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**Study of exclusive electroproduction of
 ρ^0 mesons at low Q^2 using the ZEUS
Beam Pipe Calorimeter at HERA**

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OUTLINE:

- Introduction
- The Beam Pipe Calorimeter
- ρ^0 selection
- Efficiencies and backgrounds
- Results:
 - Mass spectrum
 - $d\sigma/d|t|$ distribution and shrinkage
 - Angular decay distributions and $R = \frac{\sigma_L}{\sigma_T}$
 - ρ^0 cross-section
- Conclusions

INTRODUCTION

ep kinematics

$$s = (p + k)^2 \simeq 4E_e E_p$$

\sqrt{s} : *ep* center-of-mass energy

$$Q^2 = -(k - k')^2 \simeq 2E_e E_{e'} (1 + \cos \theta_{e'})$$

Photon virtuality

$$y = \frac{p \cdot q}{p \cdot k} \simeq 1 - \frac{E_{e'}}{E_e} \frac{1 - \cos \theta_{e'}}{2}$$

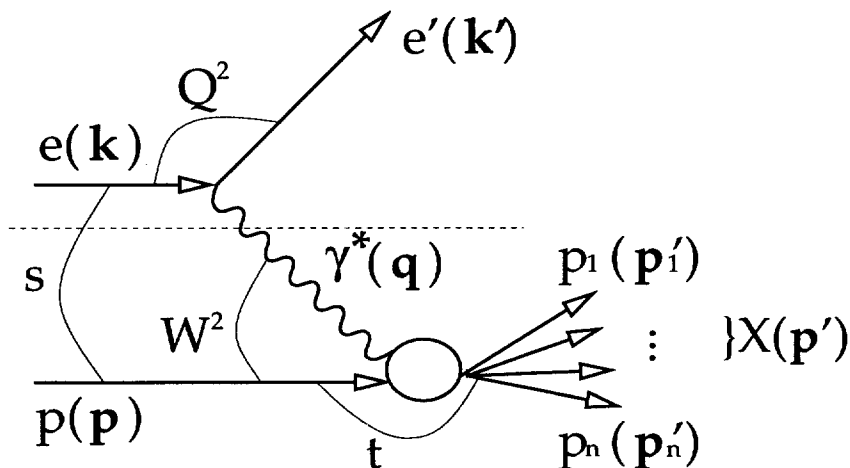
Fractional energy transfer in proton rest frame

$$W^2 = (p + q)^2 \simeq sy - Q^2$$

$\gamma^* p$ center-of-mass energy squared

$$x_{Bj} = \frac{Q^2}{2p \cdot q} \simeq \frac{Q^2}{sy}$$

Fractional momentum of struck parton



HERA:

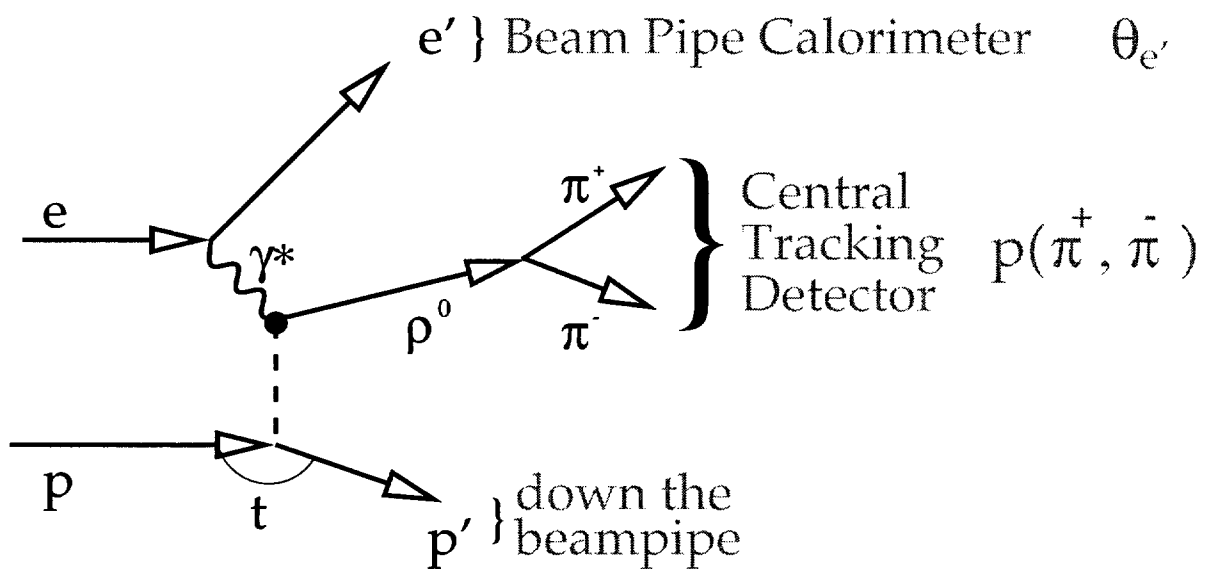
$$E_e = 27.5 \text{ GeV}$$

$$E_p = 820 \text{ GeV}$$

$$ep \rightarrow e\rho^0 p$$

$$t = (p-p')^2 \simeq (p_\rho + p_{e'})^2_X + (p_\rho + p_{e'})^2_Y$$

Momentum transfer at the proton vertex squared



$E_{e'}$ from energy and momentum conservation

(assuming no ISR):

$$E_{e'} = \frac{2E_e - (E - p_z)_{\pi^+} - (E - p_z)_{\pi^-}}{1 - \cos \theta_{e'}}$$

Relating ep to $\gamma^* p$

$$\frac{d^2\sigma_{ep \rightarrow e\rho^0 p}}{dy dQ^2} = \frac{\alpha}{2\pi} \frac{1}{Q^2} \frac{1+(1-y)^2}{y} \left[\sigma_T^{\gamma^* p \rightarrow \rho^0 p}(y, Q^2) + \frac{2(1-y)}{1+(1-y)^2} \sigma_L^{\gamma^* p \rightarrow \rho^0 p}(y, Q^2) \right]$$

$$\simeq \frac{\alpha}{2\pi} \frac{1}{Q^2} \frac{1+(1-y)^2}{y} \left[\sigma_T^{\gamma^* p \rightarrow \rho^0 p}(y, Q^2) + \sigma_L^{\gamma^* p \rightarrow \rho^0 p}(y, Q^2) \right]$$

Vector meson production at HERA:

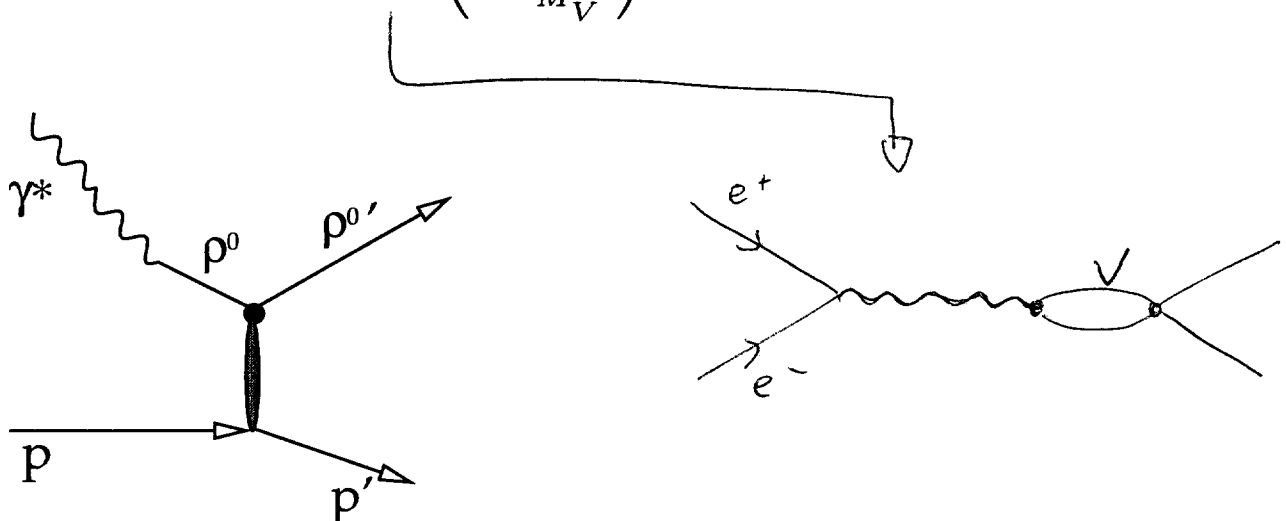
Soft phenomenological models

Vector meson dominance model (VDM):

The hadronic character of the photon

$$|\gamma^*\rangle = A|\gamma_B^*\rangle + \sqrt{\alpha}|h\rangle$$

$$\sqrt{\alpha}|h\rangle = \sum_{\rho, \omega, \phi} \frac{1}{f_V} \left(\frac{1}{1 + \frac{Q^2}{M_V^2}} \right) |V\rangle$$



Q^2 dependence of cross section

$$\sigma_T^{\gamma^* p \rightarrow \rho^0 p}(W, Q^2) = \frac{4\pi\alpha}{f_\rho^2} \left(\frac{1}{1 + \frac{Q^2}{M_\rho^2}} \right)^2 \sigma_T^{\rho^0 p \rightarrow \rho^0 p}(W)$$

$$\sigma_L^{\gamma^* p \rightarrow \rho^0 p}(W, Q^2) = \sigma_T^{\gamma^* p \rightarrow \rho^0 p}(W, Q^2) \cdot R(Q^2)$$

$$R(Q^2) = Q^2 / M_\rho^2 \xi_\rho$$

Regge theory and the Pomeron:

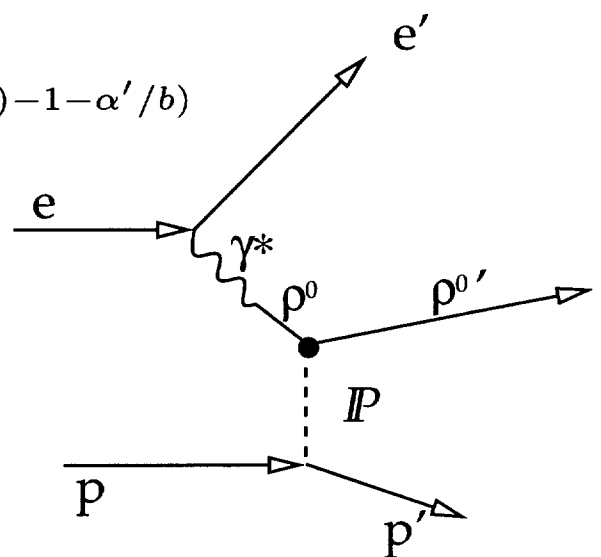
Pomeron exchange in t channel ($\alpha_P(0) \sim 1.08$, $\alpha'_P \sim 0.25$)

$$\frac{d\sigma^{\rho^0 p \rightarrow \rho^0 p}}{d|t|} = \left(\frac{W}{W_0} \right)^{4(\alpha(0)-1)} e^{-b(W)|t|}$$

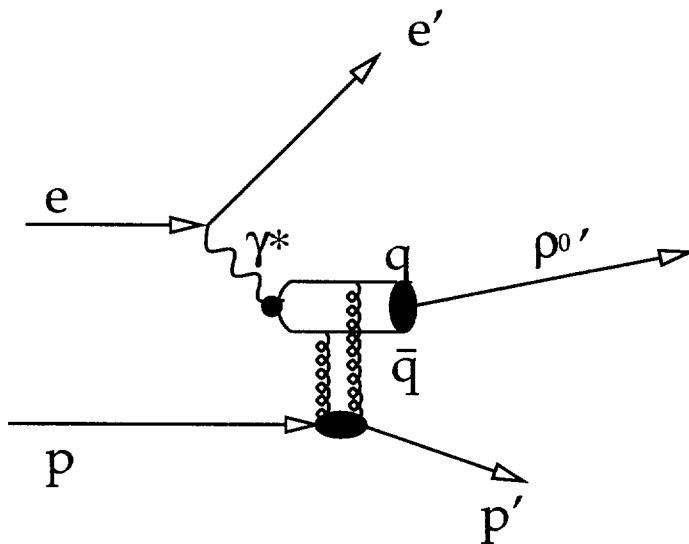
$$b(W) = b_0 + 4\alpha' \ln(W/W_0) \rightarrow \text{Shrinkage}$$

$$\sigma^{\rho^0 p \rightarrow \rho^0 p} \propto \frac{W^{4(\alpha(0)-1)}}{b(W)} \sim W^{4(\alpha(0)-1-\alpha'/b)}$$

$$b \sim 8 \rightarrow W^{0.2}$$



Vector meson production at HERA: pQCD (high Q^2)



$$\left. \frac{d\sigma_L^{\gamma^* p \rightarrow V p}}{dt} \right|_{t=0} = \frac{A}{Q^6} \alpha_S^2(Q^2) \left| \left(1 + \frac{i\pi}{2} \frac{d}{d \ln x_{Bj}} \right) xg(x_{Bj}, Q^2) \right|^2$$

Longitudinal contribution dominates cross section

(high Q^2)

$$\sigma^{\gamma^* p \rightarrow V p}(Q^2) \simeq \left(\frac{1}{Q^2} \right)^{2.5}$$

$$\sigma^{\gamma^* p \rightarrow V p}(W) \simeq W$$

t and W dependences decoupled

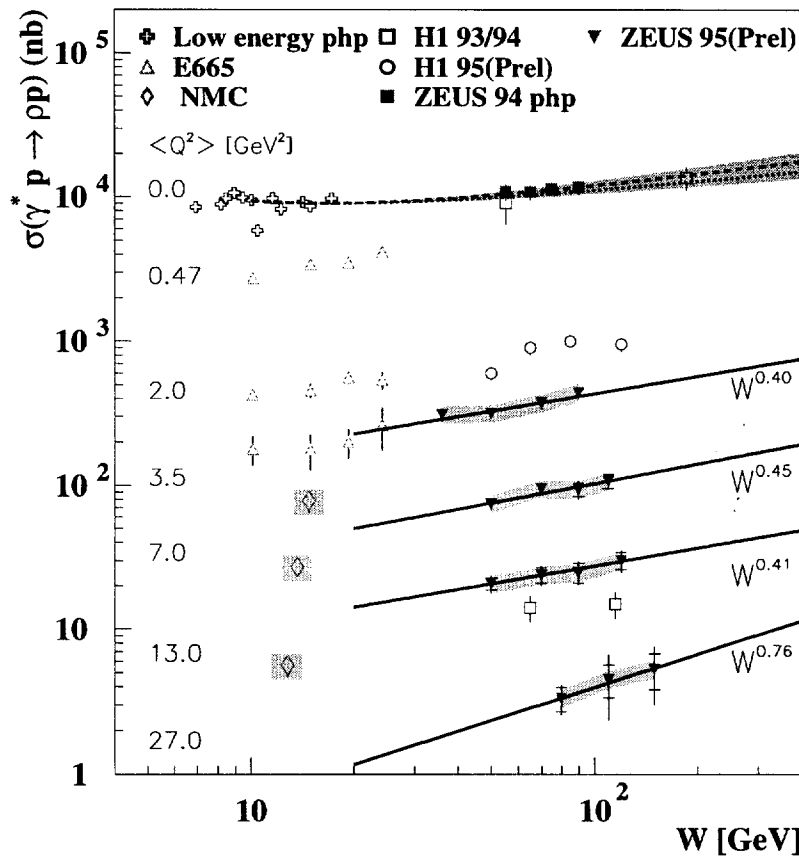
Existing results:

Photoproduction data ($Q^2 = 0$)

well described by soft models

High Q^2 data ($Q^2 > 4 \text{ GeV}^2$)

agrees with pQCD predictions



What happens in between ?

Goal: Study transition between two regimes with accuracy that allows discrimination

THE BEAM PIPE CALORIMETER

Detector installed in Winter 94/95

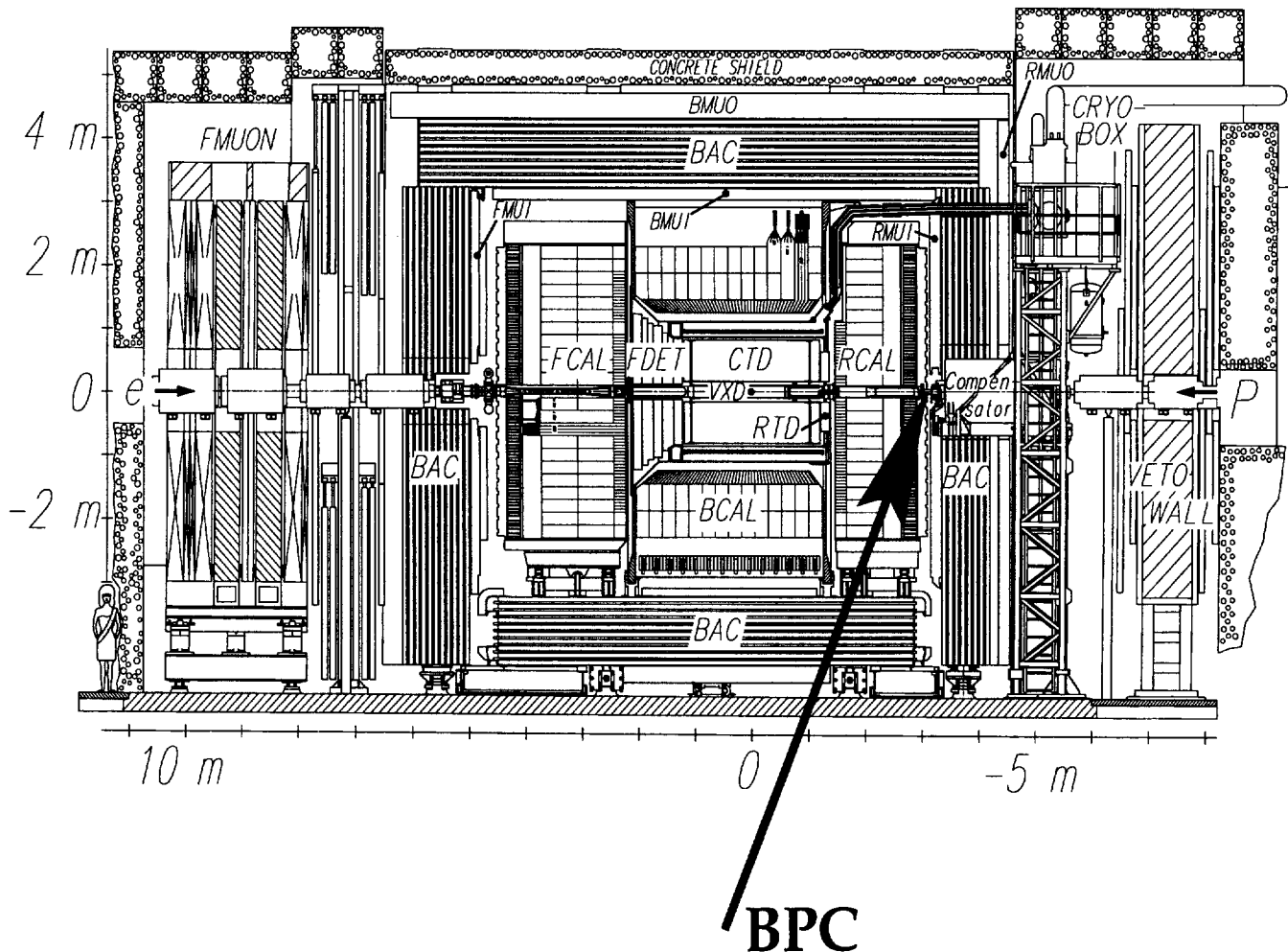
Detector specifications

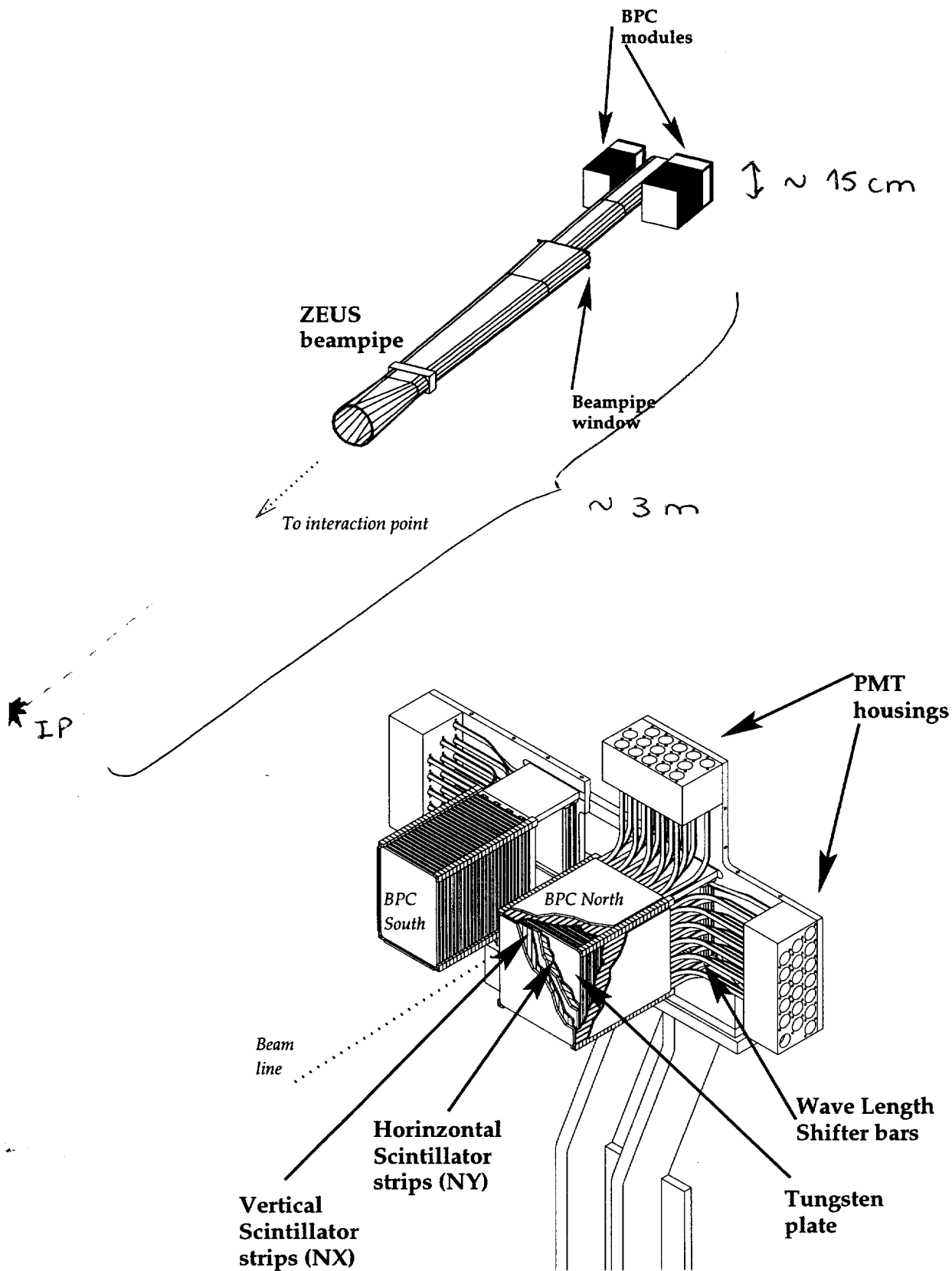
Energy resolution determined by requirements on

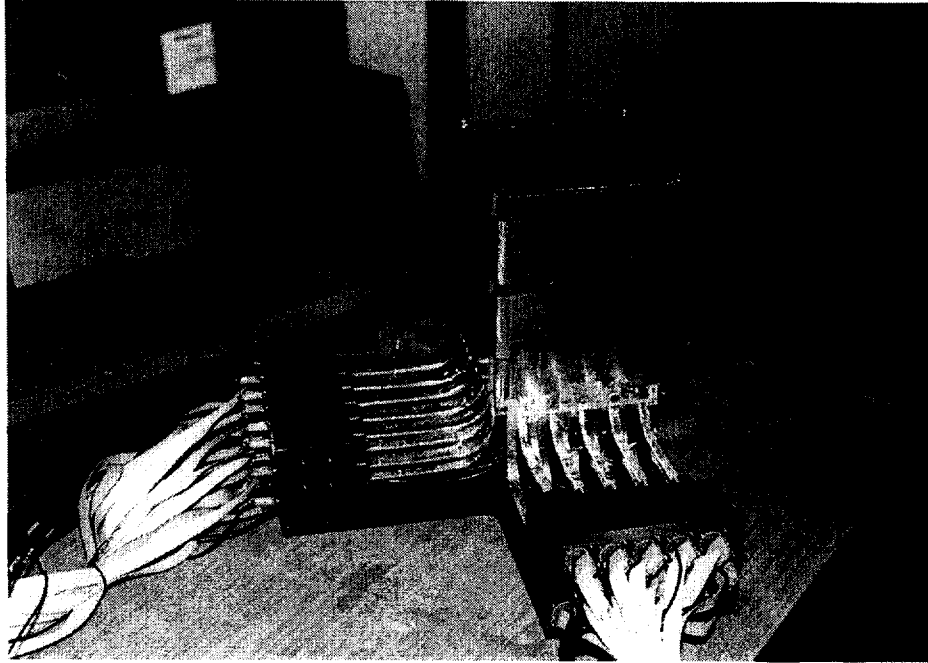
structure function measurement $\rightarrow \frac{\sigma_{E'_e}}{E'_e} = \frac{17\%}{\sqrt{E'_e}}$

Position resolution $\rightarrow < 1 \text{ mm}$

Overview of the ZEUS Detector
(longitudinal cut)







- EM tungsten-scintillator sampling calorimeter, $\sim 24X_0$
- 7.9 mm scintillator fingers, alternating in X and Y
- Readout: WLS + mini PMTs (Hamamatsu R5600)
- Energy resolution: $\frac{17\%}{\sqrt{E_{e'}}$
- Uniformity and absolute energy scale: $\pm 0.5\%$
- Position resolution: < 1 mm
- Absolute position in ZEUS: ± 0.5 mm
- Time resolution: < 1 ns
- Online vertex determination

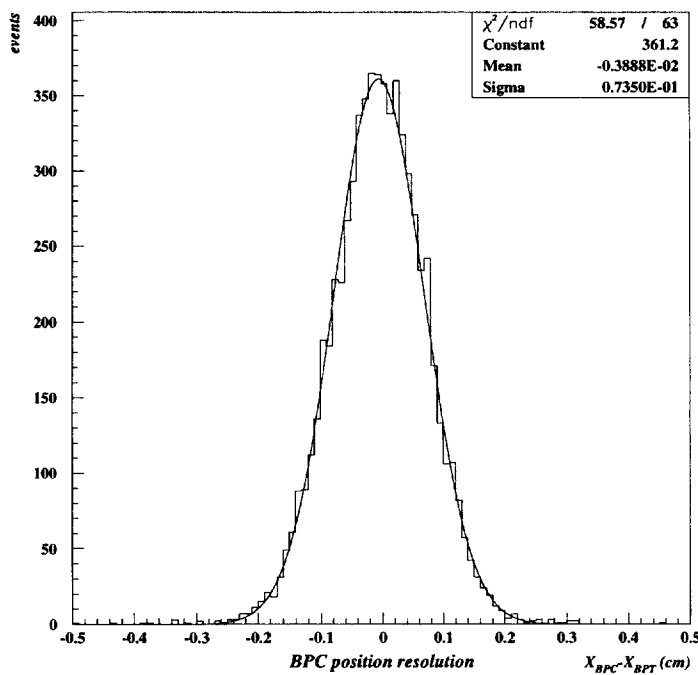
Position reconstruction

$$X = \frac{\sum_X w(i)X(i)}{\sum_X w_i}$$

$$w(i) = \max(0, [w_0 + \ln(\frac{E_X(i)}{E_{X_{Tot}}})])$$

w_0 cutoff optimized with EGS4 MC simulation for position resolution and bias

BPC position resolution (*in-situ*)



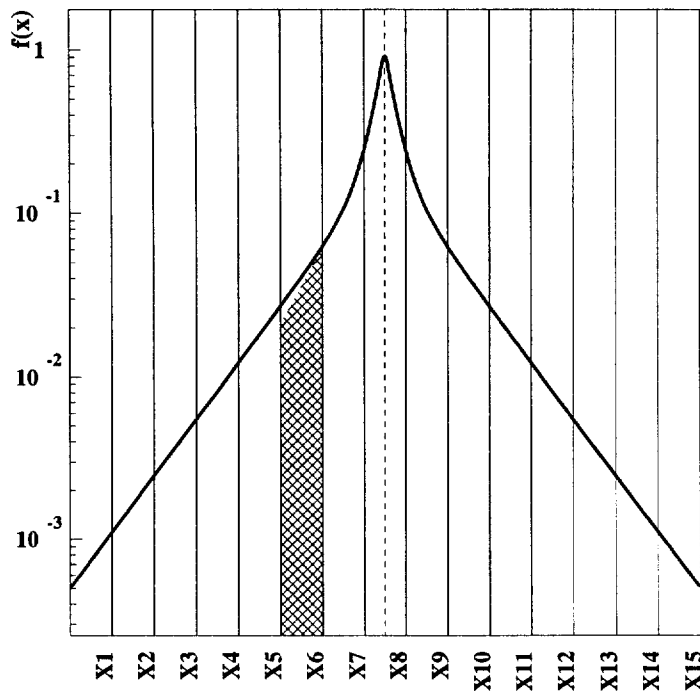
$$X_{BPC} - X_{Tracker}$$

BPC resolution < 1 mm

Shower width:

$$\sigma_X^2 = \frac{\sum_X w(i)(X(i) - X)^2}{\sum_X w_i}$$

Energy reconstruction



$$E_X(i) = \int_{strip} \left(\frac{dE}{dx} dx \right)$$

$$E_{TotX} =$$

$$\sum_{Ncluster} E_X(i) \cdot \underbrace{[C_X(i) \cdot ATT_{cor_X}(Y) \cdot LEAK_{cor}(X)]}_{\text{CORRECTION FACTORS}}$$

$$E_{TotY} =$$

$$\sum_{Ncluster} E_Y(i) \cdot \underbrace{[C_Y(i) \cdot ATT_{cor_Y}(X) \cdot LEAK_{cor}(X)]}_{\text{CORRECTION FACTORS}}$$

$$E_{Tot} = S \cdot (E_{TotX} + E_{TotY})$$

Ncluster=4

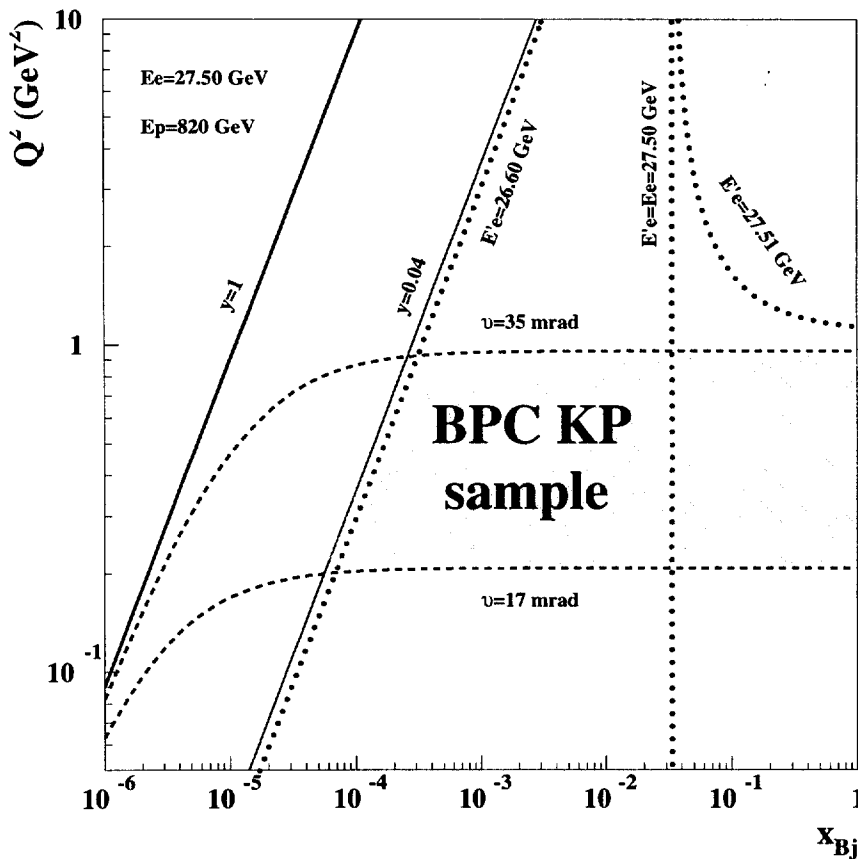
Energy calibration

Relative calibration (uniformity): **Using Kinematic Peak (KP) events, correct for:**

- Transverse shower leakage $LEAK_{cor}$
- Attenuation along scintillator fingers ATT_{cor}
- Strip-to-strip calibration $C_X(i)$

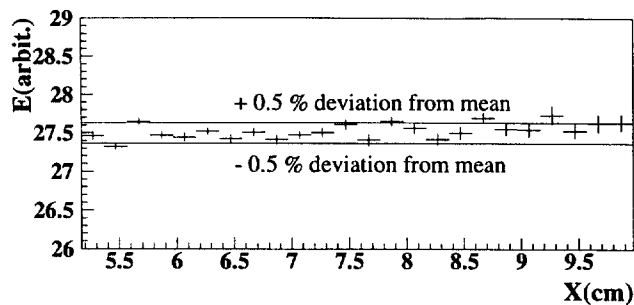
Absolute calibration: **Energy scale S from:**

- Comparison of KP events with Monte Carlo simulation
- Overconstrained elastic ρ^0 events



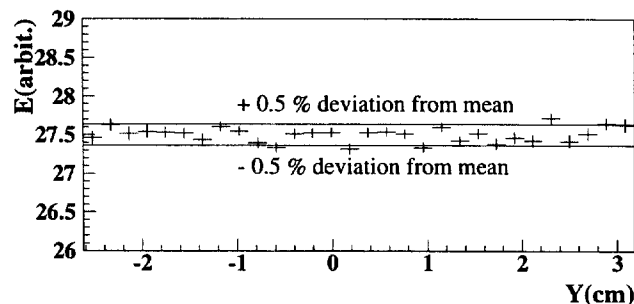
Uniformity of response

$\pm 0.5\%$



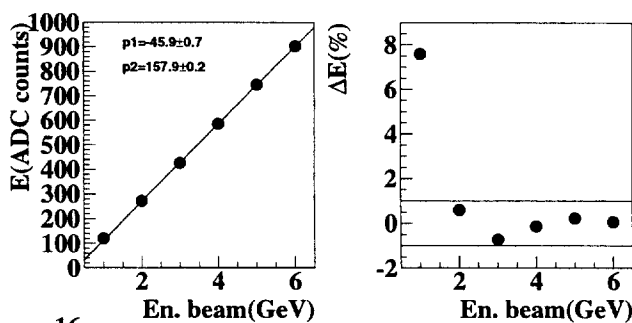
Absolute energy scale

$\sim \pm 0.5\%$



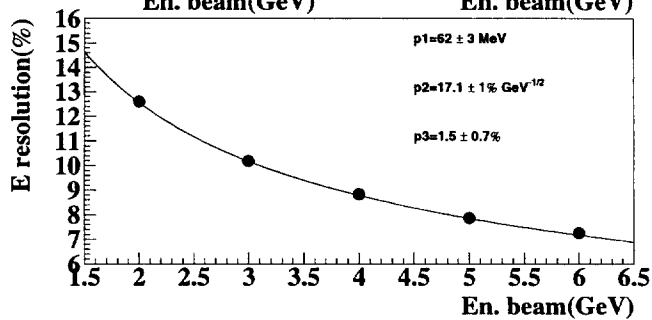
Energy resolution in testbeam

E_e : 1-6 GeV

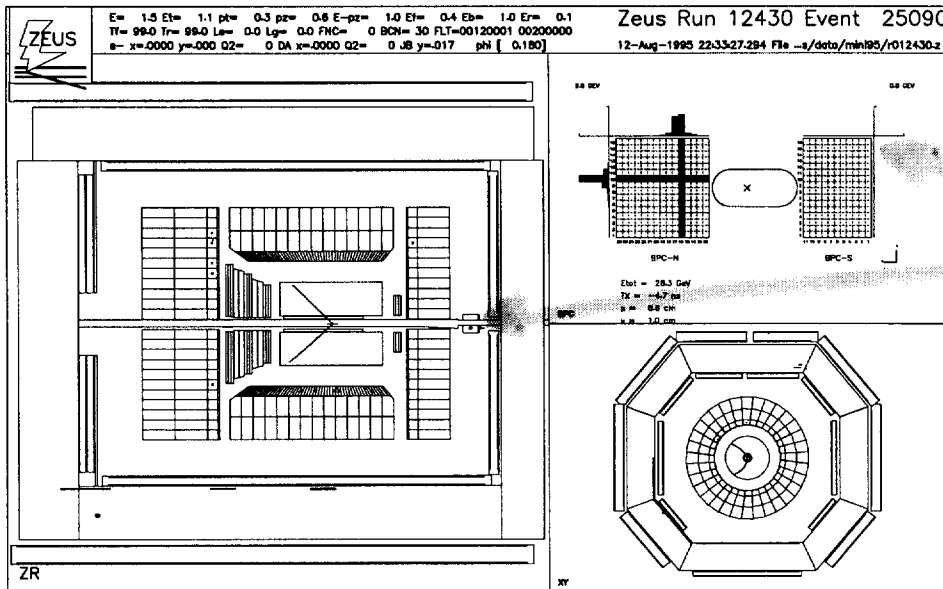


Sampling term

$$\sim \frac{17\%}{\sqrt{E}}$$



ρ^0 SELECTION Selection cuts



Tracking requirements

2 opposite charge tracks

$$|Z_{vtx}| < 50 \text{ cm}$$

$$|\eta| < 1.75, p_T > 150 \text{ MeV}$$

Kinematic requirements

$$0.6 < M_{\pi\pi} < 1.2 \text{ GeV}$$

$$0.25 < Q^2 < 0.85 \text{ GeV}^2$$

$$20 < W < 90 \text{ GeV}$$

BPC requirements

t_{BPC} compatible w/ ep

X_{BPC}, Y_{BPC} in fiducial area

$$E_{BPC} > 20 \text{ GeV}$$

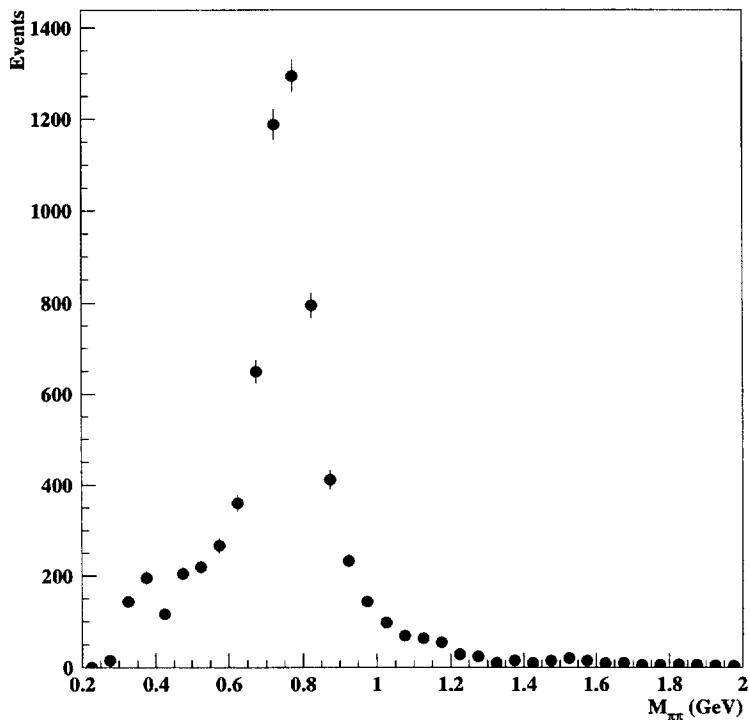
$$\sigma_{BPC} < 0.7 \text{ cm}$$

Elasticity requirements

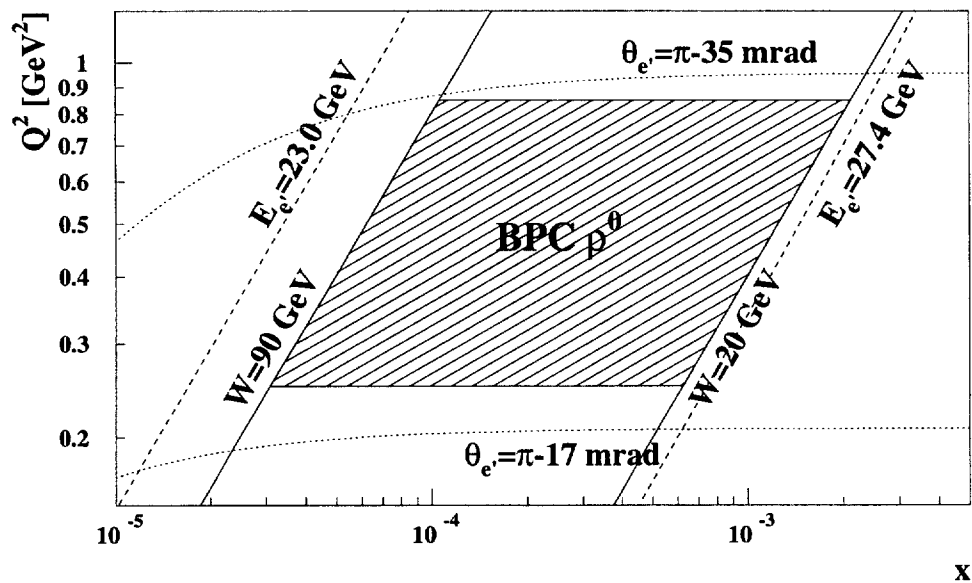
CAL-track matching

$$(\mathcal{L} = 3.82 \text{ pb}^{-1})$$

Final sample

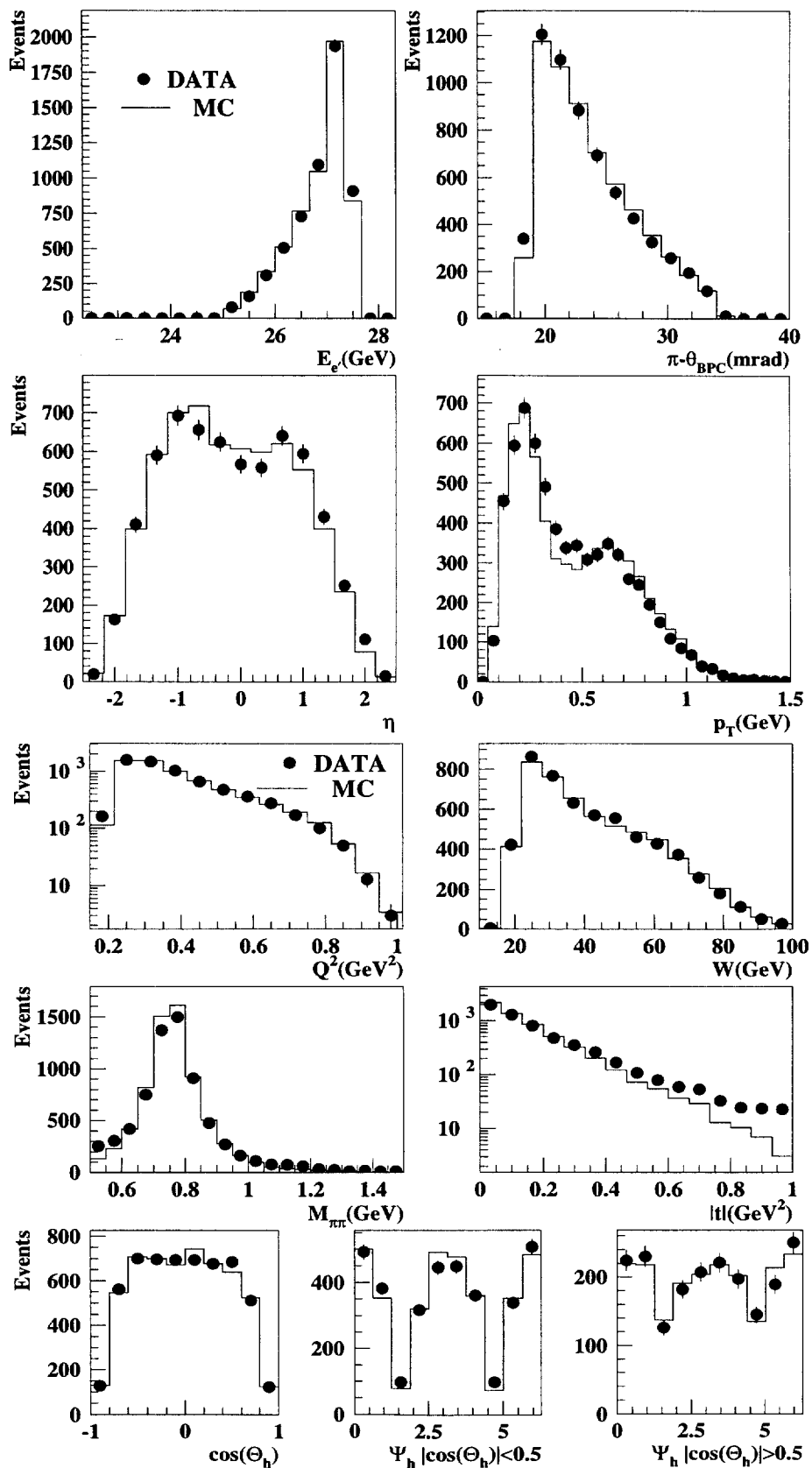


Mass distribution



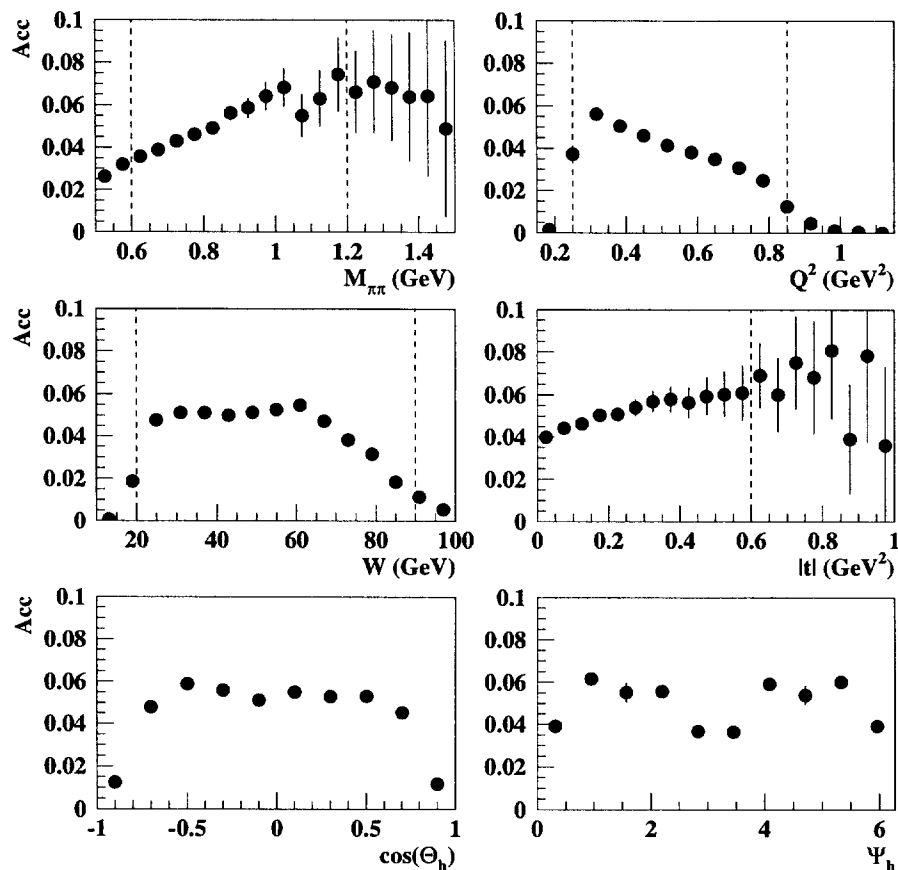
Kinematic coverage

EFF and BKGDS Comparison of data and (elastic) MC



Generalised acceptance (from elastic ρ^0 MC)

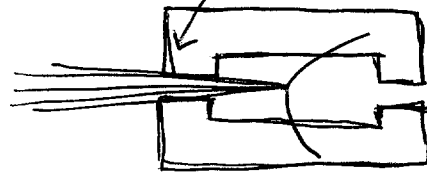
$$Acc(i) = \frac{\text{Events reconstructed in bin } i_{rec}}{\text{Events generated in bin } i_{gen}}$$



Also:

No bias in reconstructed variables

Analysis binning chosen from statistics and resolution considerations



Backgrounds

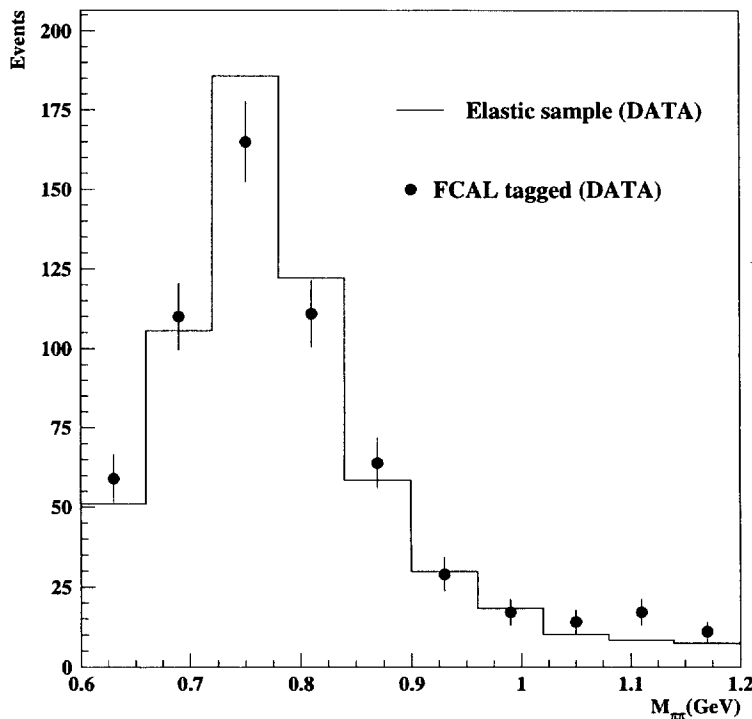
Main source: low masses proton dissociation

Estimate background using proton dissociative events with FCAL TAG

Analysis selection relaxing CAL-track matching (FCAL)

+ > 1 GeV FCAL beam pipe

→ Extrapolate using inelastic ρ^0 MC to 'unseen' region (remnant escapes through beampipe)

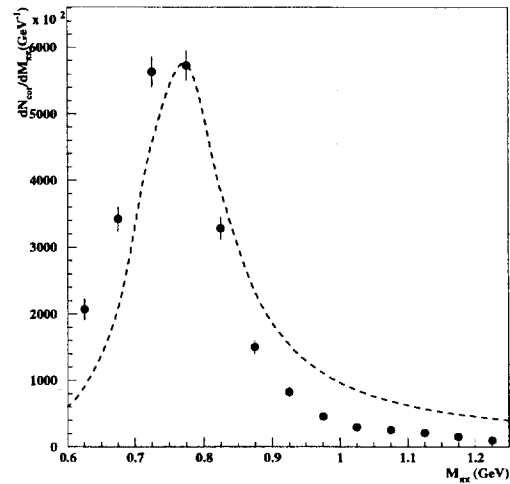


Flat contamination in Q^2 , W and $\cos \theta_h$:

$23\% \pm 2.5\% \pm 7\%$; parametrized versus t

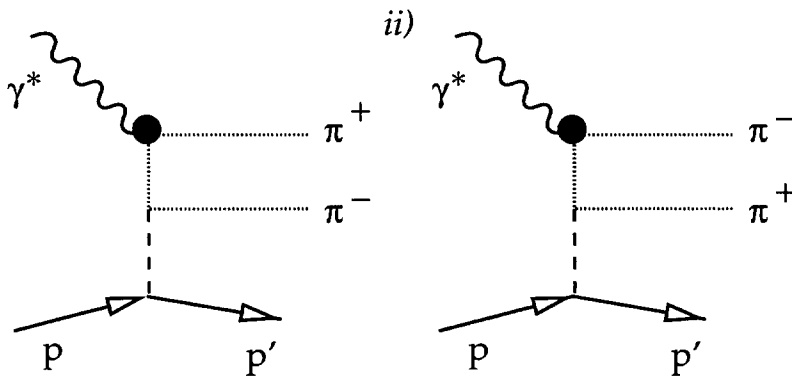
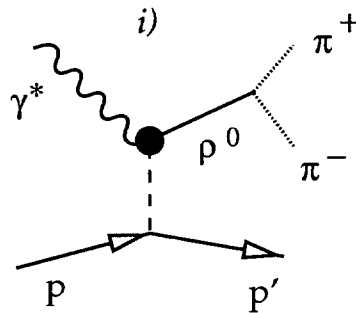
RESULTS

Mass spectrum



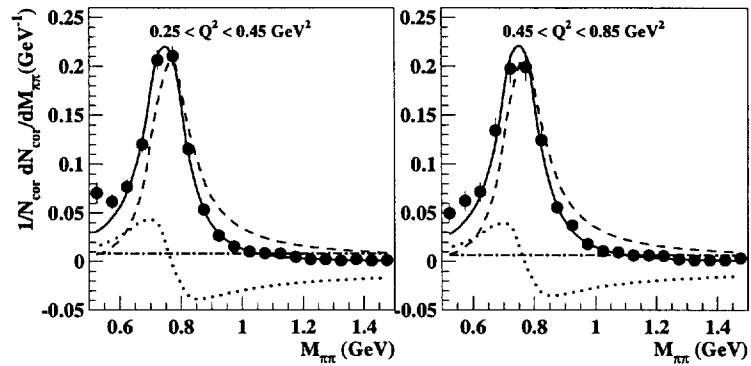
PDG: $M_\rho = 770.0 \pm 0.8 \text{ MeV}$, $\Gamma_\rho = 150.7 \pm 1.1 \text{ MeV}$

Söding model: interference w/ non-resonant $\pi\pi$ production

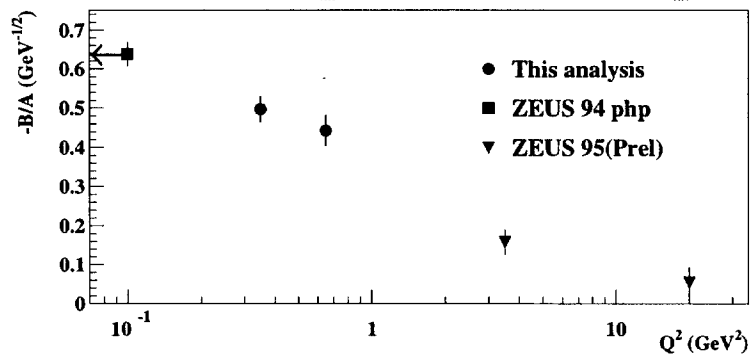


$$dN_{corr}/dM_{\pi\pi} = \left| A \left(\frac{\sqrt{M_{\pi\pi} M_\rho \Gamma_\rho}}{M_{\pi\pi}^2 - M_\rho^2 + i M_\rho \Gamma_\rho} + \frac{B}{A} \right) \right|^2$$

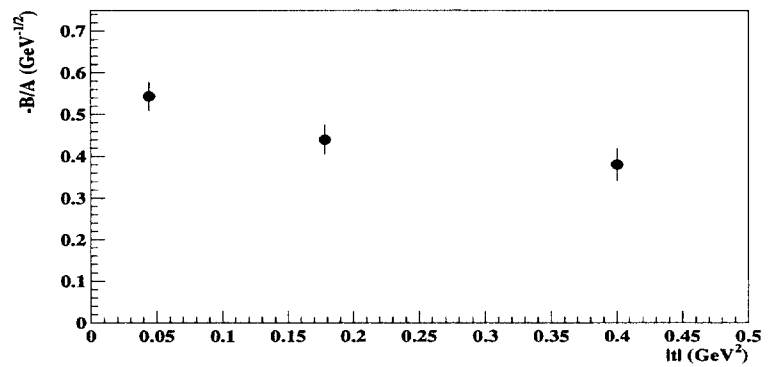
Söding fit
(2 Q^2 bins)



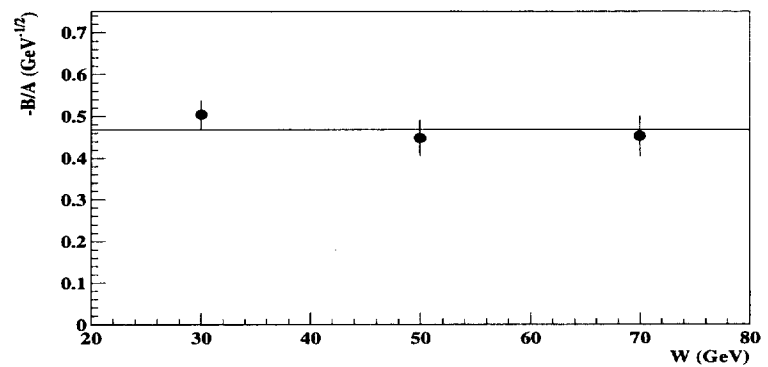
B/A versus Q^2



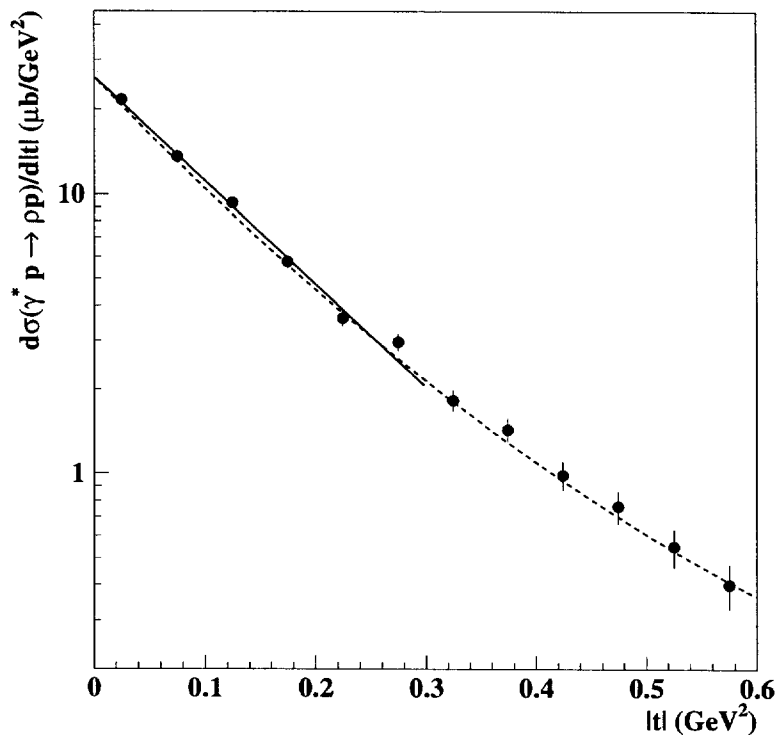
B/A versus $|t|$



B/A versus W



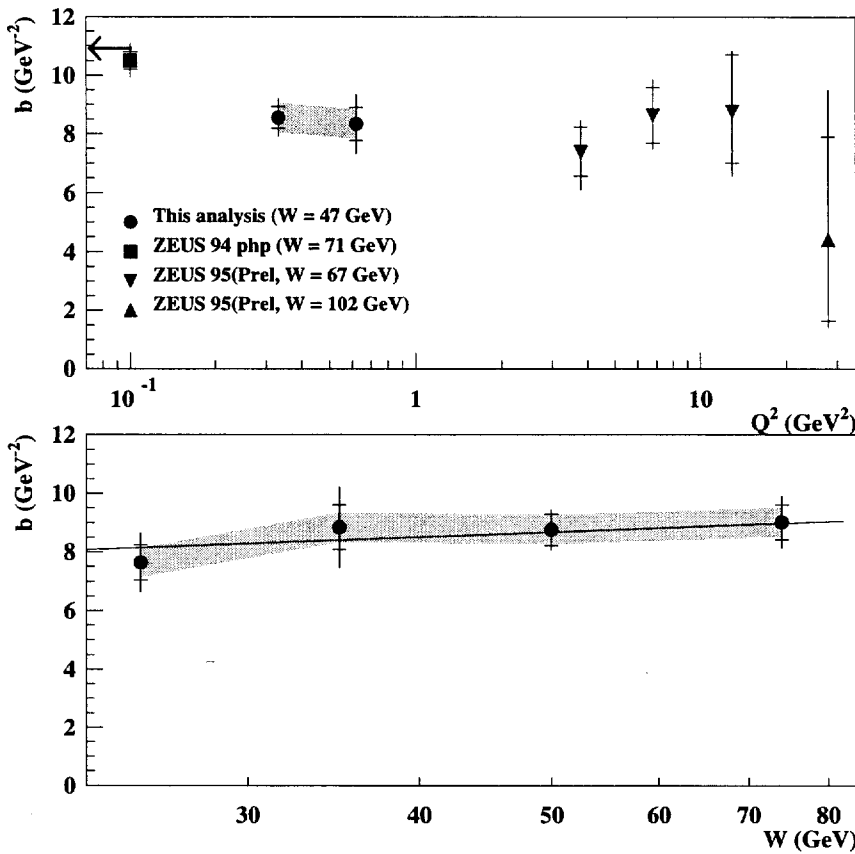
$d\sigma/d|t|$ distribution (for $\pi^+\pi^-$ events)



Described by

$$e^{-b|t|} \text{ for } |t| < 0.3 \text{ GeV}^2 \text{ or}$$

$$e^{-b|t|+ct^2} \text{ for } |t| \leq 0.6 \text{ GeV}^2$$



b slopes

Shrinkage

$$\frac{d\sigma_{\gamma^* p \rightarrow \rho^0 p}}{d|t|} = \left(\frac{W^2}{W_0^2}\right)^{2(\alpha(0)-1)} e^{-b(W)|t|}$$

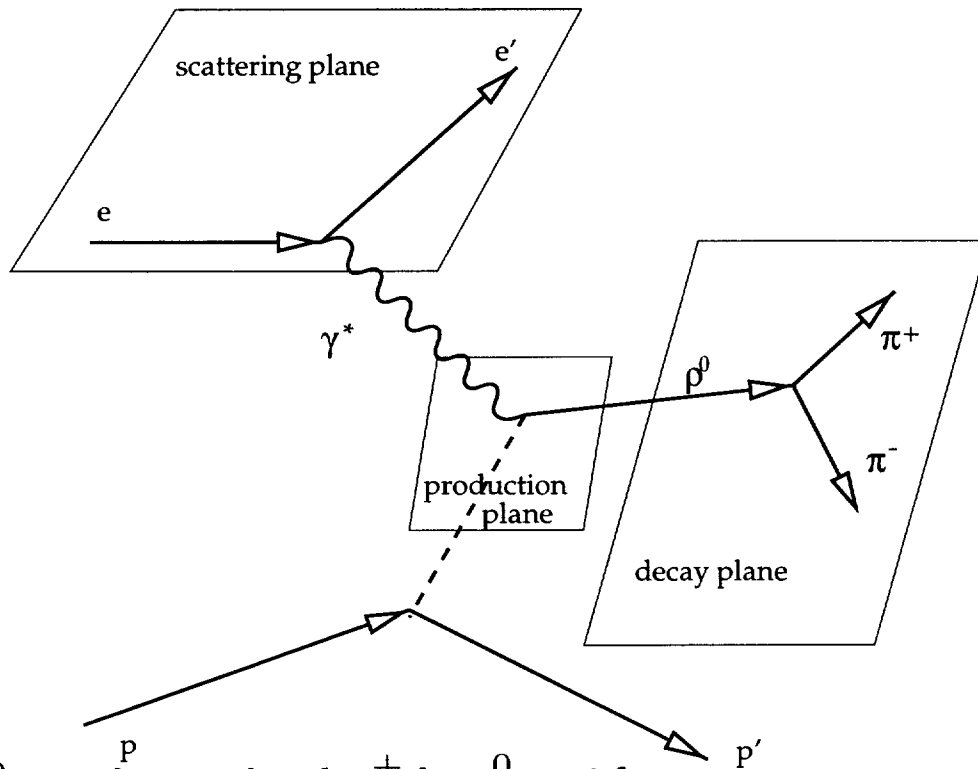
$$b(W) = b_0 + 2\alpha' \ln(W^2/W_0^2)$$

Bi-dimensional fit to $\frac{d\sigma_{\gamma^* p \rightarrow \rho^0 p}}{d|t|}$:

$$\alpha(0) = 1.055 \pm 0.016 \pm 0.019$$

$$\alpha' = 0.194 \pm 0.088 \pm 0.09 \text{ (GeV}^{-2}\text{)}$$

Consistent with DL fits to hadron-hadron

Angular decay distributions:

θ_h : polar angle of π^+ in ρ^0 rest frame

ϕ_h : angle between the ρ^0 production and the decay planes

Φ_h : angle between production plane and scattering plane

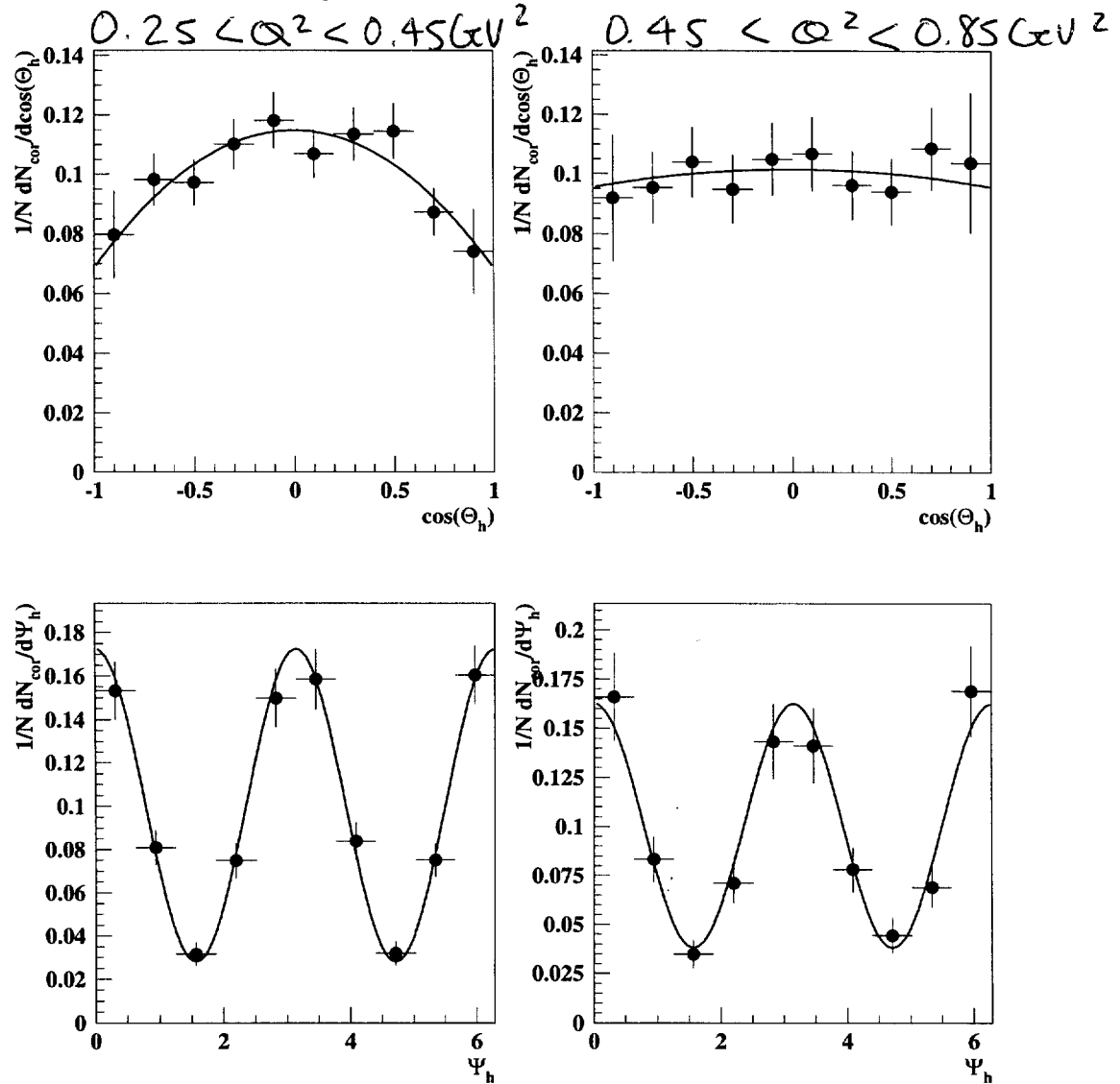
$$\Psi_h = \phi_h - \Phi_h$$

If helicity is conserved in s-channel (SCHC)

$$W^{unpol}(\cos \theta_h, \Psi_h) = \frac{3}{4\pi} \left[\frac{1}{2}(1 - r_{00}^{04}) + \frac{1}{2}(3r_{00}^{04} - 1) \cos^2 \theta_h \varepsilon r_{1-1}^1 \sin^2 \theta_h \cos 2\Psi_h - 2\sqrt{\varepsilon(1 + \varepsilon)} \operatorname{Re}(r_{10}^5) \sin 2\theta_h \cos \Psi_h \right]$$

r_{ij}^{nm} : ρ^0 spin density matrix elements

$\cos \theta_h$ and Ψ_h in 2 Q^2 bins:



Results of bi-dimensional fits superimposed in plots

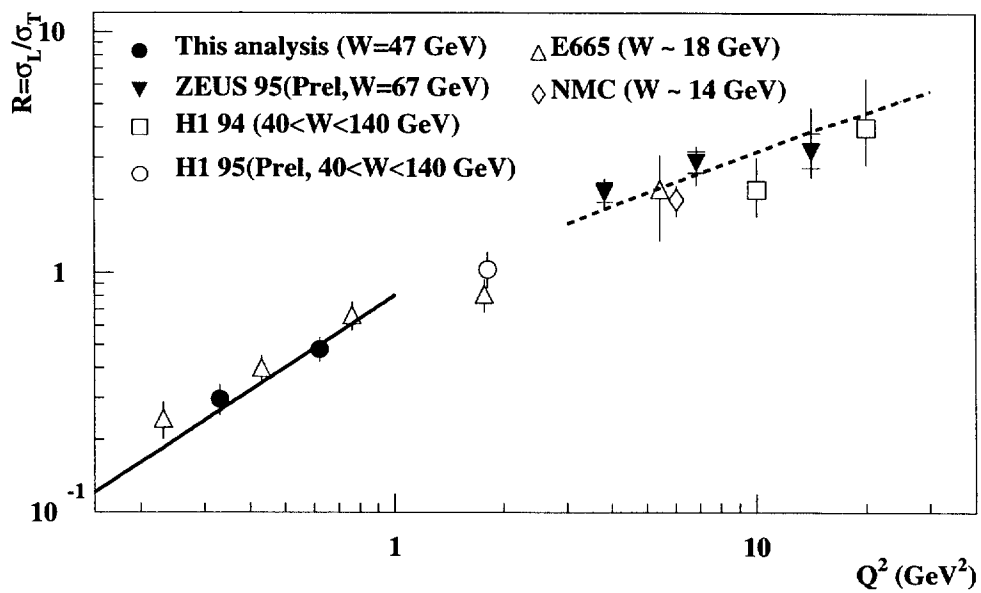
If SCHC and natural parity in t -channel ($P = (-1)^J$)

$$r_{1-1}^1 = \frac{1}{2}(1 - r_{00}^{04}) \rightarrow \text{verified}$$

$$R = \sigma_L / \sigma_T$$

If SCHC

$$R = \frac{r_{00}^{04}}{\varepsilon(1-r_{00}^{04})}$$



Fit (BPC points) to $R = \xi_\rho \frac{Q^2}{M_\rho}$:

$$\xi_\rho = 0.48 \pm 0.03 \pm 0.03$$

$\gamma^* p \rightarrow \rho^0 p$ cross section

Extraction method:

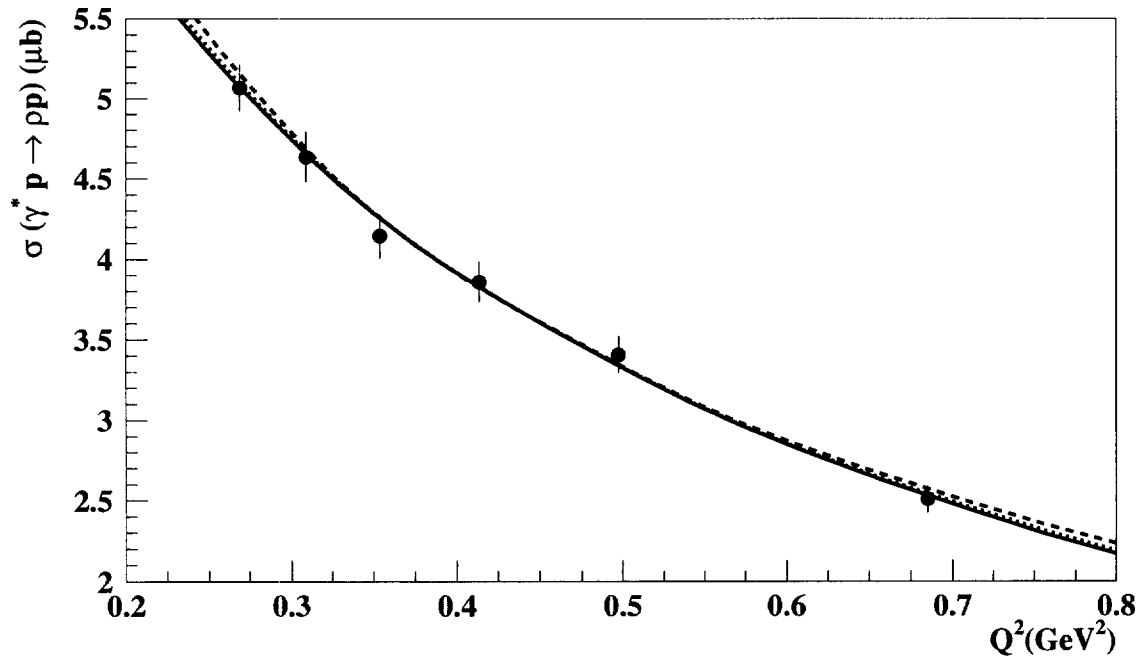
$\sigma_{\gamma^* p \rightarrow \rho^0 p}$ from $\sigma^{ep \rightarrow e\rho^0 p}$,

$$\sigma_{Q^2 bin, W bin}^{ep \rightarrow e\rho^0 p} = \frac{\mathcal{N}_\rho}{\mathcal{L}}$$

$$\mathcal{N}_\rho = \int_{M_{min}}^{M_{max}} \frac{dN_{cor}}{dM_{\pi\pi}} dM_{\pi\pi},$$

$$M_{min} = 2 \cdot M_\pi, M_{max} = M_\rho + 5 \cdot \Gamma_\rho$$

$$W_0 = 51 \text{ GeV}$$



$$\sigma^{\gamma^* p \rightarrow \rho^0 p}(Q^2) = \sigma(0) \left(\frac{1 + \xi_\rho \frac{Q^2}{M_\rho^2}}{1 + \frac{Q^2}{M_\rho^2}} \right)^2 \quad \text{(dashed line):}$$

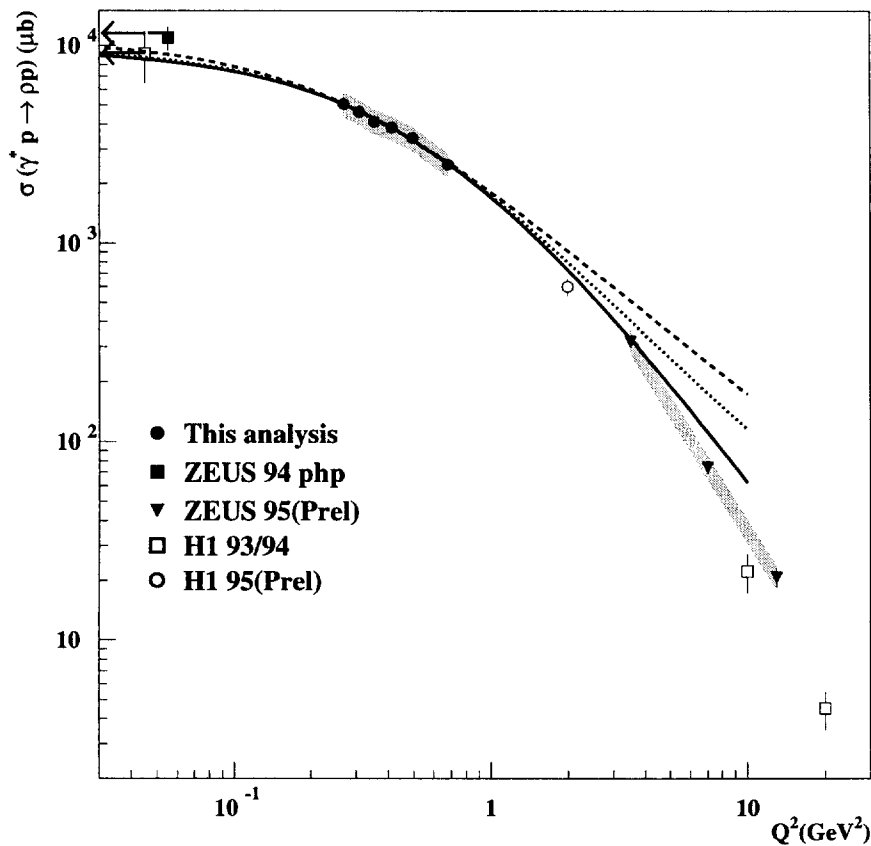
$$\sigma(0) = 9.97 \pm 0.48 \pm 0.92 \mu\text{b}, \xi_\rho = 0.16 \pm 0.07 \pm 0.19$$

$$\sigma^{\gamma^* p \rightarrow \rho^0 p}(Q^2) = \sigma(0) \left(\frac{1 + R(Q^2)}{1 + \frac{Q^2}{M_{eff}^2}} \right)^2 \quad \text{(dotted line):}$$

$$\sigma(0) = 10.97 \pm 1.33 \pm 1.77 \mu\text{b}, M_{eff} = 0.66 \pm 0.05 \pm 0.10 \text{ GeV}$$

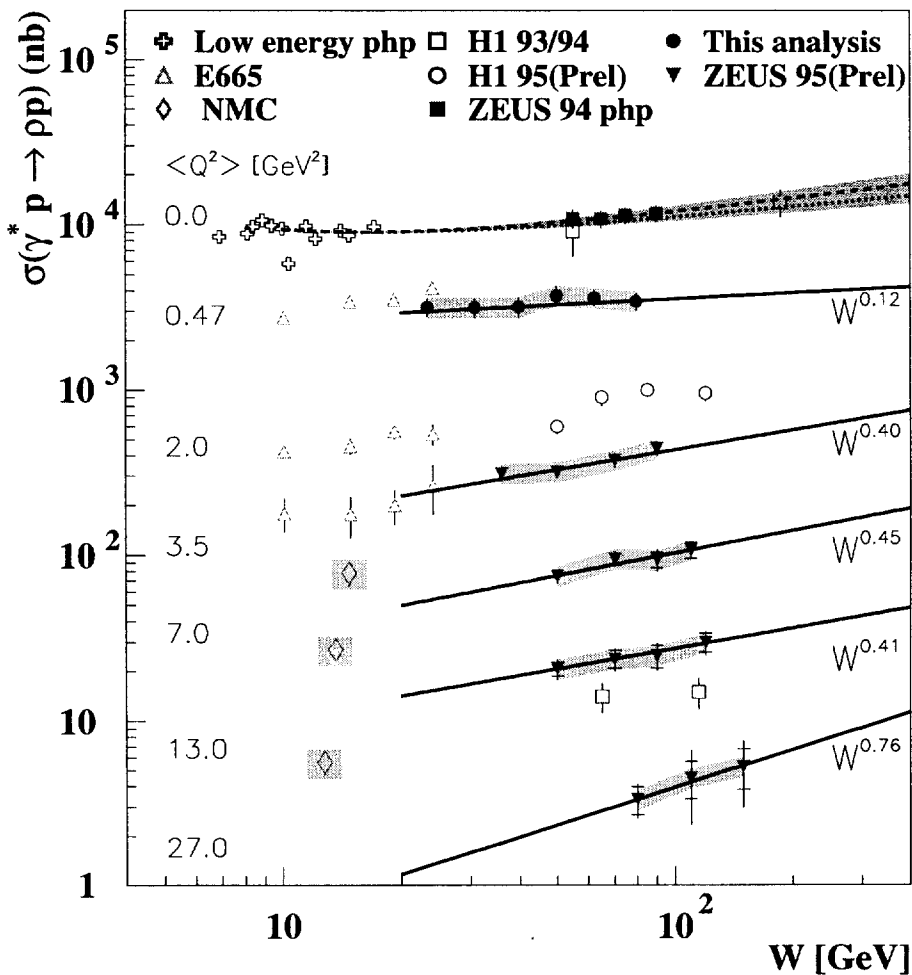
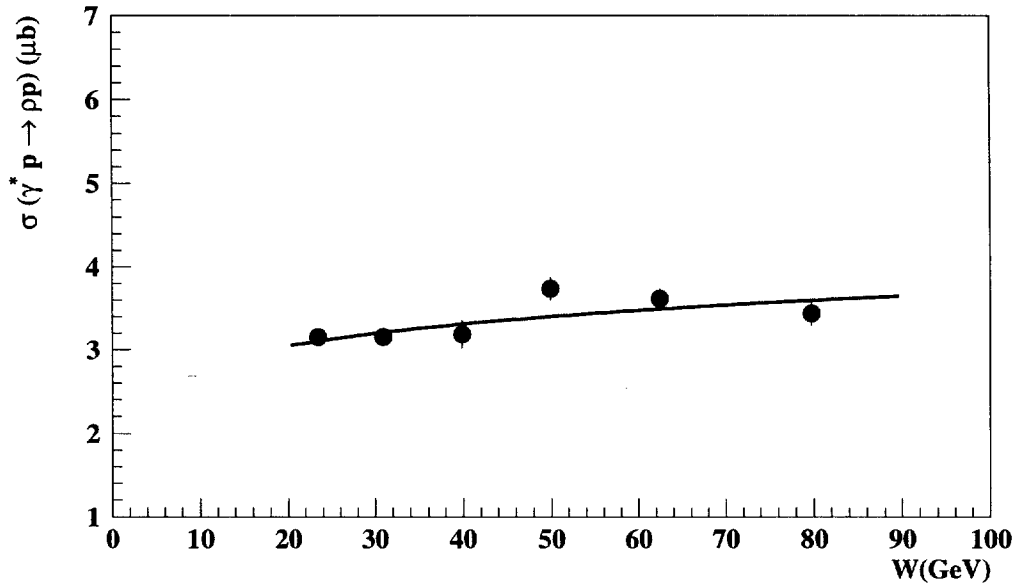
$$\sigma^{\gamma^* p \rightarrow \rho^0 p}(Q^2) = \sigma(0) \left(\frac{1}{1 + \frac{Q^2}{M_\rho^2}} \right)^n \quad \text{(solid line):}$$

$$\sigma(0) = 9.70 \pm 0.51 \pm 1.00 \mu\text{b}, n = 1.75 \pm 0.10 \pm 0.29$$



$$\sigma_{\gamma^* p \rightarrow \rho^0 p}(W) \propto W^\delta: \delta = 0.12 \pm 0.03 \pm 0.08$$

$$Q_0^2 = 0.47 \text{ GeV}^2$$



Systematic studies impact on cross sections

Error source	Typical uncertainty (%)	Comment
Tracking requirements	1-8	
BPC requirements	3-5	10% at low Q^2
Matching	2-9	
Elastic MC paramet.	1-4	
Extraction of ρ^0 signal	0-4	Söding model
Extraction of ρ^0 signal	10	Other ρ^0 models
Proton dissociative ρ^0	7	Normalization
Elastic ω and ϕ	1.6	Normalization
Photon diff. dissociation	3	Normalization
Beam gas interactions	1.5	Normalization
Trigger efficiency	5.5	Normalization
Photon flux	1	Normalization
Radiative corrections	2	Normalization
Luminosity	1.1	Normalization
Total uncertainty	9%-14% \oplus 14% (norm)	

CONCLUSIONS

- $\gamma^* p \rightarrow \rho^0 p$ studied for first time at HERA for $0.25 < Q^2 < 0.85 \text{ GeV}^2$, $20 < W < 90 \text{ GeV}$, $|t| < 0.6 \text{ GeV}^2$ using a new ZEUS Beam Pipe Calorimeter
- ρ^0 mass shape well described by Söding model. Relative production of non-resonant $\pi^+ \pi^-$ decreases with Q^2
- $d\sigma^{\gamma^* p \rightarrow \pi^+ \pi^- p} / d|t|$ well described by single exponential for $|t| < 0.3 \text{ GeV}^2$. Indications of slight decrease of diffractive slope with Q^2 .
- Evidence of W dependence of the $|t|$ slope (shrinkage). The Pomeron trajectory consistent with Donnachie and Landshoff Regge-type fits to hadron-hadron.
- Values of the spin density matrix elements were determined under assumption of SCHC. Results consistent with this assumption, and natural parity exchange in t -channel.

- $R = \sigma_L^{\gamma^* p \rightarrow \rho^0 p} / \sigma_T^{\gamma^* p \rightarrow \rho^0 p}$ at low Q^2 grows linearly with Q^2 .
- Q^2 dependence of cross section described by $\sigma(Q^2) \propto 1/(1 + Q^2/M_\rho^2)^n$,
 $n=1.75 \pm 0.10(\text{stat}) \pm 0.29(\text{sys})$
- W dependence of cross section described by $\sigma \propto W_{\gamma^* p \rightarrow \rho^0 p}^\delta$, $\delta=0.12 \pm 0.03(\text{stat}) \pm 0.08(\text{syst})$
- ρ^0 production for $0.25 < Q^2 < 0.85 \text{ GeV}^2$,
 $20 < W < 90 \text{ GeV}$ shows features of soft diffractive processes, with some indications of transitional character (B/A vs Q^2 , b vs Q^2). The soft behaviours observed here agree with Photoproduction results but cannot be extended far beyond Q^2 of this analysis.

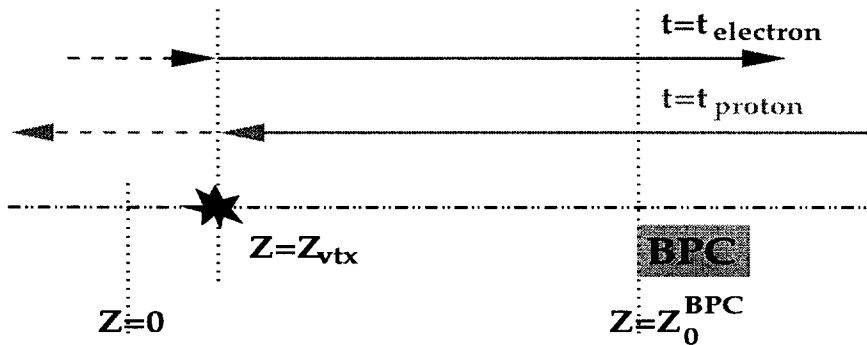
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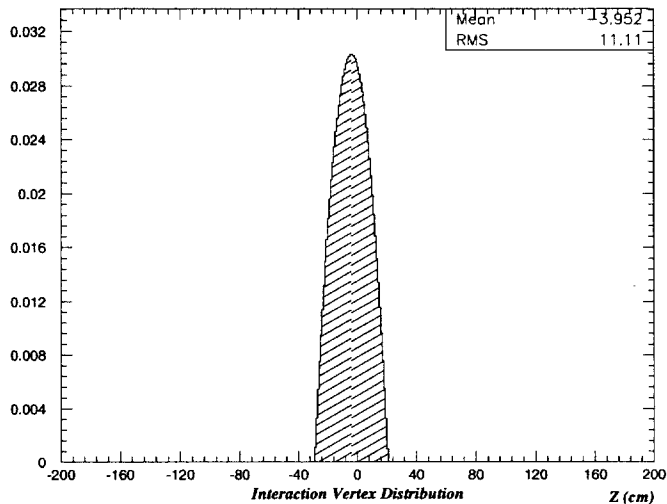
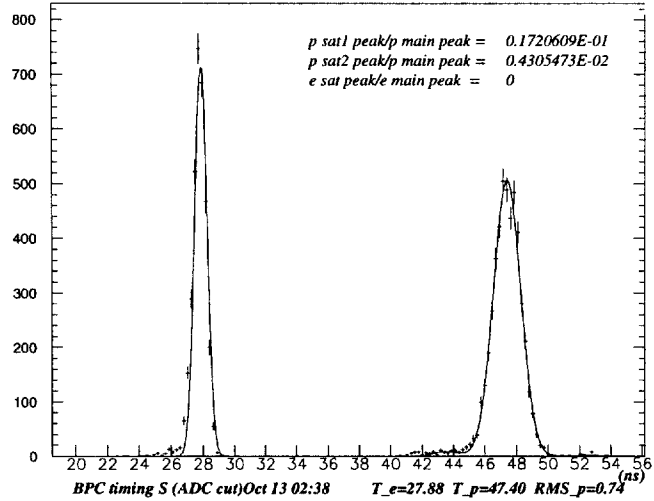
Online vertex determination using the BPC

$$Z_{vtx} = \frac{(t_{proton} - t_{electron}) \times c}{2} + Z_0^{BPC}$$



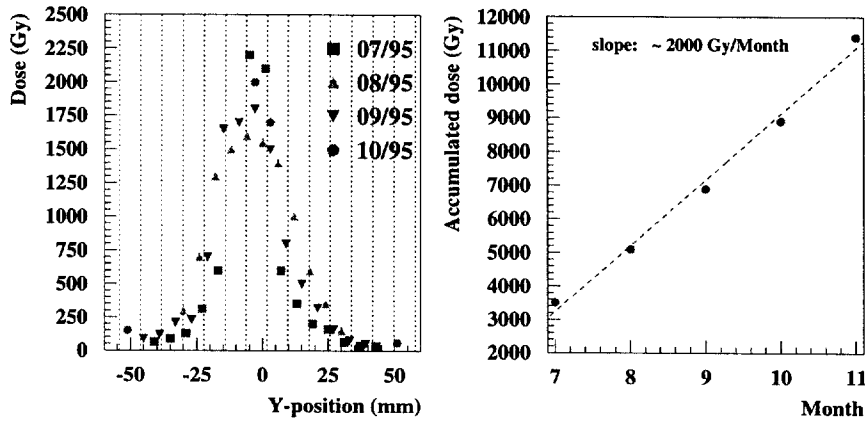
13/10/97 02.36

BPC Time Distributions-Manual call

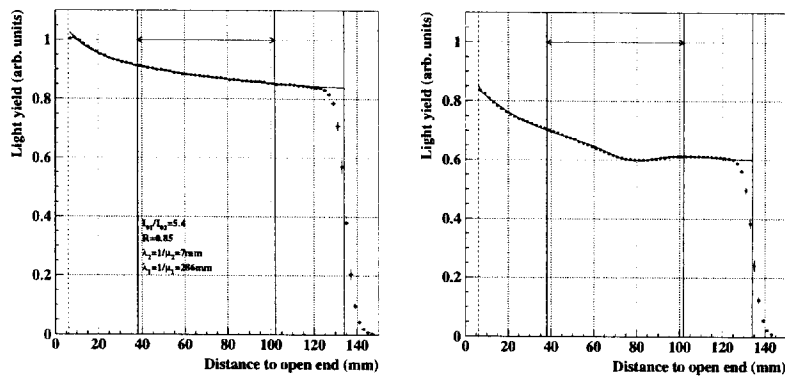


Radiation dose

BPC received 12 kGy over 5 monthses (1 Gy = 100 rad)



Scintillator finger response: before and after irradiation



Able to compensate with offline calibration

