Searches for dark matter and extra dimensions with the ATLAS detector

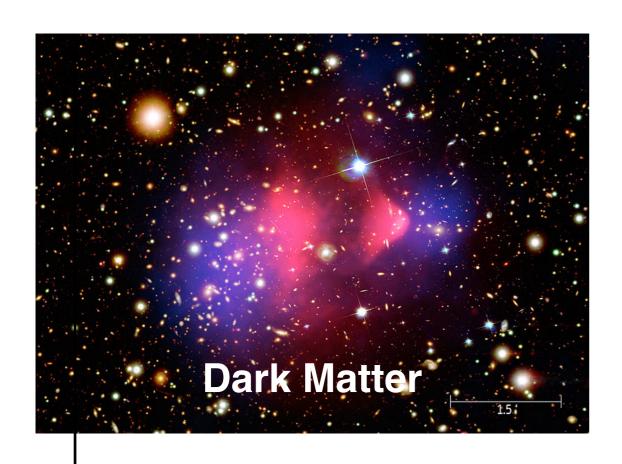
Thibaut Mueller on behalf of the ATLAS Collaboration





Questions I will attempt to address in this talk:

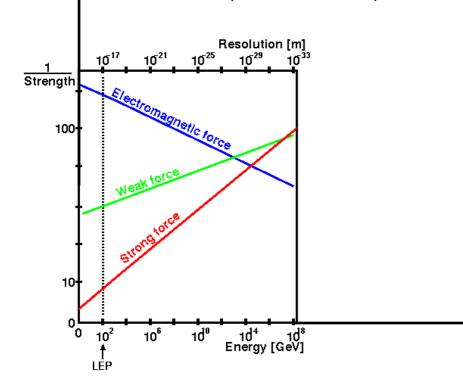
what are our problems?
what did we expect believe hope to see?
how well did we exclude it?

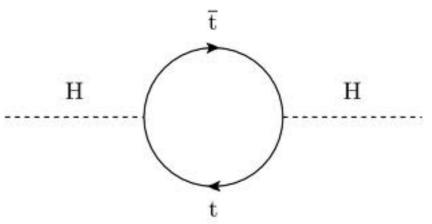




Big Hierarchy Problem

(not to scale)



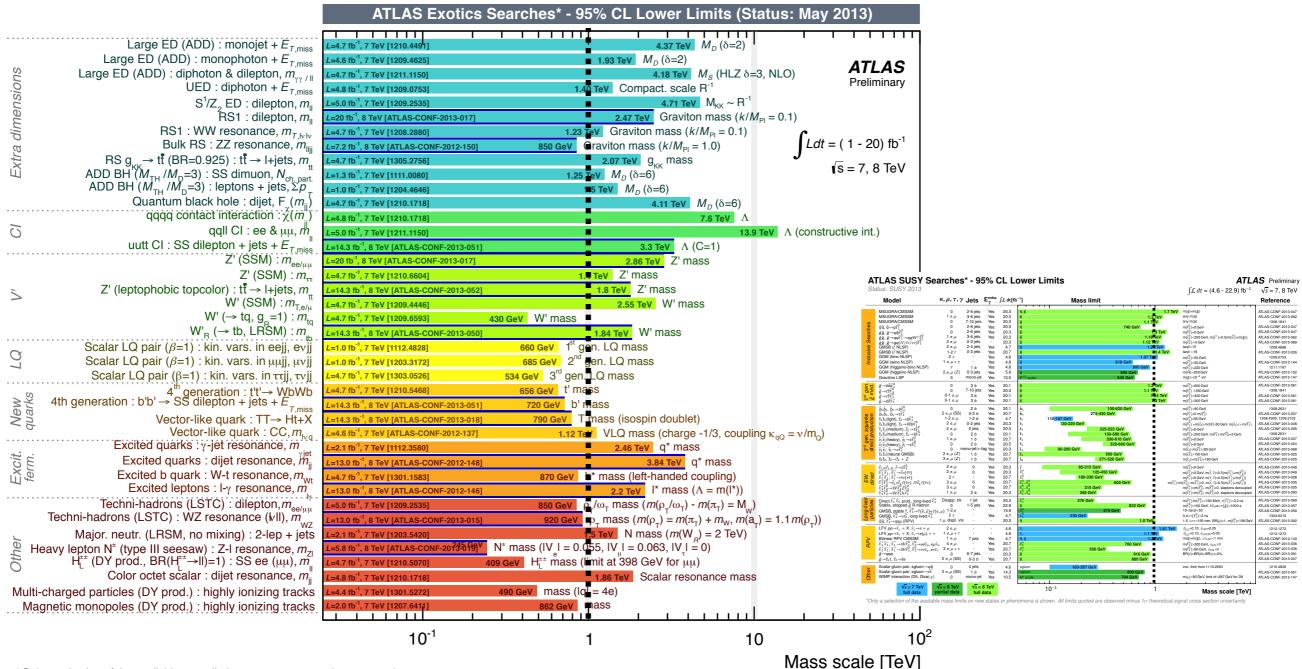


Little Hierarchy Problem *

$$\underbrace{m_{physical}^2}_{what\ we\ measure} = \underbrace{m_h^2}_{free\ parameter} + \frac{3\lambda}{8\pi} \underbrace{\Lambda^2}_{theory\ cutoff} - \frac{3\lambda}{8\pi} m_h^2 \log\left(\frac{\Lambda^2 + m_h^2}{m_h^2}\right)$$

^{*} whether the little hierarchy problem is indeed a problem in a matter of debate, depending on philosophical opinions on naturalness, amongst others...

Many results out on BSM physics



^{*}Only a selection of the available mass limits on new states or phenomena shown

https://twiki.cern.ch/twiki/bin/view/AtlasPublic/

Herculean tasks: killing hydras and finding a golden apple



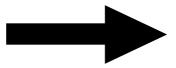
Dark Matter: Hunting down the Stymphalian Bird(s)



Generic requirements of Dark Matter (DM)



time passes

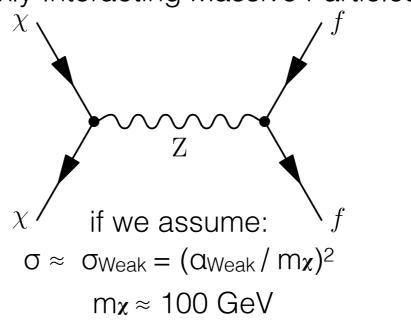


<u>DM freeze out:</u> expansion rate = annihilation rate

What we know about Dark Matter:					
E&M					
Gravity					
decouples at certain temperature					

very light $< m_{\chi} < 10^{18} \text{ GeV}$

No statement about the weak force - let's try WIMPs (Weakly Interacting Massive Particles)

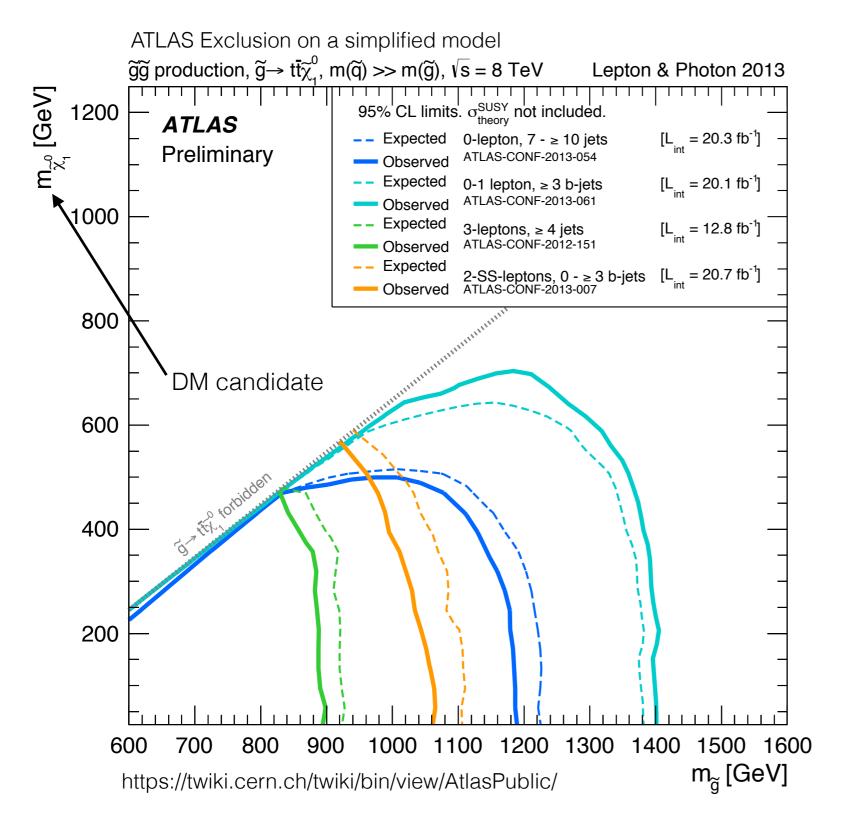


We get: $\rho_{DM} \approx 0.23$ The correct relic density!

It's a (WIMP) miracle!



The retreat of "natural" SUSY



- SUSY both solves the little hierarchy problem and gives a DM candidate
- to be considered "natural", i.e. have low fine-tuning, SUSY particles should be light
- limits on natural SUSY DM candidate pushed to hundreds of GeVs
- can have many, many SUSY paradigms can always hide it

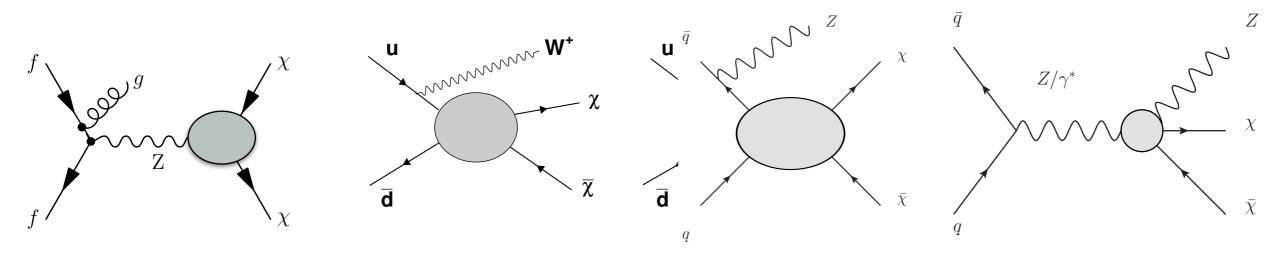
ATLAS Exotics approach:

Use an effective field theory: reduce number of parameters to m_x and suppression scale M*

Define a series of possible operators

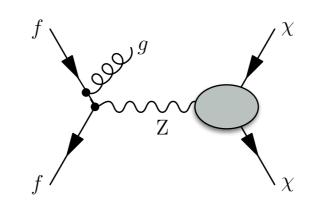
Agnostic to model, just look for massive particle interacting weakly

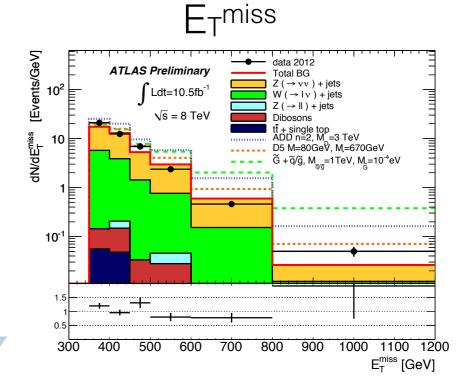
for example:

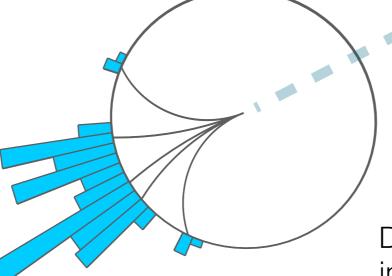


Monojets

- look at events with only one jet and E_T^{miss}.
 - veto leptons and more than one additional jet



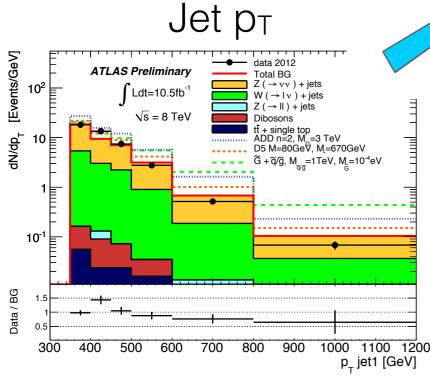




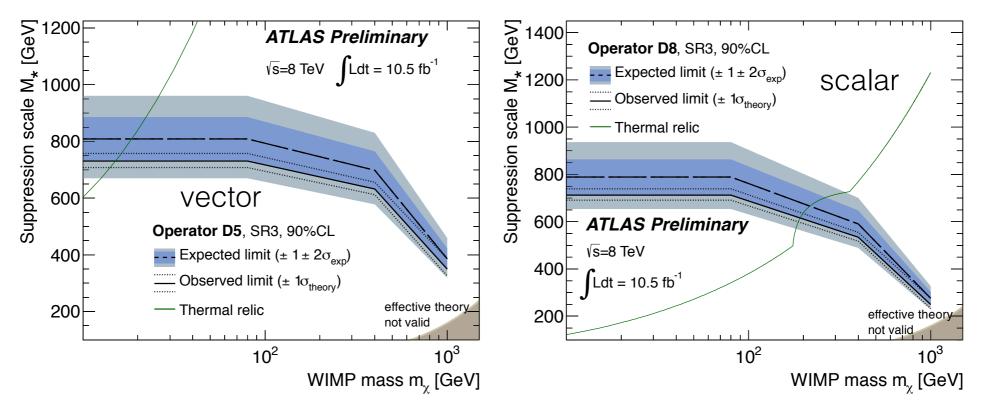
Define four signal regions with increasingly tighter jet p_T and E_T^{miss} cuts.

Signal region shown requires:

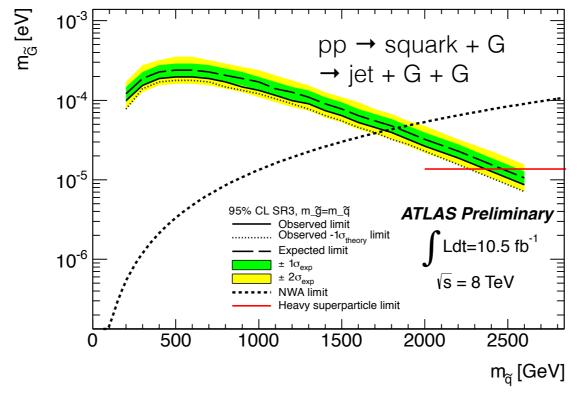
- jet $p_T > 350 \text{ GeV}$
- **-** $E_T^{miss} > 350 \text{ GeV}$



Monojets: WIMP interpretation



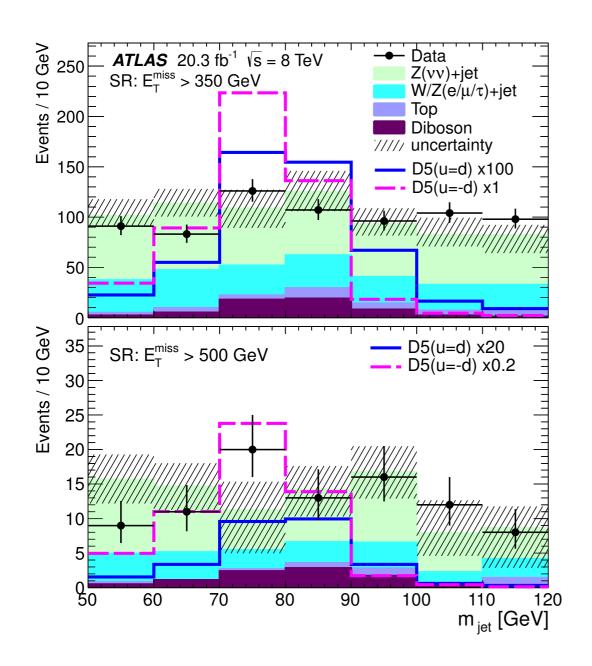
Exclusions for generic WIMP model

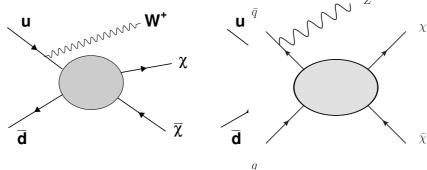


Exclusion in the GMSB SUSY paradigm

DM production in association with hadronically decaying W/Z

similar to Monojet, but specific to associated W/Z production:



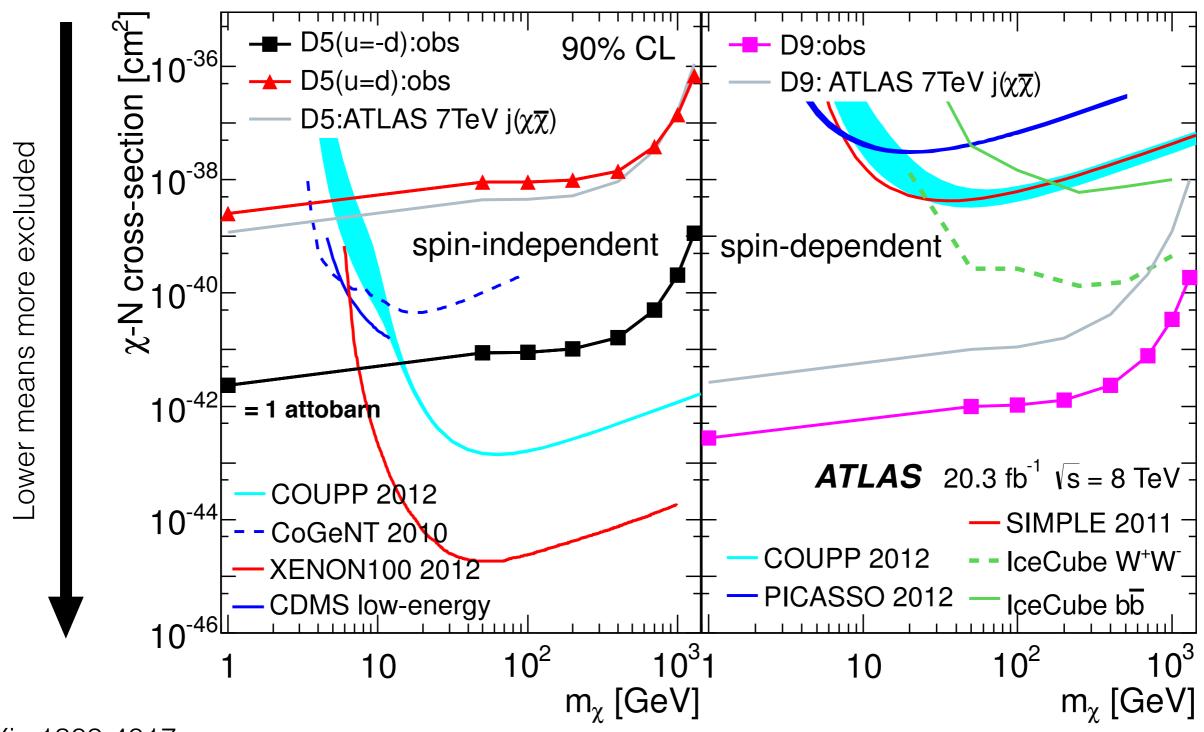


Use jet substructure techniques to reconstruct the W or Z:

- Cambridge-Aachen jet, R = 1.2, with:
 - $p_T > 250 \text{ GeV}$
 - $|\eta| < 1.2$
 - 50 < m_{jet} < 120 GeV
- reject additional leptons/jets
- two signal regions:
 - $E_T^{miss} > 350 \text{ GeV}$
 - $E_T^{miss} > 500 \text{ GeV}$

Interpreting the results: ATLAS competitive at low WIMP mass

Naive SUSY neutralino Isp WIMP miracle cross-section around ~ 10⁻³⁹ cm⁻² Slightly more acrobatics with Higgs couplings puts it at ~10⁻⁴⁴ cm⁻²



arXiv:1309.4017

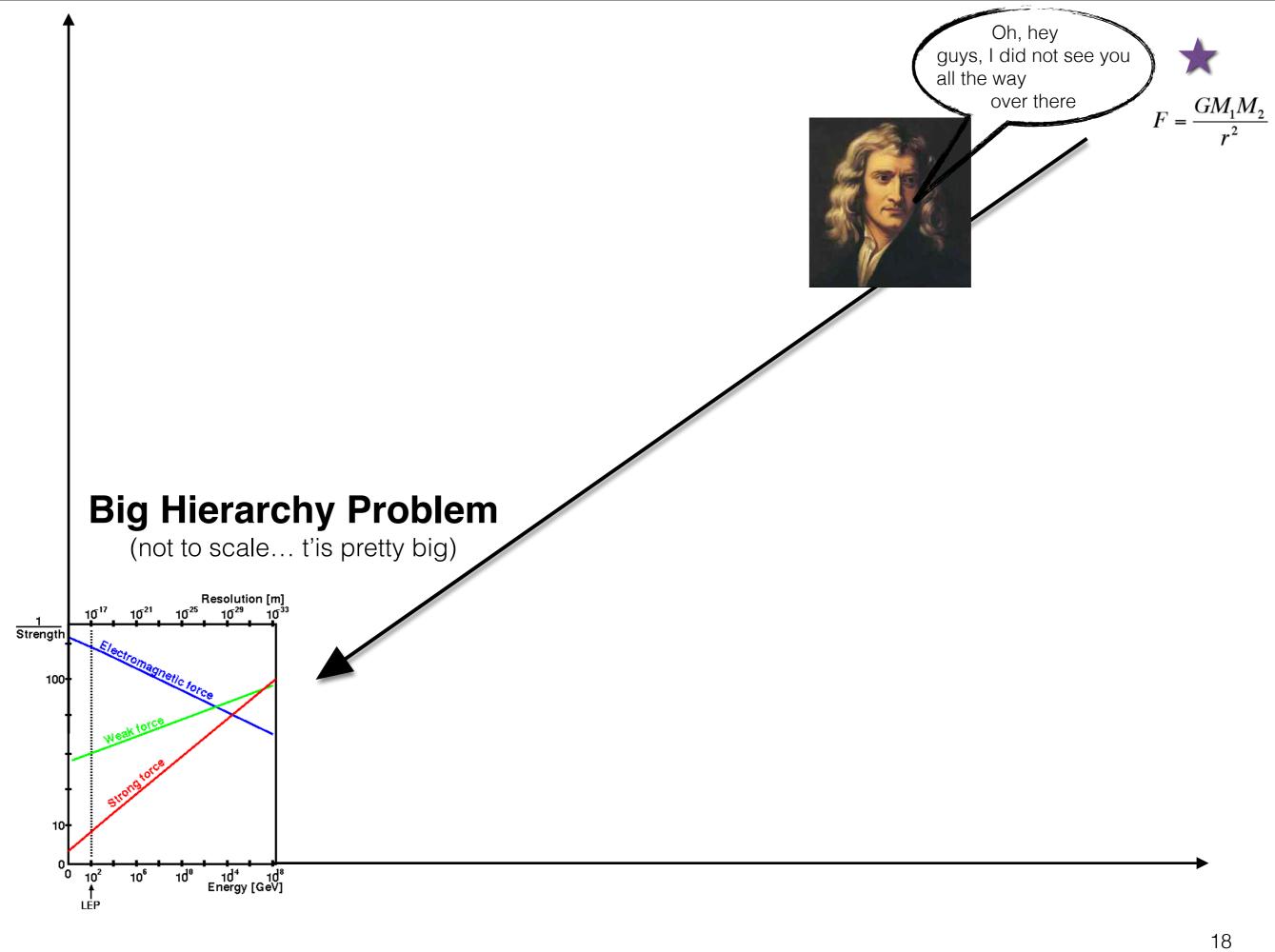
State of WIMP Dark Matter

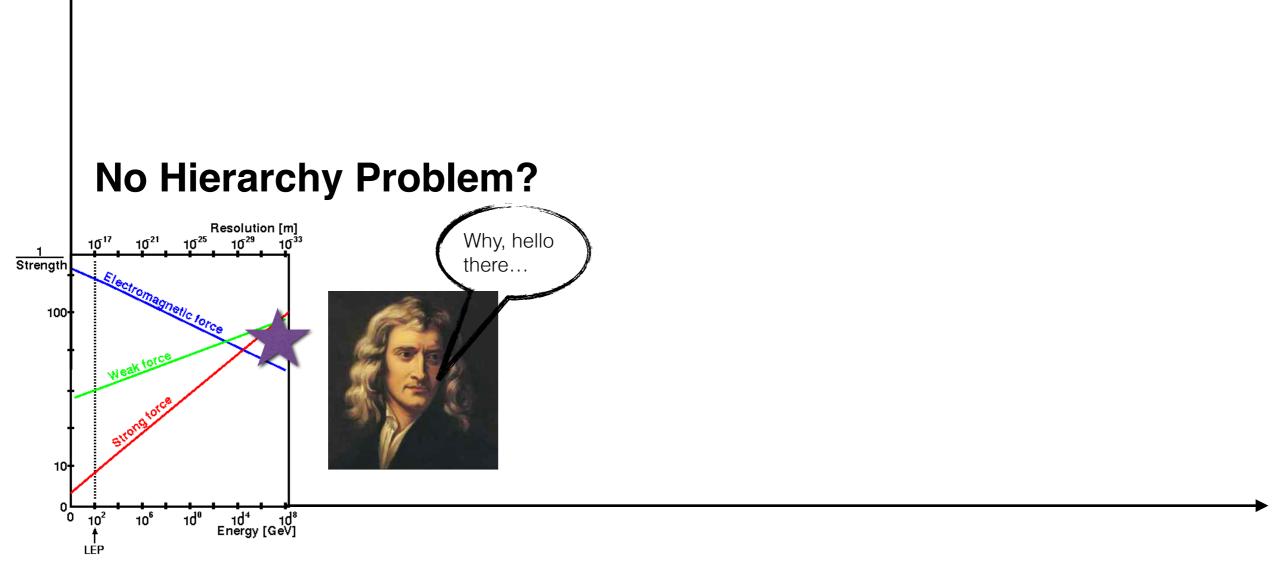
"WIMP miracle" would have been nice - no sign of it so far.

WIMP could still hide in fancier SUSY models - or something more exotic

Extra Dimensions and Black Holes: Descent into Hades







Extra Dimensional Models

If $M_{Planck} \approx m_{EW}$, most of gravity must be going somewhere else

Assume there exist one or several small extra dimensions of radius R.

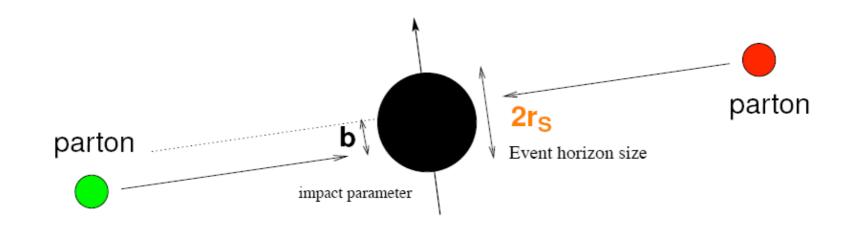
At large distances, they are closed and do not appear to exist.

$$V(r) \sim \frac{m_1 m_2}{M_{Pl(4+n)}^{n+2} R^n} \frac{1}{r}, \ (r \gg R)$$
 Our "normal" M_{Planck} $\longrightarrow M_{Pl}^2 \sim M_{Pl(4+n)}^{2+n} R^n$

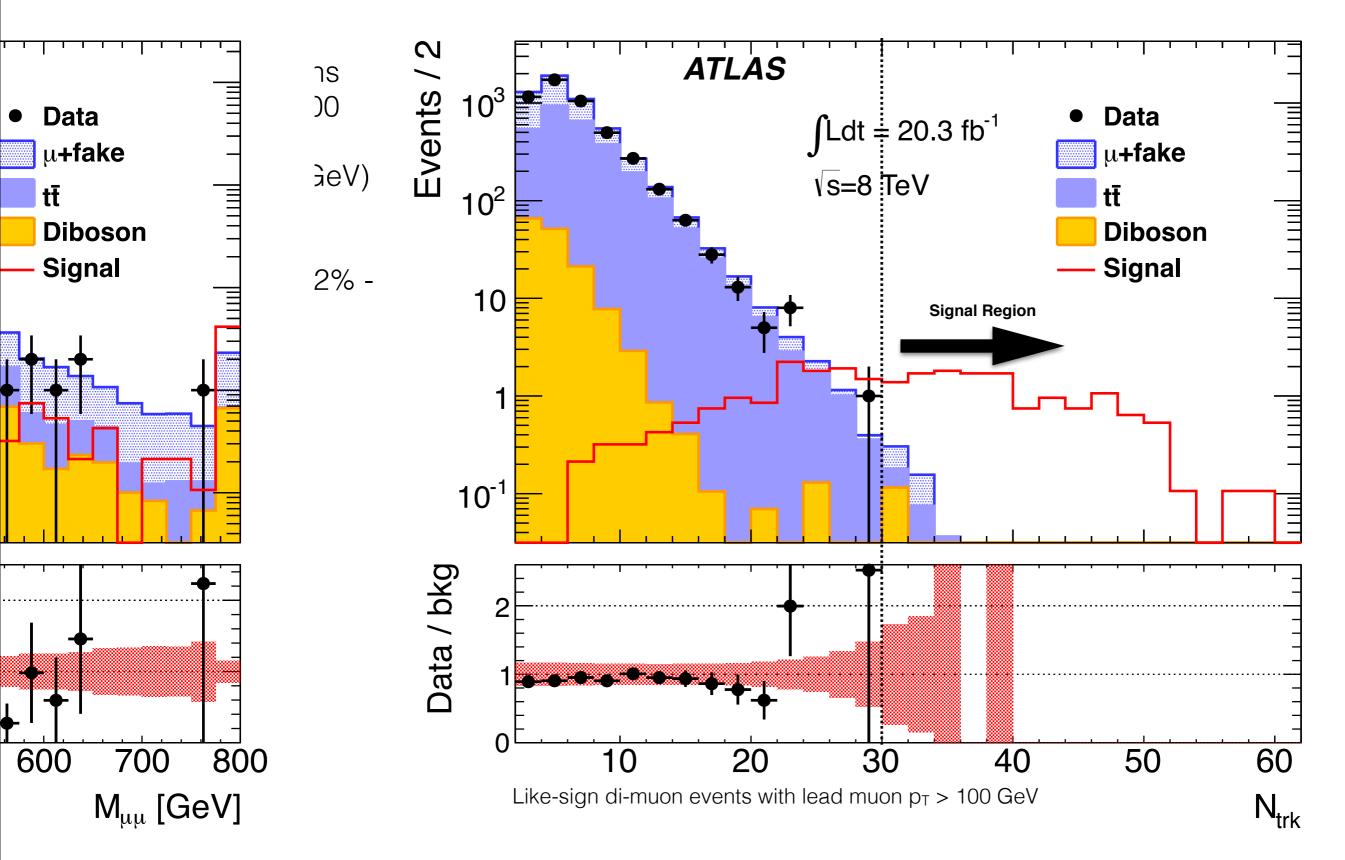
At small distances, they change the potential of gravity:

$$V(r) \sim \frac{m_1 m_2}{M_{Pl(4+n)}^{n+2}} \frac{1}{r^{n+1}}, \ (r \ll R). \qquad \begin{array}{c} & \qquad \qquad \\ & \qquad$$

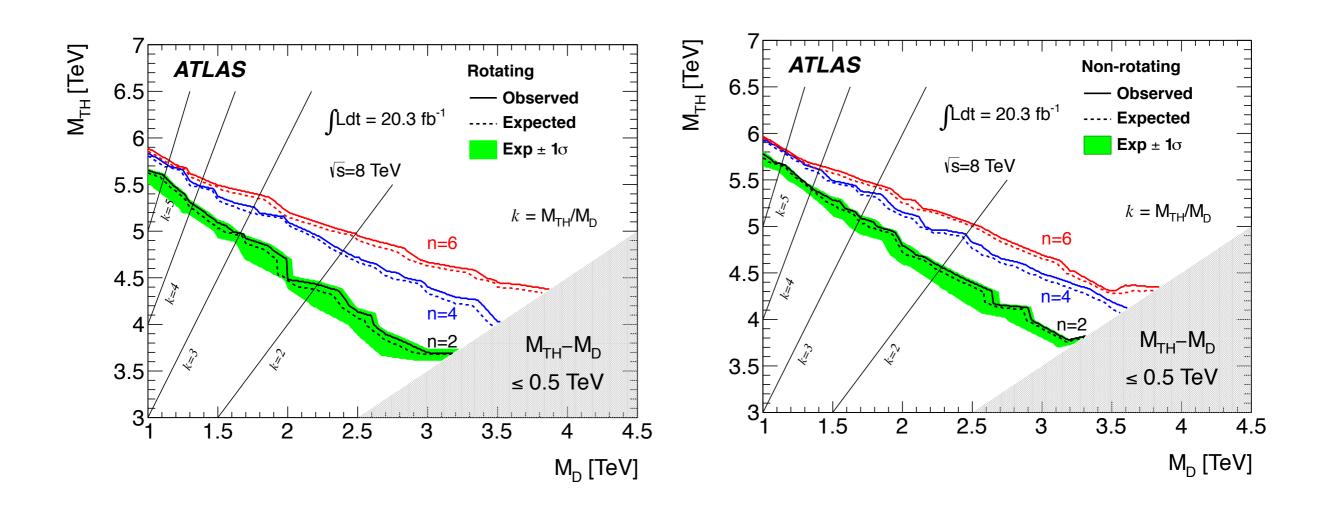
Exciting consequence: Black Holes



Randall-Sundrum	ADD Models			
one warped dimension	several flat dimensions			
	Classical Black Holes	Quantum Black Holes		
current energies too low to produce Black Holes	M _{th} > M _D required	$M_{th} = M_D$		
probed indirectly in resonance searches	semi-classical decay via Hawking radiation	non-classical decays		
	high object multiplicty	usually 2-body decay		



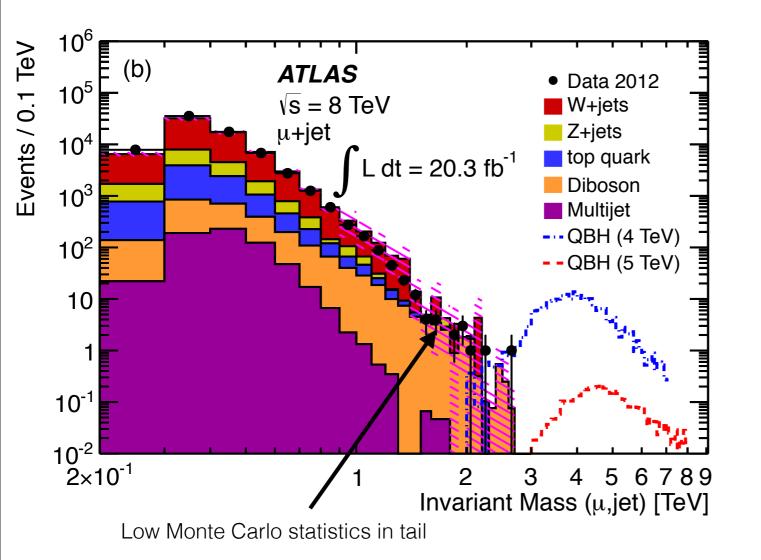
Classical Black Holes interpretation



arXiv:1308.4075

Stage I: Monte Carlo Driven

- require exactly 1 lepton with $p_T > 130 \text{ GeV}$
- construct invariant mass with hardest jet



Stage II: Fits

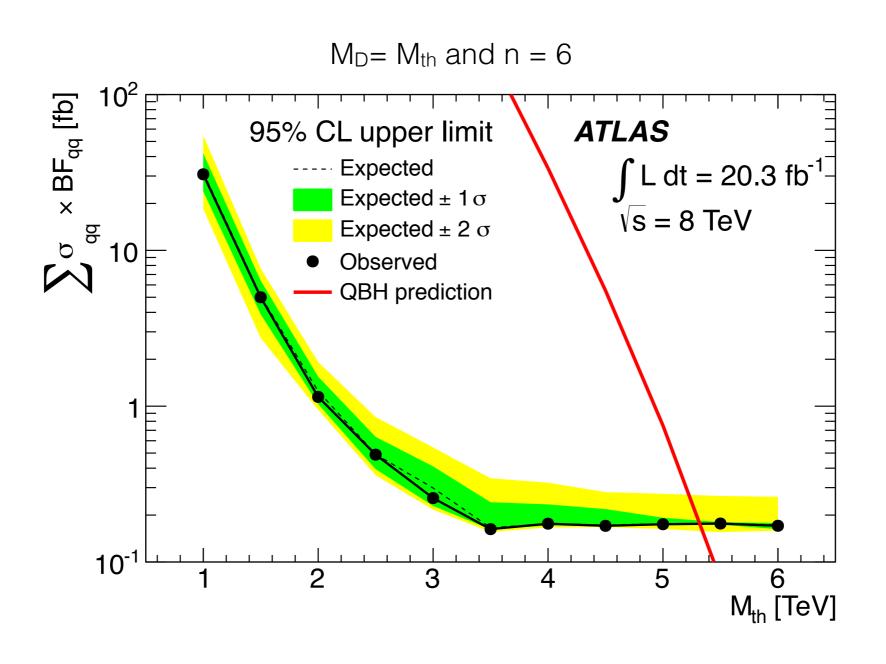
Smooth out statistical variations by fitting the invariant mass distribution to an analytic function.

$$f(x) = p_1 x^{p_2+p_3 \ln(x)} (1-x)^{p_4}$$

Largest uncertainty is choice of fit function — order 100 %

Define several signal regions in slices of invariant mass

Quantum Black Hole Interpretation



arXiv:1311.2006

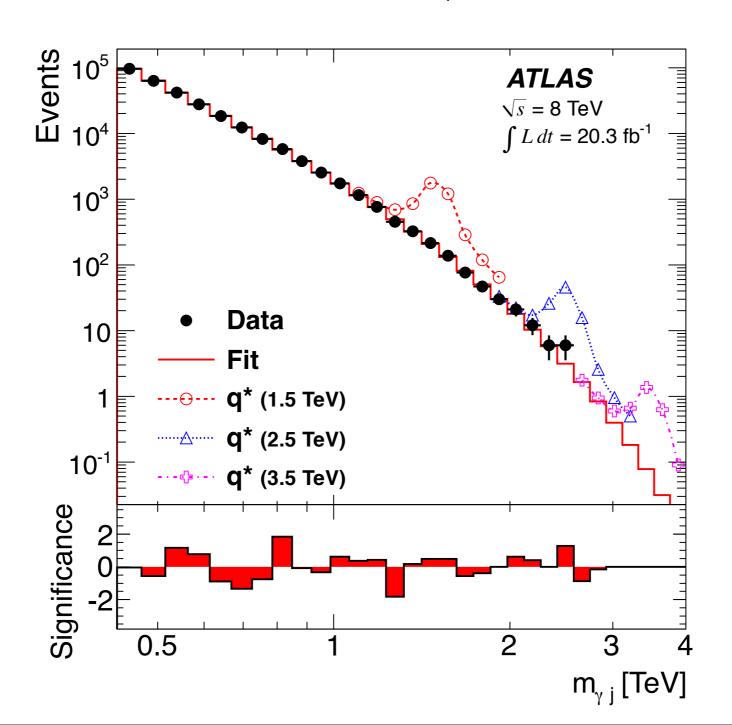
Photon + Jets

- select events with photon and jet, each with $p_T > 125 \text{ GeV}$

- construct invariant mass

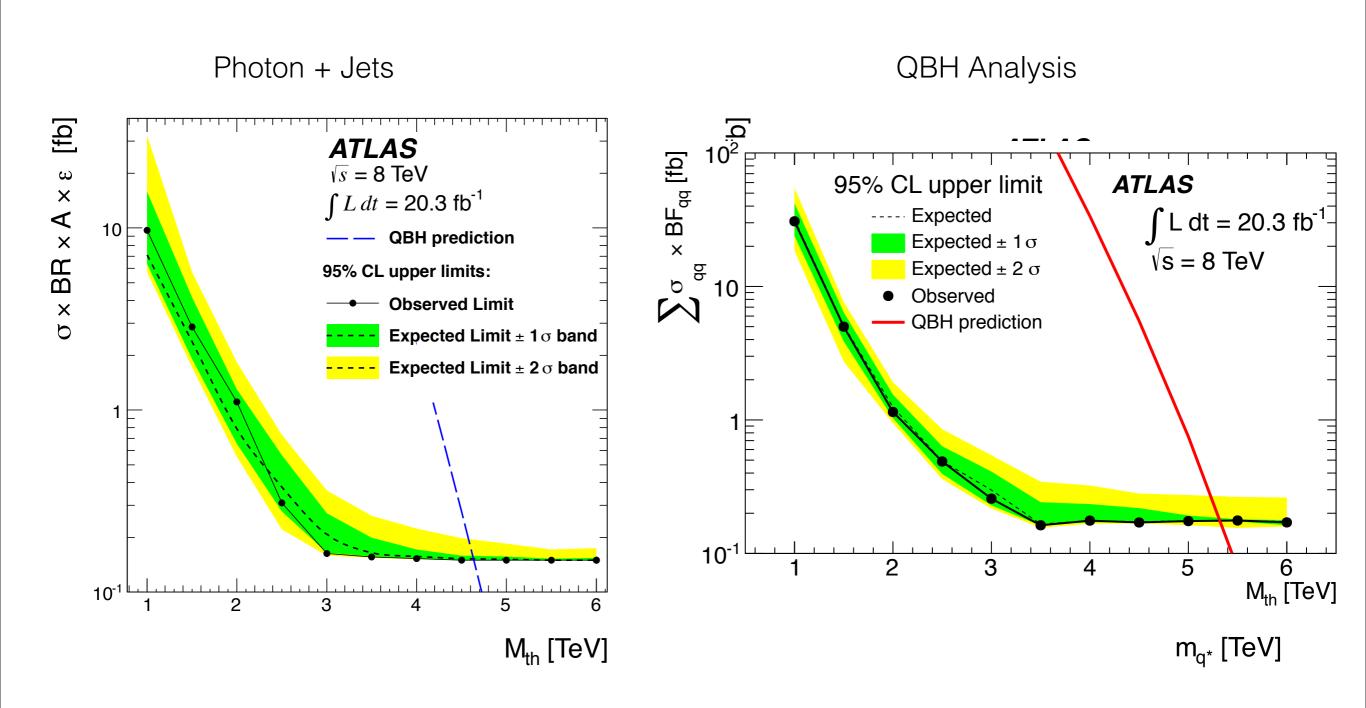
- fit to function: $f(x) = p_1 x^{p_2+p_3 \ln(x)} (1-x)^{p_4}$

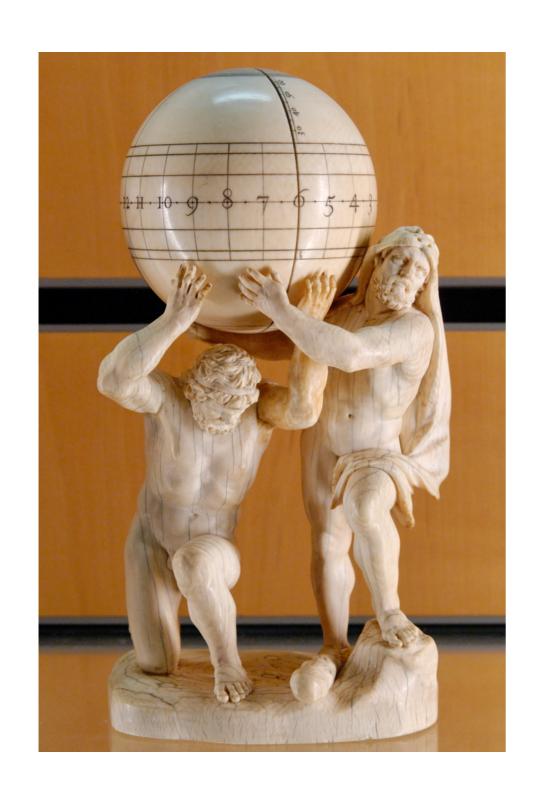
- hunt for bumps



Quantum Black Hole interpretations

 $M_D = M_{th}$ and n = 6





We looked very hard, and saw nothing

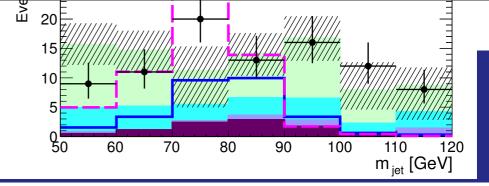
Considered a wide spectrum of search methods and final states

Run II at 13 TeV will be very exciting

Atlas did get the golden apples for Hercules...

Backup

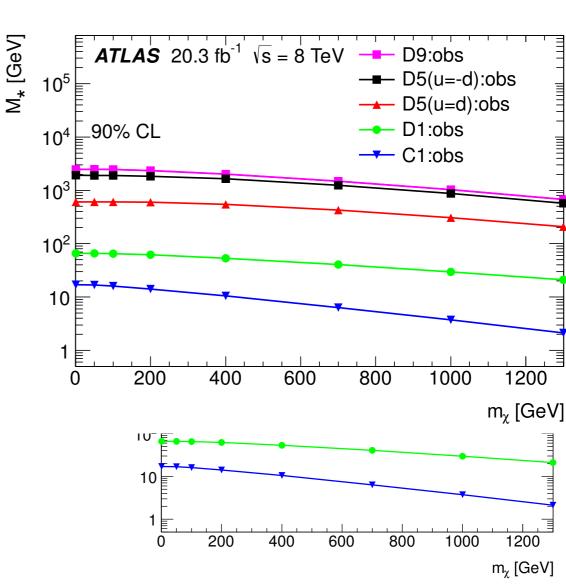
Dark matter pair production



- C1 scalar, D1 scalar, D5 vector (both the constructive and destructive interference cases), and D9 tensor.
- In each case, $m\chi = 1, 50, 100, 200, 400, 700, 1000$ and 1300 GeV are used.
- simulated with MG

TABLE I: Data and estimated background yields in the two signal regions. Uncertainties include statistical and systematic contributions.

Process	$E_{\rm T}^{\rm miss} > 350 \; {\rm GeV}$	$E_{\rm T}^{\rm miss} > 500 \; {\rm GeV}$
$Z o u \bar{ u}$	402^{+39}_{-34}	54^{+8}_{-10}
$W \to \ell^{\pm} \nu, Z \to \ell^{\pm} \ell^{\mp}$	210^{+20}_{-18}	22^{+4}_{-5}
WW, WZ, ZZ	57^{+11}_{-8}	$9.1^{+1.3}_{-1.1}$
$t\bar{t}$, single t	39_{-4}^{+10}	$3.7^{+1.7}_{-1.3}$
Total	707_{-38}^{+48}	89^{+9}_{-12}
Data	705	89



Dark Matter with Z

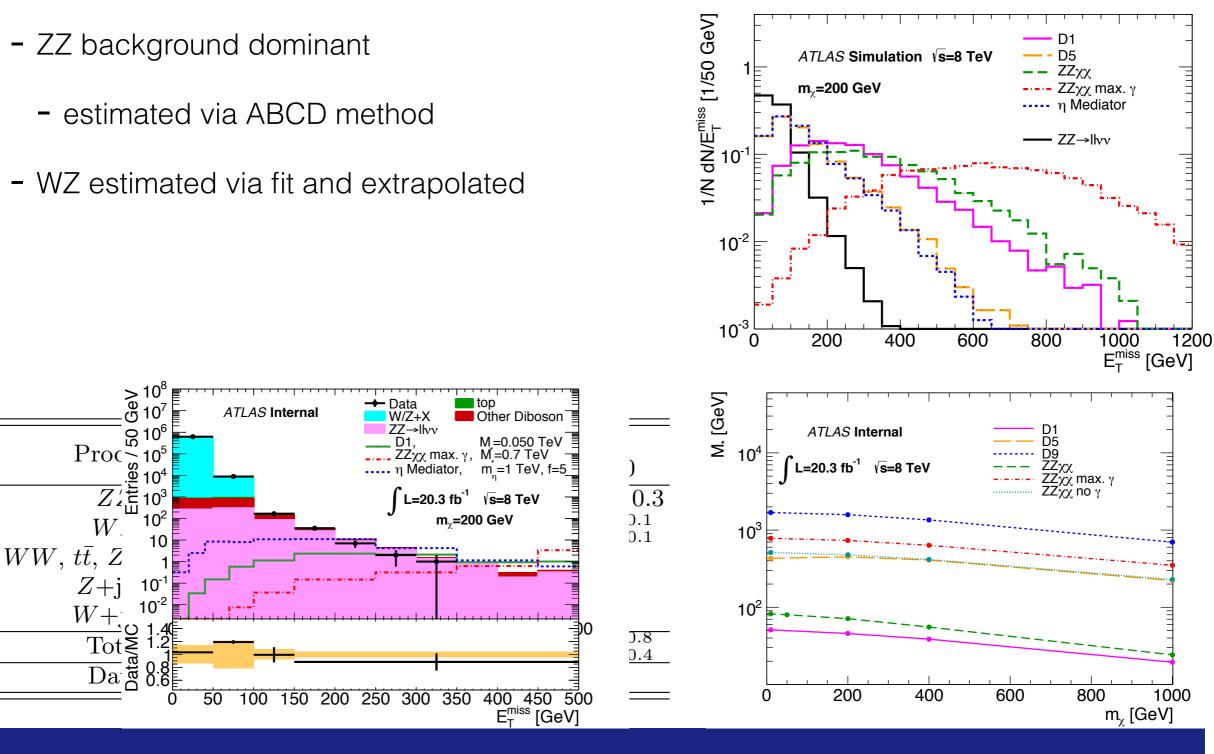
ATLAS Simulation √s=8 TeV

m,=200 GeV

 $ZZ\chi\chi$ ---- ZZχχ max. γ

···· η Mediator

- ZZ background dominant
 - estimated via ABCD method
- WZ estimated via fit and extrapolated



Monojets - EW background prediction

- use data-driven method for determining Z → vv + Jets and W → lv + Jets backgrounds
- the Alpgen MC prediction for these backgrounds is scaled by a transfer factor determined in a control region that is enriched in W → µv or in W → ev events.

$$N(\mathbf{Z}(\to \nu \bar{\nu}) + jets)_{signal} = (N_{W\to \mu\nu, control}^{data} - N_{W, control}^{background}) \times \frac{N^{MC}(\mathbf{Z}(\to \nu \bar{\nu}) + jets)_{signal}}{N_{W\to \mu\nu, control}^{MC}},$$

- other backgrounds, including multijet is estimated from simulation.

Monojet - background yields

Background Predictions ± (stat.data)± (stat.MC) ± (syst.)						
	SR1	SR2	SR3	SR4		
$Z (\rightarrow \nu \bar{\nu}) + \text{jets}$	$173600 \pm 500 \pm 1300 \pm 5500$	$15600 \pm 200 \pm 300 \pm 500$	$1520 \pm 50 \pm 90 \pm 60$	$270 \pm 30 \pm 40 \pm 20$		
$W \rightarrow \tau \nu + \text{jets}$	$87400 \pm 300 \pm 800 \pm 3700$	$5580 \pm 60 \pm 190 \pm 300$	$370 \pm 10 \pm 40 \pm 30$	$39 \pm 4 \pm 11 \pm 2$		
$W \rightarrow ev + jets$	$36700 \pm 200 \pm 500 \pm 1500$	$1880 \pm 30 \pm 100 \pm 100$	$112 \pm 5 \pm 18 \pm 9$	$16 \pm 2 \pm 6 \pm 2$		
$W \rightarrow \mu \nu + \text{jets}$	$34200 \pm 100 \pm 400 \pm 1600$	$2050 \pm 20 \pm 100 \pm 130$	$158 \pm 5 \pm 21 \pm 14$	$42 \pm 4 \pm 13 \pm 8$		
$Z \rightarrow \tau \tau + \text{jets}$	$1263 \pm 7 \pm 44 \pm 92$	$54 \pm 1 \pm 9 \pm 5$	$1.3 \pm 0.1 \pm 1.3 \pm 0.2$	$1.4 \pm 0.2 \pm 1.5 \pm 0.2$		
$Z/\gamma^*(\rightarrow \mu^+\mu^-)$ +jets	$783 \pm 2 \pm 35 \pm 53$	$26 \pm 0 \pm 6 \pm 1$	$2.7 \pm 0.1 \pm 1.9 \pm 0.3$	_		
$Z/\gamma^*(\rightarrow e^+e^-)$ +jets	_	_	_	_		
Multijet	$6400 \pm 90 \pm 5500$	$200 \pm 20 \pm 200$	_	_		
$t\bar{t} + \text{single } t$	$2660 \pm 60 \pm 530$	$120 \pm 10 \pm 20$	$7 \pm 3 \pm 1$	$1.2 \pm 1.2 \pm 0.2$		
Dibosons	$815 \pm 9 \pm 163$	$83 \pm 3 \pm 17$	$14 \pm 1 \pm 3$	$3 \pm 1 \pm 1$		
Non-collision background	$640 \pm 40 \pm 60$	$22 \pm 7 \pm 2$	_	_		
Total background	$344400 \pm 900 \pm 2200 \pm 12600$	$25600 \pm 240 \pm 500 \pm 900$	$2180 \pm 70 \pm 120 \pm 100$	$380 \pm 30 \pm 60 \pm 30$		
Data	350932	25515	2353	268		

Table 2: Number of observed events and predicted background events, including statistical and systematic uncertainties. The statistical uncertainties for data and MC simulation are shown separately. In the total background prediction the first quoted uncertainty reflects the contribution from the statistical uncertainty in the data in the control regions affecting the electroweak background estimation, the second represents the MC statistical uncertainty, and the third includes the rest of systematic uncertainties. In SR3 and SR4 selections the MC statistical uncertainty dominates. The background uncertainties in SR1 and SR2 selections are dominated by the rest of systematic uncertainties.

Classical Black Holes - background estimation

- ttbar, VV and W+jets background largest.

1.5

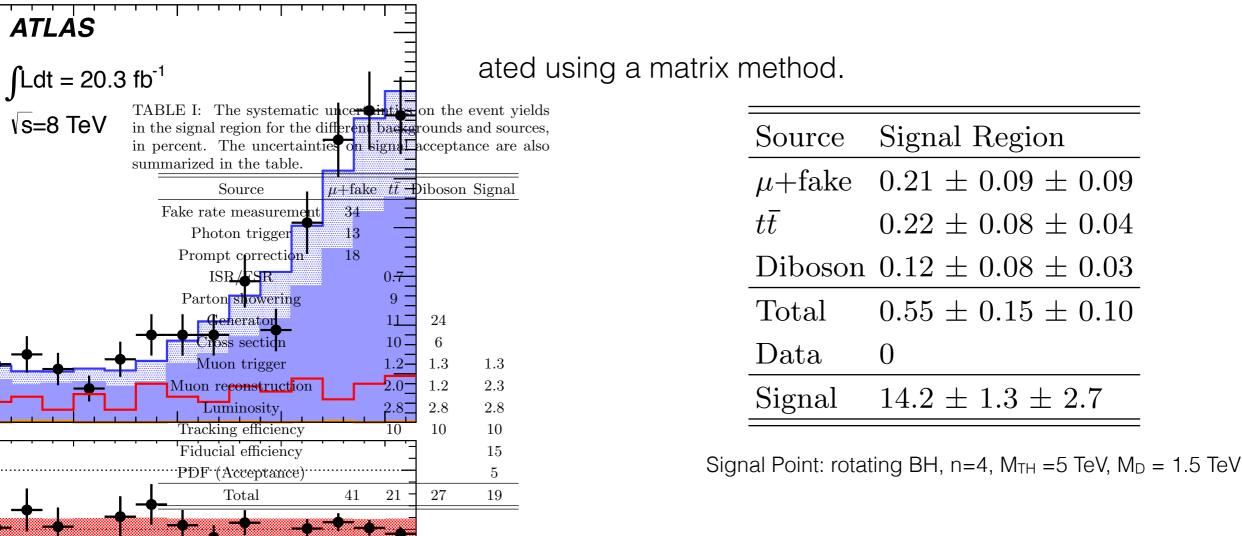
2

2.5

3

 $\Delta \varphi_{\mu\mu}$

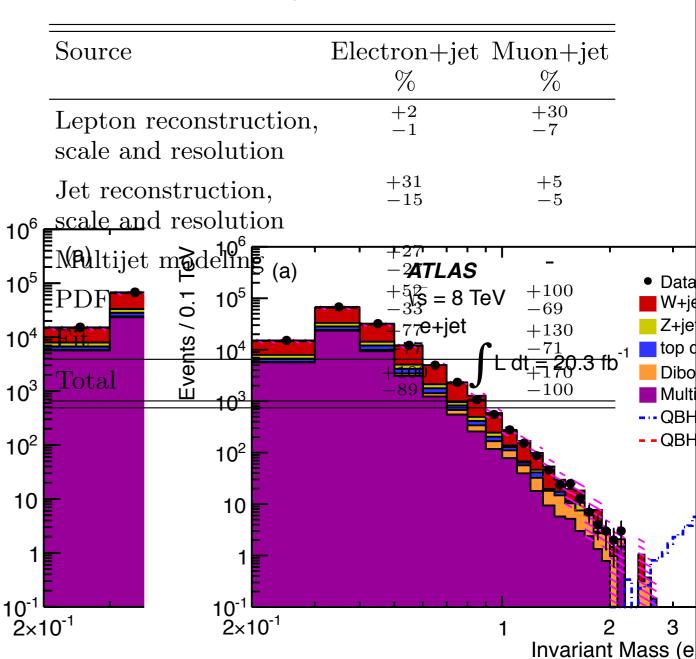
- track multiplicity: number of ID tracks with $p_T > 10$ GeV and $|\eta| < 2.5$ that pass



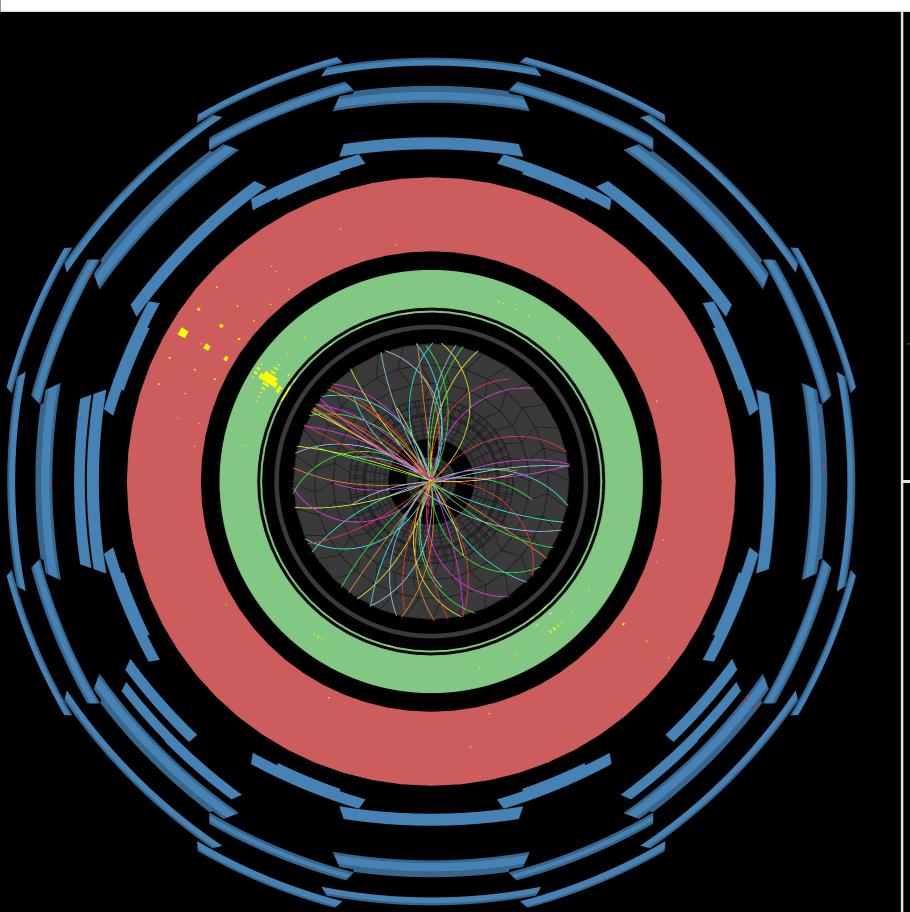
Quantum Black Hole selection

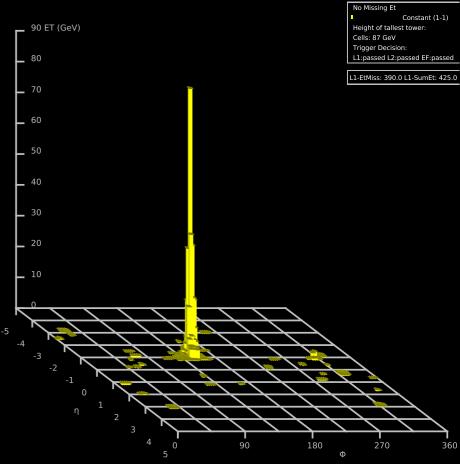
- Exactly one lepton:
 - electron: $p_T > 130 \text{ GeV}$, $|\eta| < 2.47$
 - muon: $p_T > 130 \text{ GeV}$, $|\eta| < 2.4$
- Jets: $p_T > 50 \text{ GeV}$, $|\eta| < 2.5$
- construct invariant mass with lepton and highest p_T jet. Events / 0.1 TeV
- signal acceptance is very high, rangi from 50-90 %.

- Fit function: $p_1 x^{p_2+p_3 \ln(x)} (1-x)^{p_4}$ (with $x = m_{\rm inv}/\sqrt{s}$ and fit parameters p_1-p_4) Table of relative systematic uncertainties



Monojet event display (2011 data)







Run Number: 180309, Event Number: 36060682

Date: 2011-04-27 02:33:15 CEST