

# Identification of Beam Losses at LHC

Summer Student Project, Supervisors: Belen Salvachua, Mirko Pojer

Michał Wszyński

Faculty of Physics at Warsaw University of Technology  
CERN BE-OP-LHC

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# Outline

- 1 LHC Machine protection
- 2 Decomposition, lossmaps and algorithm
- 3 Results
- 4 Next steps

# LHC Machine protection

## LHC 2015 parameters

Circumference	26.7km
Injection energy	450GeV
Nominal energy	6.5TeV
Total intensity	$3.2 \cdot 10^{14}$ p
Bunches	2808
Stored energy	360MJ

Prevent damage from beam by:

- cleaning *beam tails*  
→ *Collimation System*,
- monitoring *beam losses* → *BLMs*.

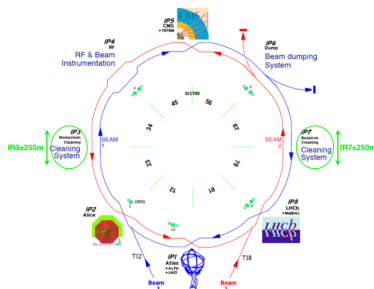


Figure : Layout of the LHC ring, image from [5]

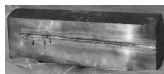


Figure : 1m long block of copper damaged by 0.5MJ of 16 GeV electrons, image from [6]

# Collimation system

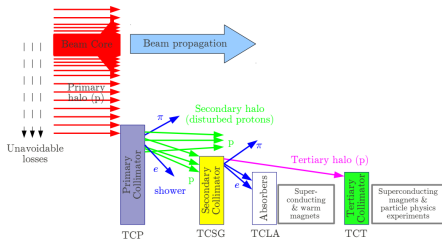


Figure : Hierarchy of collimators, image from [2]

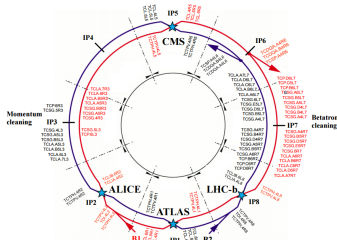


Figure : Placement of collimators, image from [2]

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Values converted to dose rate (Gy/s) and compared with corresponding *thresholds*. If one threshold exceeded, beam dumped to avoid *quench*.





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The difference between loss profile recomposed using these factors and measured loss profile is a measure of the quality of decomposition. SVD is used to calculate the decomposition.

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There are six basic scenarios: B1H, B1V, B2H, B2V, B1+B2 +500Hz, B1+B2 -500Hz.

# SVD

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$$F = M^+X.$$



# Validation of scenarios and algorithm

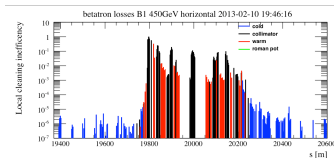


Figure : Beam 1 horizontal lossmap, image from [3]

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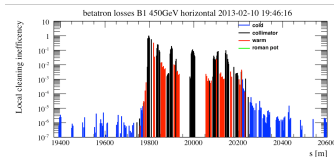


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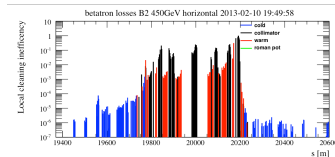


Figure : Beam 2 horizontal lossmap, image from [3]

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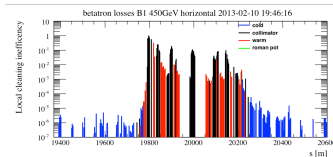


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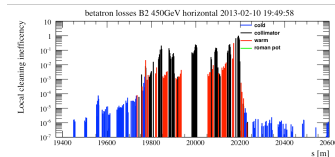


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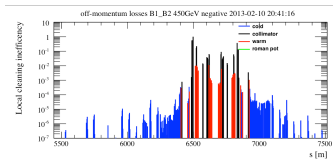


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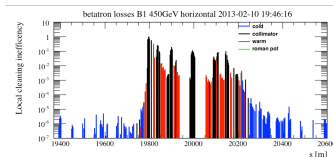


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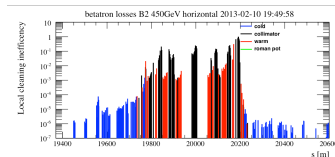


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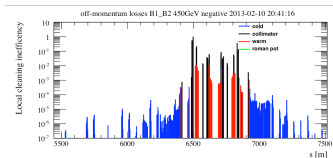


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squeeze colliding	squeeze non-colliding							
	B1H	B1V	B2H	B2V	B1+B2+200			
B1H	0,9861	0,9634	0,0072	-0,0171	0,0133	0,0003	0,0018	0,1870
B1V	-0,0088	-0,0275	0,9916	0,0000	0,0094	-0,0003	0,0235	-0,0016
B2H	-0,0004	0,0015	-0,0001	0,7606	0,7166	0,0821	0,0647	0,1030
B2V	0,0011	0,0012	0,0000	0,1689	0,2141	0,9142	0,8930	-0,0046
B1+B2+500	-0,0013	-0,0023	-0,0004	-0,0196	-0,0166	0,0023	-0,0060	0,3246
B1+B2-200	0,0023	0,0042	0,0006	0,0337	0,0300	-0,0009	0,0110	-0,3793

Figure : Decomposition of squeeze non-colliding lossmaps on squeeze colliding ones

# Application (fill 4008)

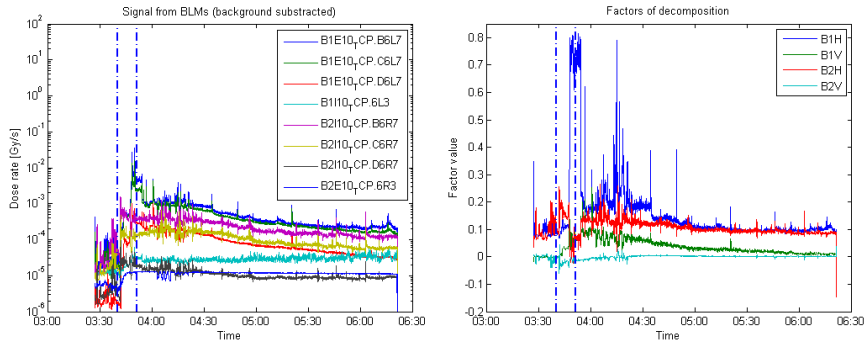


Figure : Fill 4008. Left: signal from BLMs, right: decomposition of fill 4008, B1H losses are dominant

## Next steps

Build an online display API to apply the decomposition on-the-fly and identify loss scenarios.

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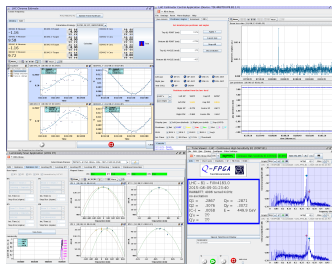









Figure : Screenshots of some of the CCC APIs, images from [7]



# References

-  LHC Design Report
-  Aurelien Marsili, *Identification of LHC beam loss mechanism: A deterministic treatment of loss patterns*
-  <http://lhc-collimation-project.web.cern.ch/lhc-collimation-project/default.php>
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