process in each [CR](#page-113-0) is normalised to data. The hatched red error bands indicate the combined uncertainties.

Figure 6.21: Observed distributions of selected variables in TVR: (a) $E_{\rm T}^{\rm miss}$, (b) $m_{\rm T}$, (c) $p_{\rm T}^{\ell}$, (d) $p_{\rm T}^{\ell}/E_{\rm T}^{\rm miss}$. The histograms show the [MC](#page-114-2) background predictions, normalised to cross-section times integrated luminosity and the dominant process in each [CR](#page-113-0) is normalised to data. The hatched red error bands indicate the combined uncertainties.

Figure 6.22: Observed distributions of selected variables in WVR: (a) E_T^{miss} , (b) m_T , (c) p_T^{ℓ} , (d) $p_T^{\ell}/E_T^{\text{miss}}$. The histograms show the [MC](#page-114-2) background predictions, normalised to cross-section times integrated luminosity and the dominant process in each [CR](#page-113-0) is normalised to data. The hatched red error bands indicate the combined uncertainties.

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Table 6.9: Background-only fit results for the TCR, WCR, TVR, and WVR. The lower part of this table shows the nominal MC expectations before the fit, and the upper part of this table shows the background expectations after the fit.

also same as TVR and it is about 9%. The amount of individual uncertainties is derived by setting all other nuisance parameters to constant without the parameter of interest and then propagating the uncertainty due to this parameter only.

Table 6.10: Breakdown of the dominant systematic uncertainties on background yield estimates in the various control regions. Note that the individual uncertainties can be correlated, and do not necessarily add up quadratically to the total background uncertainty. The percentages show the size of the uncertainty relative to the total expected background.

6.5.3 Unblinded SR

After validation, the background yields in [SR](#page-114-1) are extracted by the extrapolation from [CRs](#page-113-0) to SR with the $t\bar{t}$ and $W +$ jets normalization factors. Table [6.11](#page-86-0) shows the unblinded results of the predicted background yields and the observed event yields in [SR](#page-114-1), and only systematic uncertainties are included in this table. The total number of observed events is 33 events and the total number of the fitted background predictions is 24.59 *±* 3.53. The total number of background predictions tends to be a bit smaller than the total number of observed events due to large statistical fluctuations in [SR](#page-114-1) with tight selections. Table [6.12](#page-88-0) shows the total systematic uncertainty and the breakdown. Figure [6.23](#page-87-0) shows E_T^{miss} , m_T , lepton p_T , and $p_T^{\ell}/E_T^{\text{miss}}$ distributions in [SR,](#page-114-1) and the benchmark signal distributions are also included in these figures. The shapes of observed events in all distributions are basically the same as the shapes of the total background predictions. In addition, these shapes and the ones including the signal plus backgrounds are consistent. Therefore, no significant excess above the SM prediction is found from this unblinded result.

Table 6.11: Unblinded results of the predicted [SM](#page-113-1) backgrounds yields and the observed events in SR. Only systematic uncertainties are included in this table.

$_{\rm SR}$	higgsino SR
Observed events	33
Fitted bkg events	24.59 ± 3.53
Fitted powheg_ttbar events	10.32 ± 2.56
Fitted powheg_singletop events	3.55 ± 1.29
Fitted amenio_ttV events	0.14 ± 0.06
Fitted sherpa22_Wjets events	7.77 ± 2.66
Fitted sherpa221_diboson events	2.23 ± 1.00
Fitted sherpa22_Zjets events	0.60 ± 0.55
MC exp. SM events	27.50 ± 4.28
MC exp. powhere the events	14.12 ± 2.52
MC exp. powheg_singletop events	3.54 ± 1.29
MC exp. amcnlo_ttV events	0.14 ± 0.06
MC exp. sherpa22_Wjets events	6.90 ± 2.12
MC exp. sherpa221_diboson events	2.21 ± 1.00
MC exp. sherpa22_Ziets events	0.60 ± 0.55

Figure 6.23: Unblinded variable's distributions including the benchmark signal distributions: (a) $E_{\rm T}^{\rm miss}$, (b) m_T , (c) p_T^{ℓ} , (d) $p_T^{\ell}/E_T^{\text{miss}}$.

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Table 6.12: Breakdown of the dominant systematic uncertainties on background estimates in the [SR](#page-114-1). Note that the individual uncertainties can be correlated, and do not necessarily add up quadratically to the total background uncertainty. The percentages show the size of the uncertainty relative to the total expected background.

6.6 Interpretation on the Higgsino LSP Scenario

In the absence of a statistically significant excess, the result is interpreted as the exclusion limits on the higgsino [LSP](#page-114-7) scenario. To enhance the exclusion limit reach, the "shape fit" method is used for setting the limit.

6.6.1 Shape Fit

The shape fit method is the one of statistical combination techniques to consider signal and background separations along certain variables in [SR](#page-114-1) and [CR.](#page-113-0) The shape information is introduced by separating the [SR](#page-114-1) corresponding to the each bin of a histogram of one variable. $p_T^{\ell}/E_T^{\text{miss}}$ variable, which powerful to separate between the signal and backgrounds, is used, and it is separated to three bins corresponding to the ranges: 0-0.01, 0.01-0.015, 0.015-0.02. Each likelihood function corresponding to the each bin is calculated with same signal strength in all bins. Thus, the full likelihood function is defined as

$$
L(n, |\mu, \mathbf{b}, \boldsymbol{\theta}) = \prod_{i}^{3} P_{i}(n_{SR_{i}} | E_{SR_{i}}(\mu, \mathbf{b}, \boldsymbol{\theta})) \times P(n_{\text{WCR}} | E_{\text{WCR}}(\mu, \mathbf{b}, \boldsymbol{\theta})) \cdot C_{\text{nuis}}(\boldsymbol{\theta}). \tag{6.10}
$$

6.6.2 Exclusion Limit

The exclusion limit is calculated for the [stop](#page-114-10) and neutralino masses of the higgsino [LSP](#page-114-7) scenario with $BR(\tilde{t}_1 \to t_1)$ $b\tilde{\chi}_1^{\pm}$ = 100%. All of uncertainties except those on the theoretical signal cross-section are included in the fit. Exclusion limit at 95% [confidence level \(CL\)](#page-113-3) is obtained with signal strength $\mu = 1$. Figure [6.24](#page-89-0) shows the observed and expected exclusion contours as a function of [stop](#page-114-10) and neutralino masses for the higgsino [LSP](#page-114-7) scenario. The "expected" label indicates that the N_{obs} is assumed the expectation value of the background-only hypothesis ($N_{\text{obs}} = N_{\text{bkg}}$) estimated by the [MC](#page-114-2) prediction in the [SR](#page-114-1) yield. The "observed" label indicates that the N_{obs} is the number of observed events in the [SR](#page-114-1) yield. The $\pm \sigma_{\text{exp}}$ uncertainty band indicates the impact on the expected limit of the systematic and statistical uncertainties included in the fit. Thus, the higgsino [SR](#page-114-1) excludes [stop](#page-114-10) mass up to 415 GeV and this is the first result for the boundary region of the higgsino [LSP](#page-114-7) scenario.

Figure 6.24: Exclusion contour as a function of [stop](#page-114-10) and neutralino mass for the higgsino [LSP](#page-114-7) scenario with $BR(\tilde{t}_1 \to b\tilde{\chi}_1^{\pm}) = 100\%$. This exclusion limit is provided at 95% [CL.](#page-113-3) The black dashed lines shows expected limits at 95% [CL](#page-113-3), with the light (yellow) bands indicating the 1σ excursions due to experimental and background-only theoretical uncertainties. Observed limits are indicated by medium red curves where solid contour represents the nominal limit, and the dotted lines are obtained by varying the signal cross-section by considered theoretical uncertainties.

Chapter 7

Analysis for the Wino NLSP Scenario

In this chapter, I explain the analysis of the stop search in the wino [NLSP](#page-114-11) scenario. First of all the typical topology of the stop production and decay in this scenario are introduced. Second, the analysis procedure including the event selection, the estimation of the remained backgrounds are shown. Finally, I show the number of data and estimated backgrounds in the signal region and the physics interpretation of its result.

7.1 Event Topology

Figure [7.1](#page-90-0) shows the event topology of the [stop](#page-114-10)-pair production and their decays in the wino [NLSP](#page-114-11) scenario. As described in section [2.3](#page-19-0), the wino [NLSP](#page-114-11) scenario assumes that the difference of the mass between the stop and the chagino is as small as 10 GeV. The mass of chargino is larger than the one of the neutralino and difference of them are assumed to be less than 1 TeV in this scenario.

Because of the degeneracy of the [stop](#page-114-10) mass and the chagino mass, the momentum of a b-jet from the $\tilde{t}_1 \to b\tilde{\chi}_1^{\pm}$ decay tends to be too low to detect in the [ATLAS](#page-113-4) detector. A lepton, jets from $\tilde{\chi}_1^{\pm} \to \ell \nu \tilde{\chi}_1^0$ and $\tilde{\chi}_1^{\pm} \to qq\tilde{\chi}_1^0$ decays tend to have high momentum. The large E_T^{miss} needs to be required to tell the signal event from the background events. As a result of the requirement of the high $E_{\rm T}^{\rm miss}$, the single event where two neutralinos are emitted to the same directions tends to be selected. Taken into account these signature, the requirement of the b-jets veto, a high- p_T lepton, high- p_T jets, high E_T^{miss} is effective to select the event topology of this specific stop decay.

Figure 7.1: Illustration of the target event topology with requirements of high $E_{\rm T}^{\rm miss}$ and b-jet veto.

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The backgrounds to be considered in this analysis are the $t\bar{t}$, single top, $t\bar{t} + V$, $W + \text{jets}$, and diboson (*WW/W Z/ZZ, etc*) events (Feynman diagrams of these backgrounds are described in Section [4.2.2\)](#page-37-0). The dominant background in this analysis is the $W +$ jets event, where W decays into a electron or a muon and a neutrino. Because of the requirement of the high $E_{\rm T}^{\rm miss}$, W + jets event where the *W* is boosted tends to be selected. Therefore a lepton is emitted to the same direction of the $E_{\rm T}^{\rm miss}$, as shown in Figure [7.2\(b\)](#page-91-0). The $t\bar{t}$, single top, and $t\bar{t} + V$ backgrounds can be eliminated effectively by the requirement of the b-jet veto. The number of the remaining $t\bar{t}$ events after all event selections is estimated by data and simulation as described in Section [7.4.2](#page-101-0). The numbers of remaining single top and $t\bar{t} + V$ events after the event selections are estimated by simulation. The diboson background is estimated by the simulation.

Figure 7.2: Event topologies for (a) signal and main backgrounds (b) $W + \text{jets}$.

7.2 Event Selection for Signal Region

The criteria of the event selection is determined using simulation samples for both signal and background events. For the optimization of event selection, two benchmarks of the signal simulation and the background simulation listed in Section [4.3](#page-38-0) are used. Two benchmarks of the signal simulation vary in the masses of stop, chargeno, and neutralino. In this analysis $(m_{\tilde{t}_1}, m_{\tilde{\chi}_1^{\pm}}, m_{\tilde{\chi}_1^0}) = (550 \text{ GeV}, 540 \text{ GeV}, 1 \text{ GeV})$ and $(650 \text{ GeV}, 640 \text{ GeV}, 1 \text{ GeV})$ are adopted. First, the preselection based on the event topology described in Section [7.1](#page-90-1) is applied. In order to improve the sensitivity of the signal events over the background events, further selections are determined by the optimization of the event selection.

7.2.1 Preselection

Event selections are applied in the samples collected by the E_T^{miss} trigger with the threshold of $E_T^{\text{miss}} > 230$ GeV. After applying that the event has no cosmic-ray muon candidates and a good primary vertex candidate, following pre-selections are applied:

- exactly one hard electron described in section [5.2.2](#page-45-0) or muon described in Section [5.3.2,](#page-47-0)
- lepton $p_T \geq 40$ GeV,
- *•* no additional baseline electron and muon in the event,
- $N_{\text{b-jets}} = 0$,
- leading jet $p_T > 120$ GeV,
- second leading jet $p_T > 40$ GeV,
- $E_{\rm T}^{\rm miss} > 230 \text{ GeV},$
- $m_T > 200 \text{ GeV},$
- $|\Delta\phi(\vec{p}_{\rm T}^{\rm miss}, \ell)| > 0.4,$
- $|\Delta\phi(\text{jet}_1, \vec{p}_T^{\text{miss}})| > 2.0$, and
- $|\Delta\phi(\text{jet}_2, \vec{p}_T^{\text{miss}})| > 0.8,$

where m_T is the transverse mass reconstructed by the lepton p_T and $E_T^{\text{miss}}, |\Delta\phi(\vec{p}_T^{\text{miss}}, \ell)|$ is the opening azimuthal angle between $\vec{p}_{\rm T}^{\rm miss}$ and $p_{\rm T}^{\ell}$, and $|\Delta\phi(\mathrm{jet}_1, \vec{p}_{\rm T}^{\rm miss})|$ and $|\Delta\phi(\mathrm{jet}_2, \vec{p}_{\rm T}^{\rm miss})|$ are opening azimuthal angles between $p_T^{\text{jet}_1}$ and $p_T^{\text{jet}_2}$ and p_T^{ℓ} , respectively. Figure [7.3](#page-92-0) shows the distribution of E_T^{miss} , leading jet p_T , lepton p_T and the number of jets for the two benchmarks of signal simulation and simulated backgrounds.

Figure 7.3: Distributions of the variables used for preselection for the wino [NLSP](#page-114-11) scenario: (a) $E_{\rm T}^{\rm miss}$, (b) $p_{\rm T}^{\rm jet_1}$, (c) $p_{\rm T}^{\ell}$, (d) jet multiplicity.

7.2.2 SR Optimization

Further criteria of the event selection are determined by the selection optimization, so that the significance of the signal extraction over the background events (Z), defined in Appendix [A,](#page-108-0) is improved. The selection criteria for the $E_{\rm T}^{\rm miss}$, $p_{\rm T}^{\ell}$, $p_{\rm T}^{\rm jet_2}$, $|\Delta\phi(\vec{p}_{\rm T}^{\rm miss}, \ell)|$, $m_W^{\rm redustered}$, and $H_{\rm T}^{\rm sig}$ [[27\]](#page-116-0) are varied as shown in Table [7.1](#page-93-0), where $m_W^{\text{reclustered}}$ is the *W* boson mass reconstructed by two small-radius jets clustered by the large-radius jets, H_T^{sig} is defined as:

$$
H_{\rm T}^{\rm sig} = \frac{|\vec{H}_{T}^{\rm miss}| - M}{\sigma_{|\vec{H}_{T}^{\rm miss}|}}.\tag{7.1}
$$

 $H_{\rm T}^{\rm sig}$ is the negative of the scalar sum of jet and lepton $p_{\rm T}$. The $|\vec{H}_{\rm T}^{\rm miss}|$ and resolution $(\sigma_{|\vec{H}_{\rm T}^{\rm miss}|})$ are computed from the psudo-events with $N = 1000$ events. An ith psudo-event calculates following items:

- 1. For all *n* jets in an event, a p_T distribution of each jet, which follows the Gaussian distribution considering the [JER](#page-114-5) of each jet (mean value: $p_T^{\text{jet}_j}$, standard deviation: $p_T^{\text{jet}_j} \times \text{JER}_j$), is generated. After that, the random value of $p_T^{\text{jet}_i}$ is extracted from this distribution;
- 2. The value " $E_{T,i}^{\text{miss}} = -\sum_{j}^{n} p_T^{\text{jet}_j} \sum_{\ell} p_T^{\ell}$ " is calculated by the extracted $p_T^{\text{jet}_j}$ and total sum of lepton p_T $\sum_{\ell} p_{\rm T}^{\ell}$.

This calculation is iterated until $i = 1000$. In fact, when this calculation finishes $(i = 1000)$, the total value $\sum_{i}^{N=1000} E_{\text{T,i}}^{\text{miss}}$ represents the sum of psudo $E_{\text{T}}^{\text{miss}}$ distributions corresponding to the [JER](#page-114-5) of each jet. The value $|\vec{H}_{\text{T}}^{\text{miss}}|$ is mean value of $\sum_{i}^{N=1000} E_{\text{T,i}}^{\text{miss}}$ and $|\vec{H}_{\text{T}}^{\text{miss}}| = (\sum_{i}^{N=1000} E_{\text{T,i}}^{\text{miss}})/1000$. The resolution $\sigma_{|\vec{H}_{\text{T}}^{\text{miss}}|}$ is a standard deviation of this psudo-distribution and $\sigma_{|\vec{H}_T^{\text{miss}}|} =$ $\sqrt{\frac{\left(\sum_{i}^{N=1000} E_{\text{T,i}}^{\text{miss*}}\right)^2}{1000}} - \left(\frac{\sum_{i}^{N=1000} E_{\text{T,i}}^{\text{miss*}}}{1000}\right)^2$. *M* in Equation [7.1](#page-93-1) is set as 100 GeV in this analysis, which is optimized by the previous study [[27,](#page-116-0) [124\]](#page-122-2). Figure [7.4](#page-94-0)

Table 7.1: The list of scanned cut values of several kinematic variables.

Cut variables	Scanned cut values
$E_{\rm T}^{\rm miss}$ [GeV]	$>$ 230, $>$ 300, $>$ 360, $>$ 420, $>$ 480
$p_{\rm T}^{\ell}$	$> 40.$ $> 60.$ $> 80.$ > 100
$p_{\rm T}^{\rm jet_2}$	> 40, > 60, > 80, > 100
$ \Delta\phi(\vec{p}_{\rm T}^{\rm miss},\ell) $	> 0.4, > 1.2, > 2.0, > 2.8
$m_{W}^{\text{reclustered}}$ [GeV]	$0 < m_W^{\text{reclustered}} < 160, 40 < m_W^{\text{reclustered}} < 130, 70 < m_W^{\text{reclustered}} < 100$
$H^{\text{sig}}_{\text{T}}$	> 12, > 16, > 20, > 24

shows the distribution of $p_T^{\text{jet}_2}$, $|\Delta\phi(\vec{p}_T^{\text{miss}}, \ell)|$, $m_t^{\text{reclustered}}$, and H_T^{sig} . The E_T^{miss} described in Figure [7.3\(a\)](#page-92-0) is defined as more than 360 GeV, this cut value can obtain the highest significance Z value for the benchmark points. The cut value of the p_T^{ℓ} described in Figure [7.3\(c\)](#page-92-0) is defined as 60 GeV, and the significance Z value can be obtained more than 3. Figure [7.4\(a\)](#page-94-0) shows the $p_T^{\text{jet}_2}$ distribution and the cut value is defined as more than 80 GeV to obtain the highest significance Z value around 3. Figure [7.4\(b\)](#page-94-0) shows the $|\Delta\phi(\vec{p}_{\rm T}^{\rm miss}, \ell)|$ distribution. This variable can have a good separation power between the signal and *W* + jets background due to the topology difference. The cut value is defined as more than 1.2. Figure [7.4\(c\)](#page-94-0) shows the $m_W^{\text{reclustered}}$ distribution. Two jets of signal are originated from the *W* boson, however two jets of the *W* + jets background are originated from additional jets. If the $m_W^{\text{reclustered}}$ calculated by using the momenta of two jets, the signal has the peak around *W* boson mass in the $m_W^{\text{reclustering}}$ distribution and the $m_W^{\text{reclustering}}$ distribution of $W + \text{jets background}$ tends to be flat. Thus, it can have a good separation power and it is defined as $70 < m_W^{\text{reclustered}} < 100 \text{ GeV}$. Figure [7.4\(d\)](#page-94-0) shows the H_T^{sig} distribution. If the final state particles have high momenta, this variable tend to

be obtained higher value. It is defined as more than 16 for getting the significance Z value to be more than 3 taken into account the statistics.

Figure 7.4: Distributions of kinematic variables after the event selection except for the requirements on the variable for which the distribution is shown for the wino SR optimization: (a) $p_T^{\text{jet}_2}$, (b) $|\Delta\phi(\vec{p}_{\rm T}^{\rm miss}, \ell)|$, (c) $m_t^{\rm{reclustered}}$, and (d) $H_{\rm T}^{\rm{sig}}$.

7.3 Background Estimations

The numbers of the $t\bar{t}$ and $W +$ jets and background events after the all event selections are estimated by the semi-data driven method. In this method, dedicated control regions, TCR and WCR are defined to normalize the simulated events to data with a simultaneous fit. TCR and WCR are defined with event selections which are kinematically close to the [SR](#page-114-1) but a few selection criteria inverted to reduce the signal contribution and to enhance the $t\bar{t}$ and W + jets events, respectively. Minor backgrounds such as the single-top, and $t\bar{t} + V$ are estimated by using purely simulation. The definitions of the [CR](#page-113-0) for the TCR and the WCR are summarized in Table [7.2](#page-95-0). For validations of the estimation, the [VR](#page-114-8) is defined as shown in Table [7.2.](#page-95-0) The event selection for TCR is defined with the same event selection for the signal region but the selections of the number of b-tagged jets, m_T , and $|\Delta\phi(\vec{p}_T^{\text{miss}}, \ell)|$. The TCR is defined as 30 GeV $< m_T < 90$ GeV and no $|\Delta\phi(\vec{p}_T^{\text{miss}}, \ell)|$ selection, and the TVR is defined as 90 GeV $< m_T < 120$ GeV. WCR is defined as b-jet multiplicity=0, 30 GeV $< m_T <$ 90 GeV and no $|\Delta \phi(\vec{p}_{\rm T}^{\rm miss}, \ell)|$ selection, and WVR is defined as 90 GeV $< m_{\rm T} < 120$ GeV.

Table 7.2: Overview of the event selections for [SR,](#page-114-1) [CRs](#page-113-0), and [VRs](#page-114-8). Square brackets are used to show a range

7.4 Results

In this section, the final results for the wino [NLSP](#page-114-11) scenario is presented. First, the result of the background-only fit is shown, which provides the estimation of backgrounds with the impact of the systematic uncertainty, and so the results of the comparison between the observed data and the backgrounds in [CRs](#page-113-0) and [VRs](#page-114-8) are shown. Finally, the final comparison between the observed data and the backgrounds in [SR](#page-114-1) and this interpretation are shown.

7.4.1 The Result of the Background-only Fit

The background-only fit is performed to derive the $t\bar{t}$ and $W + \text{jets}$ normalization factors from [CRs](#page-113-0) with high purity $t\bar{t}$ or $W + j$ ets events. The both [CRs](#page-113-0) are taken into account not to be contaminated by signal. Other backgrounds are included in this fit within their respective uncertainties. The $t\bar{t}$ and $W +$ jets normalization factors are free parameters and are fitted to

$$
\mu_{t\bar{t}} = 0.79 \pm 0.28, \tag{7.2}
$$

$$
\mu_{W+\text{jets}} = 1.09 \pm 0.09. \tag{7.3}
$$

Table 7.3: Background-only fit results for the TCR, WCR, TVR, and WVR. The lower part of this table shows the nominal MC expectations before the fit, and the upper part of this table shows the background expectations after the fit.

wino SR	TCR	WCR	TVR	WVR
Observed events	271	436	30	24
Fitted bkg events	270.80 ± 16.51	436.01 ± 20.88	27.95 ± 6.30	27.19 ± 4.24
Fitted powheg_ttbar events	145.69 ± 50.39	12.83 ± 6.37	15.60 ± 7.56	0.93 ± 0.49
Fitted powheg_singletop events	50.97 ± 44.44	8.85 ± 7.76	4.72 ± 3.55	0.53 ± 0.40
Fitted amenio_ttV events	2.96 ± 0.32	0.23 ± 0.08	0.32 ± 0.15	0.03 ± 0.01
Fitted sherpa22_Wjets events	64.89 ± 11.97	379.71 ± 24.44	6.74 ± 1.75	24.05 ± 3.65
Fitted sherpa221_diboson events	6.30 ± 2.13	34.40 ± 9.94	0.58 ± 0.23	1.65 ± 1.00
MC exp. SM events	304.19 ± 47.77	409.76 ± 23.86	31.57 ± 8.14	25.56 ± 4.19
MC exp. powheg_ttbar events	184.00 ± 9.58	16.22 ± 5.40	19.73 ± 6.73	1.17 ± 0.45
MC exp. powheg_singletop events	51.08 ± 44.50	8.86 ± 7.77	4.73 ± 3.56	0.53 ± 0.40
MC exp. amcnlo_ttV events	2.96 ± 0.33	0.23 ± 0.08	0.32 ± 0.15	0.03 ± 0.01
MC exp. sherpa22_Wjets events	59.83 ± 9.48	349.94 ± 15.84	6.21 ± 1.44	22.17 ± 3.28
MC exp. sherpa221_diboson events	6.32 ± 2.14	34.51 ± 10.02	0.58 ± 0.24	1.65 ± 1.01

Table [7.3](#page-95-1) shows the background yields before and after the fit and the number of observed events in all [CRs](#page-113-0) and [VRs.](#page-114-8) The observed events and the total number of fitted background events in each [CRs](#page-113-0) and [VRs](#page-114-8) are consistent. Figures [7.5,](#page-96-0) [7.6,](#page-97-0) [7.7,](#page-98-0) [7.8](#page-99-0) show some variable's distributions in each [CR](#page-113-0) and [VR](#page-114-8). The shapes of All distributions in each [CR](#page-113-0) are consistent between the data and the fitted [MC](#page-114-2) predictions. Therefore, the $t\bar{t}$ and *W* + jets normalization factors are good agreements, and they can be used for the background estimation in [SR.](#page-114-1)

Figure 7.5: Observed distributions of selected variables in TCR: (a) $E_{\rm T}^{\rm miss}$, (b) $m_{\rm T}$, (c) $H_{\rm T}^{\rm sig}$, (d) $m_W^{\rm redustered}$. The histograms show the [MC](#page-114-2) background predictions, normalised to cross-section times integrated luminosity and the dominant process in each [CR](#page-113-0) is normalised to data. The hatched red error bands indicate the combined uncertainties.

Table [7.4](#page-100-0) shows systematic uncertainties in each CR and VR. These tables include only some dominantly uncertainties. The 1st dominant uncertainty in TCR is the uncertainty coming from the $t\bar{t}$ normalization factor and it has about 19%. In case of WCR, the 1st dominant uncertainty is the uncertainty coming from the *W* + jets normalization factor and it has about 7%. In the VRs, the 1st dominant uncertainty in TVR is also same as TCR which is about 20%, and the 1st dominant uncertainty in WVR is the JER and it is about 9%. The amount of individual uncertainties are derived by setting all other nuisance parameters to constant without the parameter of interest and then propagating the uncertainty due to this parameter only.

Figure 7.6: Observed distributions of selected variables in WCR: (a) $E_{\rm T}^{\rm miss}$, (b) $m_{\rm T}$, (c) $H_{\rm T}^{\rm sig}$, (d) $m_W^{\rm redustered}$. The histograms show the [MC](#page-114-2) background predictions, normalised to cross-section times integrated luminosity and the dominant process in each [CR](#page-113-0) is normalised to data. The hatched red error bands indicate the combined uncertainties.

Figure 7.7: Observed distributions of selected variables in TVR: (a) $E_{\rm T}^{\rm miss}$, (b) $m_{\rm T}$, (c) $H_{\rm T}^{\rm sig}$, (d) $m_W^{\rm redustered}$. The histograms show the [MC](#page-114-2) background predictions, normalised to cross-section times integrated luminosity and the dominant process in each [CR](#page-113-0) is normalised to data. The hatched red error bands indicate the combined uncertainties.

Figure 7.8: Observed distributions of selected variables in WVR: (a) $E_{\rm T}^{\rm miss}$, (b) $m_{\rm T}$, (c) $H_{\rm T}^{\rm sig}$, (d) $m_W^{\rm redustered}$. The histograms show the [MC](#page-114-2) background predictions, normalised to cross-section times integrated luminosity and the dominant process in each [CR](#page-113-0) is normalised to data. The hatched red error bands indicate the combined uncertainties.

Table 7.4: Breakdown of the dominant systematic uncertainties on background yield estimates in the various control regions. Note that the individual uncertainties can be correlated, and do not necessarily add up quadratically to the total background uncertainty. The percentages show the size of the uncertainty relative to the total expected background.

7.4.2 Unblinded SR

After validation, the background yields in [SR](#page-114-1) are extracted by the extrapolation from [CRs](#page-113-0) to SR with the $t\bar{t}$ and $W +$ jets normalization factors. Table [7.5](#page-101-1) shows the unblinded results of the predicted backgrounds yields and the observed events yields in [SR,](#page-114-1) and only systematic uncertainties are included in this table. The total number of observed events is 25 events and the total number of the fitted background predictions is 25.00 *±* 5.00 ± 3.81 . Table [7.6](#page-103-0) shows the total systematic uncertainty and the breakdown. Figures [7.9](#page-102-0) show $E_{\rm T}^{\rm miss}$, $m_{\rm T}$, H_T^{sig} , and $m_W^{\text{reclustered}}$ distributions in [SR](#page-114-1), and the benchmark signal distributions are also included in these figures. The number of observed events and the total number of fitted background predictions are consistent, in addition the shapes of observed events in all distributions are basically same as the shapes of the total background predictions. Therefore, no significant excess above the SM prediction found from this result.

Table 7.5: Unblinded results of the predicted [SM](#page-113-1) backgrounds yields and the observed events in SR. Only systematic uncertainties are included in this table.

\mathbf{SR}	wino SR
Observed events	25
Fitted bkg events	25.00 ± 3.81
Fitted powheg_ttbar events	1.26 ± 0.65
Fitted powhere singletop events	0.60 ± 0.53
Fitted amenio_ttV events	0.57 ± 0.15
Fitted sherpa22_Wjets events	16.53 ± 3.08
Fitted sherpa221_diboson events	6.04 ± 1.93
MC exp. SM events	24.06 ± 4.08
MC exp. powheg_ttbar events	1.59 ± 0.59
MC exp. powheg_singletop events	0.60 ± 0.53
MC exp. amcnlo_ttV events	0.58 ± 0.15
MC exp. sherpa22_Wjets events	15.24 ± 2.87
MC exp. sherpa221_diboson events	6.06 ± 1.95

Figure 7.9: Unblinded variable's distributions including the benchmark signal distributions: (a) $E_{\rm T}^{\rm miss}$, (b) $m_{\rm T}$, (c) H_T^{sig} , (d) $m_W^{\text{reclustered}}$.

Table 7.6: Breakdown of the dominant systematic uncertainties on background estimates in the [SR](#page-114-1). Note that the individual uncertainties can be correlated, and do not necessarily add up quadratically to the total background uncertainty. The percentages show the size of the uncertainty relative to the total expected background.

7.5 Interpretation of Wino NLSP Scenario

7.5.1 Exclusion Limit

The exclusion limit is calculated for the [stop](#page-114-10) and neutralino masses of the wino [NLSP](#page-114-11) scenario with $BR(\tilde{t}_1 \rightarrow$ $b\tilde{\chi}_1^{\pm}$ = 100%. In this scenario, the exclusion limit is calculated with only total numbers of observed and expected events. All of uncertainties except those on the theoretical signal cross-section are included in the fit. Exclusion limit at 95% [CL](#page-113-3) is obtained with signal strength $\mu = 1$. Figure [7.10](#page-104-0) shows the observed and expected exclusion contours as a function of [stop](#page-114-10) and neutralino masses for the wino [NLSP](#page-114-11) scenario. Thus, the wino [SR](#page-114-1) excludes [stop](#page-114-10) mass up to 850 GeV and this is updated very widely from stop 500 GeV maximum limit for Run-1 analysis.

Figure 7.10: Exclusion contour as a function of [stop](#page-114-10) and neutralino mass for the wino [NLSP](#page-114-11) scenario with $BR(\tilde{t}_1 \to b\tilde{\chi}_1^{\pm}) = 100\%$. This exclusion limit is provided at 95% [CL.](#page-113-3) The black dashed lines shows expected limits at 95% [CL](#page-113-3), with the light (yellow) bands indicating the 1σ excursions due to experimental and background-only theoretical uncertainties. Observed limits are indicated by medium red curves where solid contour represents the nominal limit, and the dotted lines are obtained by varying the signal cross-section by considered theoretical uncertainties.

Chapter 8

Discussion

8.1 Combination of the Higgsino LSP Scenario

Previously, a search for the [stop](#page-114-10) pair production assuming the higgsino [LSP](#page-114-7) scenario was performed, assuming [stop](#page-114-10) can be decays in to all of $t\tilde{\chi}_2^0$, $t\tilde{\chi}_1^0$, and $b\tilde{\chi}_1^{\pm}$ and $\tilde{\chi}_1^{\pm} = m_{\tilde{\chi}_1^0} + 5$ GeV. In Run-1, using the decays of $\tilde{t}_1 \to b\tilde{\chi}_1^{\pm}$ and $\tilde{\chi}_1^{\pm} \to W \tilde{\chi}_1^0$ where the [BR](#page-113-5) of these decays assumed to be 100%, the mass of the [stop](#page-114-10) and the neutralino were excluded smaller than 600 GeV and 200 GeV at 95% [CL,](#page-113-3) respectively, as shown in Figure [8.1\(b\)](#page-105-0). Using Run-2 data, a search for the [stop](#page-114-10) pair production, where stop is assumed to decay into $t\tilde{\chi}_2^0$, $t\tilde{\chi}_1^0$, and $b\tilde{\chi}_1^{\pm}$ with $BR(t\tilde{\chi}^0_2, t\tilde{\chi}^0_1, b\tilde{\chi}^{\pm}_1) \sim (45, 45, 10)\%$ $BR(t\tilde{\chi}^0_2, t\tilde{\chi}^0_1, b\tilde{\chi}^{\pm}_1) \sim (45, 45, 10)\%$ for \tilde{t}_L with small tan β , $(33, 33, 33)\%$ for \tilde{t}_L with large tan β , and $(25, 25, 35)\%$ 50)% for \tilde{t}_R , was newly performed. The exclusion limit at 95% [CL](#page-113-3) was almost same level as the Run-1 analysis (Figure [2.9](#page-18-0) described in Section [2.2.4\)](#page-17-0). On the other hand, the analysis described in this thesis is specifically designed to cover the parameter space where the [stop](#page-114-10) can decay into only $b\tilde{\chi}^{\pm}_1$, and the difference of the mass between chargino and neutralino is small. The event selection based on a soft lepton, a high p_T [ISR](#page-114-12)-jet, and large $E_{\rm T}^{\rm miss}$ is optimized to enhance the signal sensitivity of the higgsino [LSP](#page-114-7) scenario. As a result, this analysis excludes 415 GeV of the [stop](#page-114-10) mass at the $m_{\tilde{\chi}^0_1} = 300$ GeV as shown in Figure [8.1\(a\)](#page-105-0). By combining this result with the previous results, the naturalness considered in the higgsino [LSP](#page-114-7) scenario is restricted widely.

Figure 8.1: (a) Exclusion contour as a function of [stop](#page-114-10) and neutralino mass for the higgsino [LSP](#page-114-7) scenario with $BR(\tilde{t}_1 \to b\tilde{\chi}_1^{\pm}) = 100\%$ and (b) the exclusion limits of the direct [stop](#page-114-10) pair production decayed to $t\tilde{\chi}_{1}^{0}$ or $b\tilde{\chi}_{1}^{\pm}$ with $\Delta m(\tilde{\chi}_{1}^{\pm},\tilde{\chi}_{1}^{0})=5$ GeV at $\sqrt{s}=8$ TeV *[pp](#page-113-6)* collisions in the ATLAS experiment [\[27](#page-116-0)].

8.2 Combination of the Wino NLSP Scenario

In the wino [NLSP](#page-114-11) scenario, [stop](#page-114-10) decays into several processes corresponding to the mass. The analysis, assuming the mass difference of the chargino and the neutralino to be $m_{\tilde{\chi}^{\pm}_1} = 2 \times m_{\tilde{\chi}^0_1}$, excluded the [stop](#page-114-10) mass up to 900 GeV at 95% [CL](#page-113-3) as shown in Figure [8.2\(a\).](#page-106-0) On the other hand, the analysis described in this thesis specifically covers the parameter spacce where the mass difference of the [stop](#page-114-10) and the chargino is 10 GeV. The signal region dedicated to this analysis is newly defined and the [stop](#page-114-10) mass up to 850 GeV was excluded at 95% [CL](#page-113-3) as shown in Figure [8.2\(b\).](#page-106-0) The blue dashed line of Figure [8.2\(b\)](#page-106-0) represents the parameter region where the chargino mass is $m_{\tilde{\chi}^{\pm}_1} = 2 \times m_{\tilde{\chi}^0_1}$. This means that the result described in this thesis cover unique phase space. The neutralino, which is the candidate of the dark matter was restricted widely by combining these results.

Figure 8.2: (a) Exclusion limit of the direct [stop](#page-114-10) pair production decayed to $b\tilde{\chi}^{\pm}_1$ with $m_{\tilde{\chi}^{\pm}_1} = 2m_{\tilde{\chi}^0_1}$ GeV [\[27](#page-116-0)] and (b) exclusion contour of as a function of [stop](#page-114-10) and neutralino mass for the wino [NLSP](#page-114-11) scenario with $\Delta m(\tilde{t}_1, \tilde{\chi}_1^{\pm}) = 10 \text{ GeV}.$

Chapter 9

Conclusion

This thesis presents two searches for [stop](#page-114-10) pair production of compressed [SUSY](#page-114-9) scenarios in the final state involving one lepton, jets and $E_{\rm T}^{\rm miss}$ in *[pp](#page-113-6)* collisions at $\sqrt{s} = 13$ TeV with the ATLAS detector. The full dataset 36.1 fb⁻¹ collected in 2015 and 2016.

The first search focuses on the higgsino [LSP](#page-114-7) scenario with small mass difference between the chargino and the neutralino. The [SR](#page-114-1) based on a soft lepton, large $E_{\rm T}^{\rm miss}$ and high $p_{\rm T}$ [ISR](#page-114-12)-jet is optimized to enhance the signal sensitivity of this scenario. The dominant backgrounds ($t\bar{t}$ and $W + \text{jets}$) remaining after the event selection is estimated by using a semi-data driven method to reduce the systematic uncertainties. The [QCD](#page-114-0)/multi-jets background including a fake leptons is measured to be negligible. No significant excess above [SM](#page-113-1) expectation is observed in the [SR](#page-114-1). The result is reinterpreted to determinate the exclusion limit. The parameter space in the higgsino [LSP](#page-114-7) scenario is widely excluded. In particular, the [stop](#page-114-10) mass $m_{\tilde{t}_1} = 415 \text{ GeV}$ at the $m_{\tilde{\chi}_1^0} = 300$ GeV is excluded at 95% [CL](#page-113-3).

The second search focuses on the wino [NLSP](#page-114-11) scenario with small mass difference between the [stop](#page-114-10) and the chargino. The event selection based on the b-jets veto, a high- p_T lepton, high- p_T jets, high E_T^{miss} is opptimized to enhance the signal sensitivity of the wino [NLSP](#page-114-11) scenario. The dominant background $(W + jets)$ is estimated by using a semi-data driven method. No significant excess above the [SM](#page-113-1) expectation is observed in the [SR.](#page-114-1) The parameter space of the wino [NLSP](#page-114-11) scenario is widely excluded. In particular, the [stop](#page-114-10) mass up to 850 GeV is excluded at 95% [CL](#page-113-3).

Two results described in this thesis provide the stringent constraints on the [stop](#page-114-10) pair production where the mass of the [stop,](#page-114-10) chargino and neutralino are compressed. The results impact on the [SUSY](#page-114-9) model to solve the problem of the naturalness and the [DM](#page-113-7).
Appendix A

Statistical analysis

If the new physics such as the SUSY is real, the decay event rate is very rare and the total number of events is very few. On the other hand, SM events occur very high rate, and so the total number of events in data are almost the SM events. Therefore, this analysis introduces the hypothesis testing that is the one of the statistical analysis methods.

A.1 Hypothesis Testing

This method tests a hypothesis which is true whether false by calculating the observed probability of this hypothesis from the population on assuming that the hypothesis is true. Hypothesis testing defines two hypotheses: Null hypothesis (H_0) , Alternative hypothesis (H_1) .

Null hypothesis (H_0)

*H*⁰ is defined as 'the plain boring stuff that, by default, we expect to be true'. In other word, *H*⁰ is the real events and the events are often occurred. In case of searches for new physics, null hypothesis is defined as the only [SM](#page-113-0) event. It is often referred to as the background-only (B) hypothesis.

Alternative hypothesis (H_1)

*H*¹ is defined as the paradox events for null hypothesis that the paradox can not be explained by null hypothesis. In case of searches for new physics, H_1 can be defined as the new physics event including the [SM](#page-113-0) event. Thus, it is often referred to as the signal-plus-background (S+B) hypothesis.

In this analysis, the nominal [SM](#page-113-0) event is considered the background-only hypothesis, while the signal-plusbackground hypothesis includes the higgsino [LSP](#page-114-0) events or the wino [NLSP](#page-114-1) events as signal. The important point of hypothesis testing is to clearly separate the distribution of the number of events for null and alternative hypothesis.

A.2 Test Statistics

When we would like to claim a discovery or exclusion of a new physics, test statistics, which can quantify the hypotheses for observed data, are used. In this analysis, several test statistics are used and are described in below items:

• p-value:

A p-value (p_μ) presents a quantity of a probability of a hypothesis and it is one of simple and useful test

statistics. The p-value can be computed from the observed data and it is defined as

$$
p_{\mu} = \int_{t_{\text{obs}}}^{+\infty} f(t_{\mu}|\mu)dt
$$
\n(A.1)

where the $f(t_{\mu}|\mu)$ is a probability density function of the test statistic such as profile log likelihood ratio described in a below item, and μ is the strength of signal. The quantity of t_{μ} is typically presented as the number of events. The μ for background-only hypothesis is defined as 0 and it for signal-plus-background hypothesis is defined as 1. The p_0 quantifies the agreement of the data with the background-only hypothesis and p_1 quantifies the agreement of the data with the signal-plus-background hypothesis. In this analysis, when a probability p_{μ} of a hypothesis become less than 5%, this hypothesis is excluded. On the other hand, when a probability p_{μ} of a hypothesis become more than 5%, this hypothesis is not excluded. The level of this boundary is called the 95% [CL](#page-113-1). In case of the discovery of the new physics, the backgroundonly hypothesis have to be excluded. If the p_0 is less 1.3×10^{-3} , an evidence of the new physics can be announced. If the discovery of new physics is claimed, p_0 have to be less than 2.9×10^{-7} .

• Gaussian significance (Significance Z):

This p-value can be convert other representation called "Significance Z". Significance Z is defined as the standard deviation of the probability density function with Gaussian distribution from the center value to the observed value. It is defined as

$$
Z = \Phi^{-1}(1 - p) \tag{A.2}
$$

where the Φ^{-1} is the cumulative distribution function of the unit Gaussian. The relation between significance Z and p-value is nonlinear and monotonic relation. Therefore, significance Z always to refer to the median. If $Z = 3(5)$, it is equivalent to a $p = 1.3 \times 10^{-3} (p_0 = 2.9 \times 10^{-7})$. Figures [A.1](#page-109-0) show the illustrations of the relation between the p-value and the test statistic (a) and the relation between the significance Z and p-value (b).

the test statistic and (b) the relation s of (a) the relation between the p-value and the test statistic and (b) the relation λ Figure A.1: Illustrations of (a) the relation between the p-value and the test statistic and (b) the relation between the significance Z and p-value with the standard normal distribution.

• Profile likelihood ratio:

One of the simple and useful quantities for using the test statistic is the likelihood ratio by "Neyman-Pearson lemma". The likelihood function $(L(\mu, \theta))$ presents the probability density to be "X" of a function

 $f(x, \theta)$ in the model parameters θ . In this analysis, all numbers of expected events of background models and signal models are generated with the likelihood fit function in [SRs](#page-114-2) and [CRs.](#page-113-2) These predictions of the model are affected by systematic and statistical uncertainties and a likelihood function should be taken into account these uncertainties. The model parameter called nuisance parameters, which include the rate of signal process and the normalization factors for background processes in each [SR](#page-114-2) and [CR](#page-113-2), parametrize the impact of systematic uncertainties. The likelihood function is defined as

$$
E_i = \mu s_i + b_i, \tag{A.3}
$$

$$
L(\mu, \theta) = \prod_{j=1}^{N} \frac{E_j}{n_j!} e^{-(E_j)} \prod_{k=1}^{M} \rho(\theta_k), \tag{A.4}
$$

where E_i is the expectation value of the number of signal or background in the *i*th bin of a histogram and $\rho(\theta_k)$ is the probability density function of each nuisance parameter. The likelihood function is the product of Poisson probabilities for all bins of [SR](#page-114-2) and [CRs](#page-113-2).

The value of a likelihood function is estimated by the fitting with some free parameters such as μ or θ . A change in the expected number of events such as s_i and b_i is produced by the variation in the nuisance parameters. Since the maximization of the likelihood function called maximum-likelihood function can improve the agreement of the expectation with the observed data, the nuisance parameters is adjusted by the fitting. Each nuisance parameter corresponding to each systematic uncertainty is characterized by the probability density function ρ that are determined by auxiliary measurement corresponding to this uncertainty. Three different probability density functions are used in this analysis. One is a Gaussian probability density function, and it is used for most systematic uncertainties that change the shape of the final discriminant, e.g. the value of jet energy scale θ_{JES} , and its uncertainty σ_{JES} . Second is a log-normal probability density function that is used for normalization uncertainties. The third is a gamma probability density function. It is used to described statistical uncertainties associated with the number of selected MC events.

When nuisance parameters are estimated by the fitting, nuisance parameters are redefined as $\theta' = (\theta - \hat{\theta})/\sigma$ to be centered at zero with a width of one. Here θ is free parameter, $\hat{\theta}$ is the measured value and σ is the uncertainty. If θ' away from zero, observed data and modified MC are good agreement. On the other hand, If θ' close to zero and its error close to one, it indicates that the observed data and modified MC are disagreement.

The full profile likelihood ratio $(\lambda(\mu, \theta))$ and profile log likelihood ratio (t_{μ}) are defined as

$$
\lambda(\mu) = \frac{L(\mu, \hat{\hat{\theta}})}{L(\hat{\mu}, \hat{\theta})},
$$
\n(A.5)

$$
t_{\mu} = -2\ln\lambda(\mu). \tag{A.6}
$$

Here the numerator and denominator in the first equation are the maximized likelihood functions. $L(\mu, \hat{\theta})$ is maximized by the free parameter $\hat{\hat{\boldsymbol{\theta}}}$ for the specified μ that is fixed value, and $\hat{\hat{\boldsymbol{\theta}}}$ is the conditional maximum-likelihood estimator of θ . The denominator is maximized by free parameters $\hat{\mu}$ and $\hat{\theta}$ and they are unconditional maximum-likelihood estimator of their. The $m\hat{u}$, $\hat{\theta}$, and $\hat{\theta}$ are determined by the fitting for specified μ value.

In this analysis, the profile log likelihood ratio is used for the test statistics. In the condition $0 \leq \lambda(\mu) \leq 1$, if the quantity of $\lambda(\mu)$ closes to one, the observed data tend to close to good agreement with a hypothesis.

In the experiment, even if there is no any signal events of new physics, the signal strength μ does not be taken the negative value because the observed data should be same as the SM background in this case. The profile log likelihood ratio for $0 \leq \lambda(\mu) \leq 1$ and $\mu > 0$ can defined as

$$
\lambda_{\mu} = \begin{cases} \frac{L(\mu, \hat{\theta})}{L(\hat{\mu}, \hat{\theta})} & \text{if } \hat{\mu} \leq 0, \\ \frac{L(\mu, \hat{\theta})}{L(\hat{\mu}, \hat{\theta})} & \text{if } \hat{\mu} \neq 0. \end{cases}
$$

ˆˆ)

On the other hand, in the case of test statistic, if the value (equivalent as the number of events) of t_u is obtained large value in the hypothesis, the observed data and its hypothesis tend to close to incompatibility. The test statistics for $0 \leq \lambda(\mu) \leq 1$ and $\mu > 0$ can be defined as

$$
t_\mu = \begin{cases} -2\ln(\mu) & \text{ if } \ \hat{\mu} < \mu, \\ 0 & \text{ if } \ \hat{\mu} > \mu. \end{cases}
$$

The test statistic t_{μ} can be approximated by using the psudo-experiments and it is described in below subsection.

• Confidence Level method:

If some signal models are not included in the observed data, the exclusion limit that present the upper limit of the signal models can be decided for observed data. The data is sometimes observed lower than the [SM](#page-113-0) backgrounds from MC predictions for the statistical fluctuation. In that case, even if a new physics exists in reality, this analysis excludes it in surplus. The [CL](#page-113-1) method can protect to exclude the signal in surplus and it is used for setting the exclusion limit in this analysis. The p-value definitions of the signal-plus-background hypothesis ($\mu = 1$) and the background-only hypothesis ($\mu = 0$) are written as

$$
p_1 = \int_{t_{\text{obs}}}^{+\infty} f(t_1|1)dt \text{ (for } H_1),\tag{A.7}
$$

$$
p_0 = \int_{t_{\text{obs}}}^{+\infty} f(t_0|0)dt \text{ (for } H_0\text{).}
$$
 (A.8)

(A.9)

Therefore, CL_{s+b} , CL_b , and CL_s for the signal-plus-background, background-only, and signal hypothesis are simply defined as

$$
CL_{s+b} = p_1 \tag{A.10}
$$

$$
CL_b = 1 - p_0 \tag{A.11}
$$

$$
CL_s = \frac{CL_{s+b}}{CL_b} = \frac{p_1}{1 - p_0}
$$
\n(A.12)

(A.13)

When the observed CL_s is less than 0.05 for one signal model, it can claim that the one signal model is excluded with 95% CL. This analysis always excludes all hypotheses at the 95% CL.

A.3 Approximate Sampling Distributions for Test Statistics

To compute the p-value of the signal-plus-background hypothesis or background-only hypothesis, the distribution of the test statistic should be calculated. The observed value of the test statistic can be obtained from the observed data, but the distribution is only calculable from the psudo-experiments of toy MCs. The normal

psudo-experiments to compute the distribution need typically about 10^8 samples and this calculation is computationally expensive. Therefore, the distribution of test statistic is approximated by using the asymptotic putationally expensive. Therefore, the distribution of test statistic is approximated by using the asymp
formulae [[125\]](#page-122-0) with the asimov data set. For example, the approximation of the test statistic is defined as

$$
t_{\mu} = -2\ln\lambda(\mu) = \frac{(\mu^2 - \hat{\mu})^2}{\sigma^2} + \mathcal{O}(\frac{1}{\sqrt{N}}) \quad (\hat{\mu} < \mu),\tag{A.14}
$$

where $\hat{\mu}$ follows a Gaussian distribution of probability density function for t_{μ} with mean μ' , and a general this distribution is defined as for the text, and the text, and the text, and the histograms are from M \geq \pm 9, \pm 9, \pm

$$
f(t_{\mu}|\mu') = \frac{1}{2\sqrt{t_{\mu}}} \frac{1}{\sqrt{2\pi}} + \left[\exp(-\frac{1}{2}(\sqrt{t_{\mu}} + \frac{\mu - \mu'}{\sigma})^2) + \exp(-\frac{1}{2}(\sqrt{t_{\mu}} - \frac{\mu - \mu'}{\sigma})^2)\right].
$$
 (A.15)

The σ is the standard deviation of the probability density function. The N is the number of the events in the SR. In general, the $\frac{1}{\sqrt{N}}$ term is ignored from the approximation. In this fact, this approximation method work only when the number of observed events is more than 5. Figure [A.2](#page-112-0) show the examples for the distributions of the test statistics and the distributions of these probability density functions. These distributions correspond to the signal-plus-background hypothesis and the background-only hypothesis. All distributions can be computed by the fitting with the function μ , and then finally p-values for these hypotheses can be obtained.

Figure A.2: (a) The distributions of the test statistics q_{μ} and (b) the distributions of the probability density tunction of these. These distributions correspond to the signal-plus-background hypoth the background-only hypothesis. A_{μ} and (b) are distributions of the probability density function of these. These distributions correspond to the signal-plus-background hypothesis and

Appendix B

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Acknowledgements

First of all, I would like to express my deepest thanks to my supervisor Makoto Tomoto. He gave me the opportunities for several studies in high energy physics and kindly supported my research for five years. I had no experiences in high energy physics when I joined N laboratory of Nagoya University. Thanks to his great supervision and high pressure, I enjoyed the searches for SUSY particles and completed the PhD thesis.

I would also like to express my gratitude to Keisuke Yoshihara, Tomohiro Yamazaki, Till Eifert, Javier Montejo Berlingen, Sophie Pataraia, Takashi Yamanaka, Yu Nakahama and other people of stop1L group. They kindly supported my analysis with many discussions. Thanks to thier supports, I could contribute to the ATLAS publication made by stop1L group.

I would also like to thank Yasuyuki Horii, Kentaro Kawade, Junpei Maeda, Masahiro Morinaga, Shion Chen, Takuya Nobe, and other ATLAS Japan members. They helped me for both the study and the life in France. I spent a very good time.

I am grateful to the N laboratory members, especially Toru Iijima and Kenji Inami to organize a wonderful laboratory. I thank all my friends for emotional supports. Lastly, I thank my family for continuous encouragement and financial support.