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Part I

Fourier integral operators with complex-valued phase function and the Cauchy problem for hyperbolic operators — KUNIHICO KAJITANI

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The effectively hyperbolic Cauchy problem — TATSUO NISHITANI

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