



Rare leptonic and semi-leptonic decays at LHCb

Tom Hadavizadeh
On behalf of the LHCb collaboration



58th Rencontres de Moriond 2024
QCD and High Energy Interactions

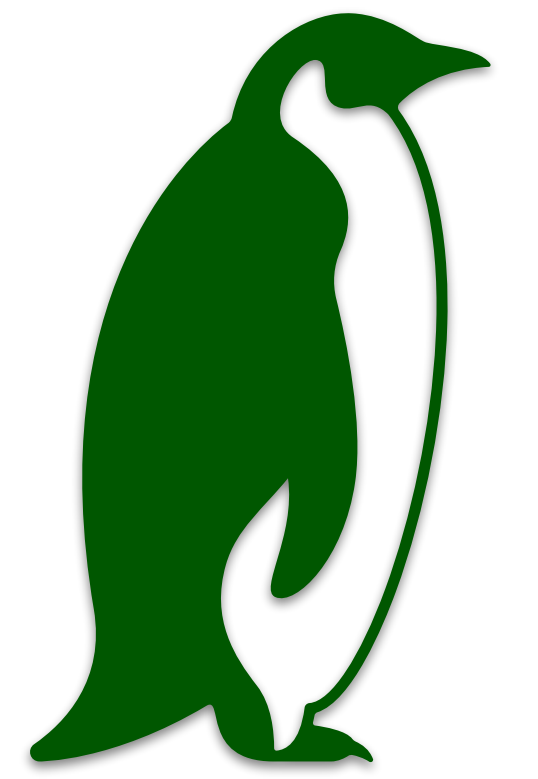
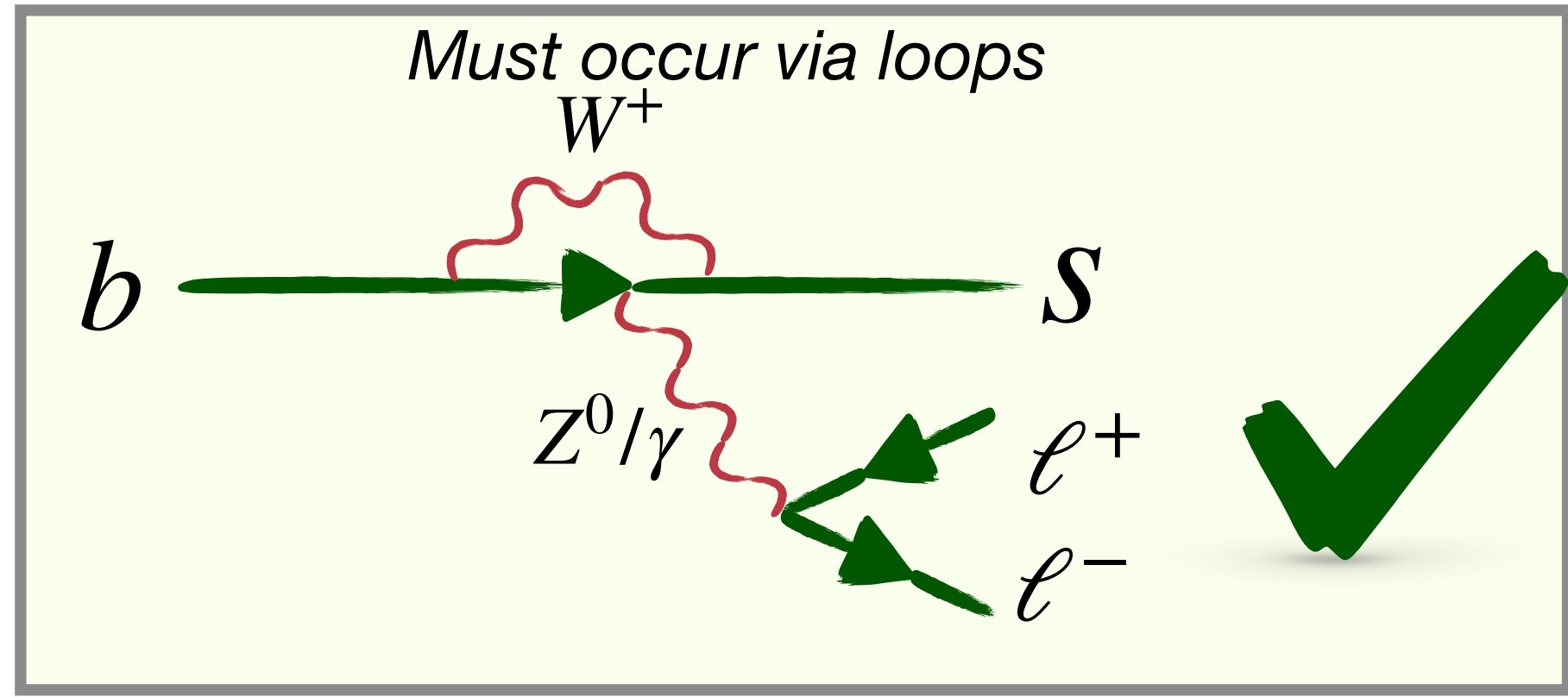
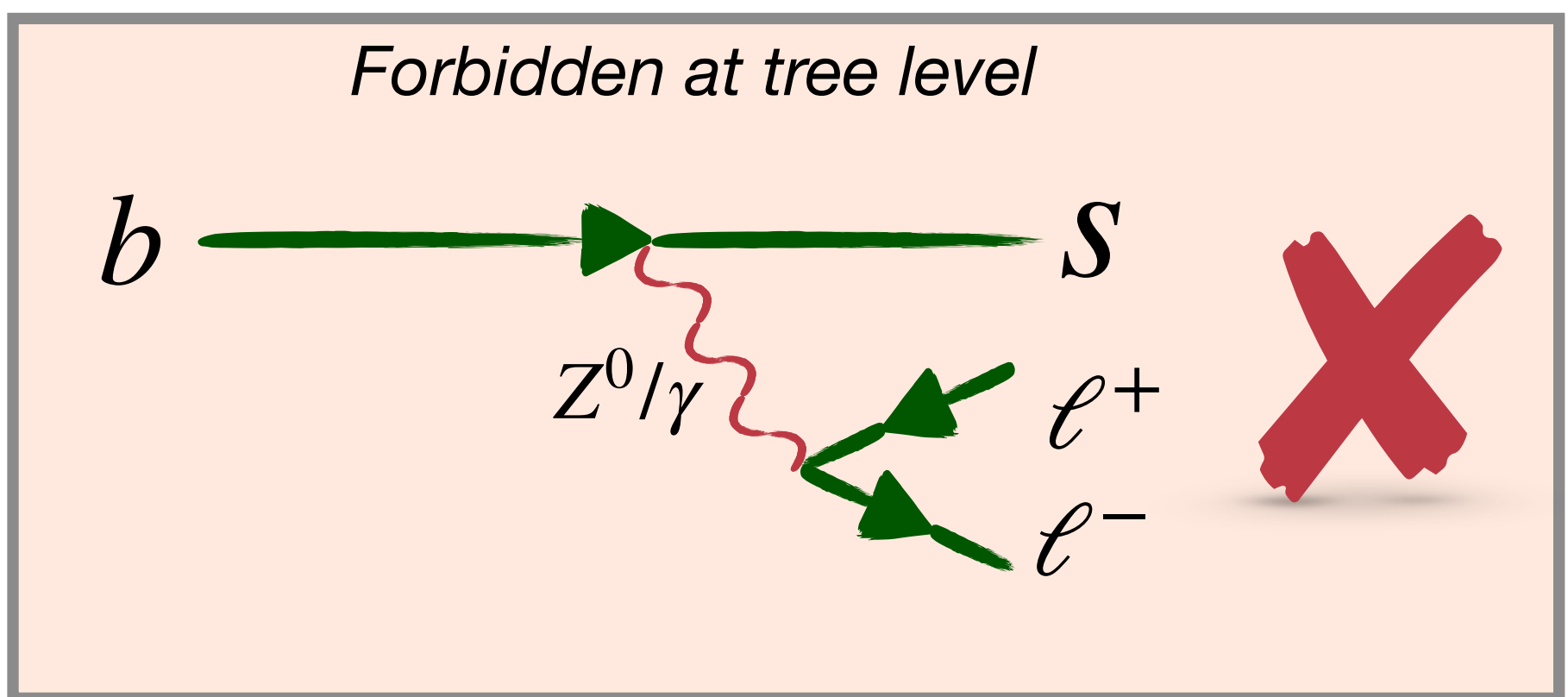
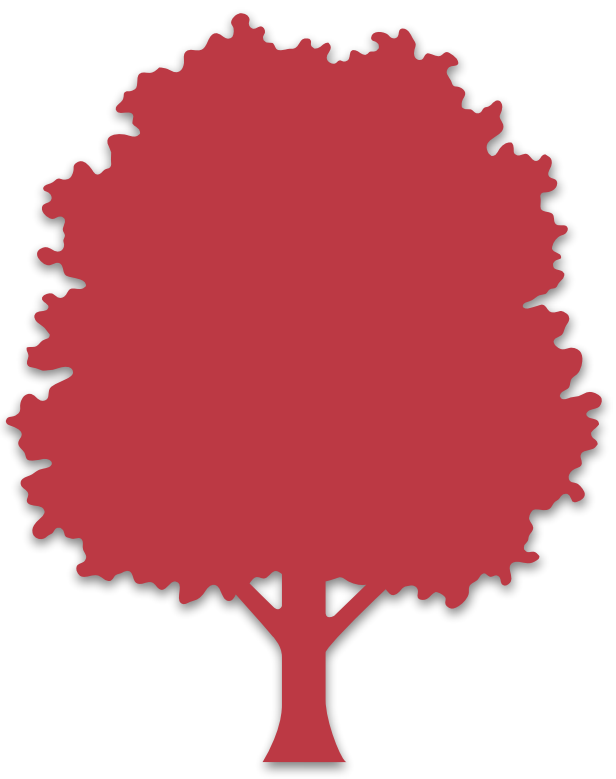
2nd April 2024

Motivation

Rare decays are a great place to test the Standard Model

Suppressed in the Standard Model → New physics can be competitive

Flavour changing neutral currents are particularly sensitive area e.g. $b \rightarrow s \ell \ell$

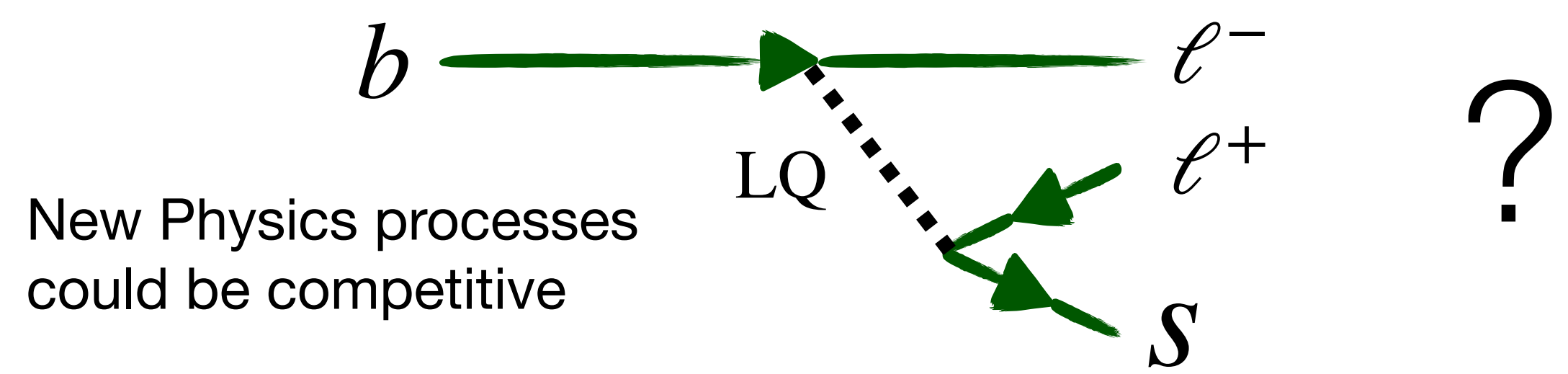
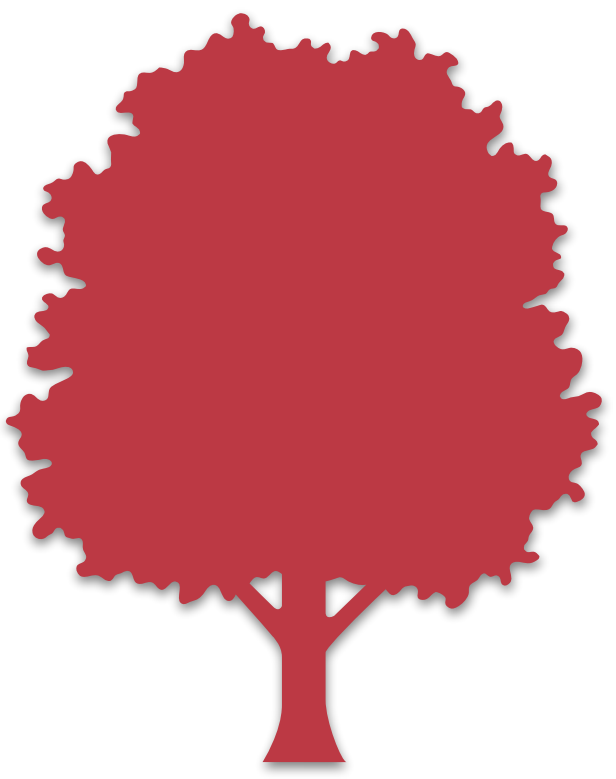
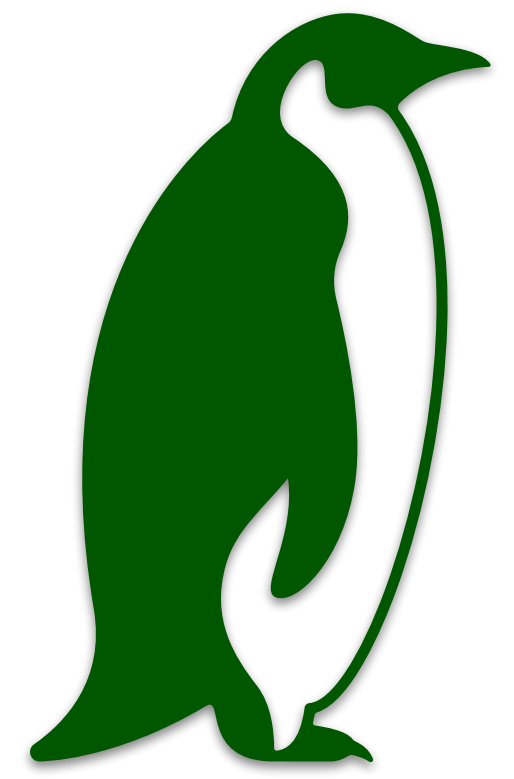
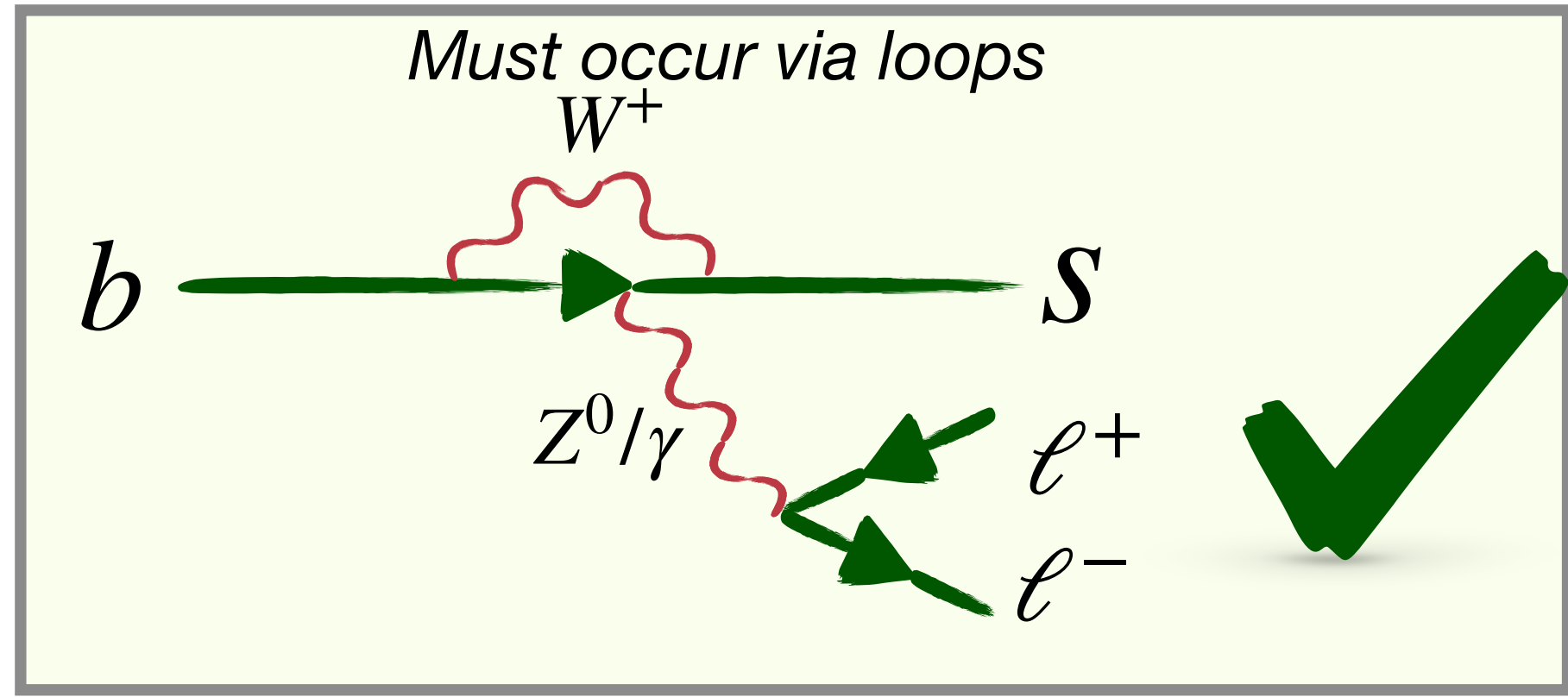
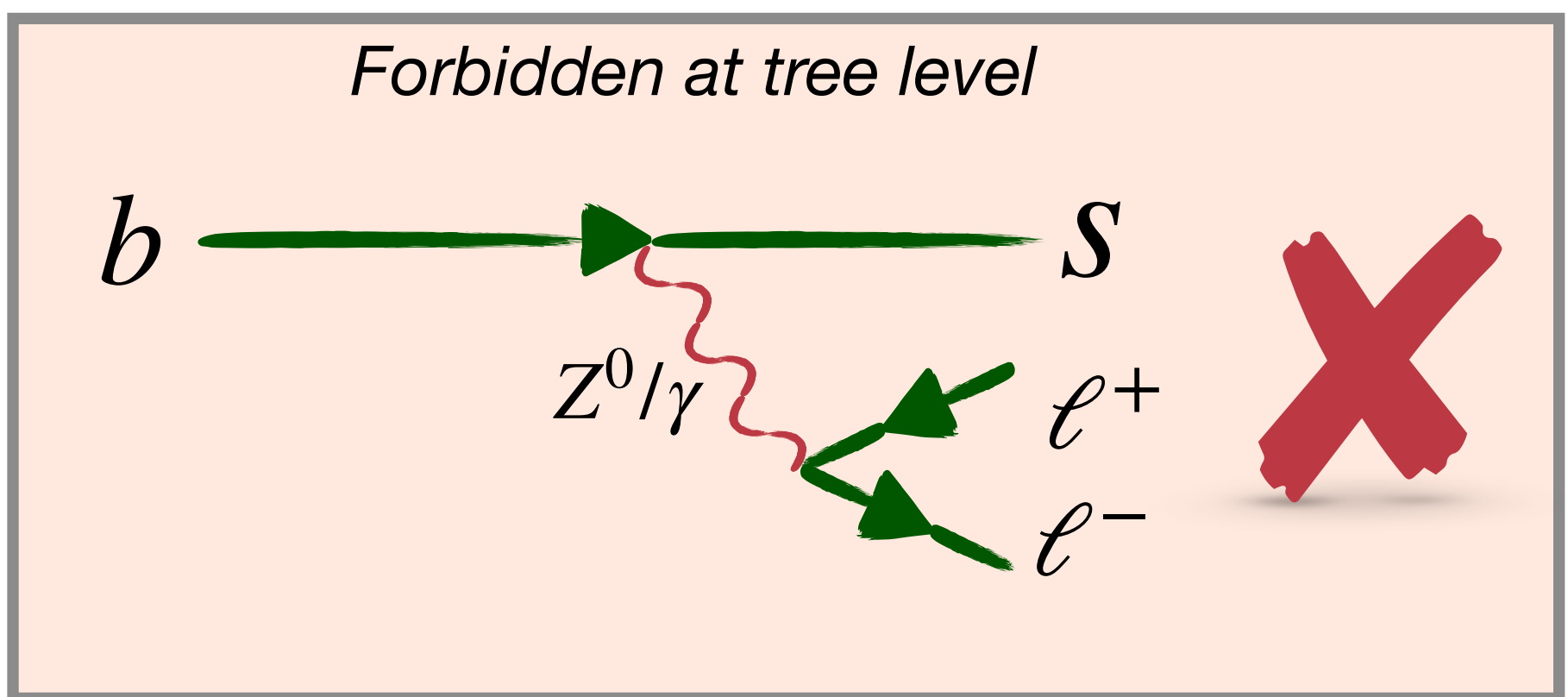


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Rare decays can provide a wealth of information

Branching fractions

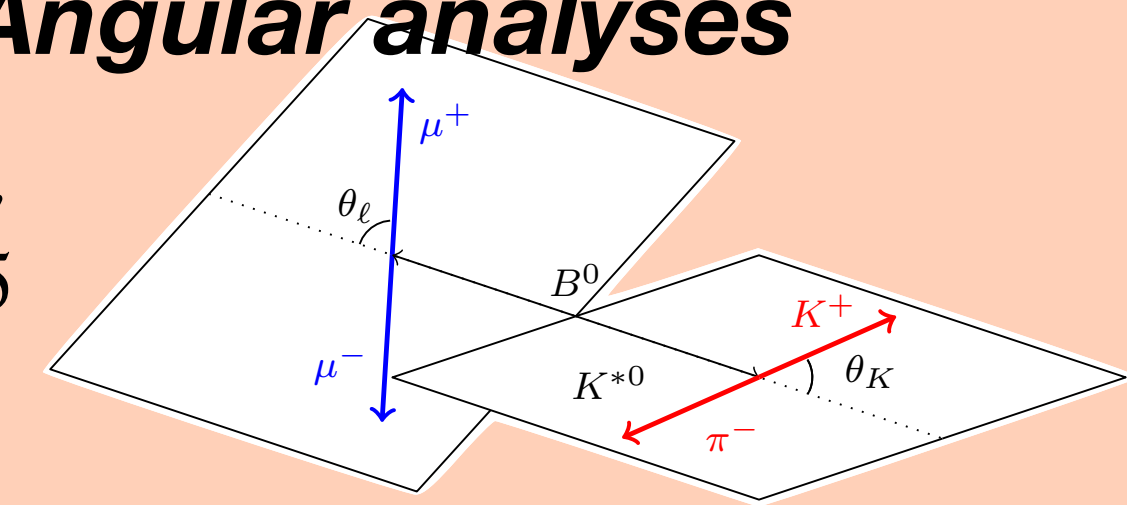
$$\frac{d\Gamma(B^+ \rightarrow K^+ \mu^+ \mu^-)}{dq^2}$$



Experimentally more straight forward

Angular analyses

P'_5



Lepton flavour universality tests

$$R_K = \frac{\mathcal{B}(B^+ \rightarrow K^+ \mu^+ \mu^-)}{\mathcal{B}(B^+ \rightarrow K^+ e^+ e^-)}$$

Precise theory predictions



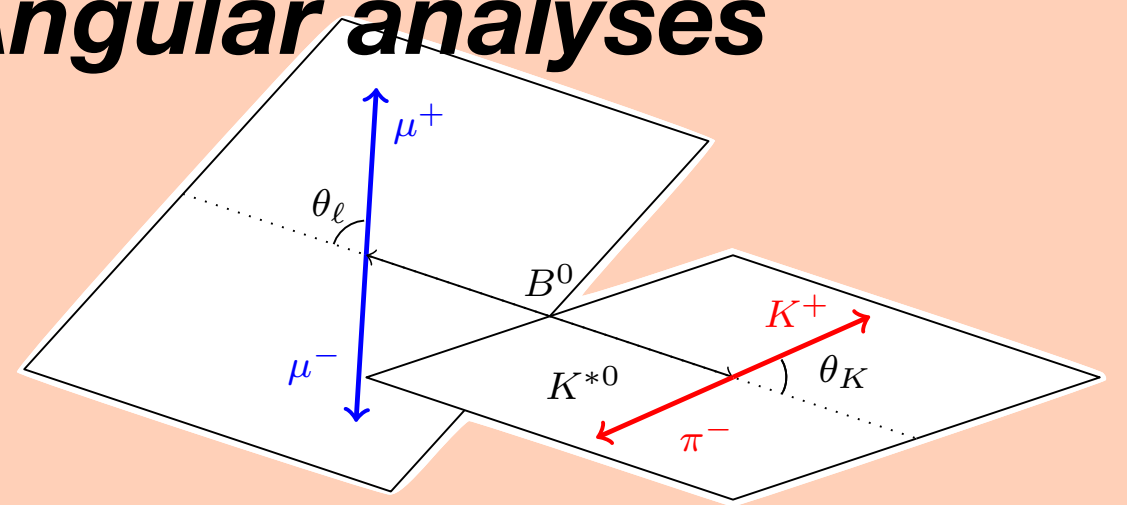
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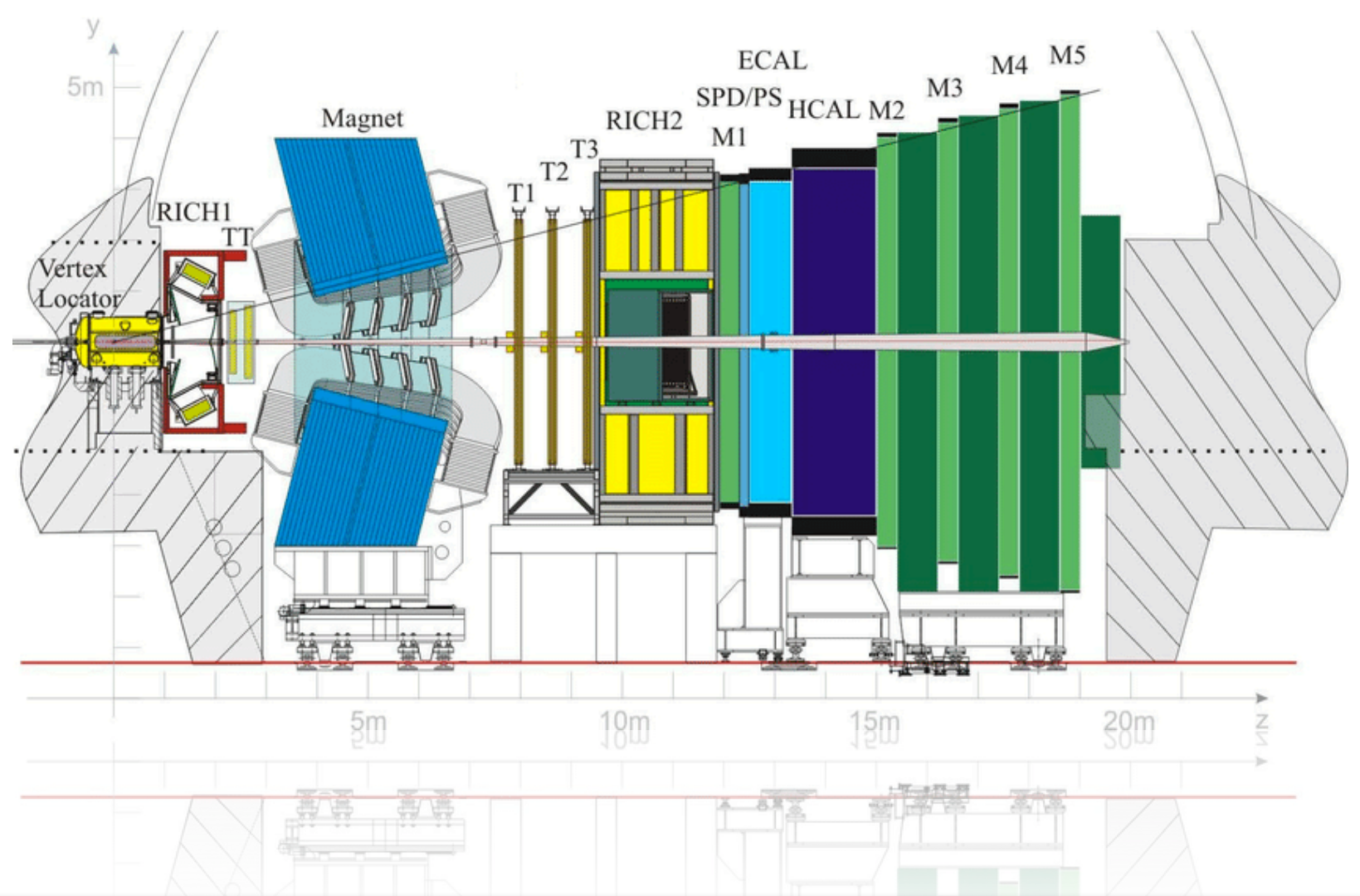
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Precise theory predictions



LHCb is an excellent place to study rare processes

- **Precise** tracking
- **Efficient** hadron and lepton PID
- **Large samples** of b and c-hadrons collected in Run1 + Run2



Run 2

$$J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-$$

Rare leptonic decay

LHCb-CONF-2024-001,
Observation of the rare decay

$$J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-$$

Shown for the first
time ever!

Run 1 +
Run 2

$$B^0 \rightarrow K^{*0} \mu^+ \mu^-$$

Rare semileptonic decay

LHCb-PAPER-2024-011, *in preparation*
Comprehensive analysis of local and nonlocal
amplitudes in the $B^0 \rightarrow K^{*0} \mu^+ \mu^-$ decay

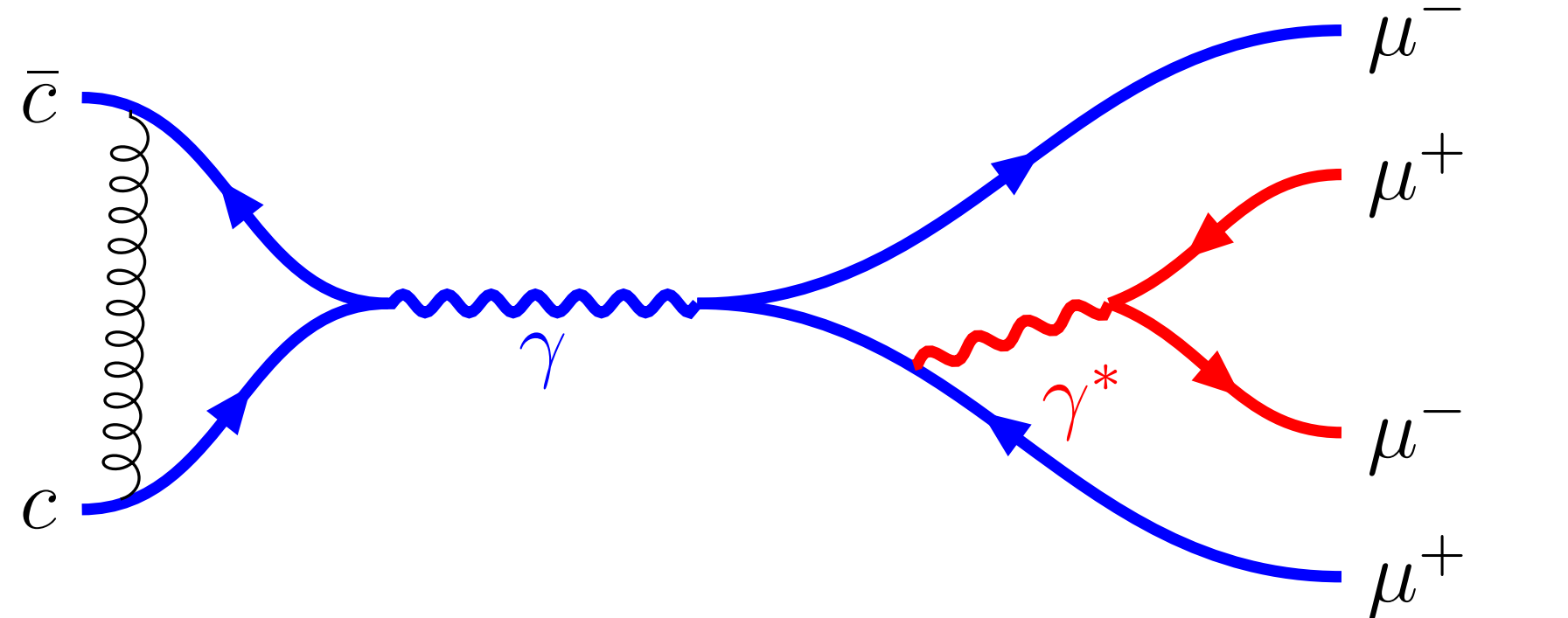
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$$J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-$$

Electromagnetic process that proceeds through final-state radiation of a virtual photon

Four lepton decays of heavy quarks are not well studied

Similarity to FCNC processes make this measurement very useful for understanding FSR e.g. $B_s^0 \rightarrow \mu^+ \mu^- \mu^+ \mu^-$

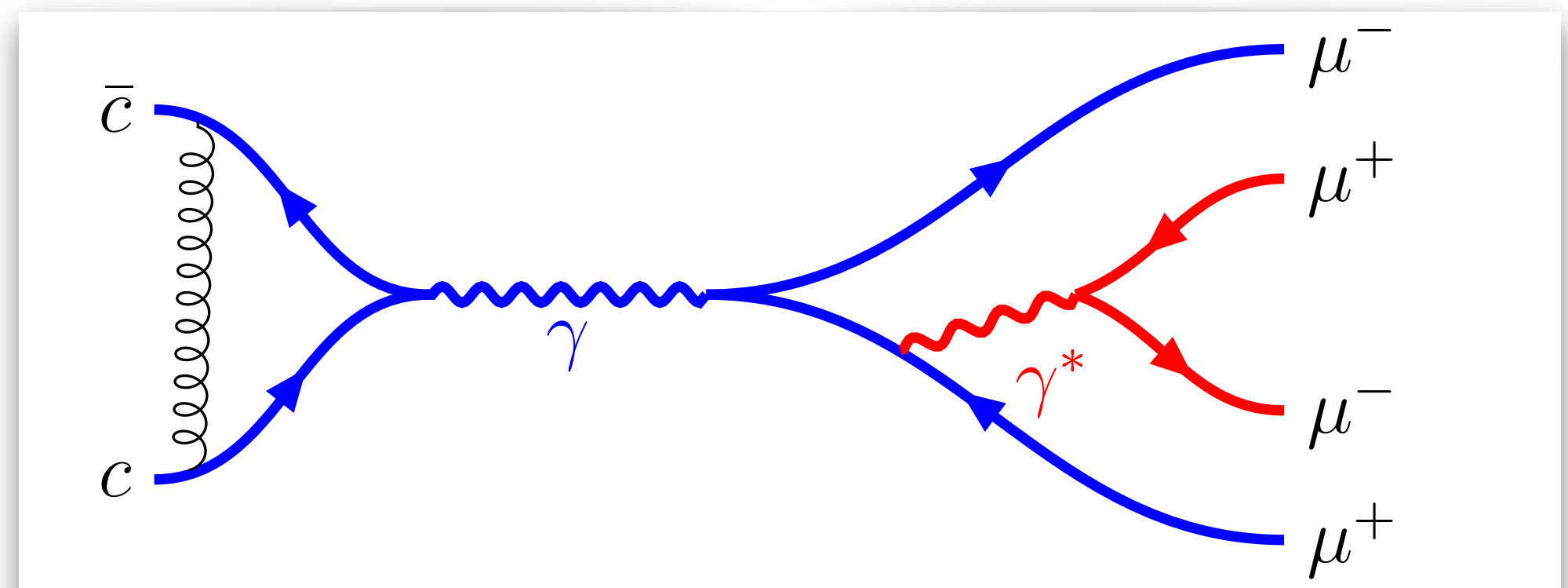


The diagram shows a charm quark (c) and an anti-charm quark (\bar{c}) annihilating into a virtual photon (γ). This photon then splits into a muon-antimuon pair ($\mu^+ \mu^-$). One of these muons emits a second virtual photon (γ^*), which then splits into another muon-antimuon pair ($\mu^+ \mu^-$).

Precise SM prediction:
 $\mathcal{B}(J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-) = (9.74 \pm 0.05) \times 10^{-7}$
 W. Chen et al, [PRD 104 (2021) 9, 094023]

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The state of play

$J/\psi \rightarrow e^+ e^- e^+ e^-$ ✓
 $J/\psi \rightarrow e^+ e^- \mu^+ \mu^-$ ✓
 $\mathcal{B}(J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-) < 16 \times 10^{-7}$ ✗
[\[PRD 109, 052006 \(2024\)\]](#)

$\mathcal{B}(J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-) = (10.1_{-2.7}^{+3.3} \pm 0.4) \times 10^{-7}$ ✓
[\[arXiv:2403.11352\]](#) As of 17th March 2024

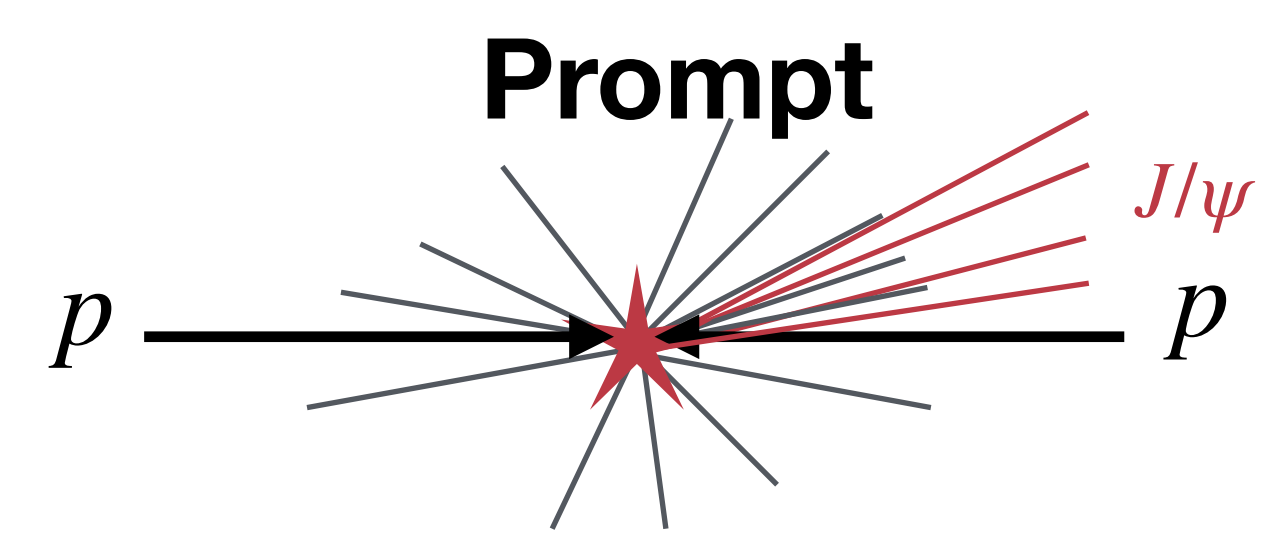
Measures the branching fraction $\mathcal{B}(J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-)$ relative to normalisation channel $J/\psi \rightarrow \mu^+ \mu^-$

$$R_{BR} \equiv \frac{\mathcal{B}(J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-)}{\mathcal{B}(J/\psi \rightarrow \mu^+ \mu^-)}$$

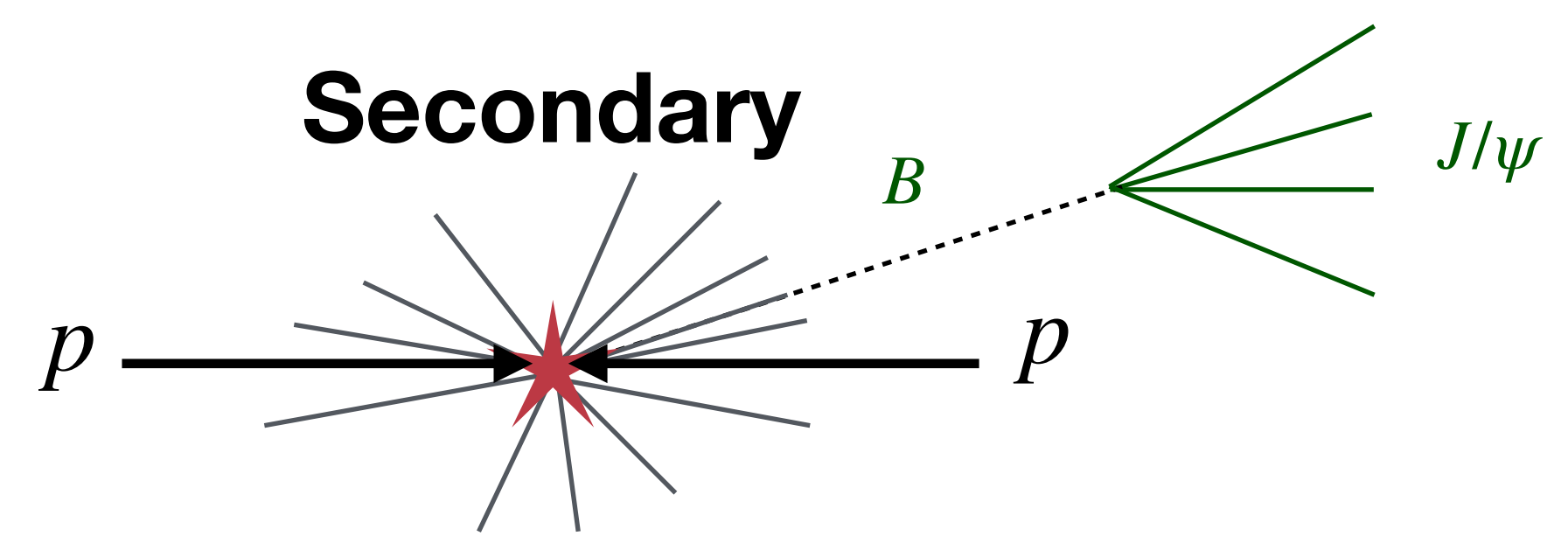
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J/ψ from **two origins** are used:



- ✓ High production rate
- ✗ High background rates
- ✗ Requires tight selection

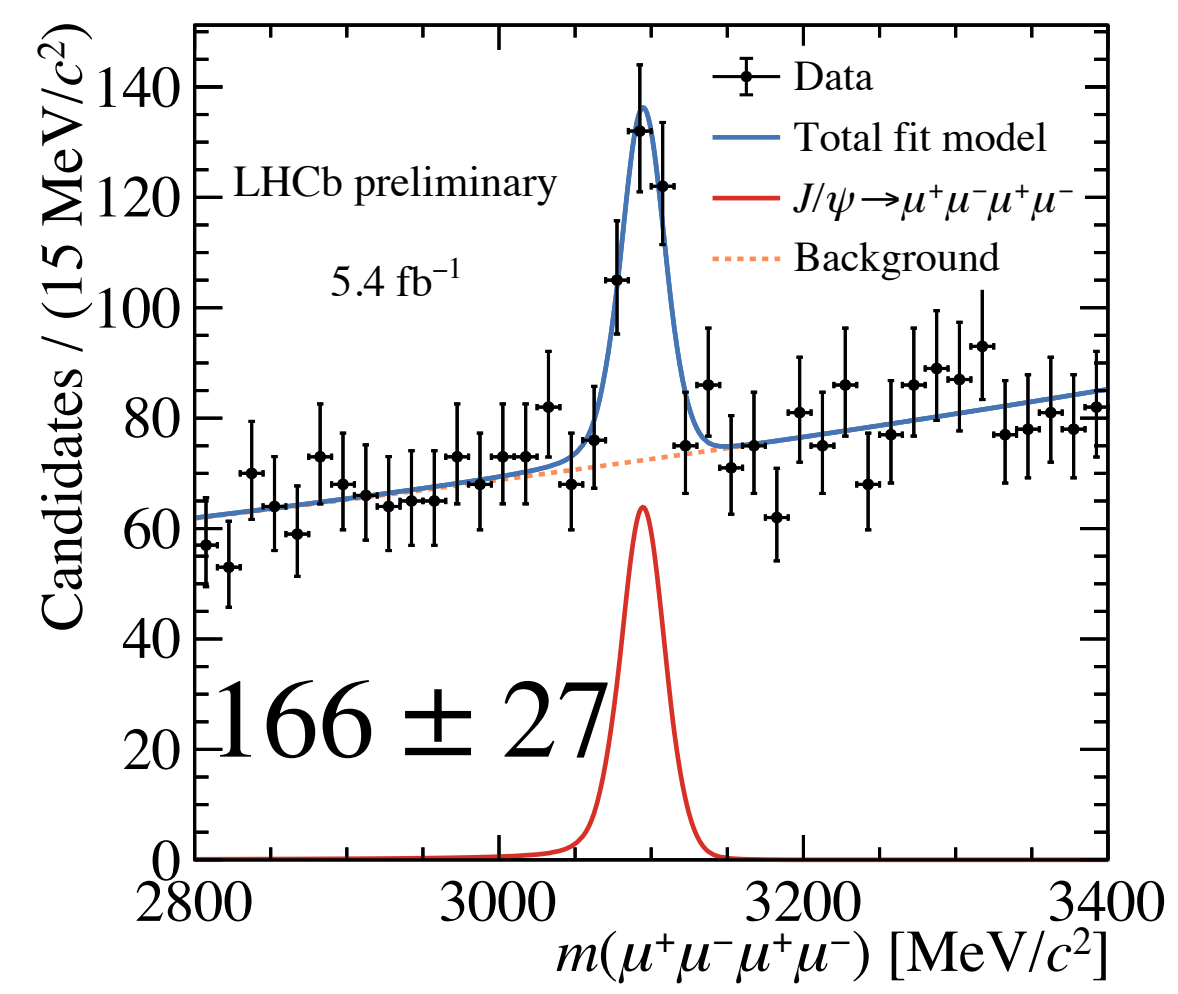


- ✗ Lower production rate
- ✓ Lower background rates
- ✓ Profit from B decay triggers

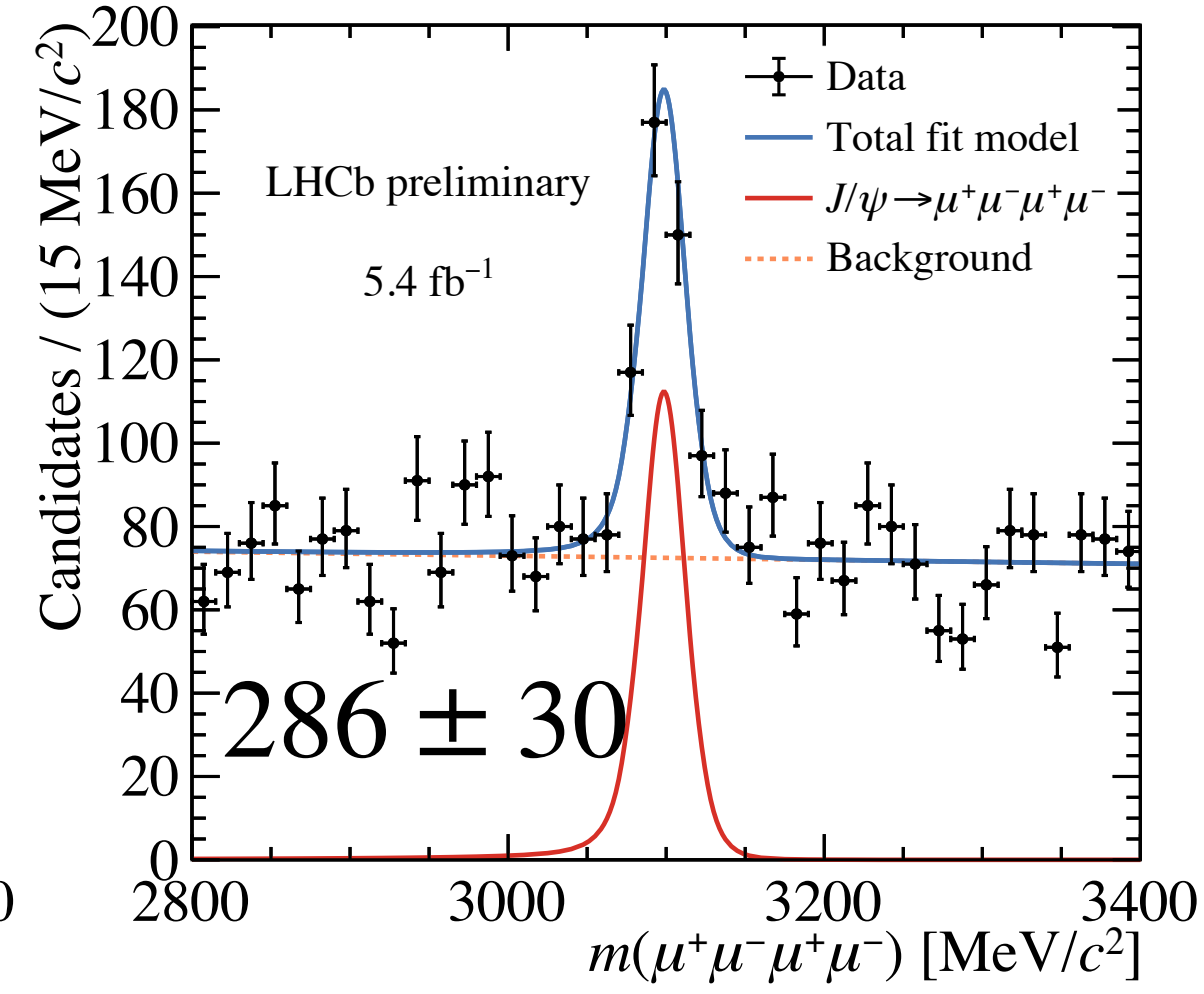
Dedicated **BDT algorithms** are trained to reject combinatorial background

$J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-$ is **observed** in both samples with a large significance ($\gg 5\sigma$)

Prompt



Secondary



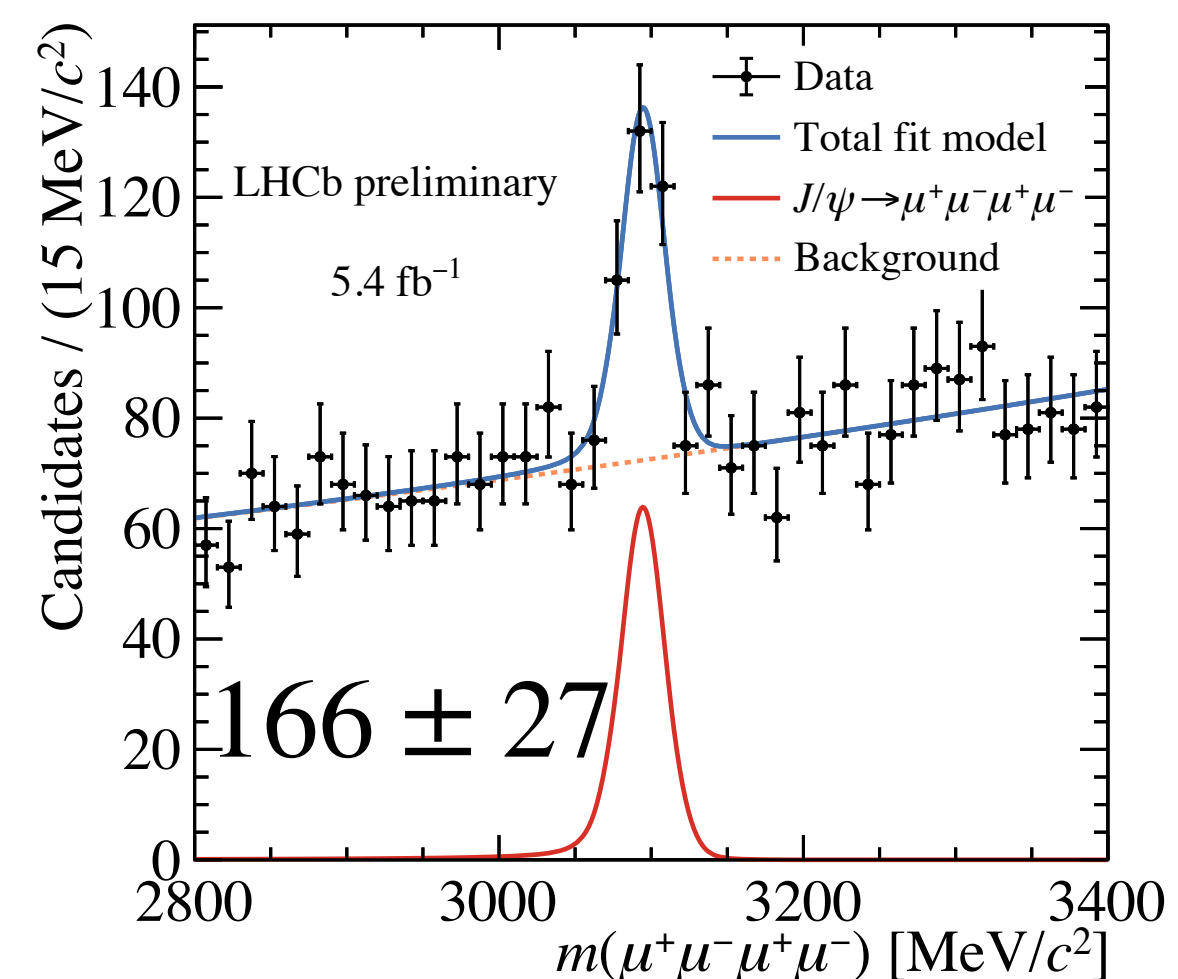
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$$R_{BR} = (1.89 \pm 0.17 \pm 0.09) \times 10^{-5}$$

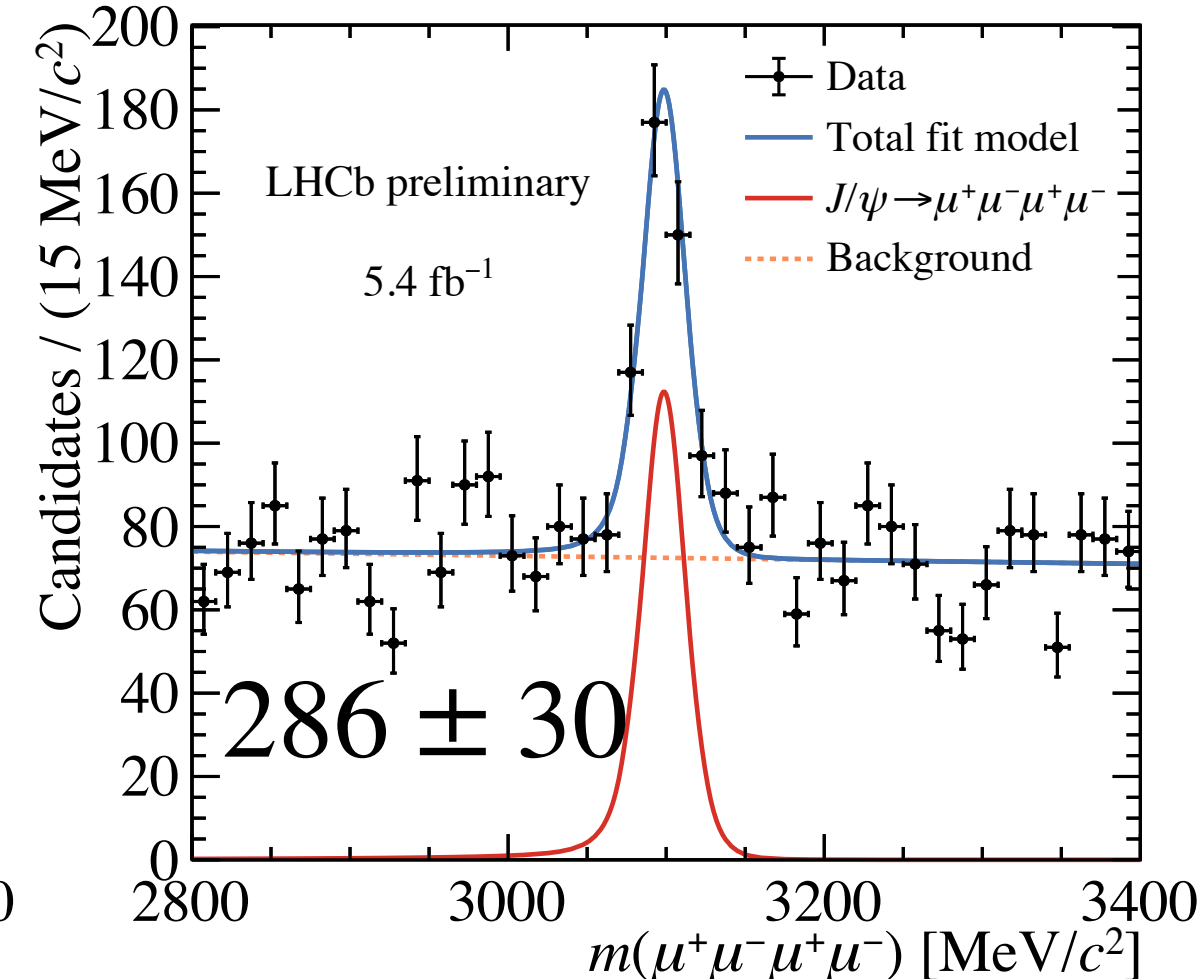
$$\mathcal{B}(J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-) = (11.3 \pm 1.0 \pm 0.5 \pm 0.1) \times 10^{-7}$$

Most precise measurement to date
Consistent with SM within 1.4σ

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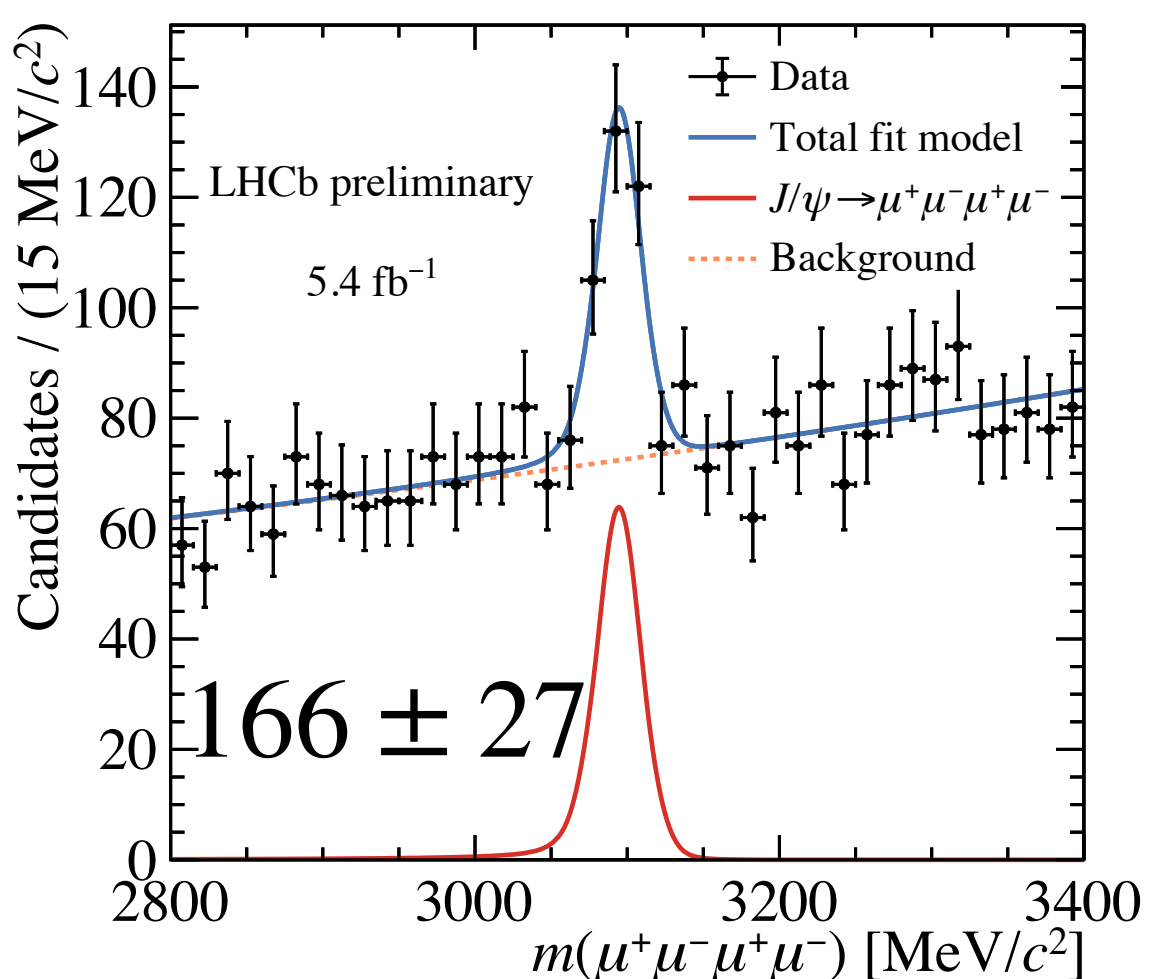
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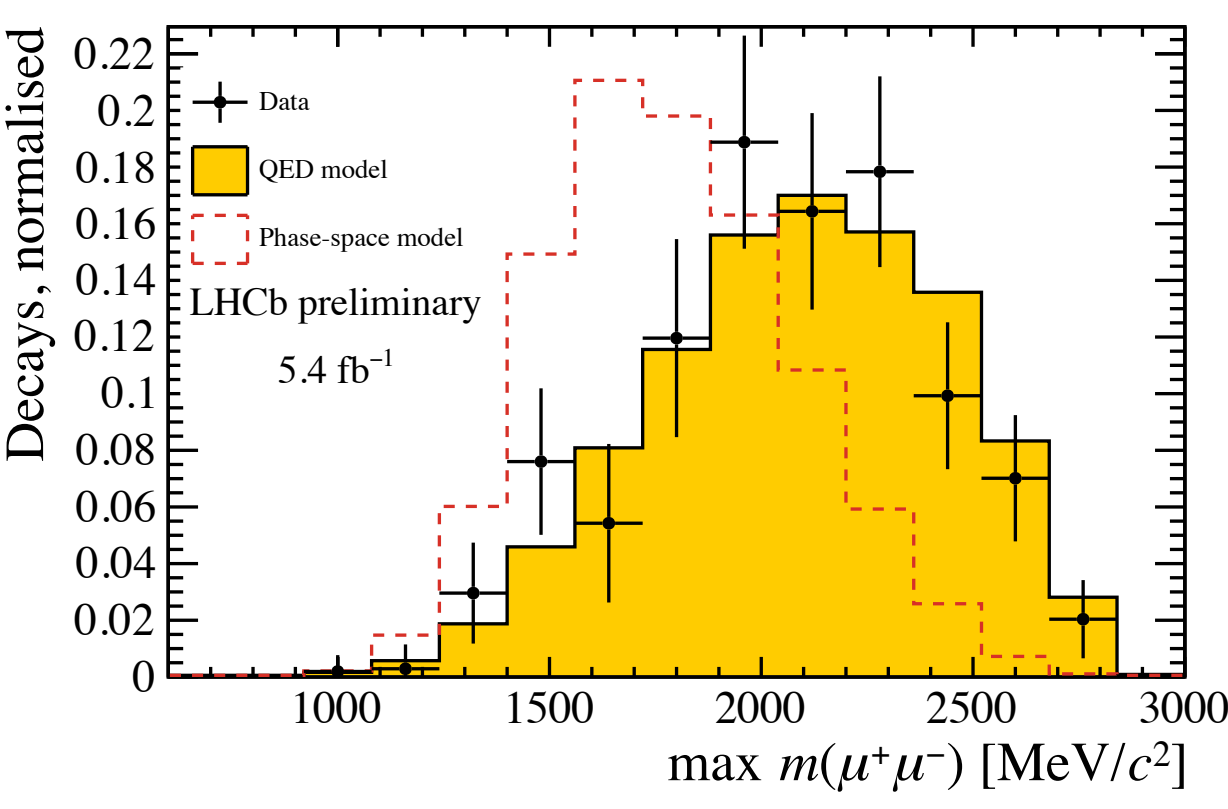
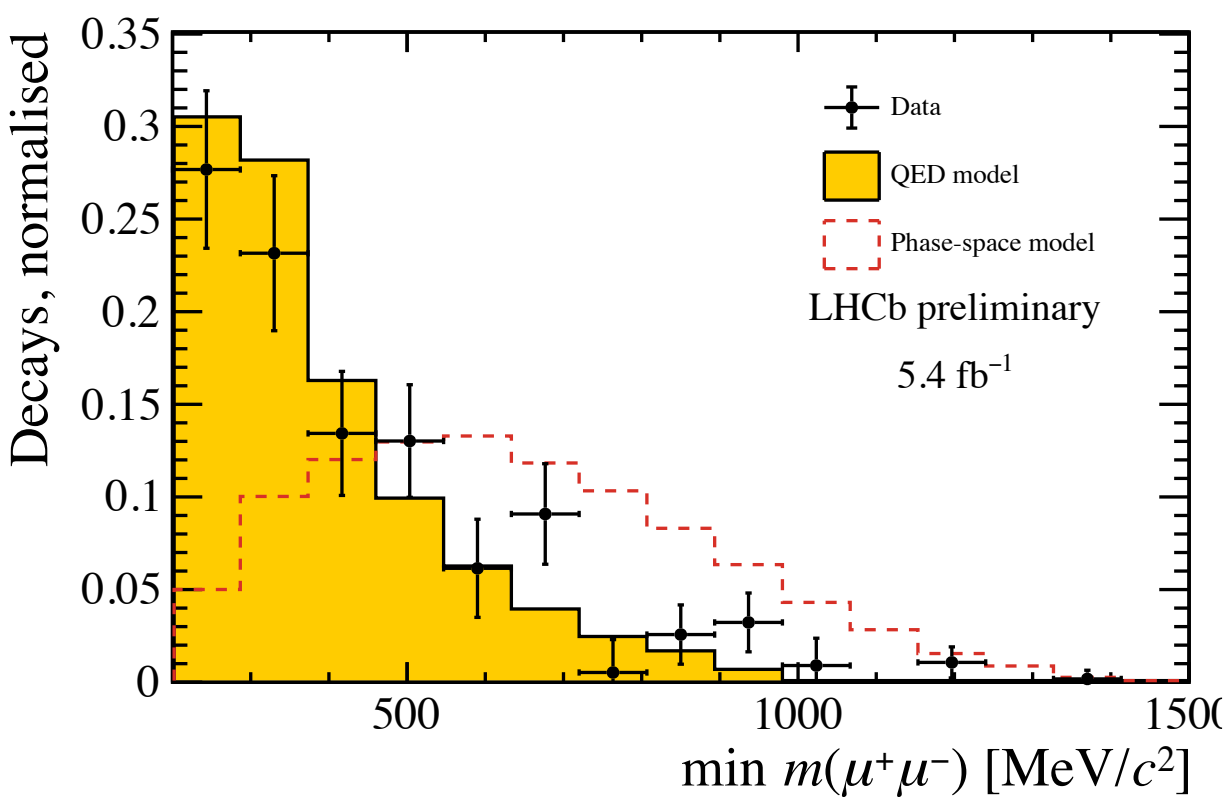
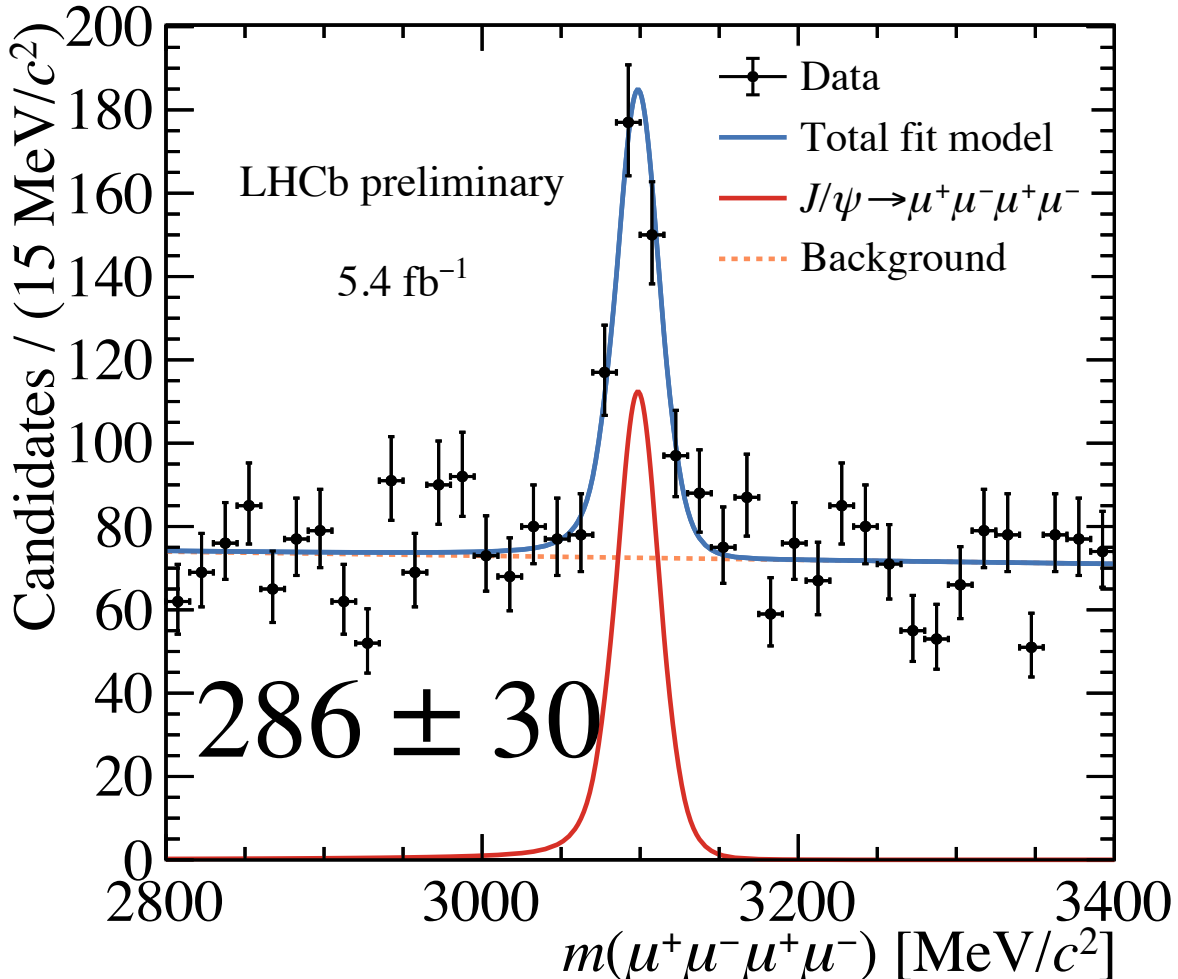
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Dimuon mass distributions agree with QED predictions

Prompt



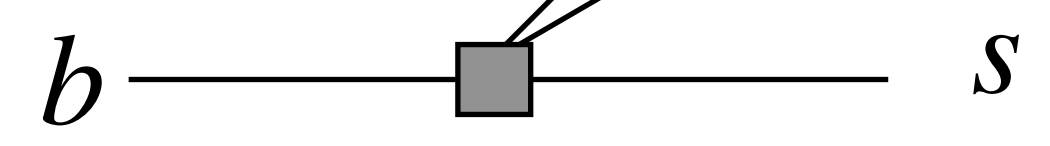
Secondary



$B^0 \rightarrow K^{*0} \mu^+ \mu^-$ has caused lots of interest in the community

$b \rightarrow s \mu^+ \mu^-$ Weak Effective Theory

$$\mathcal{L} \propto \sum_i C_i \mathcal{O}_i$$

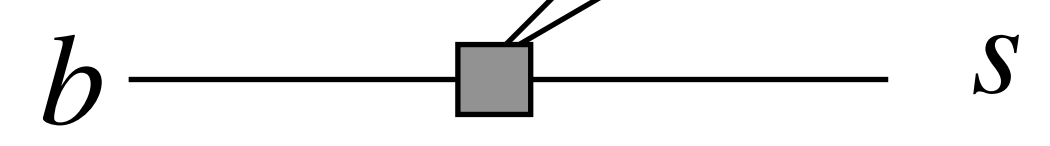


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- Vector $C_9^{(\prime)}$
- Axial vector $C_{10}^{(\prime)}$

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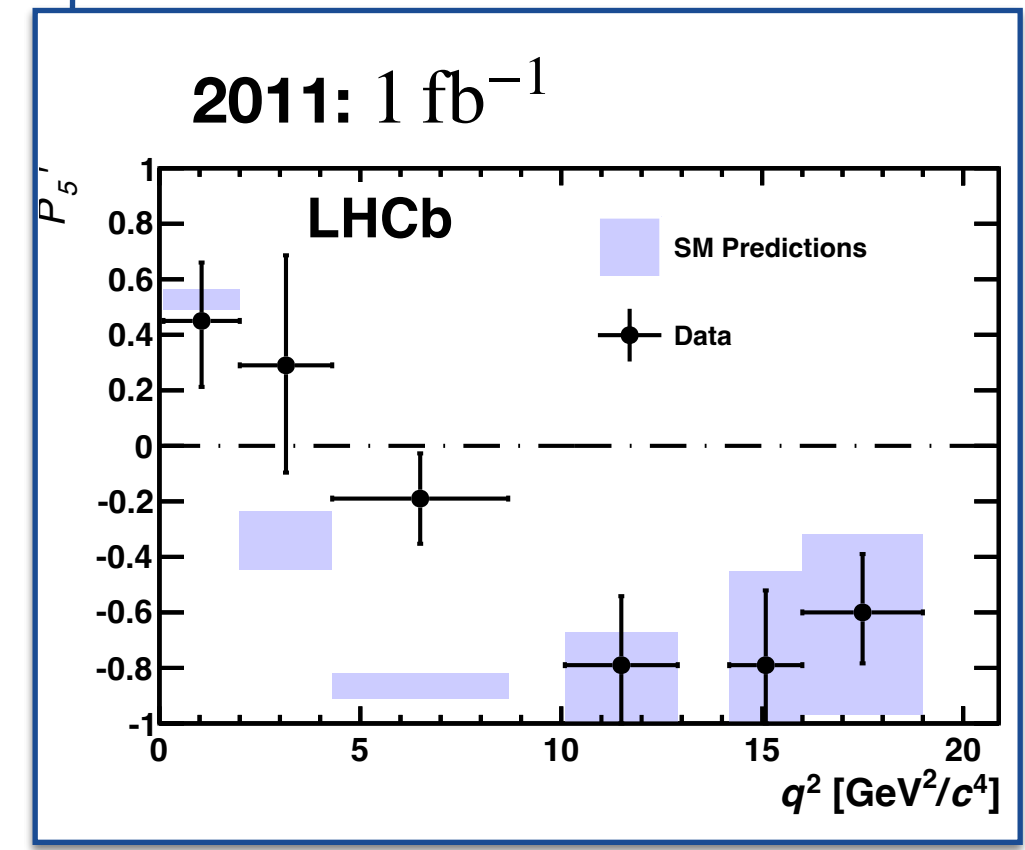
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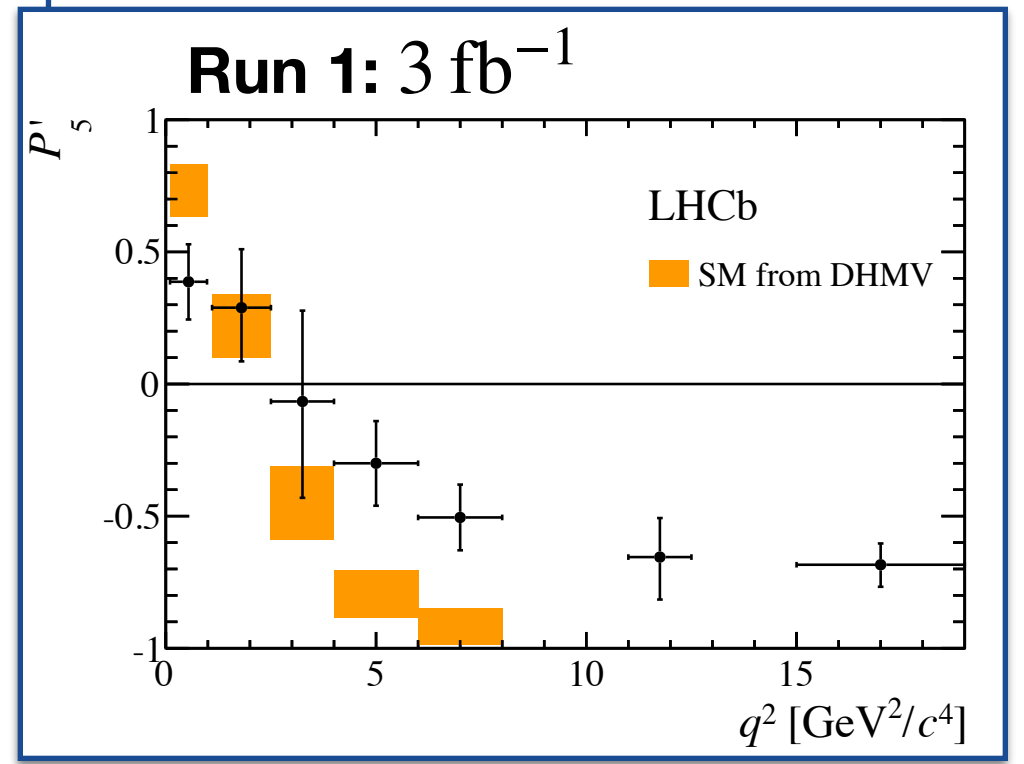


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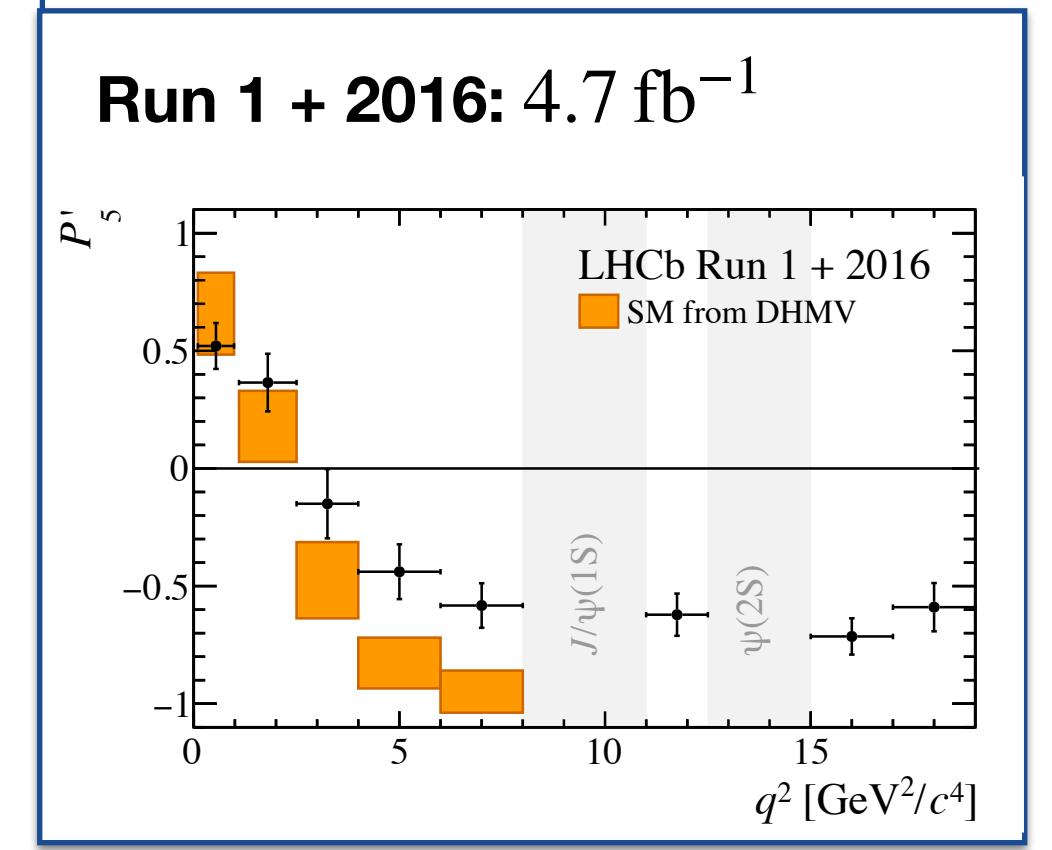
Tensions have remained for ~10 years



[LHCb-PAPER-2013-037]



[LHCb-PAPER-2015-051]



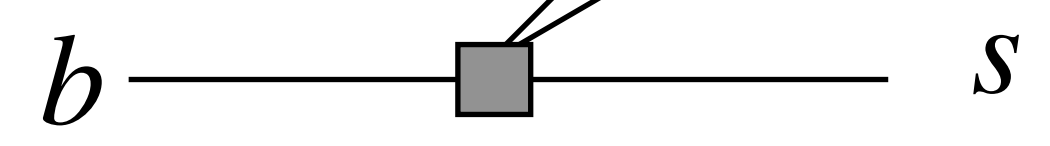
[LHCb-PAPER-2020-002]

Discrepancies are present in multiple observables and the differential decay rate

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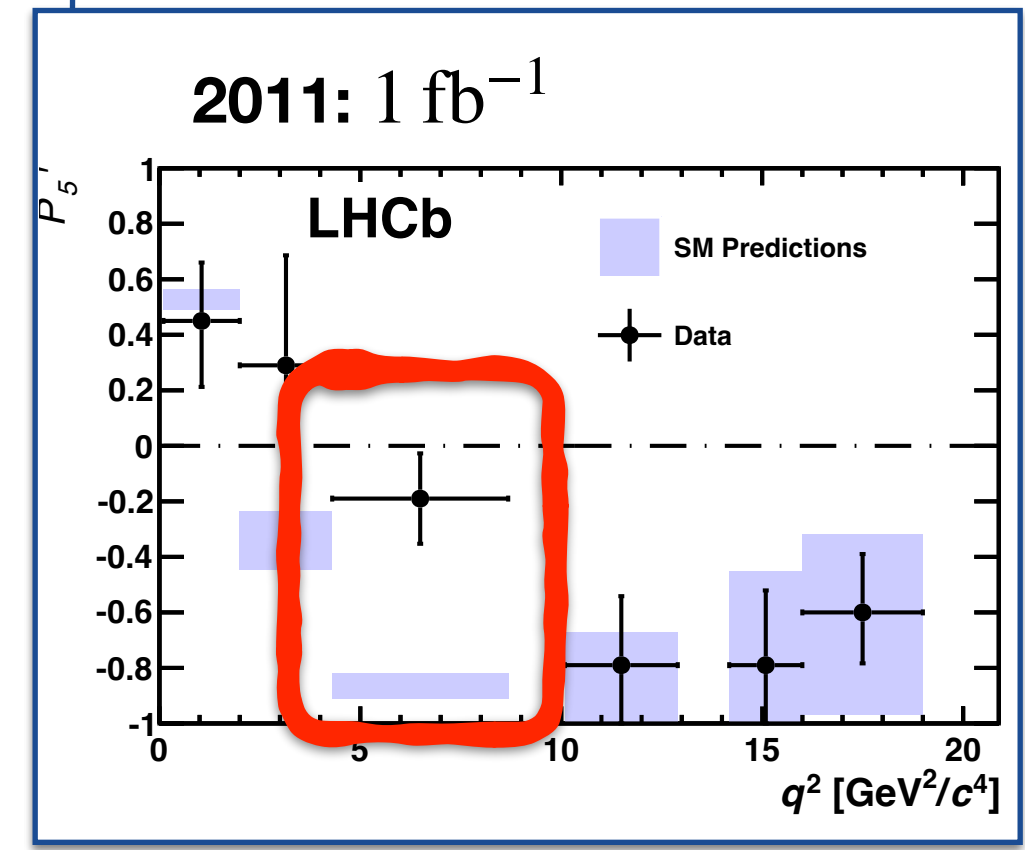
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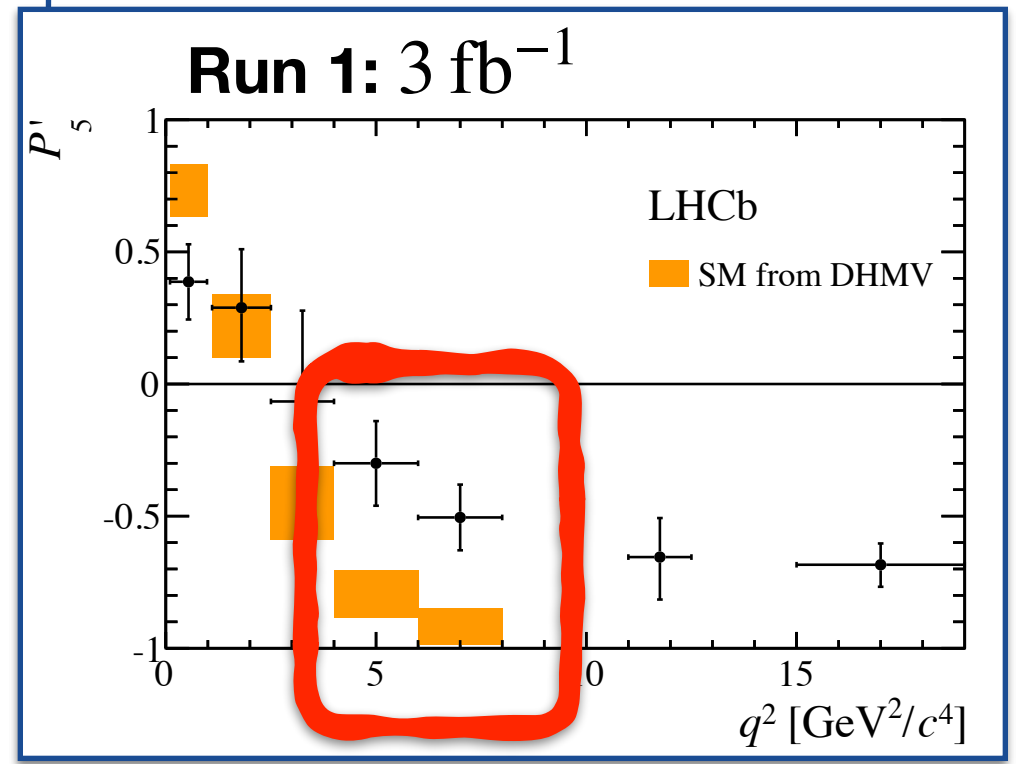


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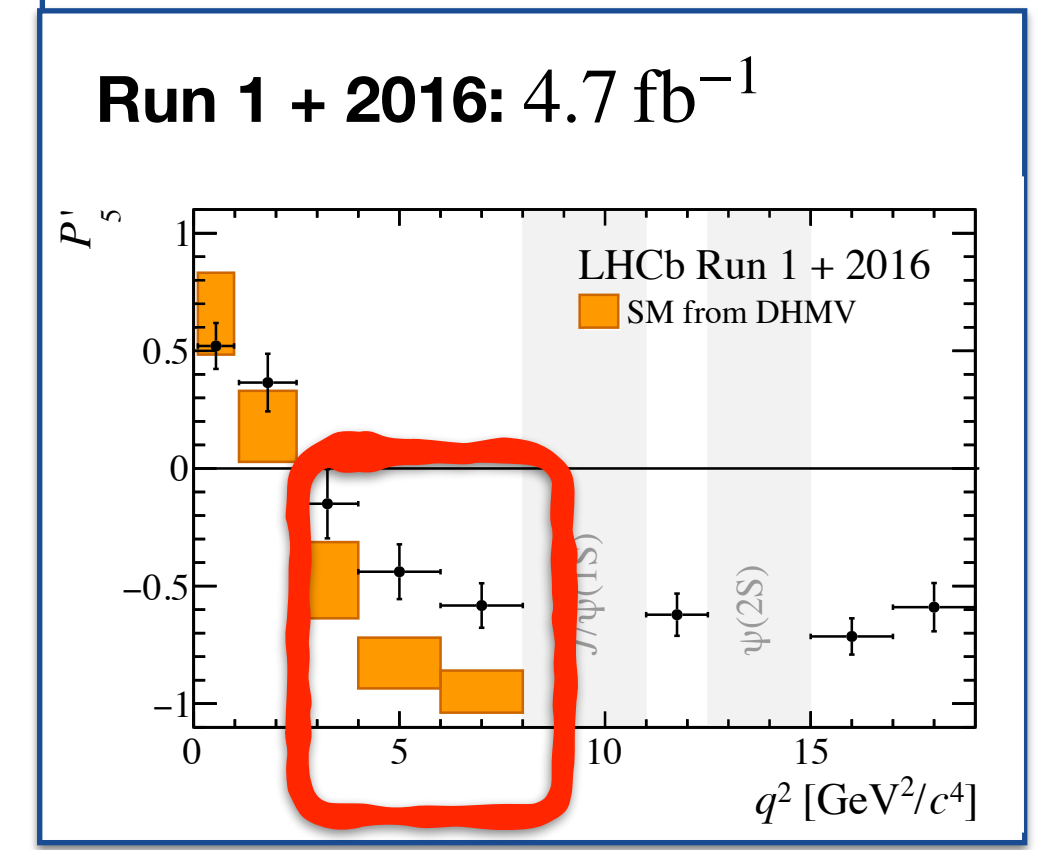
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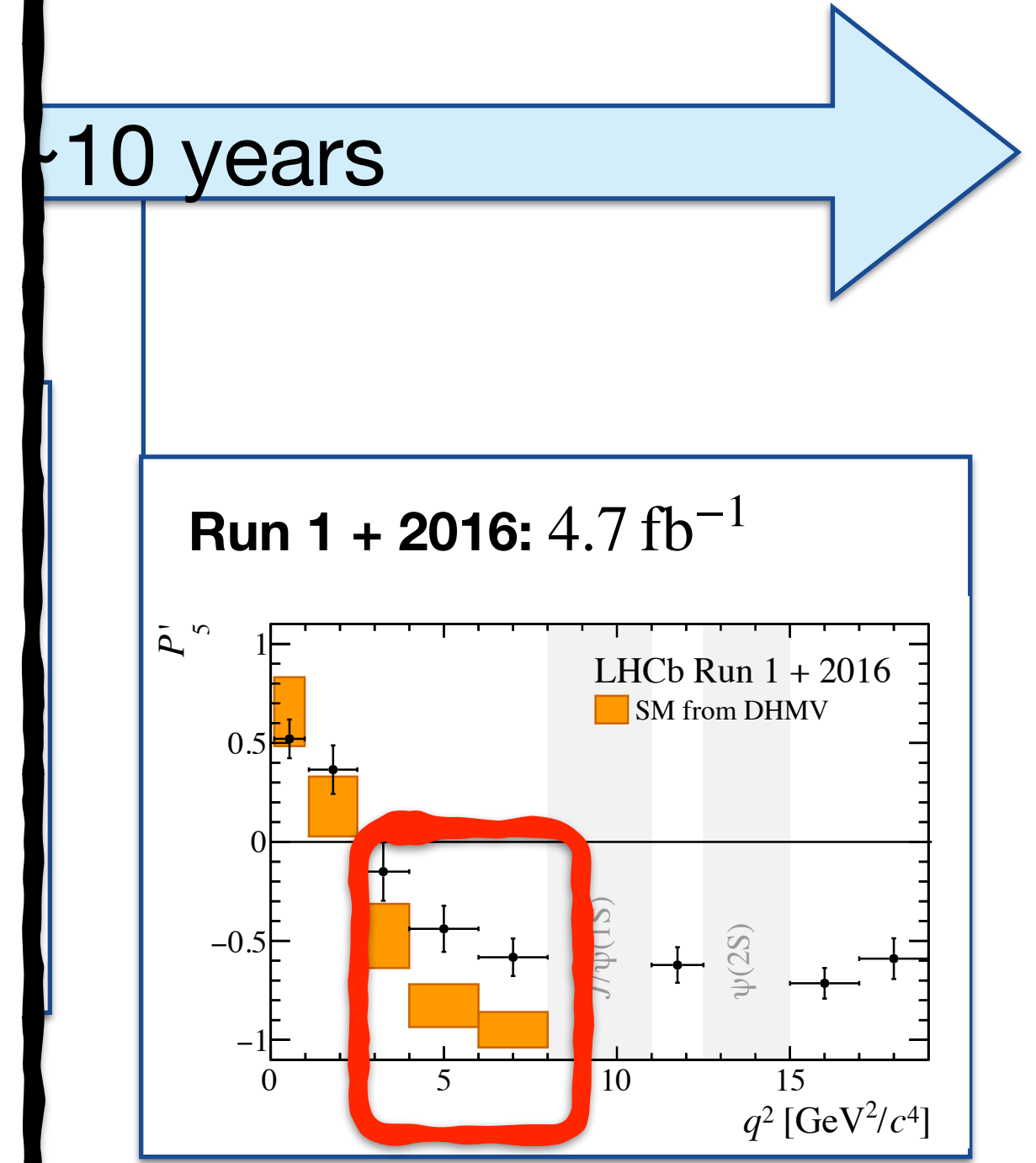
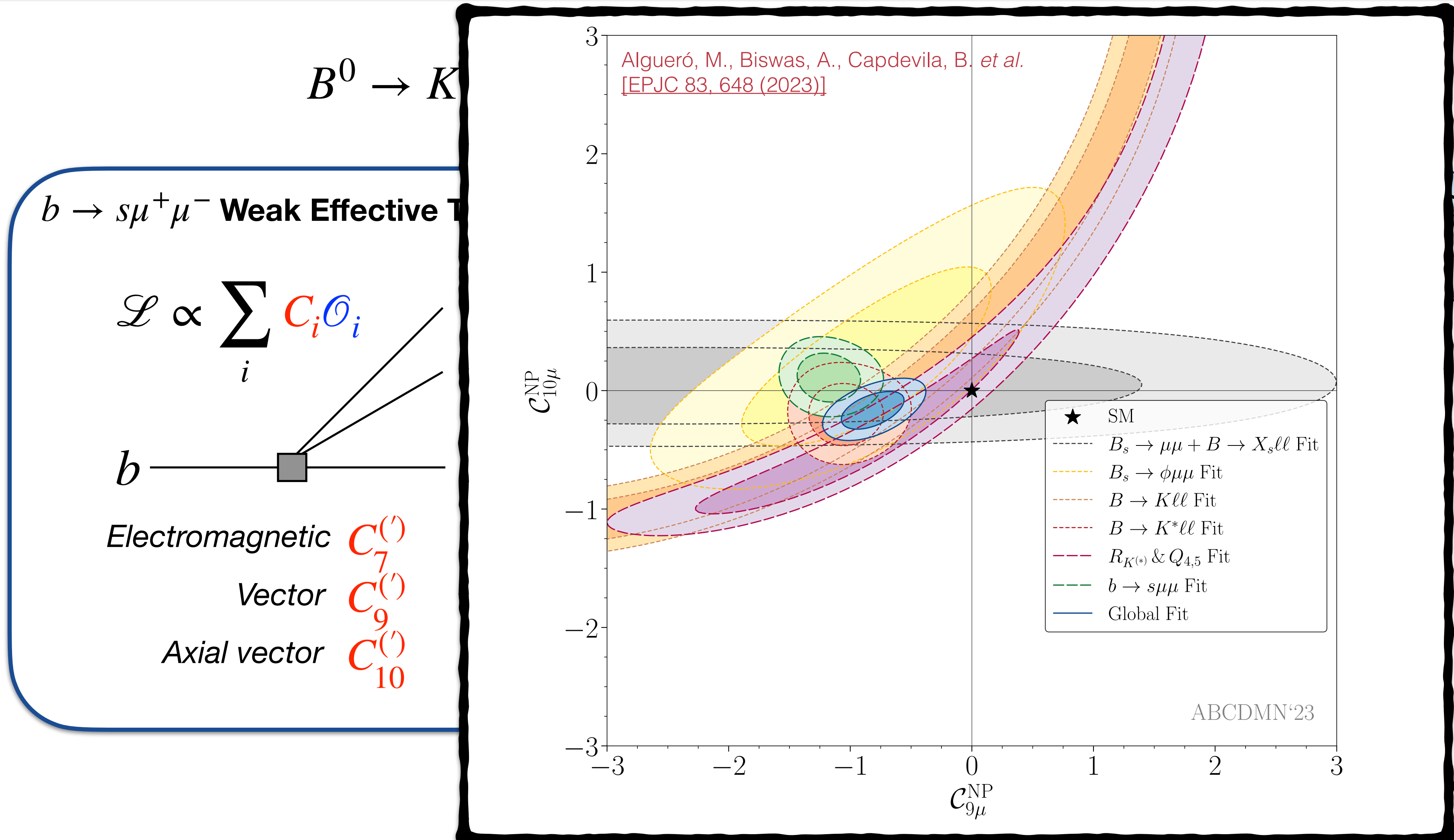


[LHCb-PAPER-2015-051]



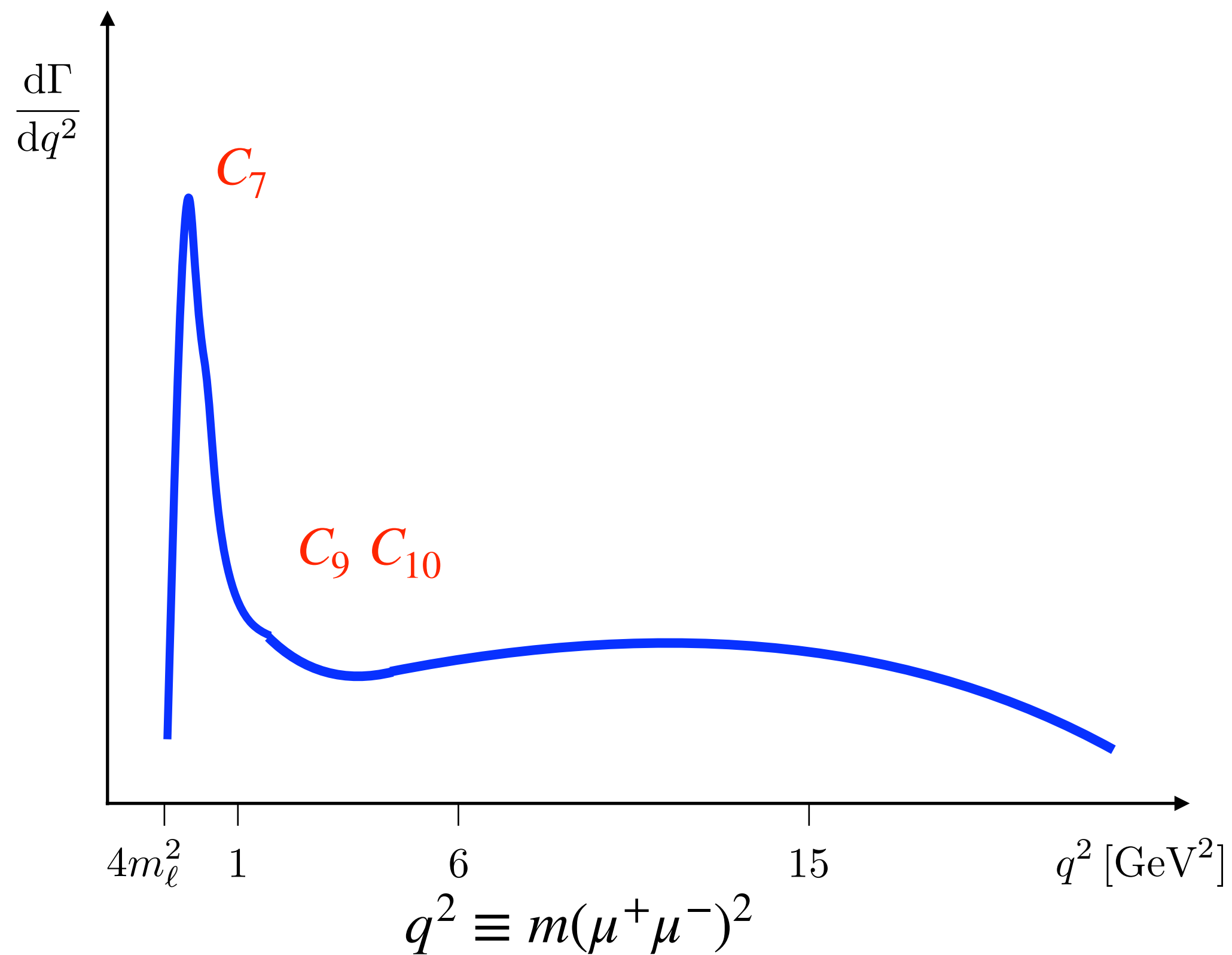
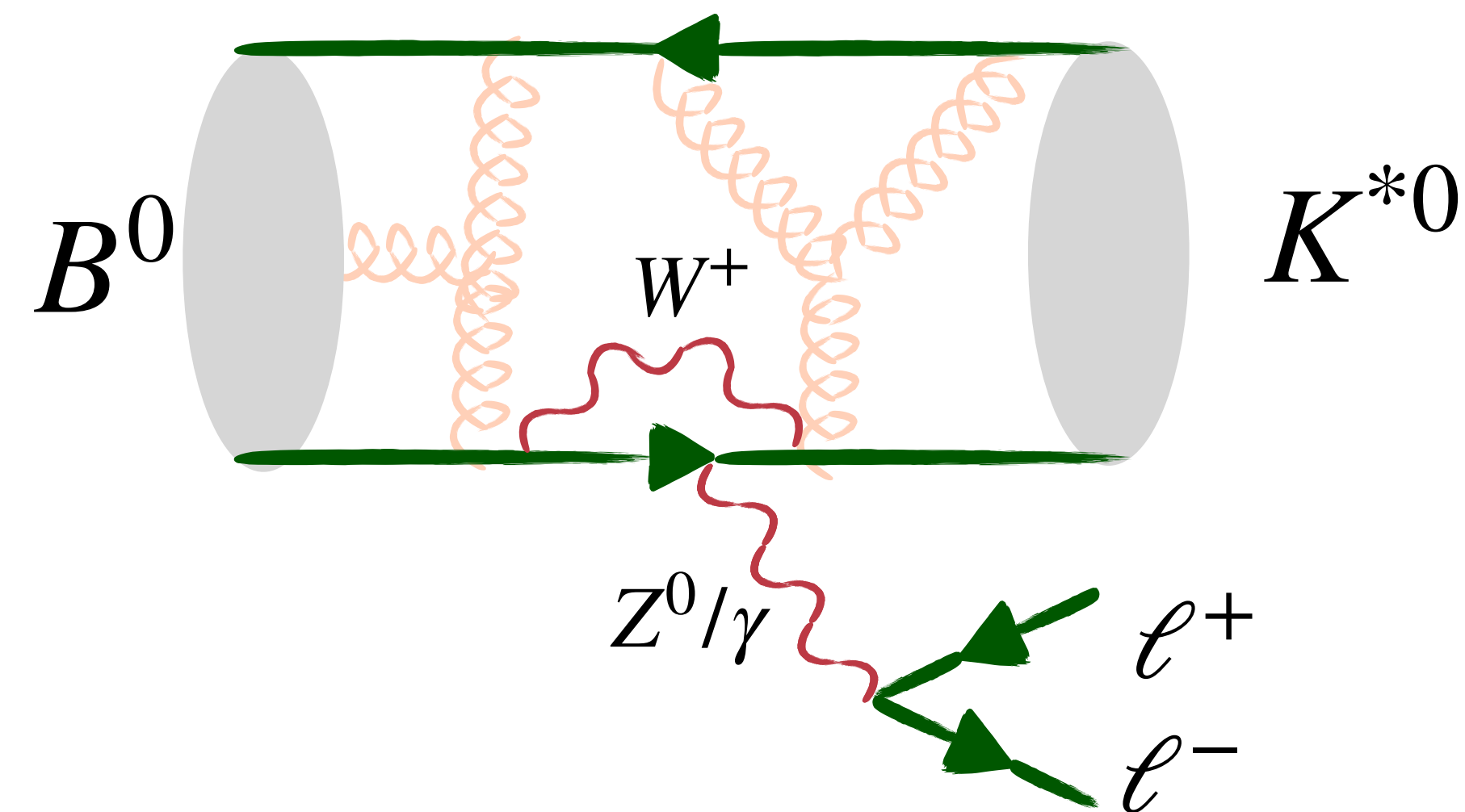
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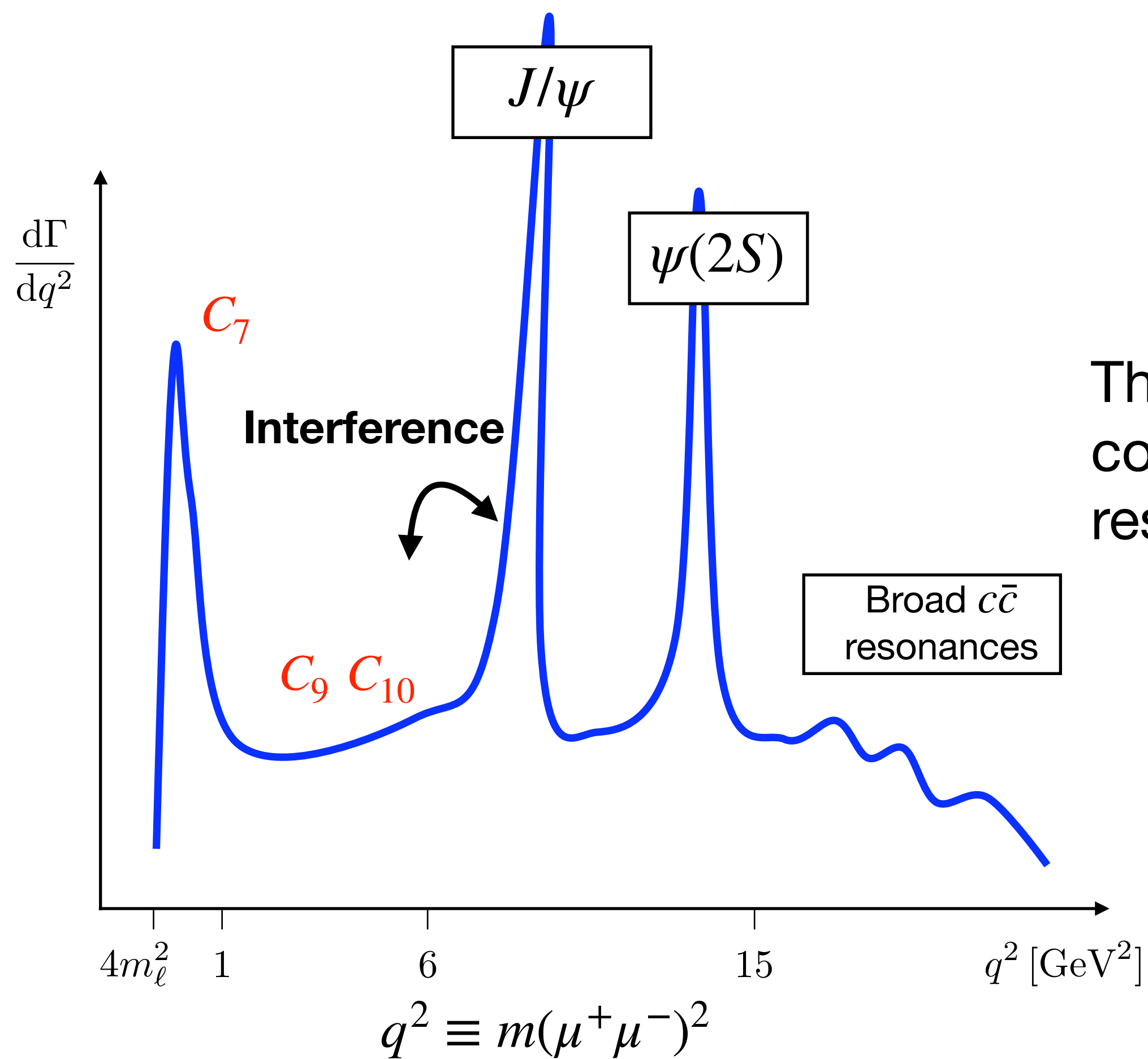
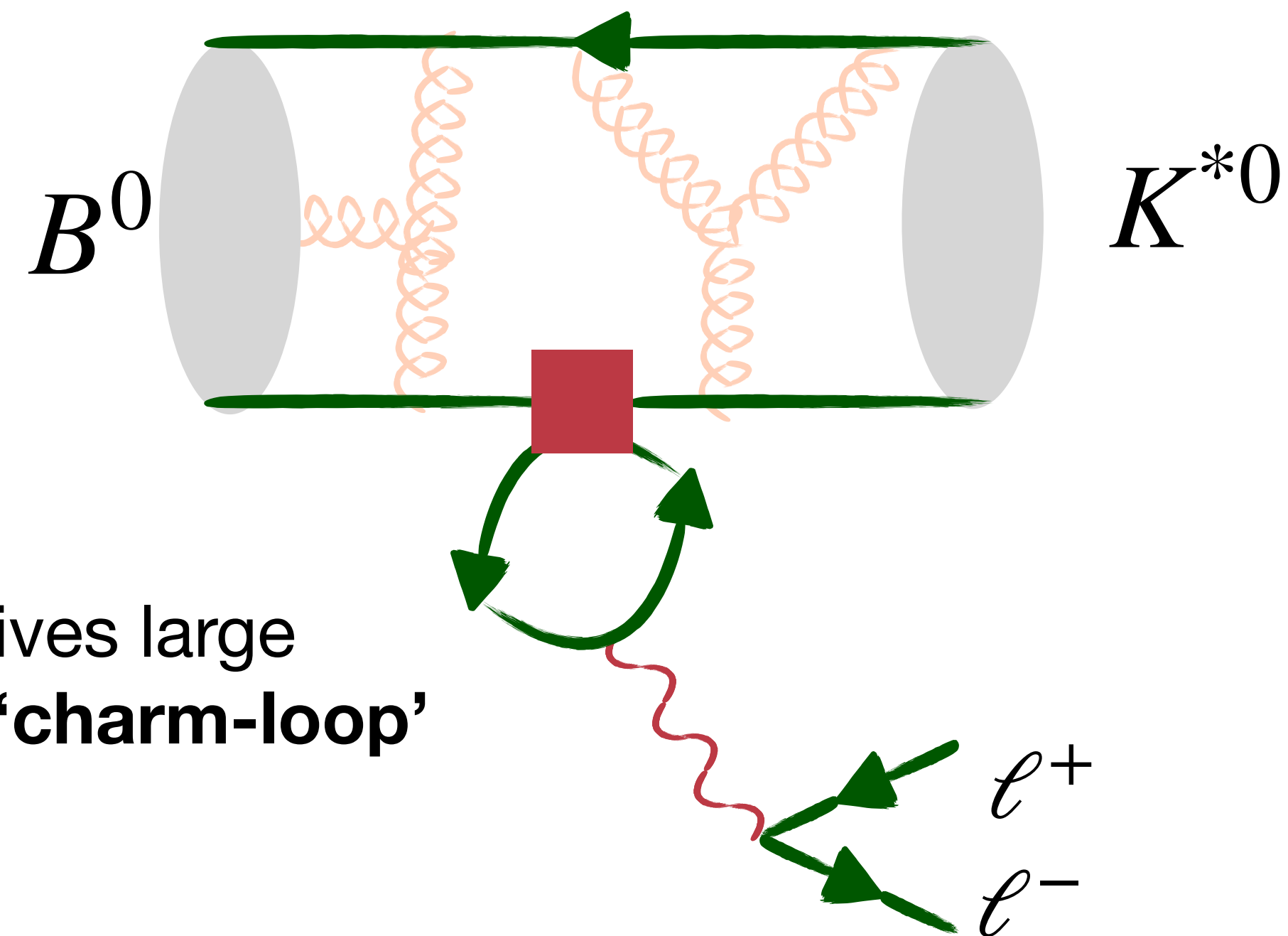


Current measurements point to an anomalous vector contribution

The $B^0 \rightarrow K^{*0} \mu^+ \mu^-$ decay doesn't live in isolation...

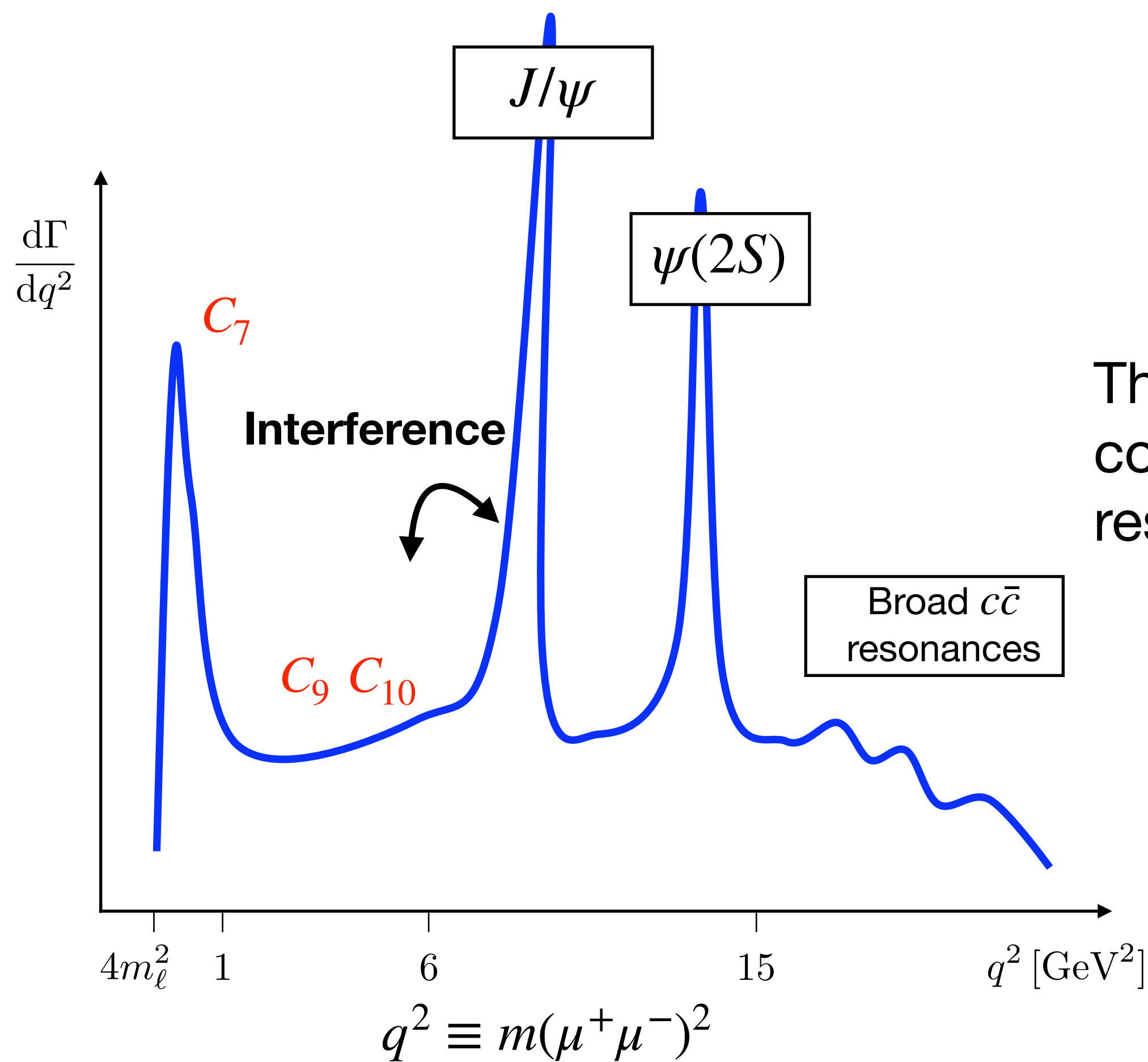
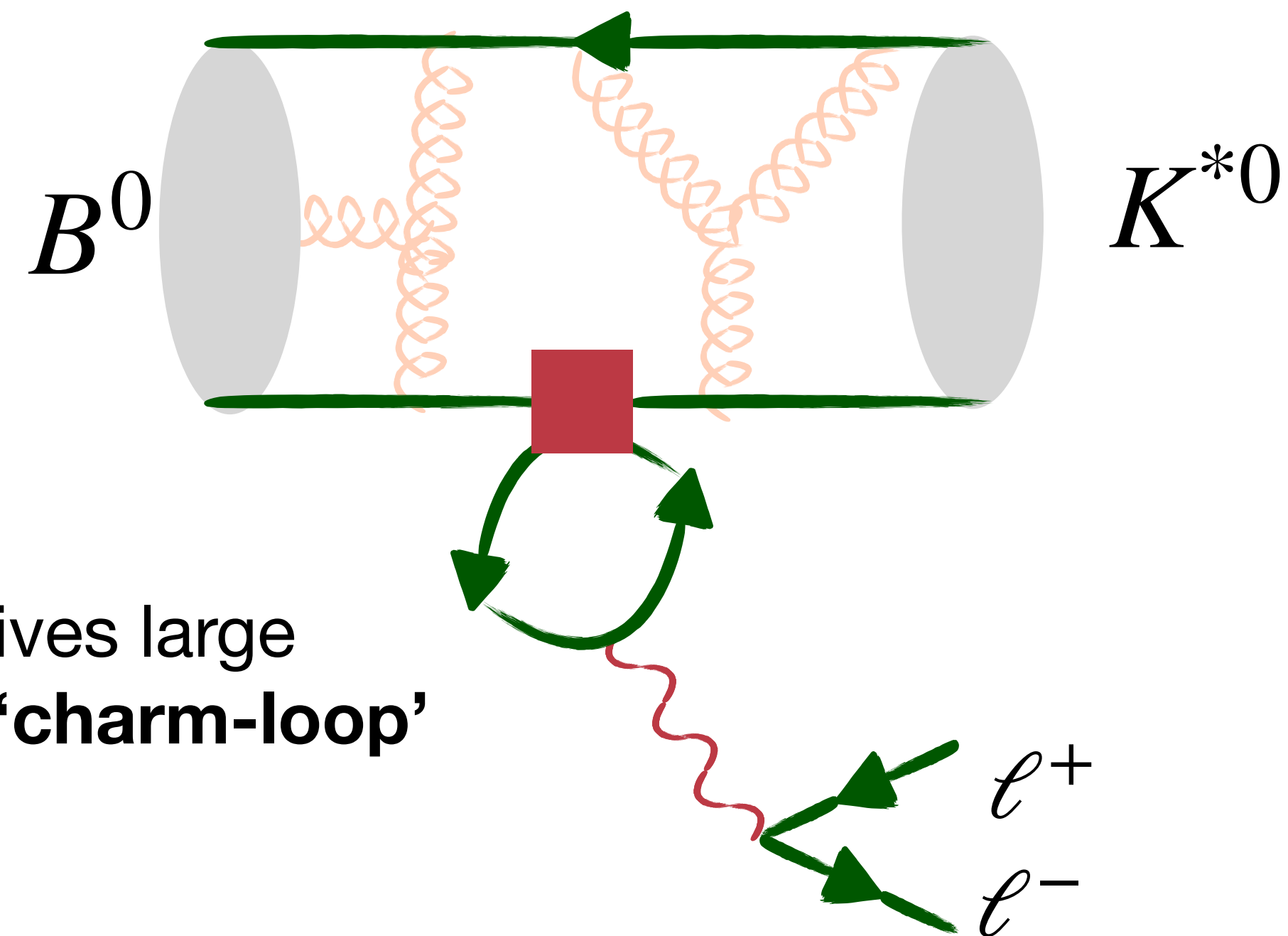


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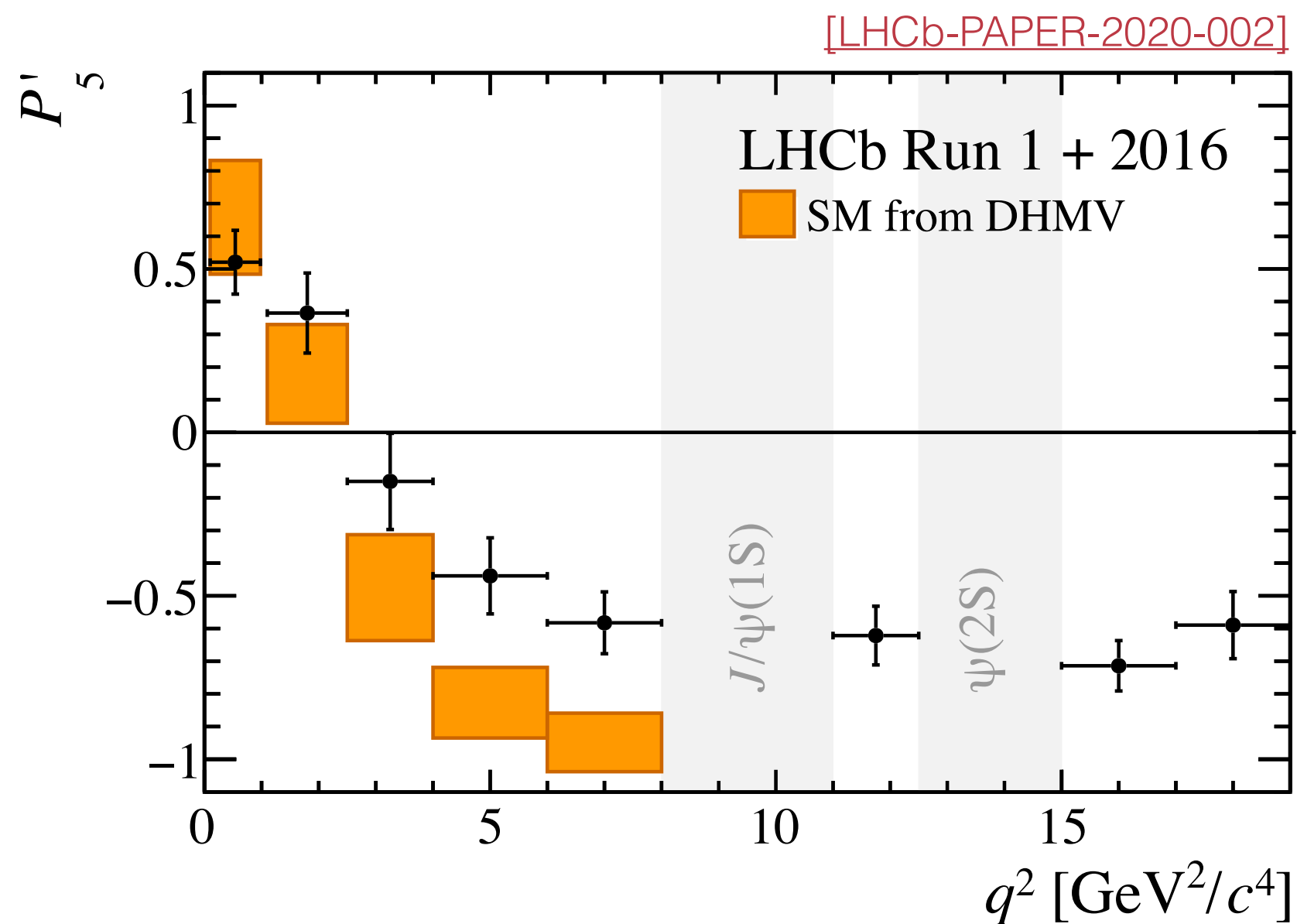


The final state receives large contributions from 'charm-loop' resonances

Many of the contributions are vector-like
→ This mimics the C_9 contribution

Can we model them?

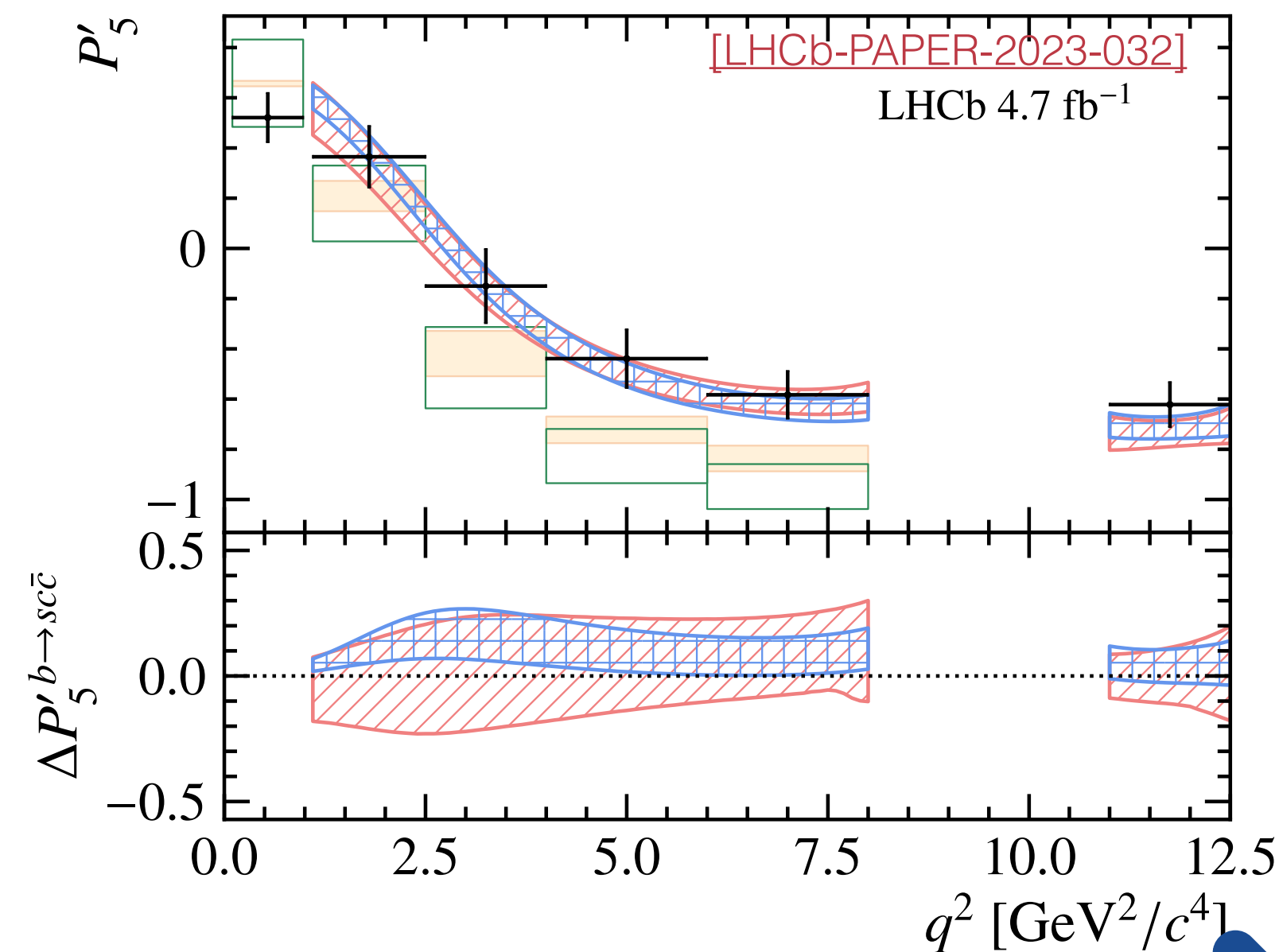
Binned measurements



Model independent

Measure observables in bins of q^2

Unbinned measurements



Model dependent

Use **model** of local and nonlocal contributions to extract Wilson coefficients directly

Run 1 + 2016: 4.7 fb^{-1}

- ✓ **Unbinned** amplitude analysis to the whole $q^2 \equiv m^2(\mu^+\mu^-)$ region
- ✓ **First measurement** using the full Run1 [2011-2012] and Run2 [2016-2018] data

Dispersion Relation

$$C_9^{\text{eff},\lambda}(q^2) = \overbrace{C_9^\mu + Y_{c\bar{c}}^{(0),\lambda}}^{\text{Local}} + \overbrace{Y_{c\bar{c}}^{1P,\lambda}(q^2) + Y_{\text{light}}^{1P,\lambda}(q^2) + Y_{c\bar{c}}^{2P,\lambda}(q^2) + Y_{\tau\bar{\tau}}(q^2)}^{\text{Non-local contributions}}$$

$$C_7^{\text{eff},\lambda}(q^2) = C_7^\mu + \epsilon^\lambda e^{i\omega^0}$$

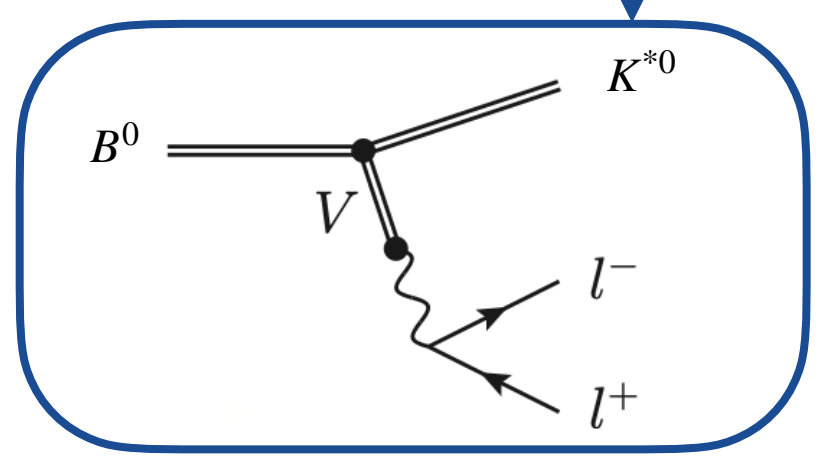
C. Cornella, G. Isidori, M. König, S. Liechti, P. Owen, N. Serra [[Eur.Phys.J.C 80 \(2020\) 12, 1095](#)]

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1-particle contributions

- Includes:
- $\omega(782), \psi(2S),$
 - $\rho(770), \psi(3770),$
 - $\phi(1020), \psi(4040),$
 - $J/\psi, \psi(4160)$

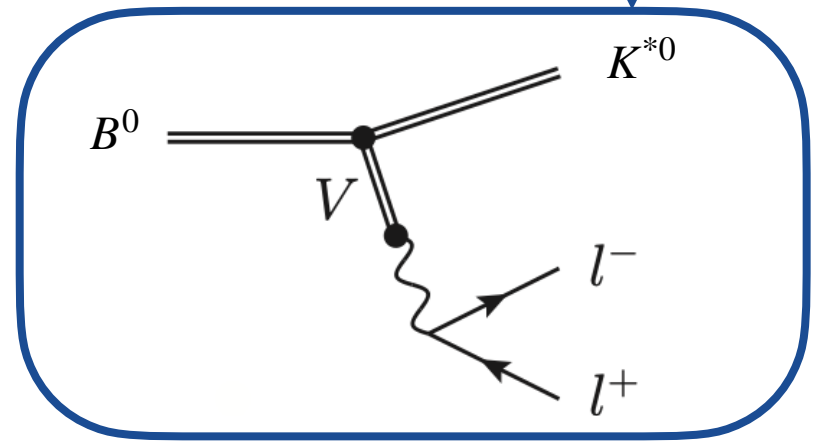
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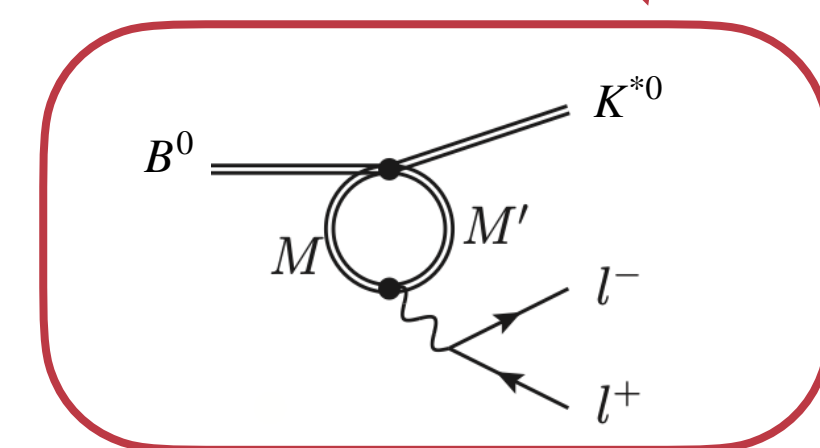
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2-particle contributions

- Includes:
- $D\bar{D}$,
 - $D^*\bar{D}$,
 - $D^*\bar{D}^*$

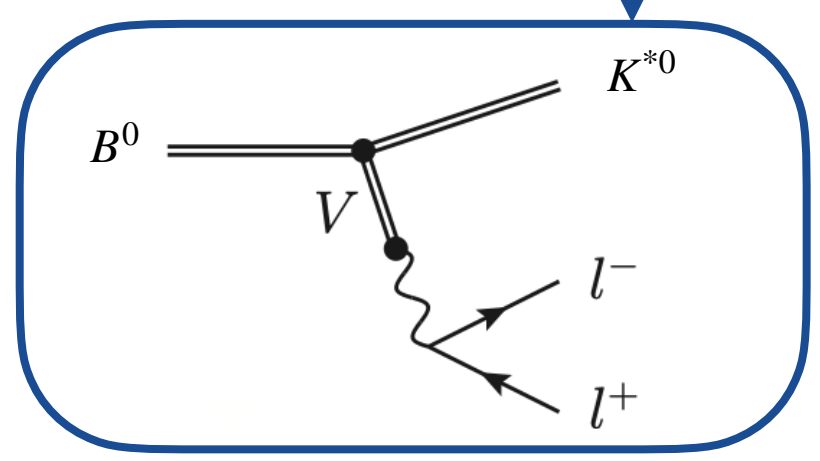
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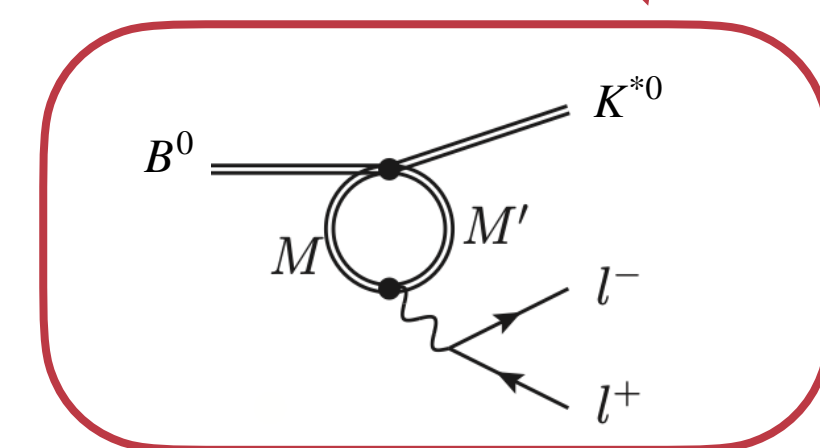
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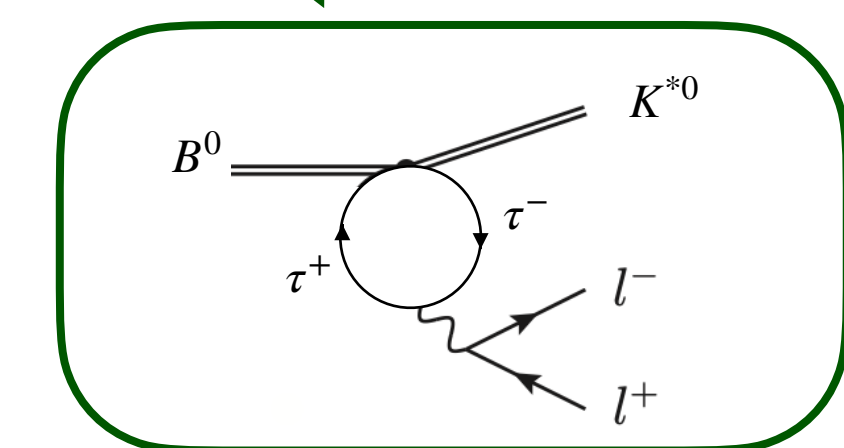
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Tau loop contribution

Sensitive to C_9^τ

C. Cornella, G. Isidori, M. König, S. Liehti, P. Owen, N. Serra [[Eur.Phys.J.C 80 \(2020\) 12, 1095](#)]

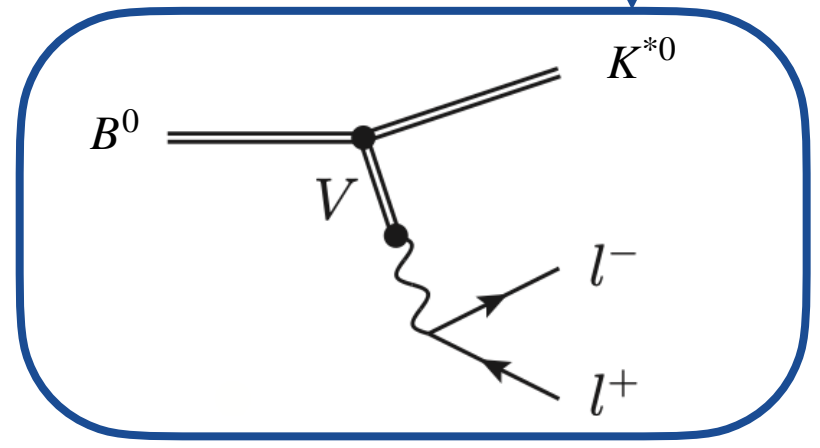
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Dispersion Relation

$$C_9^{\text{eff},\lambda}(q^2) = C_9^\mu + \overbrace{Y_{c\bar{c}}^{(0),\lambda}}^{\text{Local}} + \overbrace{Y_{c\bar{c}}^{1P,\lambda}(q^2) + Y_{\text{light}}^{1P,\lambda}(q^2)}^{\text{Non-local contributions}} + \overbrace{Y_{c\bar{c}}^{2P,\lambda}(q^2)}^{\text{Non-local contributions}} + \overbrace{Y_{\tau\bar{\tau}}(q^2)}^{\text{Non-local contributions}}$$

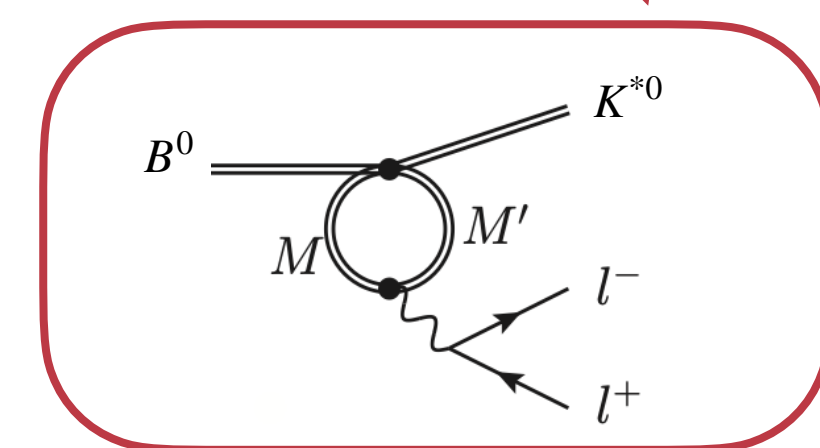
$C_7^{\text{eff},\lambda}(q^2) = C_7^\mu + \epsilon^\lambda e^{i\omega^0}$

This is determined theoretically at negative q^2 values



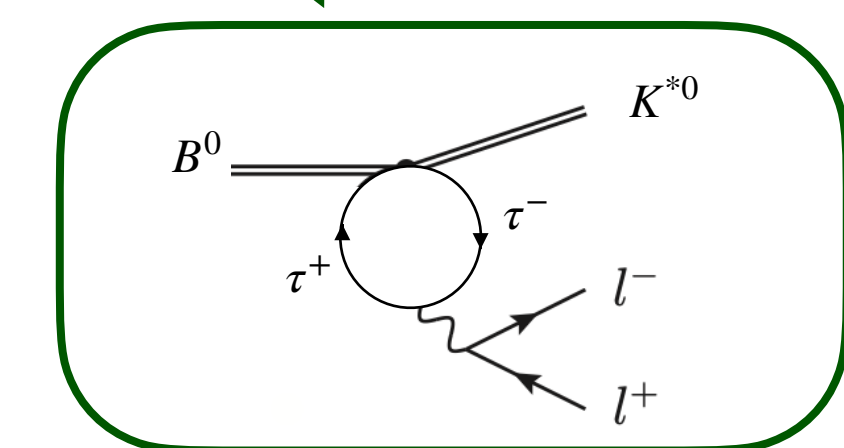
1-particle contributions

- Includes:**
- $\omega(782), \psi(2S),$
 - $\rho(770), \psi(3770),$
 - $\phi(1020), \psi(4040),$
 - $J/\psi, \psi(4160)$



2-particle contributions

- Includes:**
- $D\bar{D},$
 - $D^*\bar{D},$
 - $D^*\bar{D}^*$



Tau loop contribution

Sensitive to C_9^τ

Subtraction term

Asatrian, Greub, Virto
[JHEP 04 (2020) 012]

Negligible impact from light quarks

C. Cornella, G. Isidori, M. König, S. Liehti, P. Owen, N. Serra [Eur.Phys.J.C 80 (2020) 12, 1095]

- ✓ **Unbinned** amplitude analysis to the whole $q^2 \equiv m^2(\mu^+\mu^-)$ region
- ✓ **First measurement** using the full Run1 [2011-2012] and Run2 [2016-2018] data

Dispersion Relation

$$C_9^{\text{eff},\lambda}(q^2) = C_9^\mu + \overbrace{Y_{c\bar{c}}^{(0),\lambda}}^{\text{Local}} + \overbrace{Y_{c\bar{c}}^{1P,\lambda}(q^2) + Y_{\text{light}}^{1P,\lambda}(q^2)}^{\text{Non-local contributions}} + \overbrace{Y_{c\bar{c}}^{2P,\lambda}(q^2)}^{\text{Non-local contributions}} + \overbrace{Y_{\tau\bar{\tau}}(q^2)}^{\text{Non-local contributions}}$$

$$C_7^{\text{eff},\lambda}(q^2) = C_7^\mu + \epsilon^\lambda e^{i\omega^0}$$

ΔC_7^λ

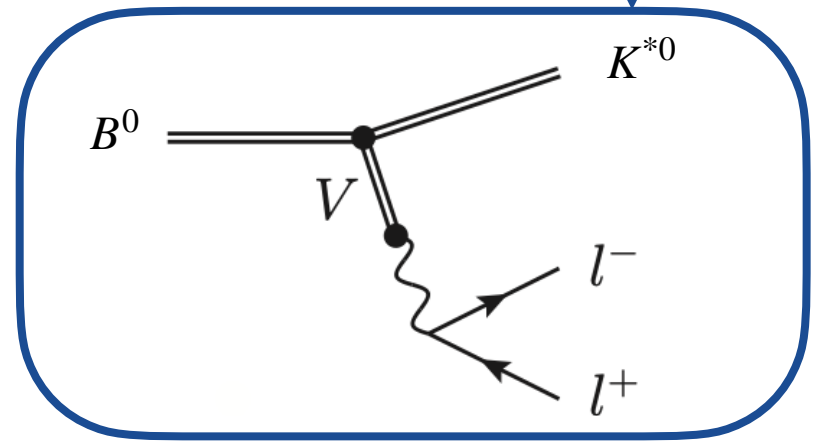
Polarisation dependent shift to C_7

This is determined theoretically at negative q^2 values

Subtraction term

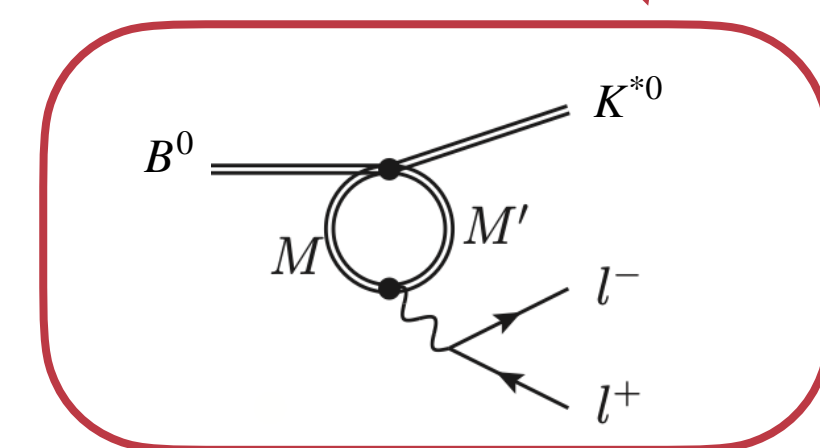
Asatrian, Greub, Virto
[JHEP 04 (2020) 012]

Negligible impact from light quarks



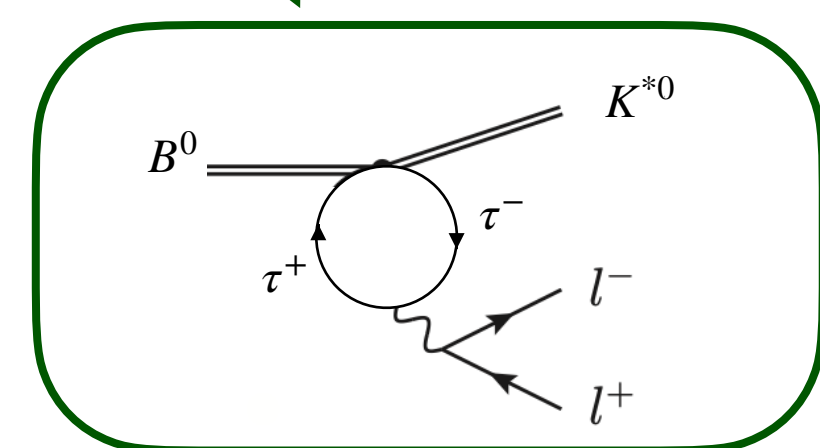
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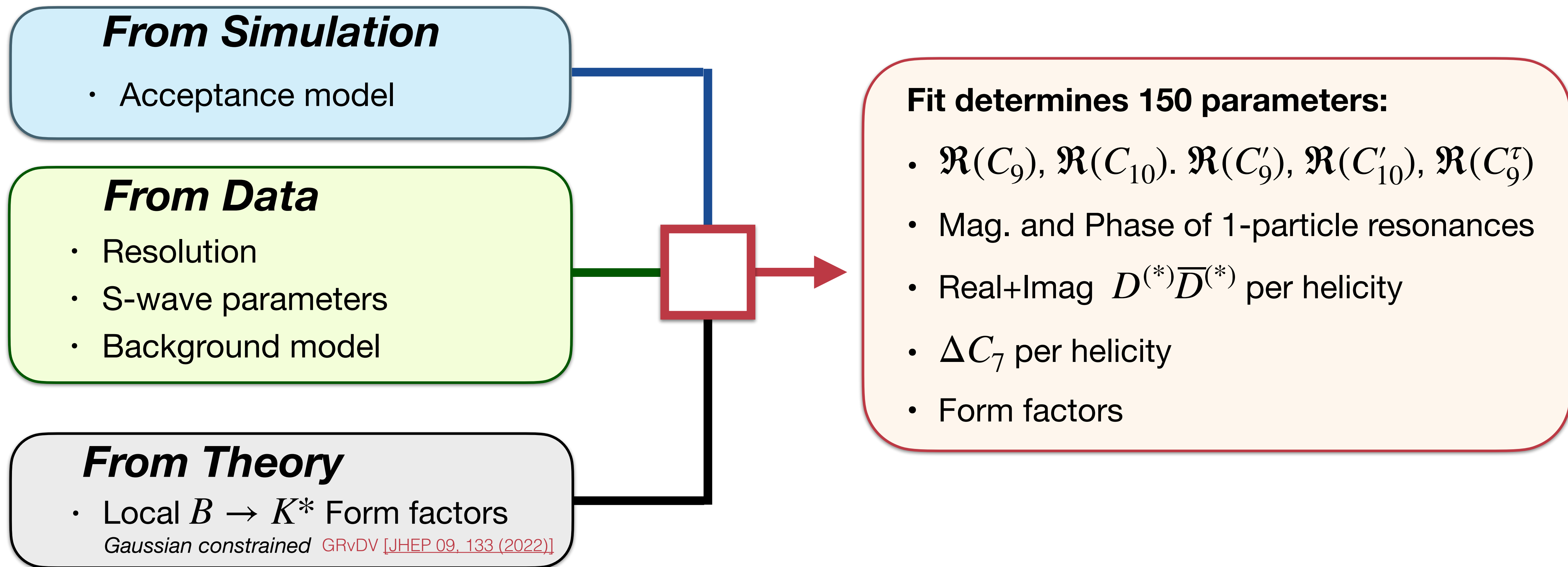


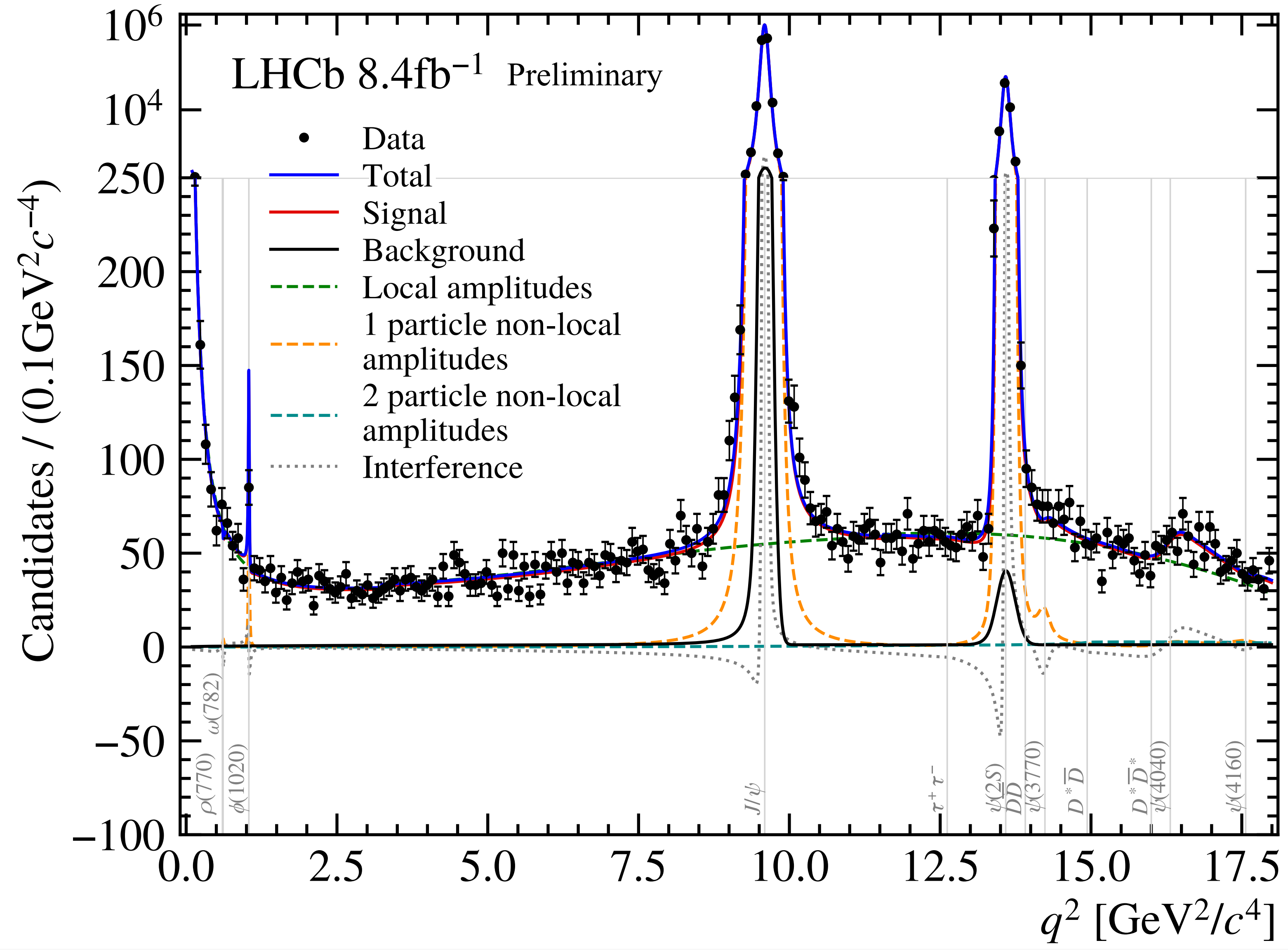
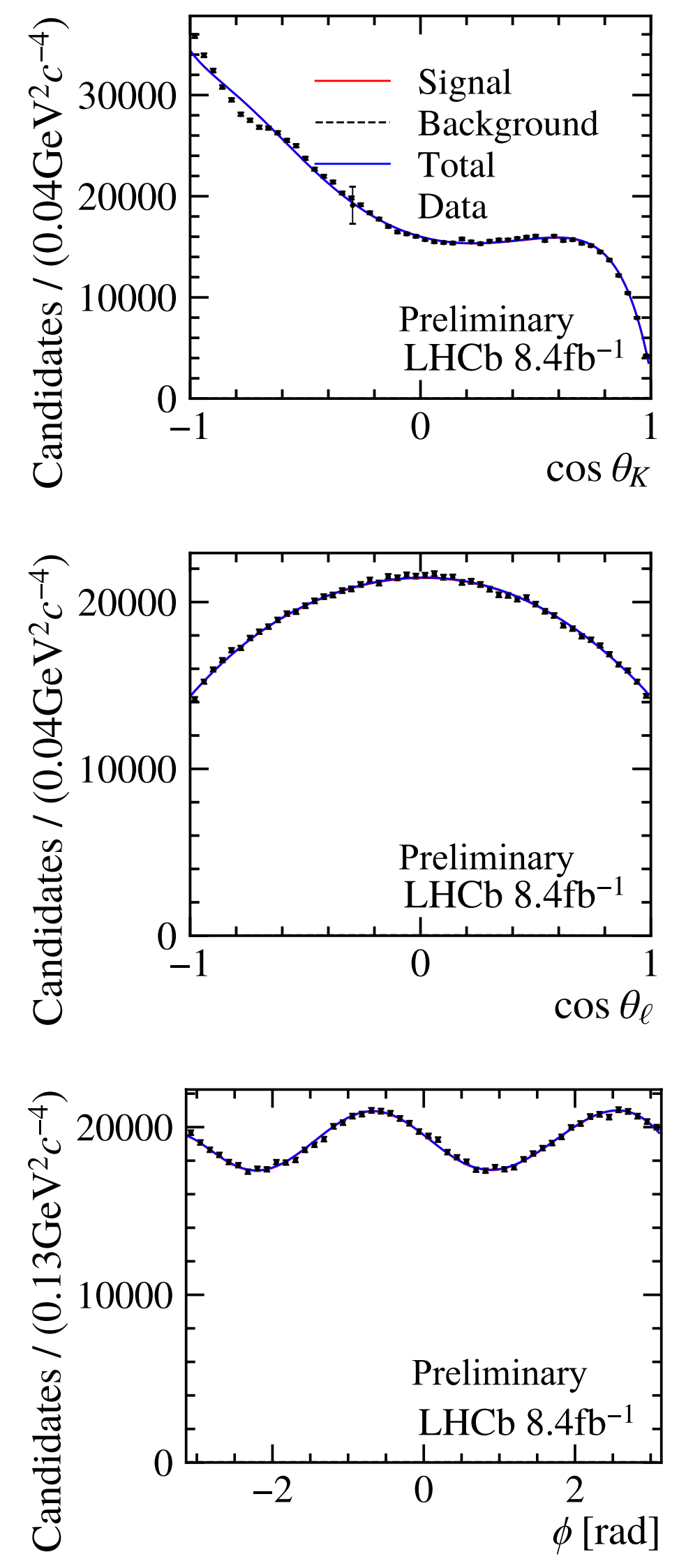
Tau loop contribution

Sensitive to C_9^τ

C. Cornella, G. Isidori, M. König, S. Liehti, P. Owen, N. Serra [Eur.Phys.J.C 80 (2020) 12, 1095]

Angular analysis preformed in the three decay angles and q^2





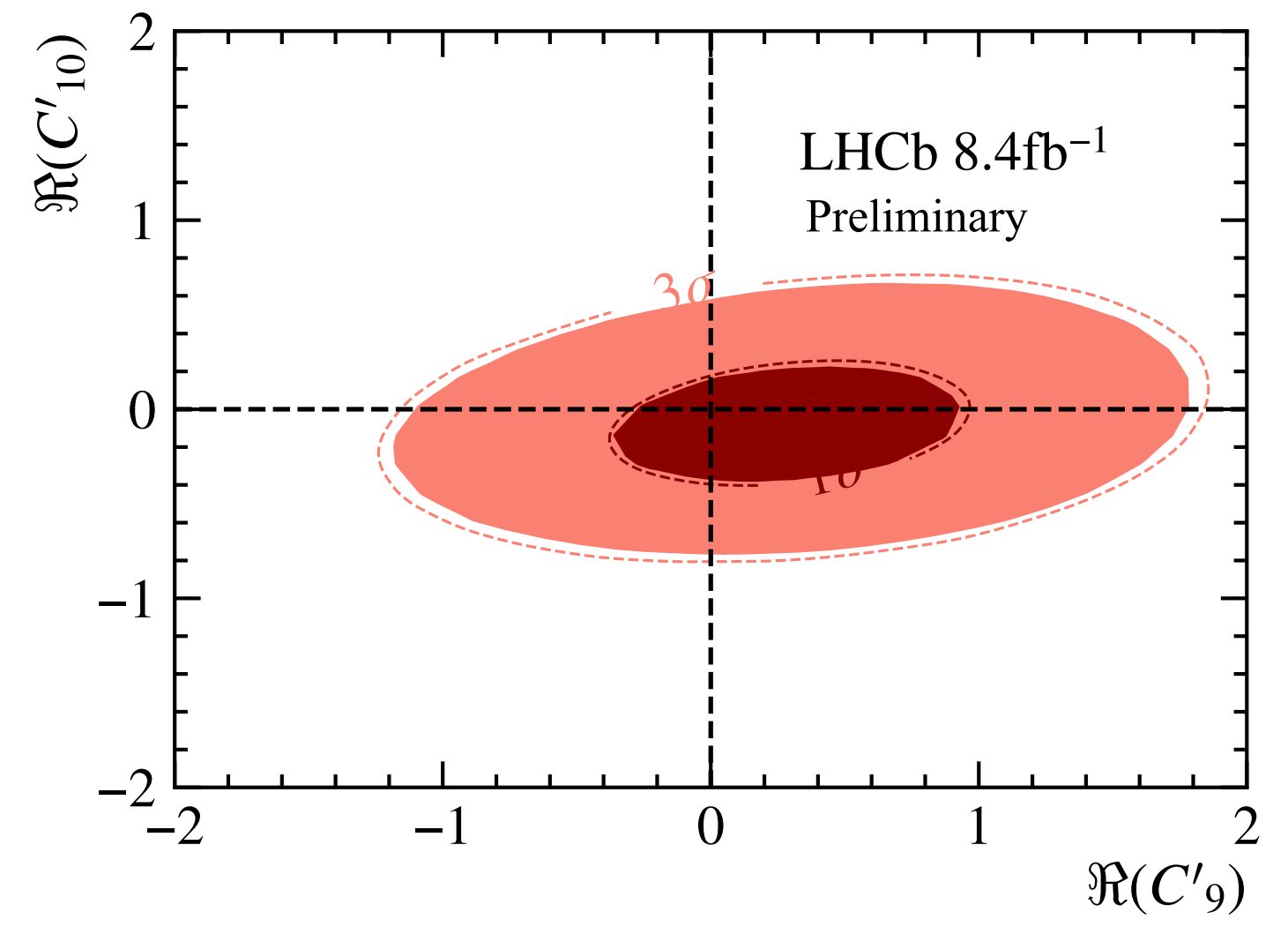
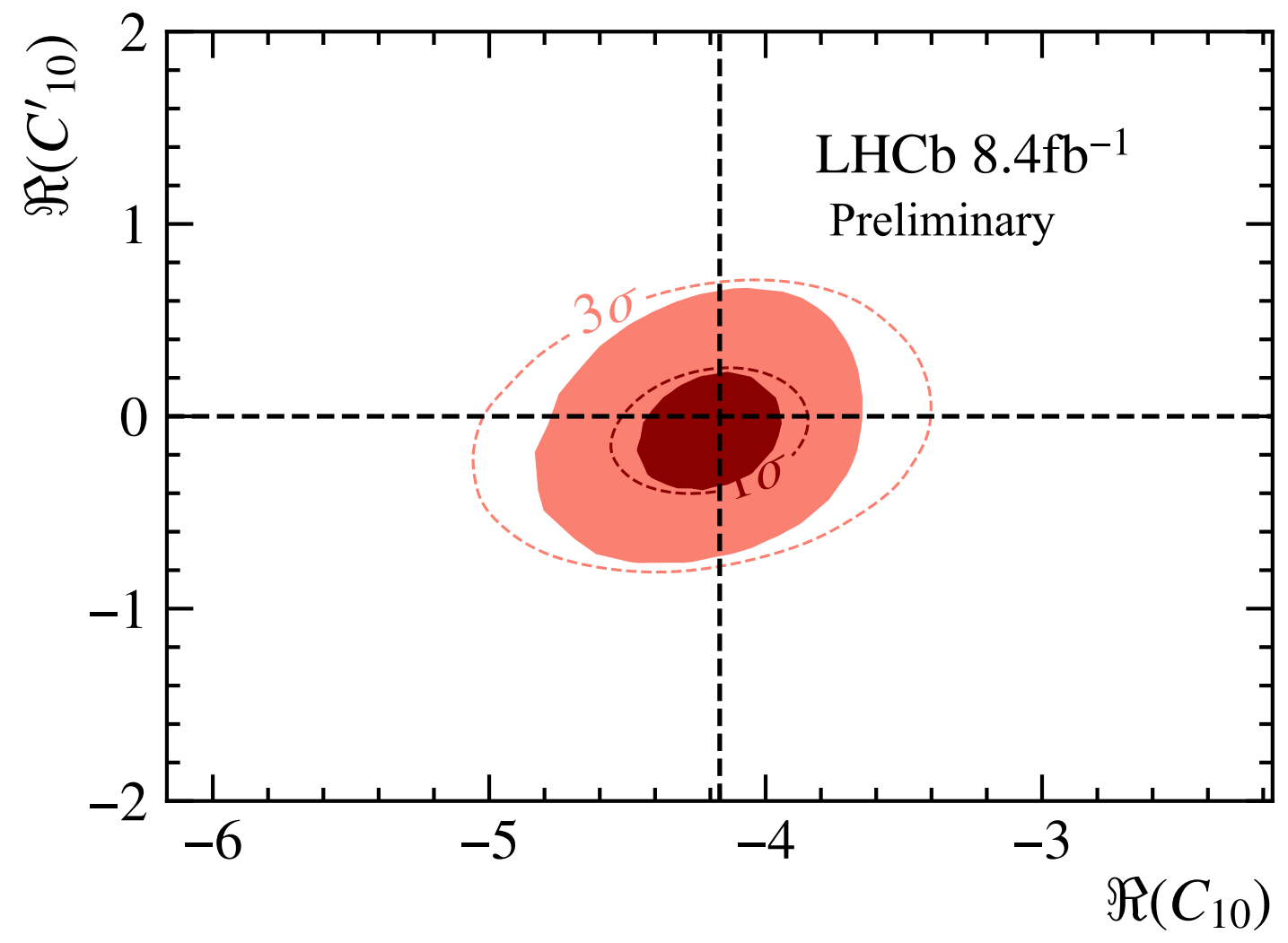
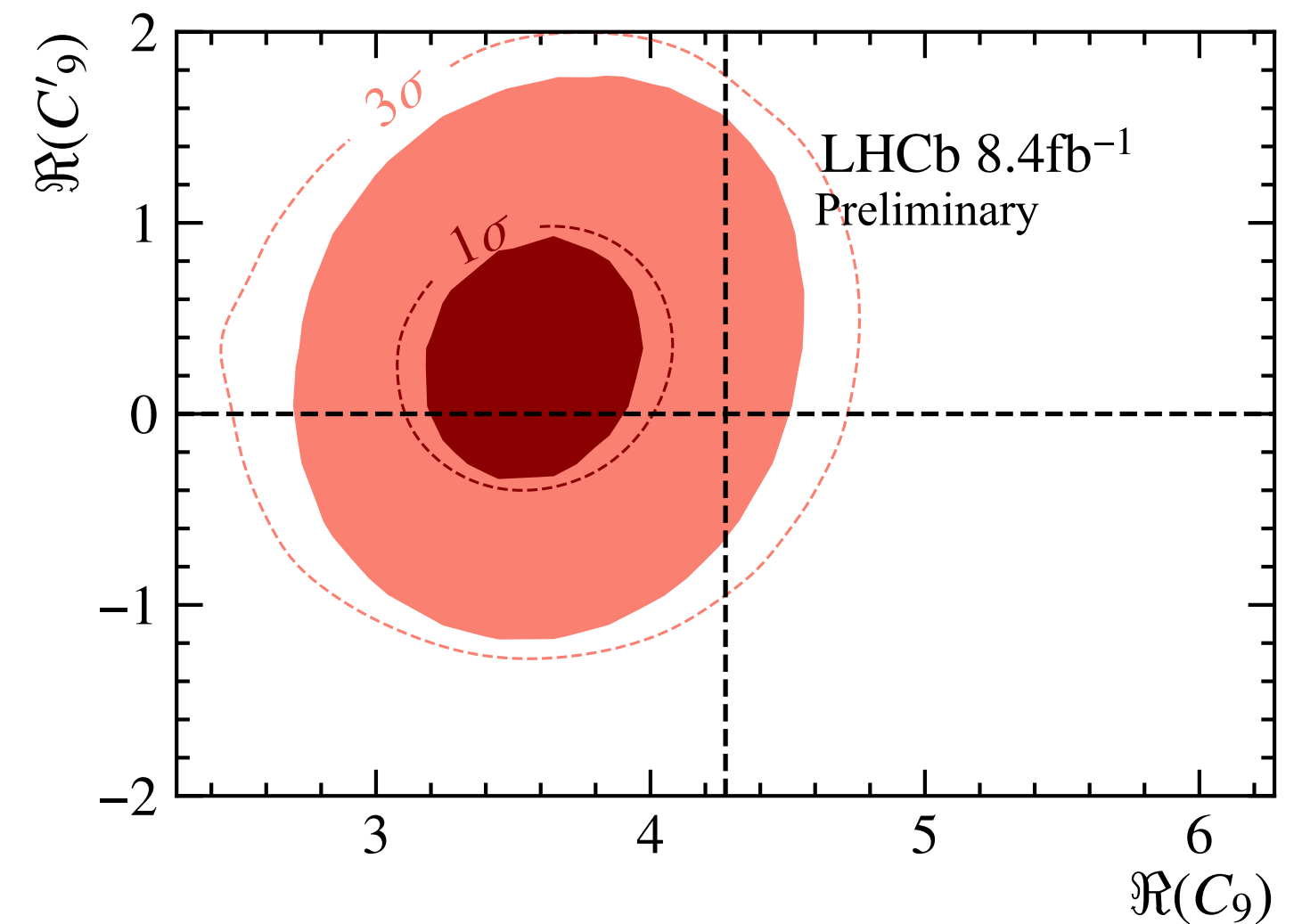
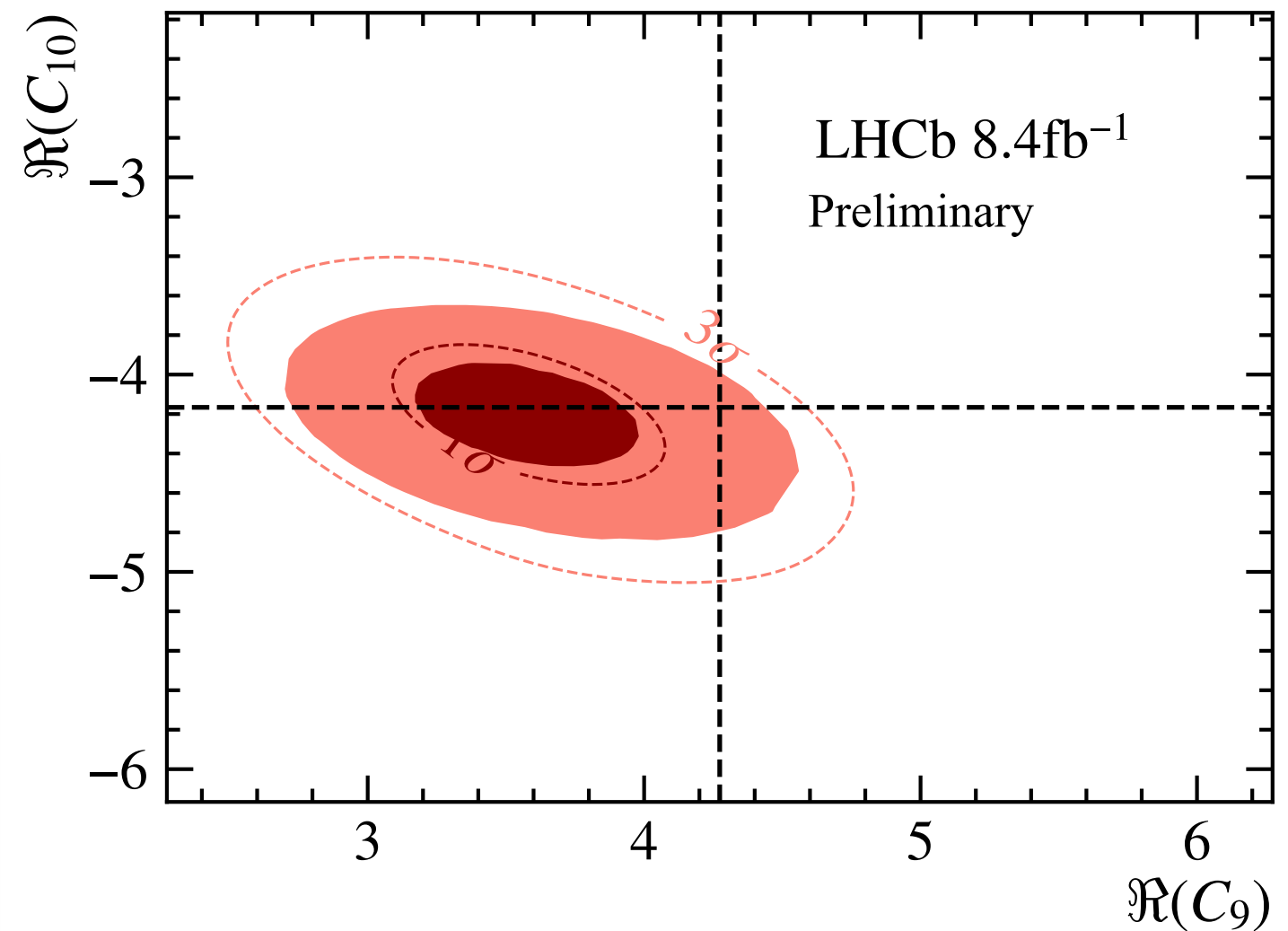
Biggest deviation is C_9 with $\Delta C_9^{NP} = -0.71$ at 2.1σ from SM

C_9	$3.56 \pm 0.28 \pm 0.18$	2.1σ
C_{10}	$-4.02 \pm 0.18 \pm 0.16$	0.6σ
C'_9	$0.28 \pm 0.41 \pm 0.12$	0.7σ
C'_{10}	$-0.09 \pm 0.21 \pm 0.06$	0.4σ
C_9^τ	$-116 \pm 264 \pm 98$	0.4σ

Global significance $\sim 1.5\sigma$ from SM

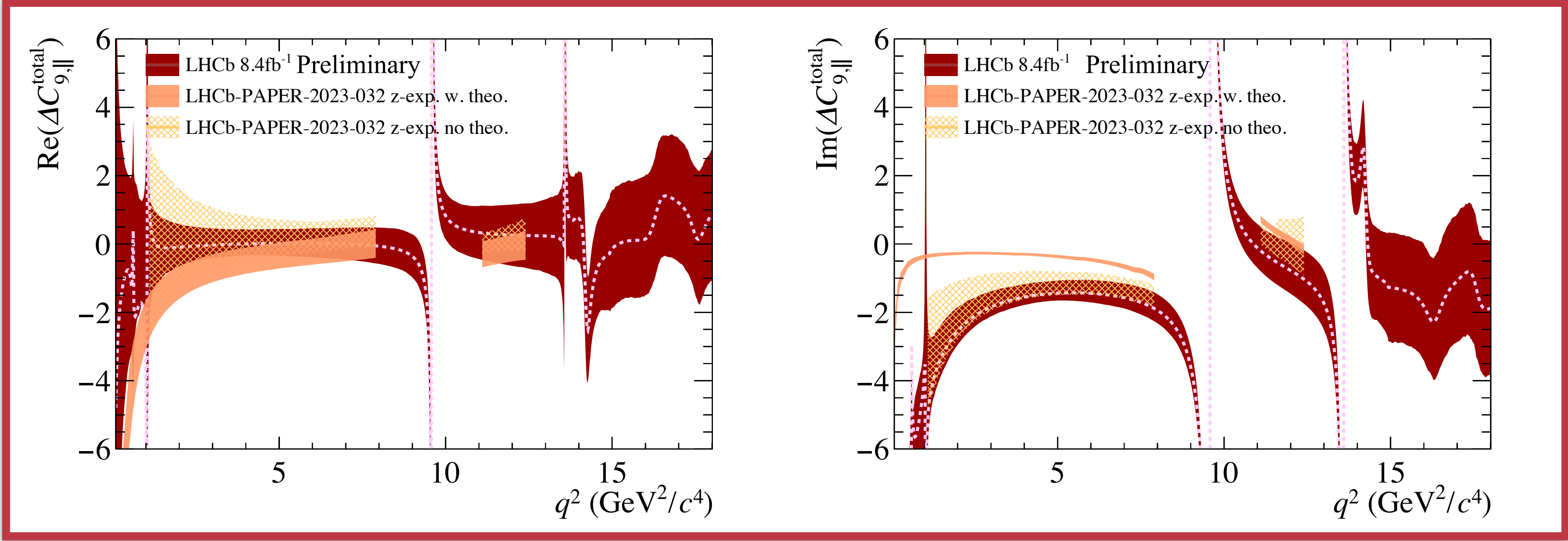
In agreement with previous unbinned analysis

$\mathcal{B}(B^0 \rightarrow J/\psi K^{*0})$ dominates systematic uncertainty



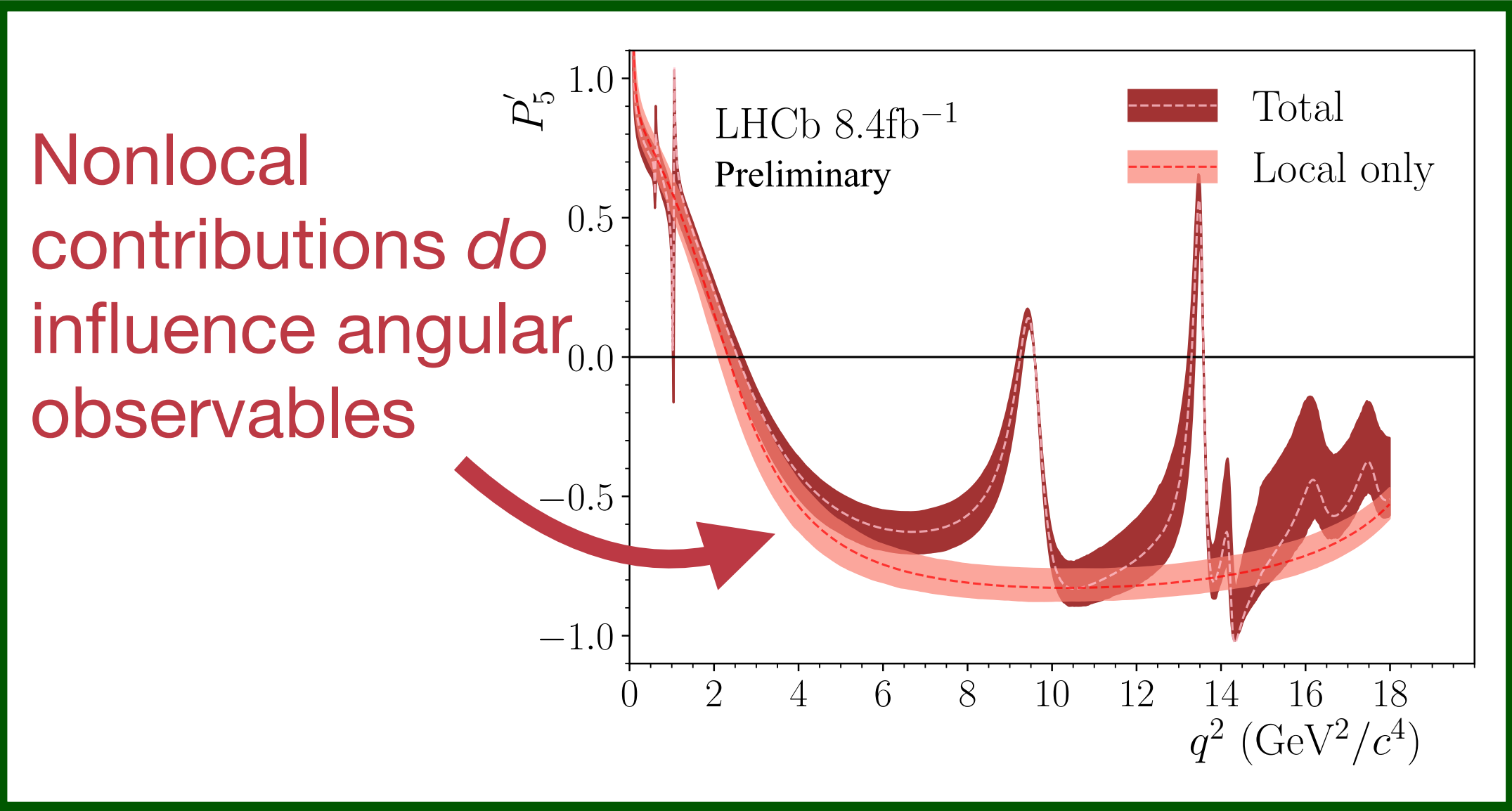
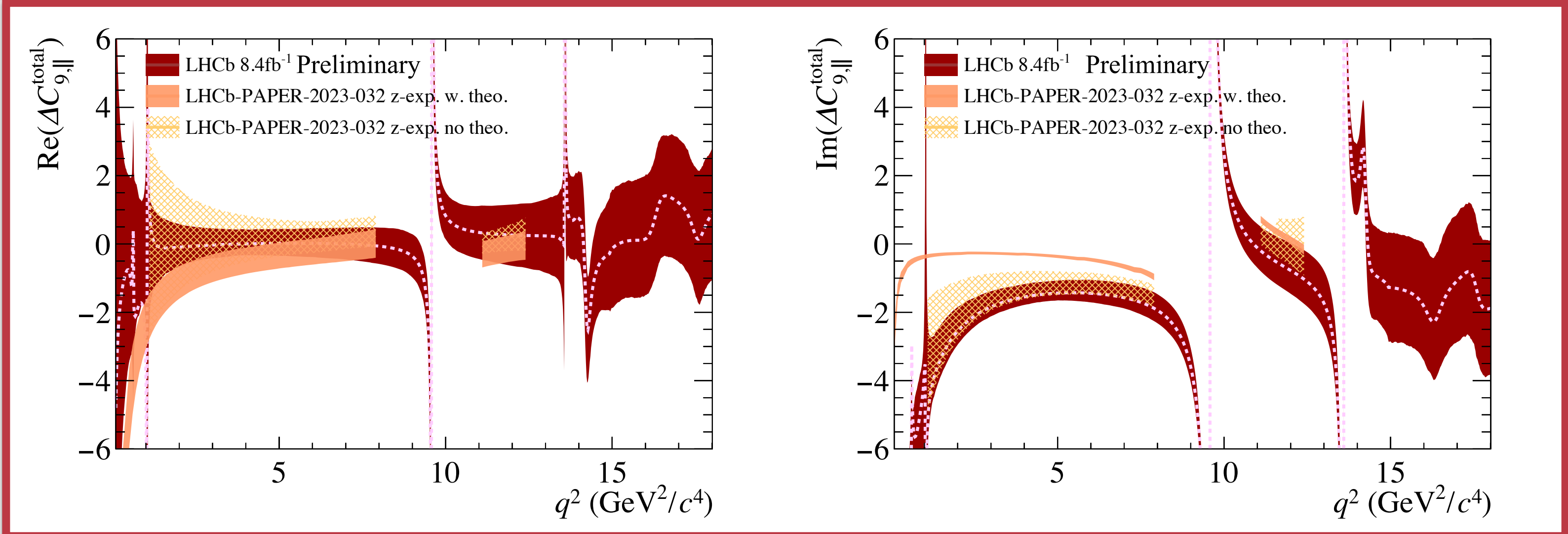
Impact of the nonlocal amplitudes on the Wilson coefficients shown per helicity e.g. \parallel

Good agreement with previous analysis



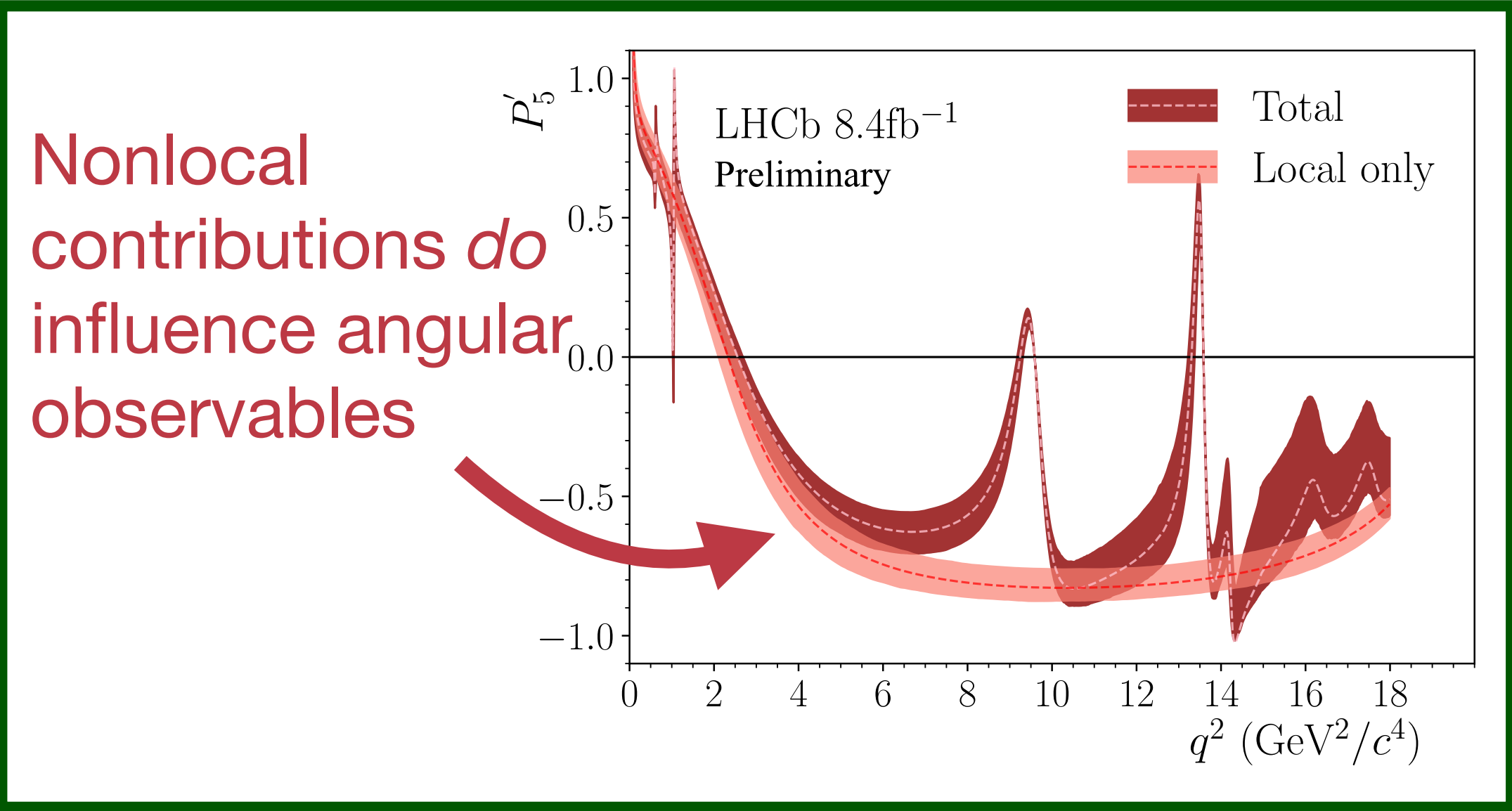
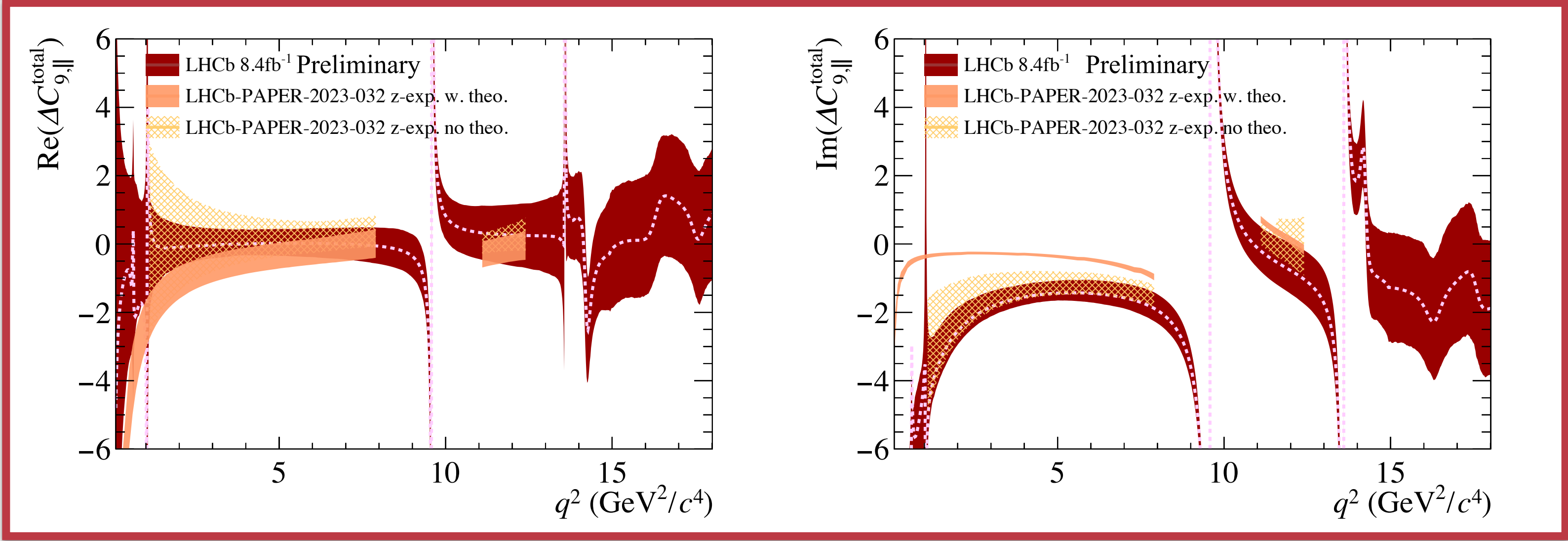
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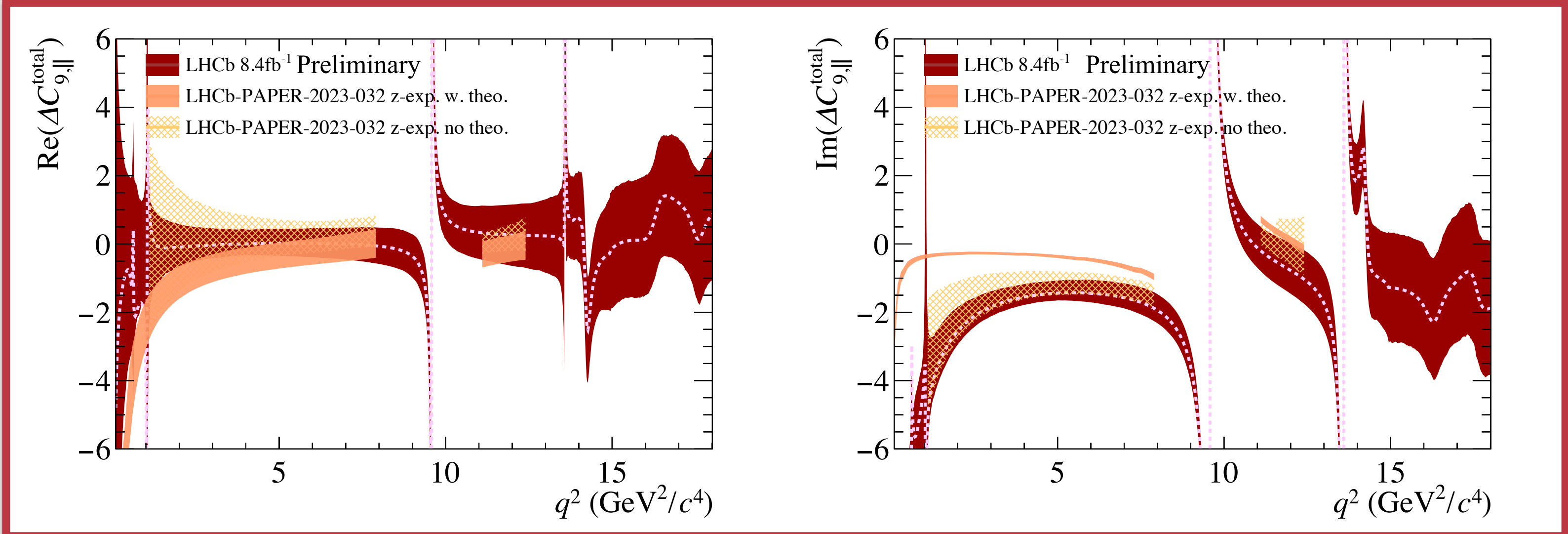


Nonlocal contributions *do* influence angular observables

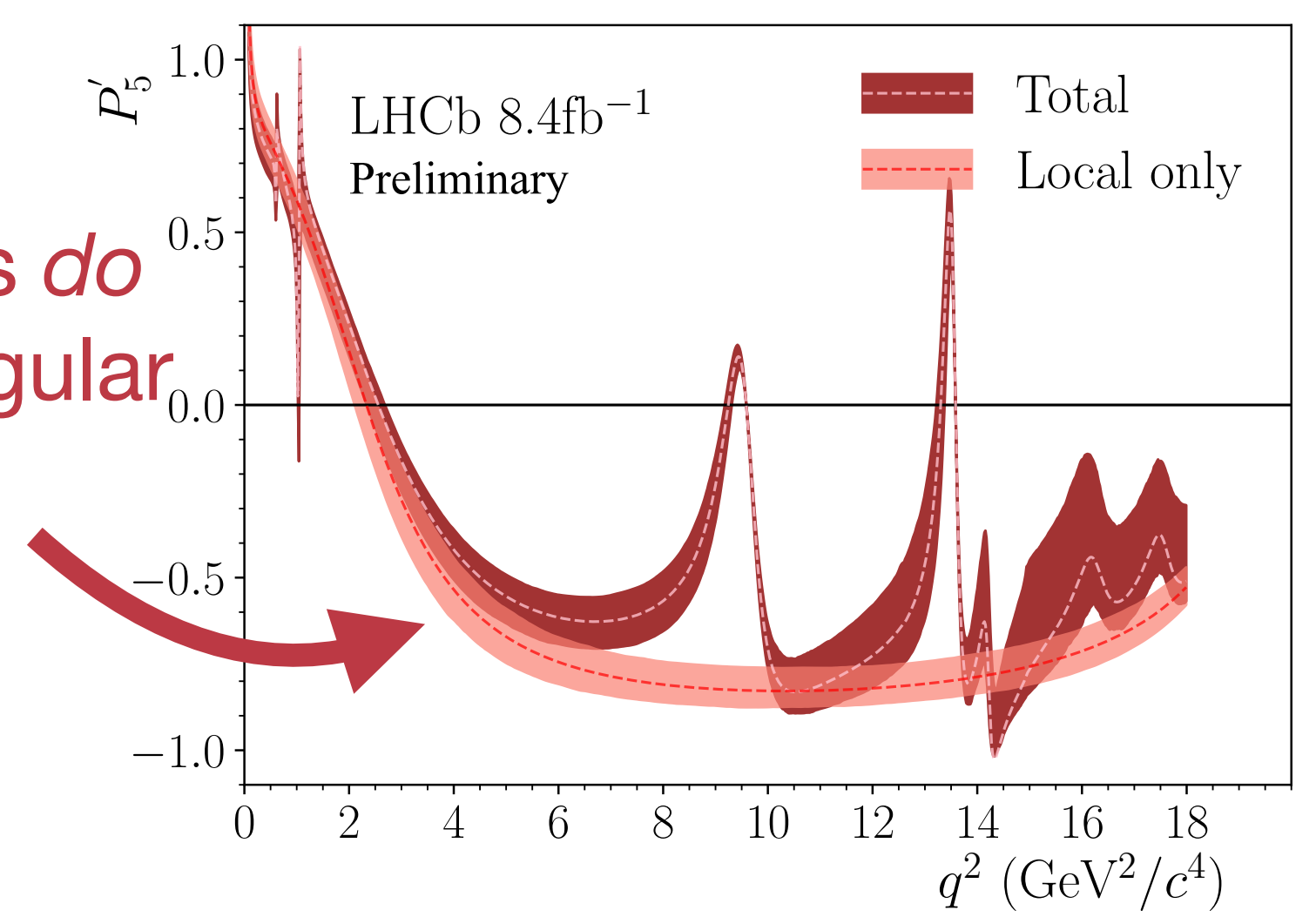
Integrate in bins

Impact of the nonlocal amplitudes on the Wilson coefficients shown per helicity e.g. \parallel

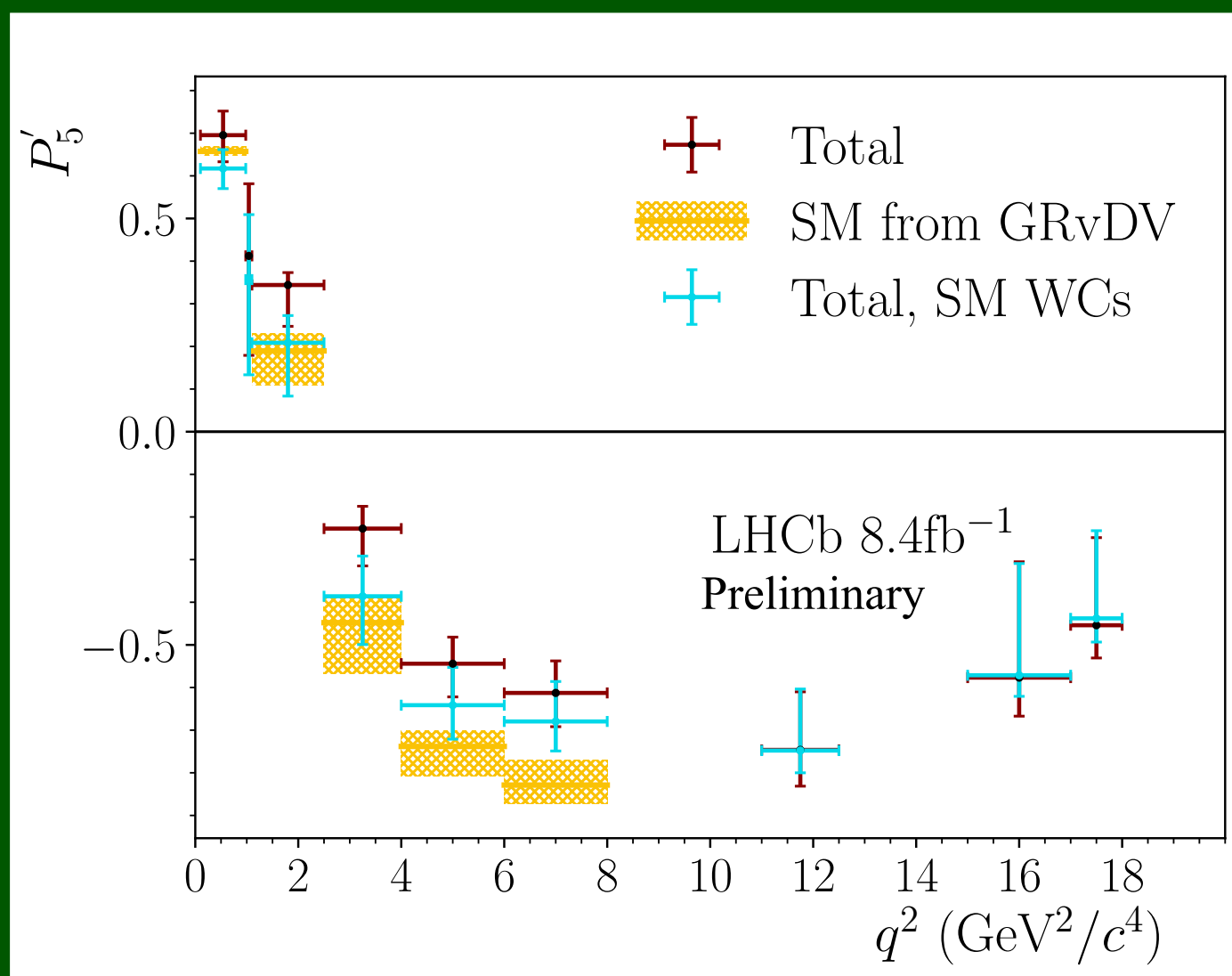
Good agreement with previous analysis



Nonlocal contributions do influence angular observables



Integrate in bins



Red vs. Cyan
Impact of allowing NP

Cyan vs. Yellow
Impact of nonlocal modelling

Note: bins are correlated

Conclusions

Observation of $J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-$ decays

$$\mathcal{B}(J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-) = (1.13 \pm 0.10 \pm 0.05 \pm 0.01) \times 10^{-6}$$

World's best

Measurement of local and nonlocal amplitudes in $B^0 \rightarrow K^{*0} \mu^+ \mu^-$ decays

*First LHCb $B^0 \rightarrow K^{*0} \mu^+ \mu^-$ angular analysis with Run 1 + Run 2 data set*

Key takeaway: Nonlocal contributions found to only mildly impact the results

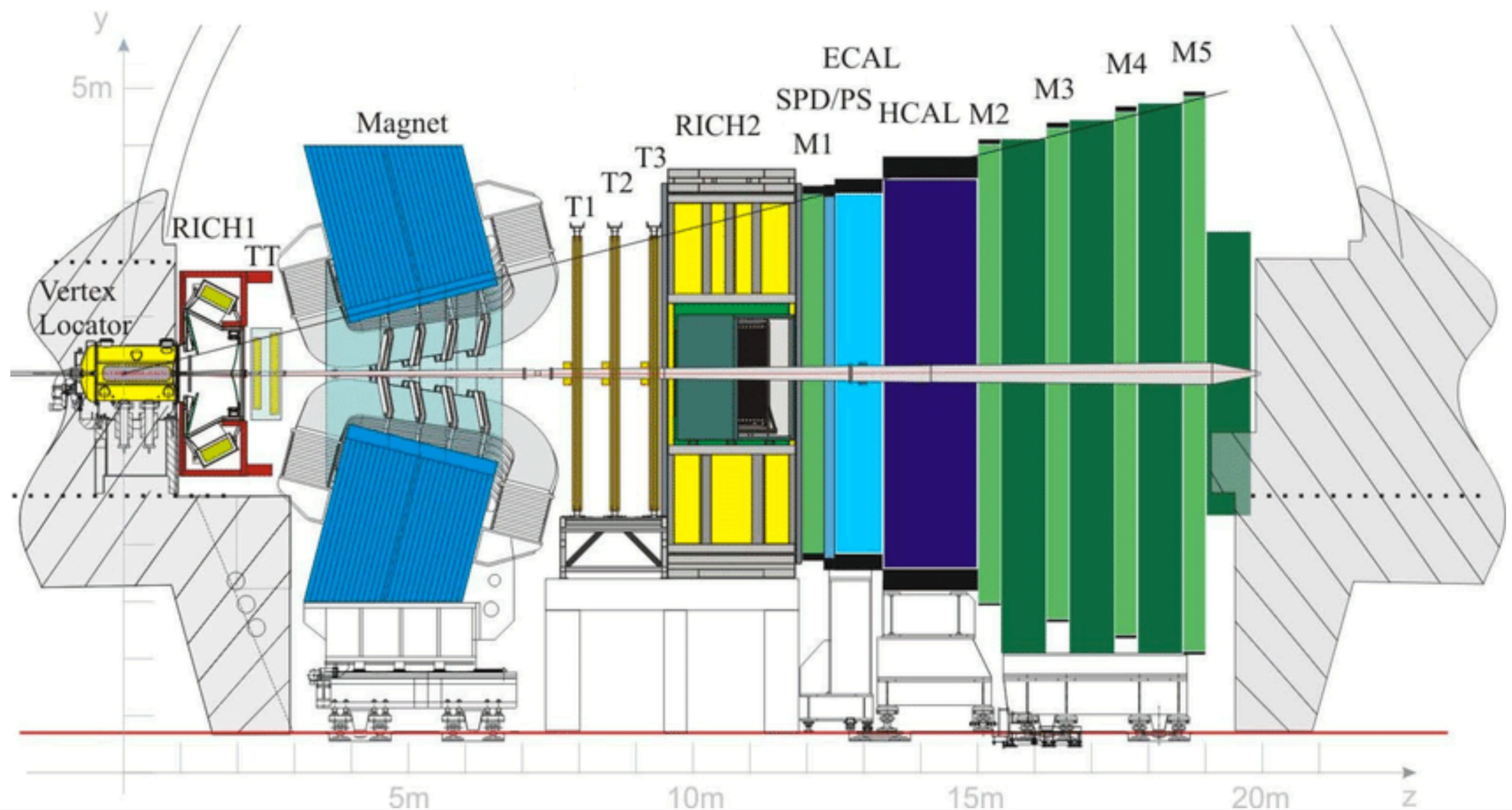
C_9	$3.56 \pm 0.28 \pm 0.18$	2.1σ
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$$C_9^\tau = -116 \pm 264 \pm 98 \quad 0.4\sigma$$

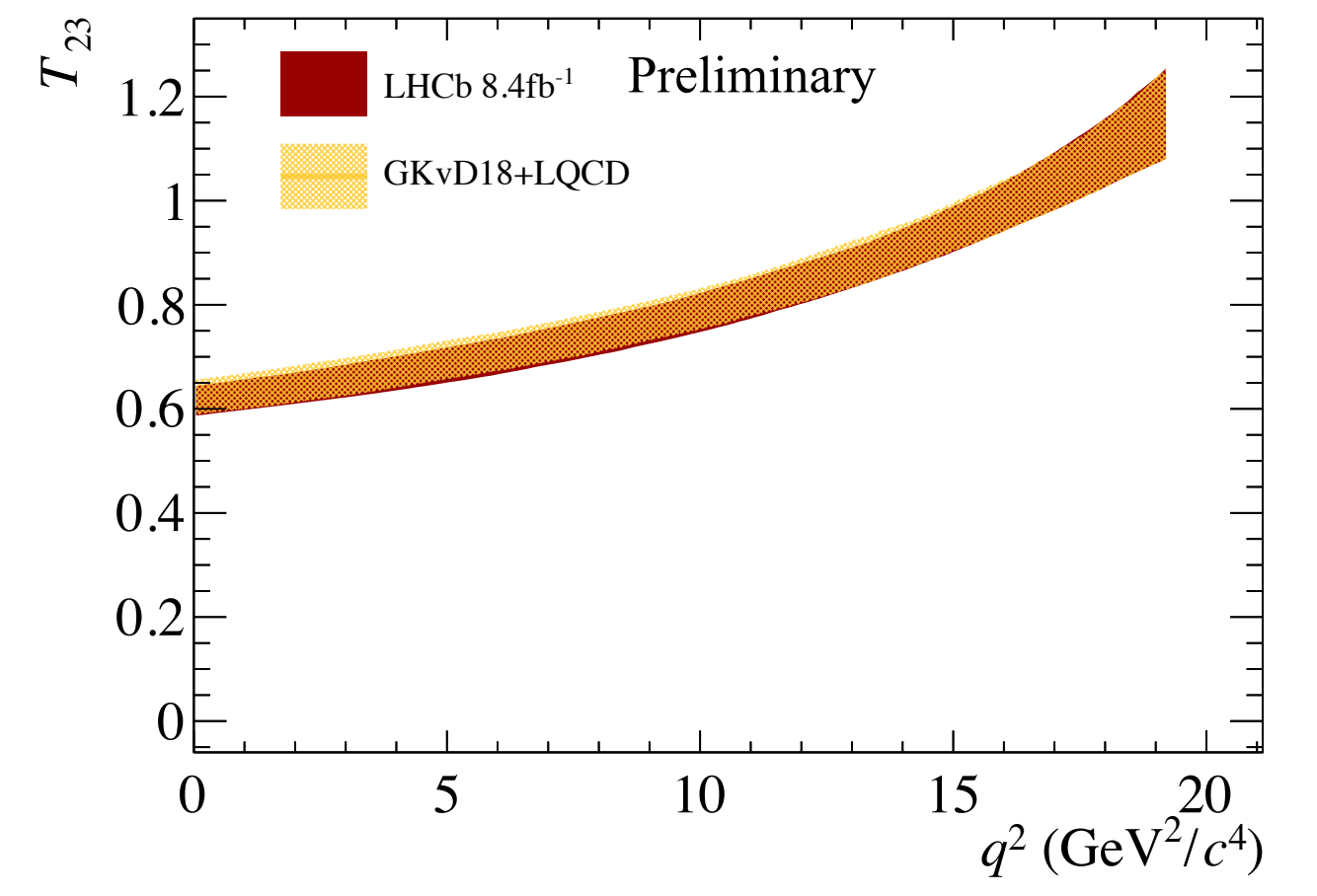
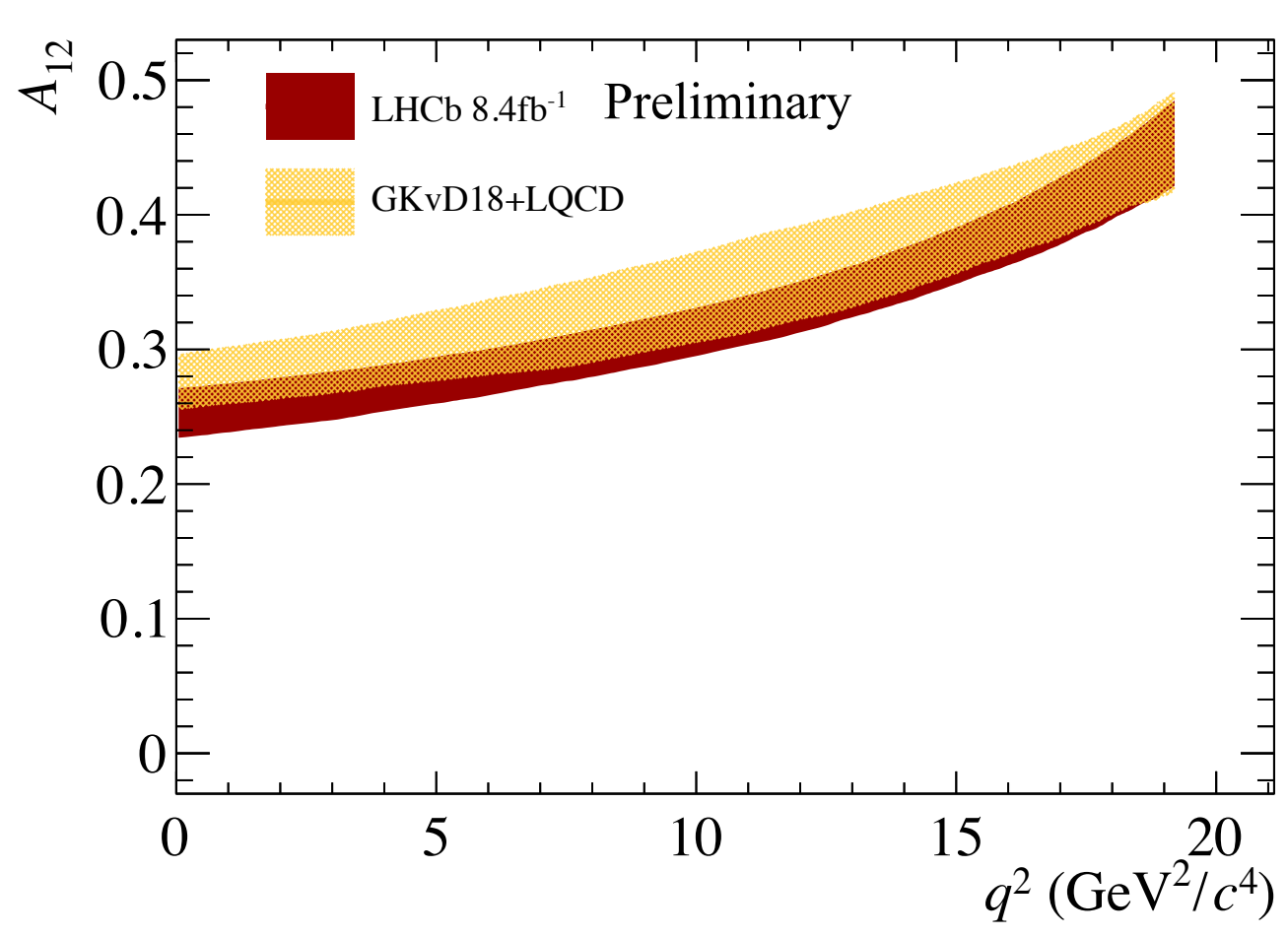
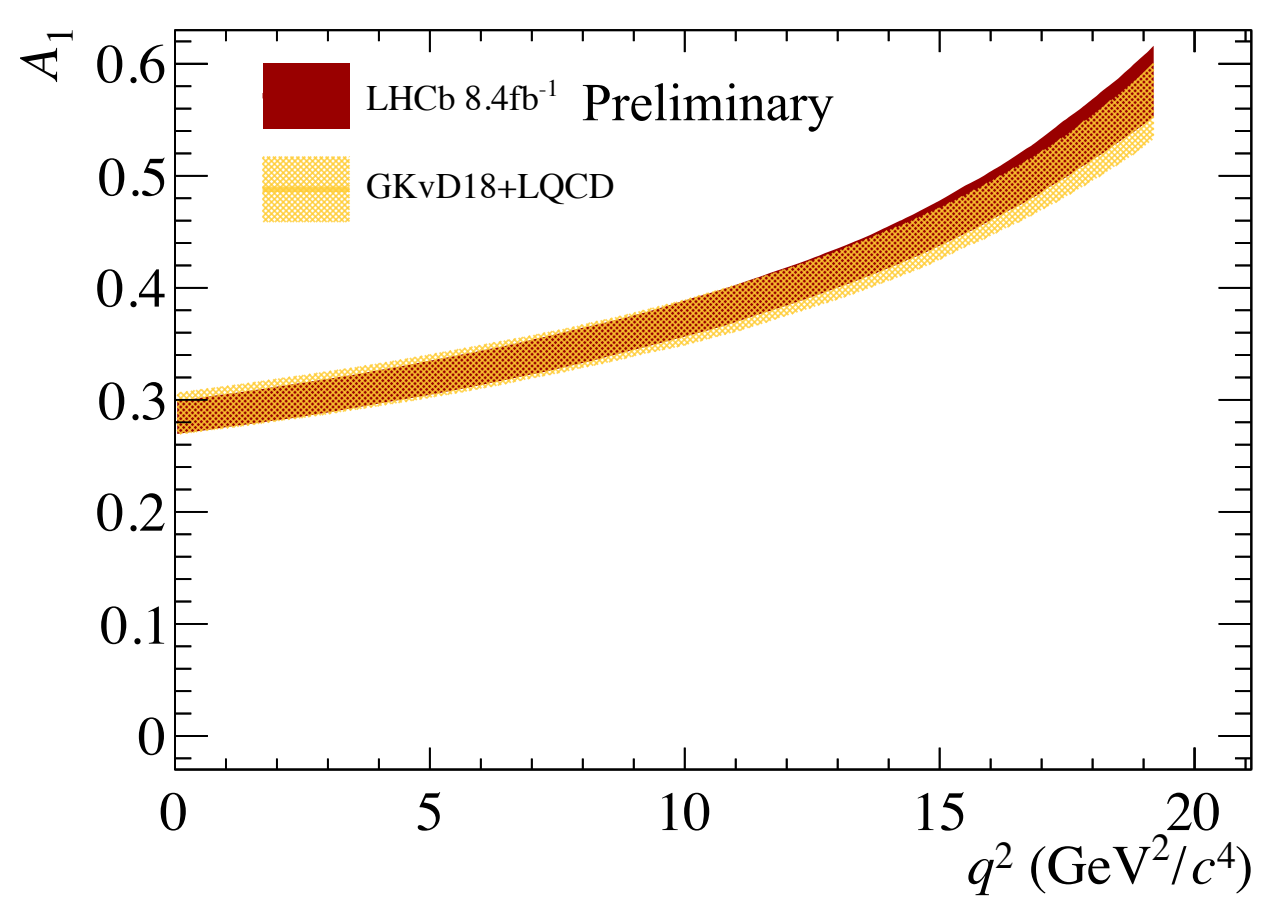
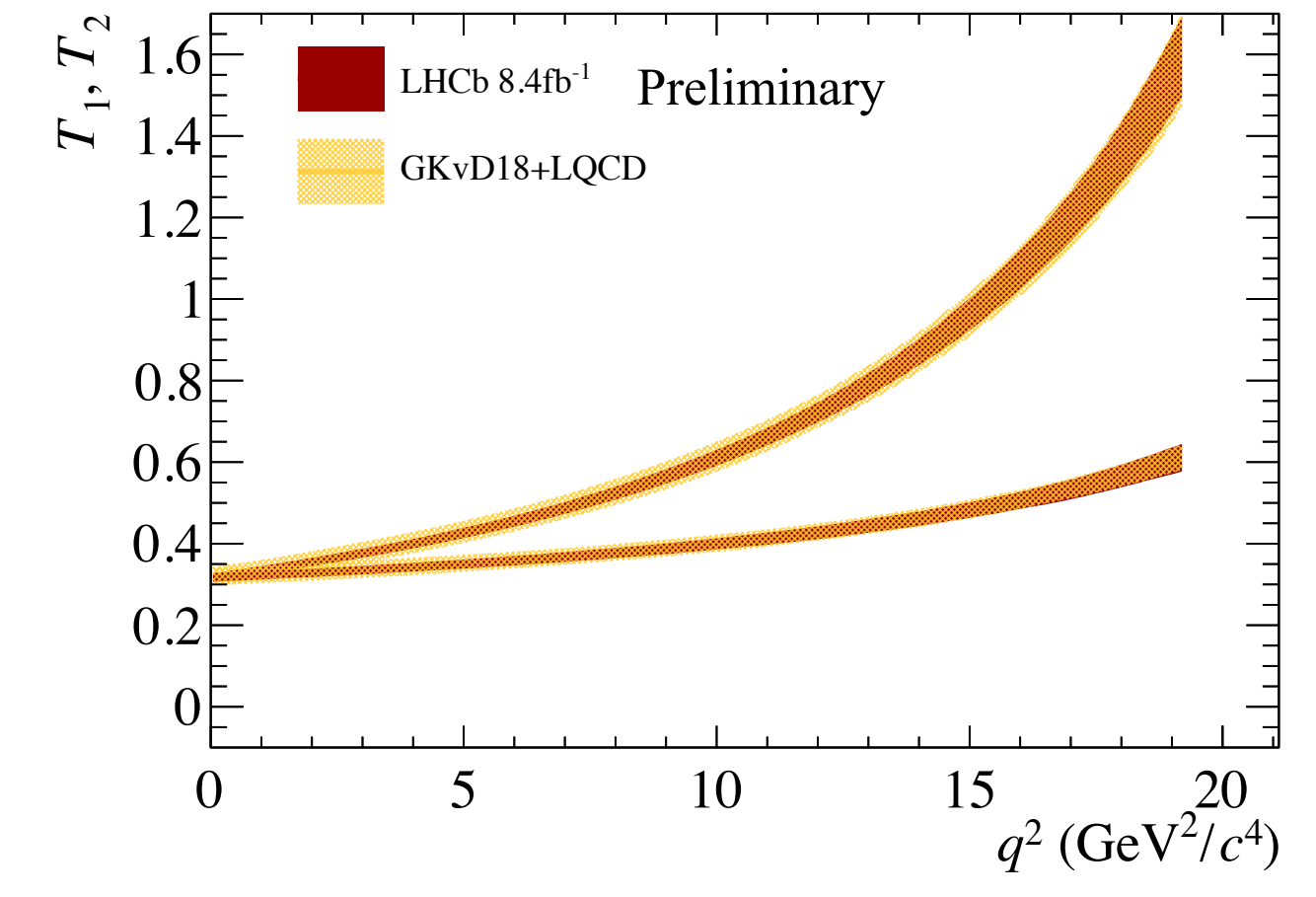
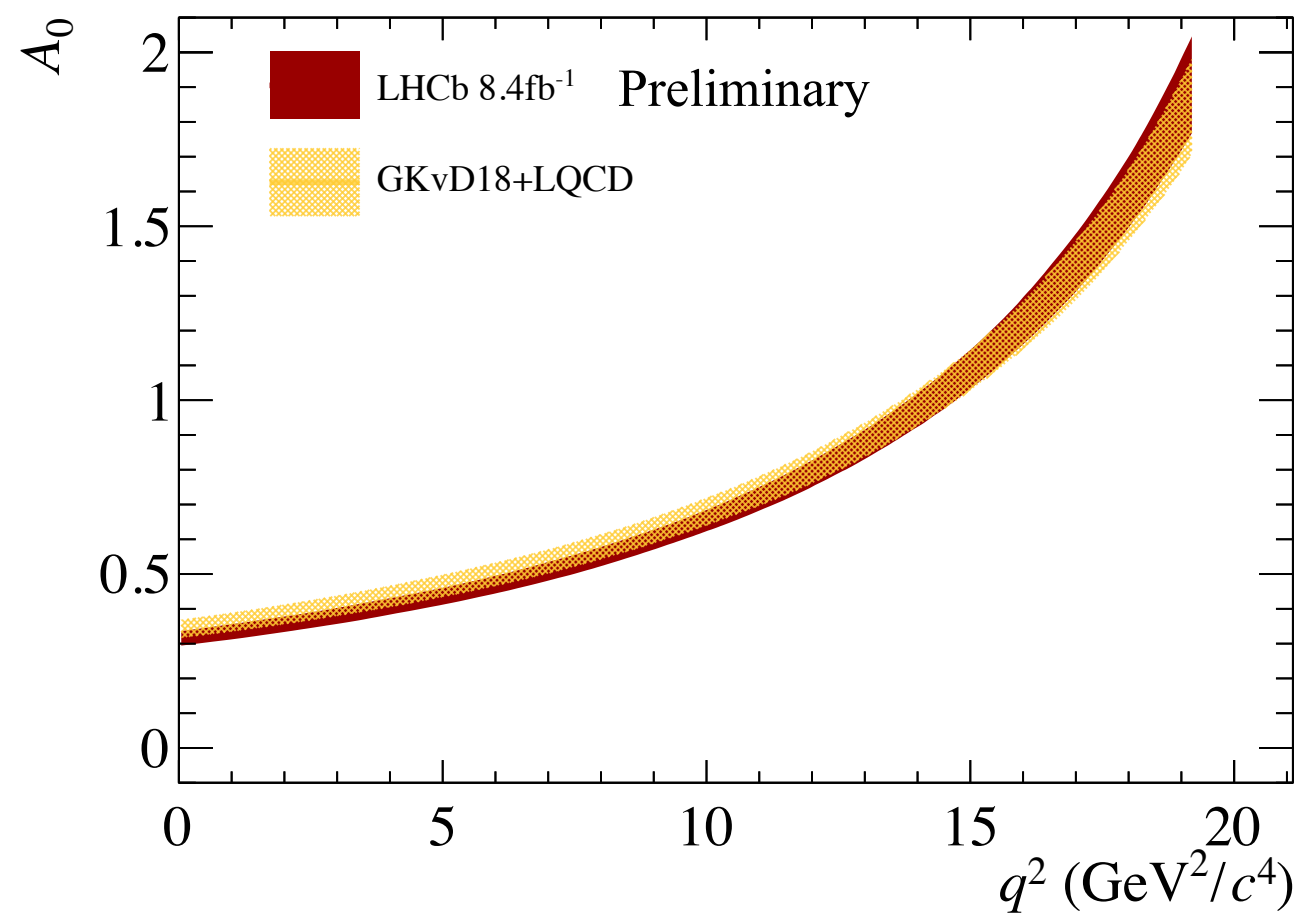
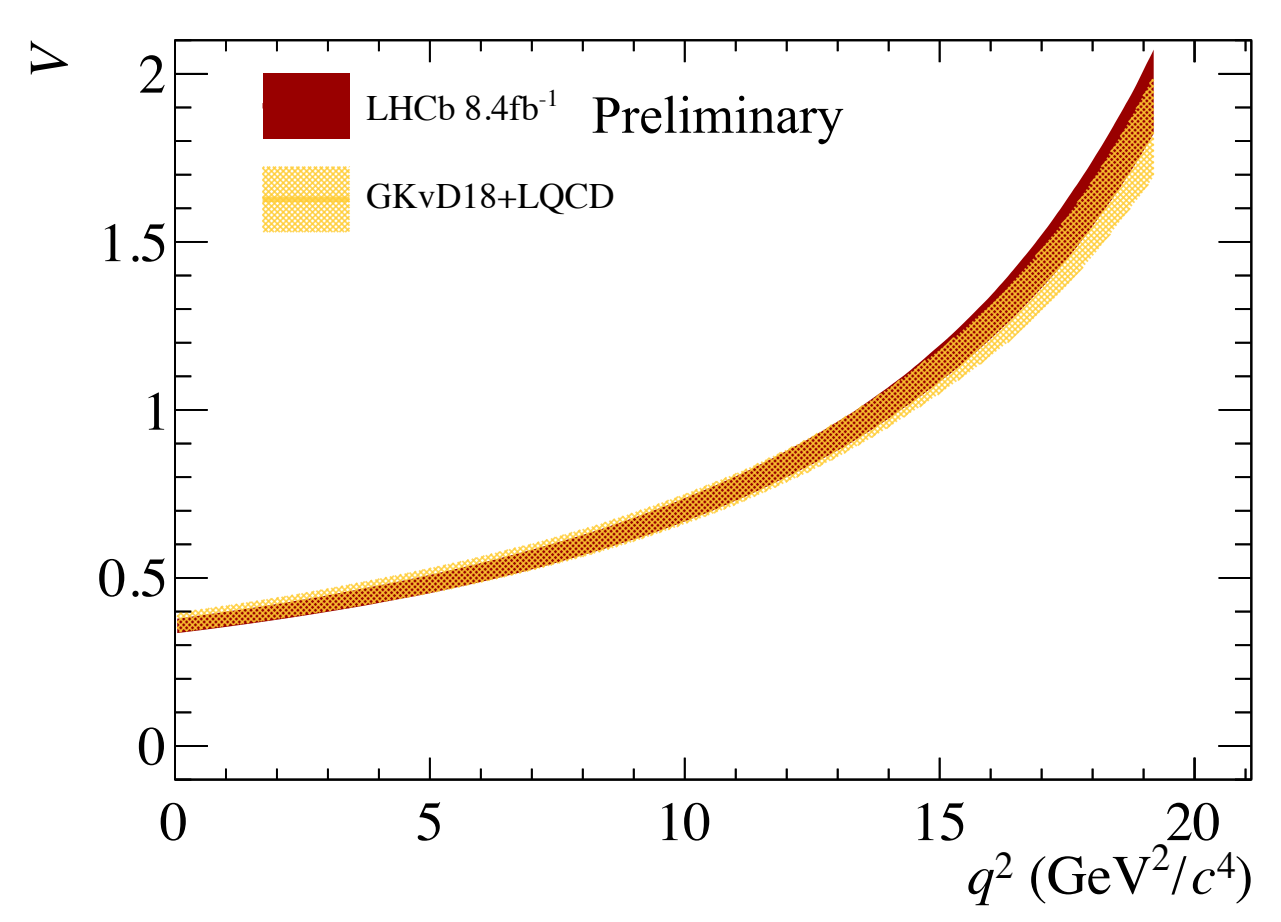
First direct measurement of C_9^τ

World's first

Back up



Form factor priors are compared to posteriors



q^2 dependence

Fit performed with linearly varying C_9 and C_{10} :

$$C_9^{q^2} = C_9 + \alpha(q^2 - 8.95)$$

$$C_{10}^{q^2} = C_{10} + \beta(q^2 - 8.95)$$

$$\alpha = 0.029 \pm 0.082$$

$$\beta = -0.058 \pm 0.026$$

2.2 σ deviation from zero for C_{10} is observed

Form factor dependence

Use alternative local $B \rightarrow K^*$ form factors - different LCSR inputs

Bharucha, Straub, & Zwicky [[JHEP.08\(2016\)098](#)]

C_9 changes by 35% σ_{stat}

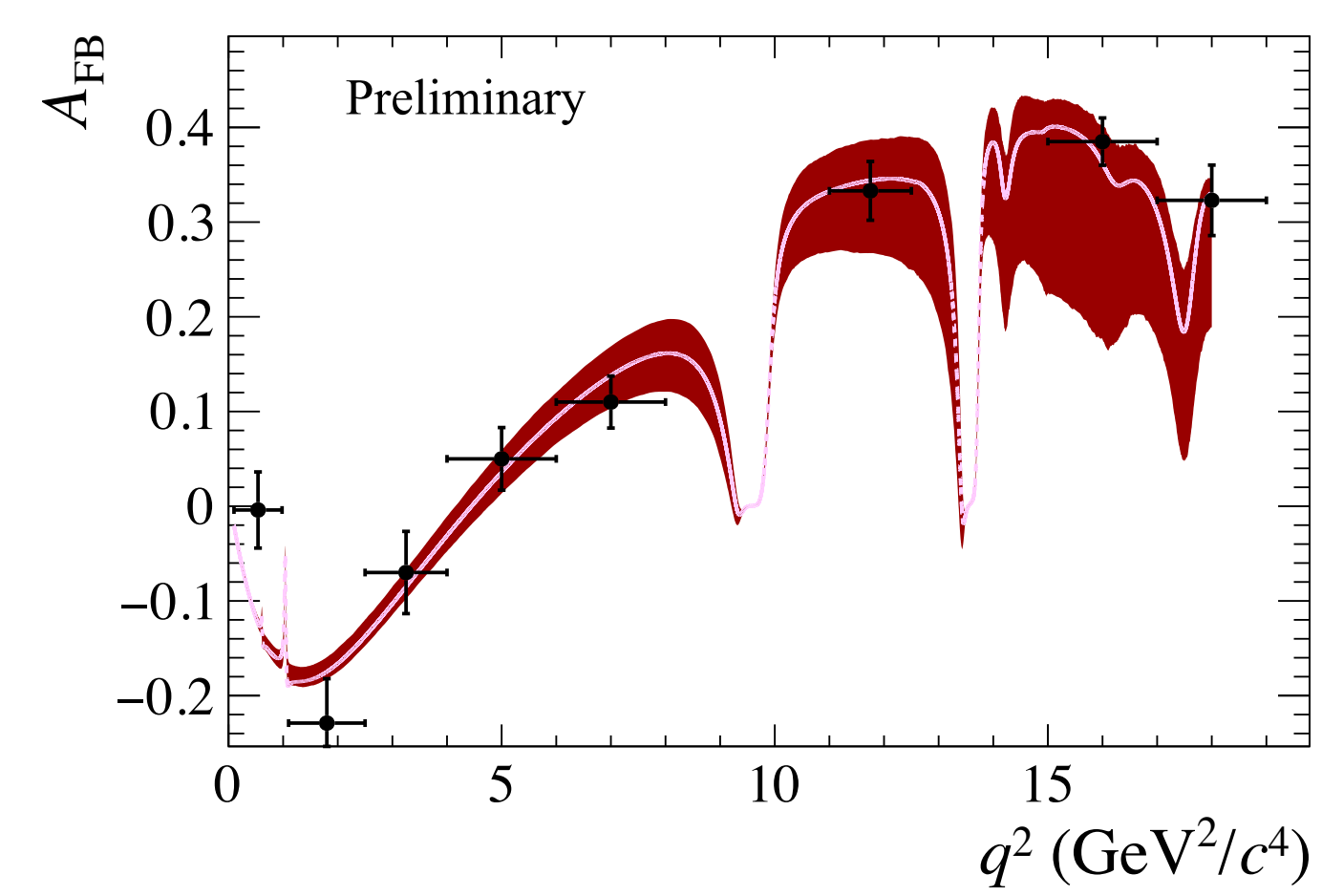
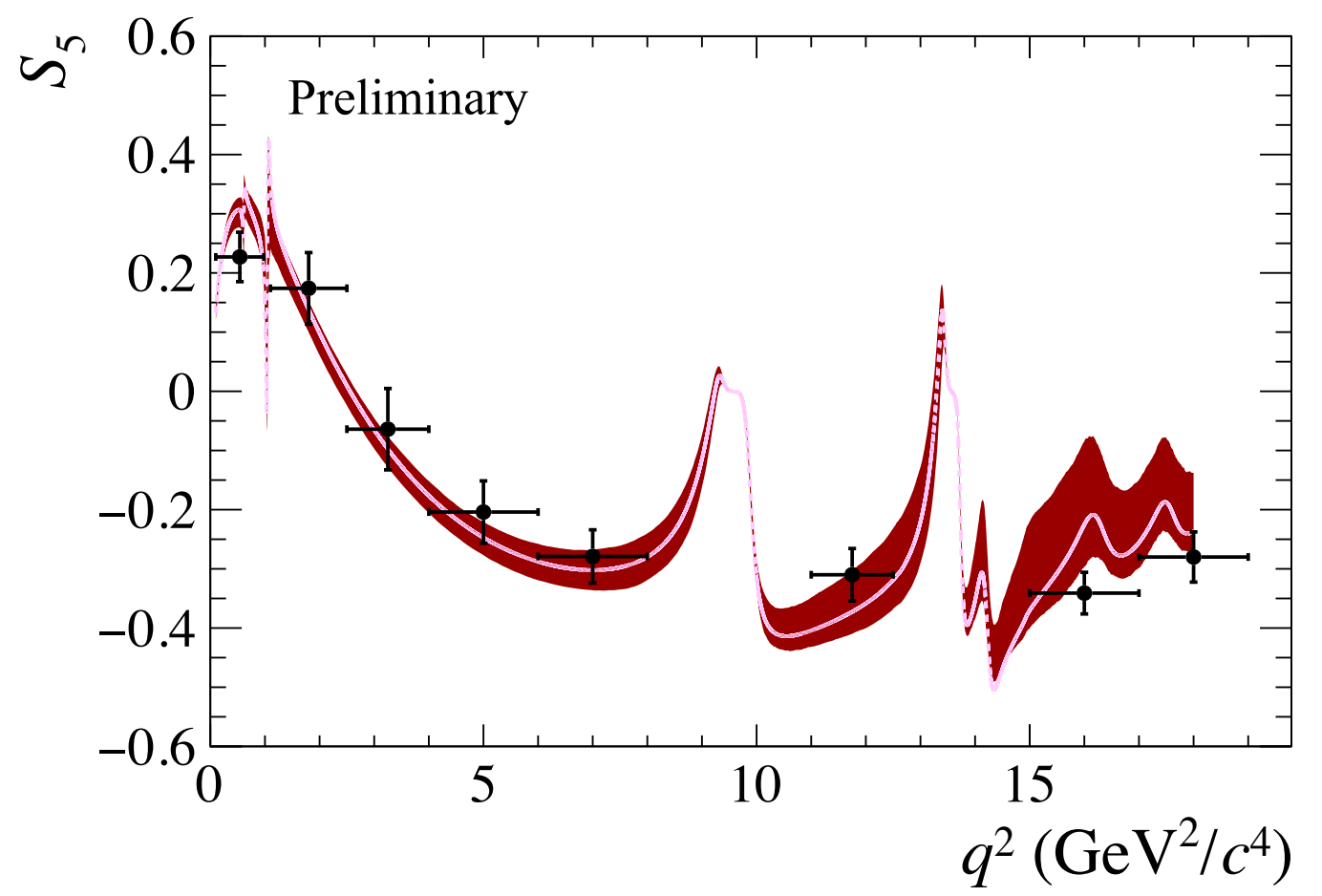
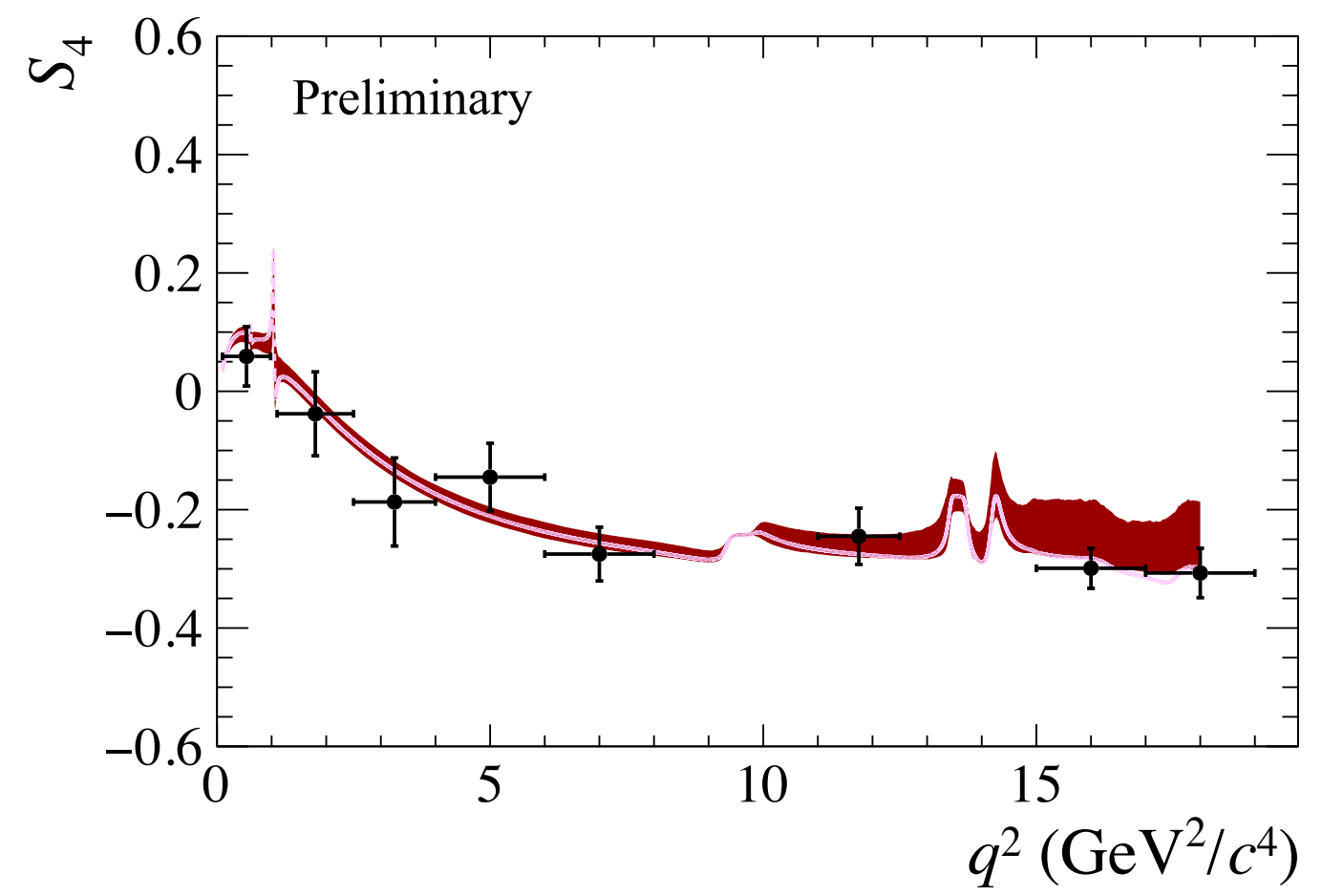
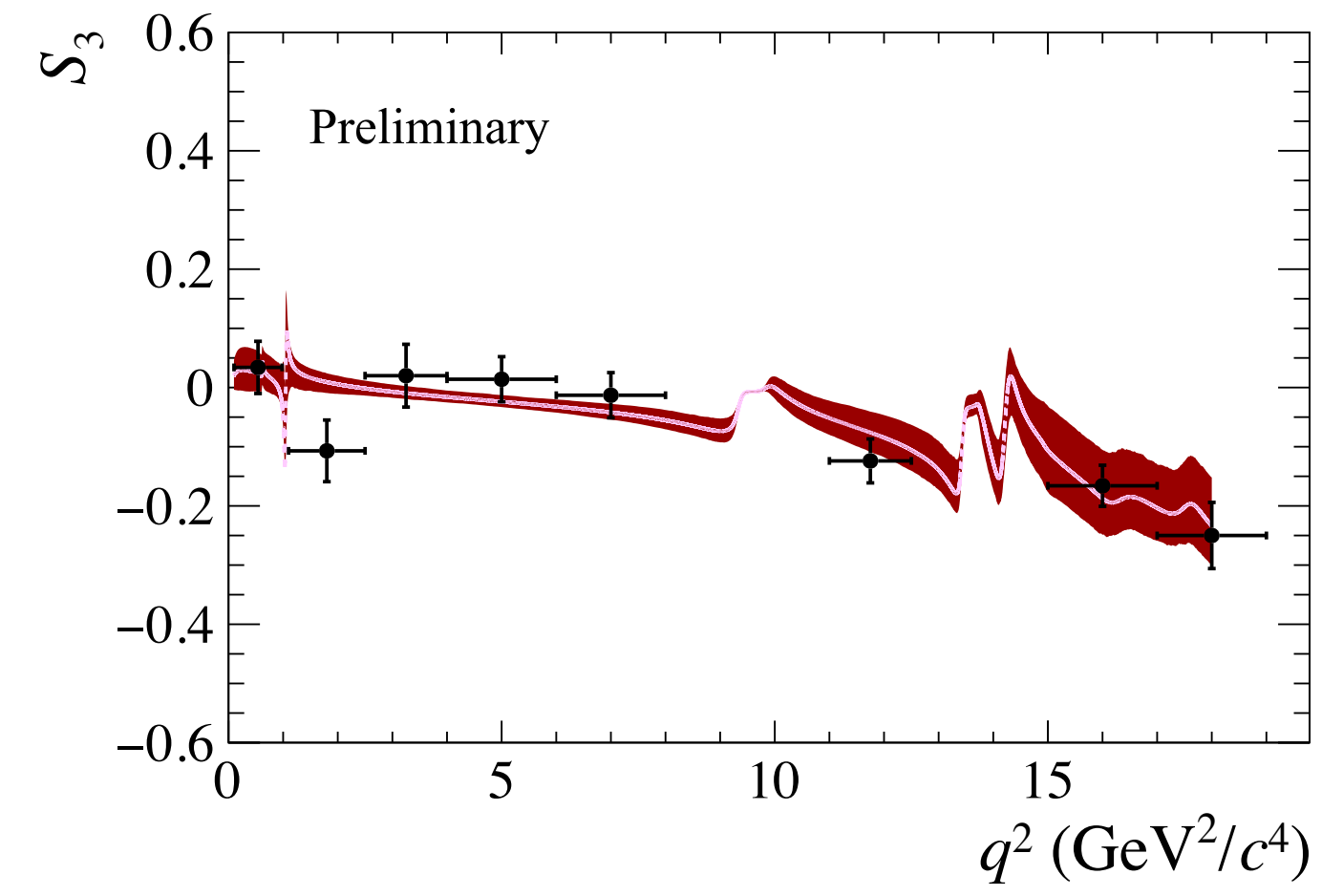
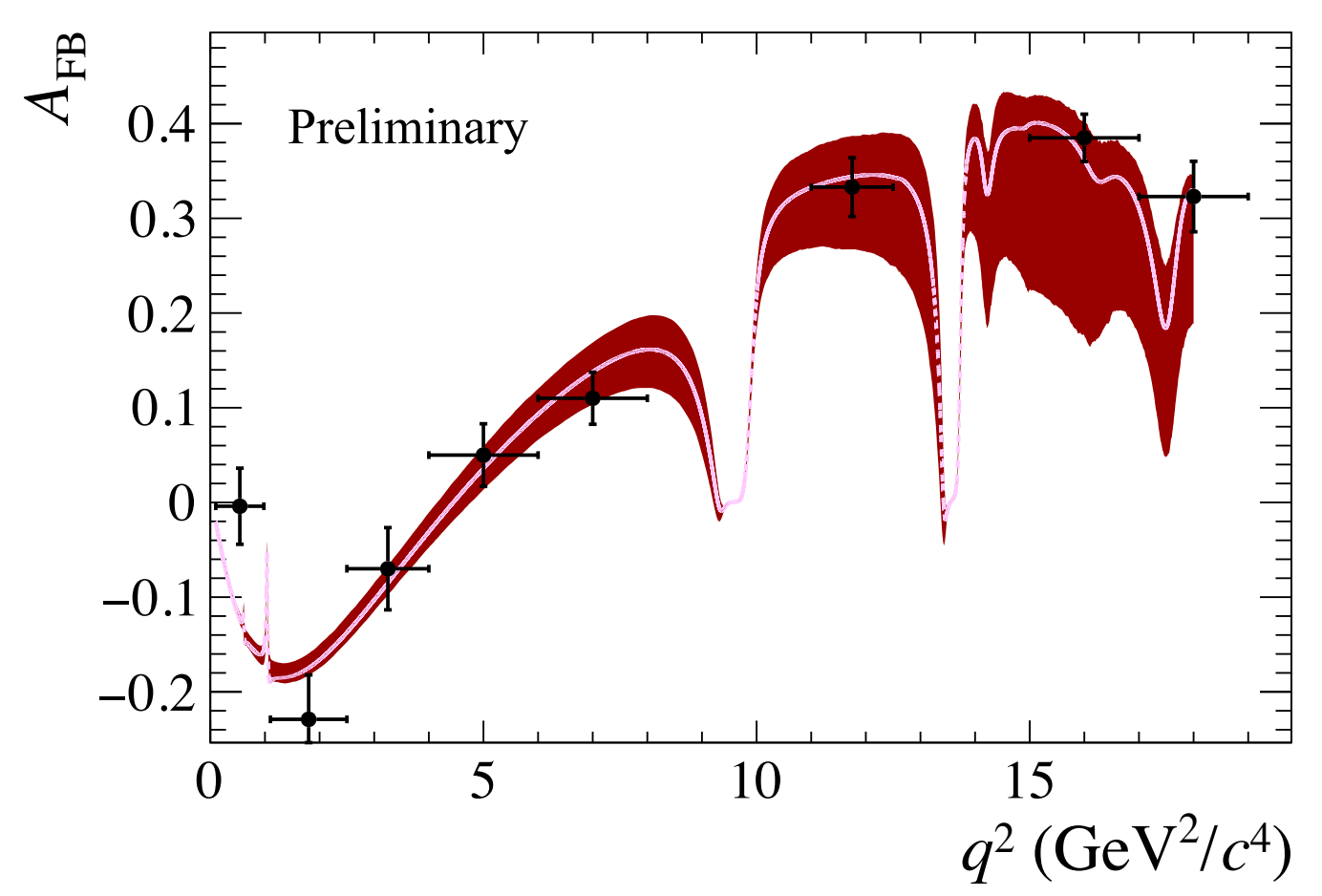
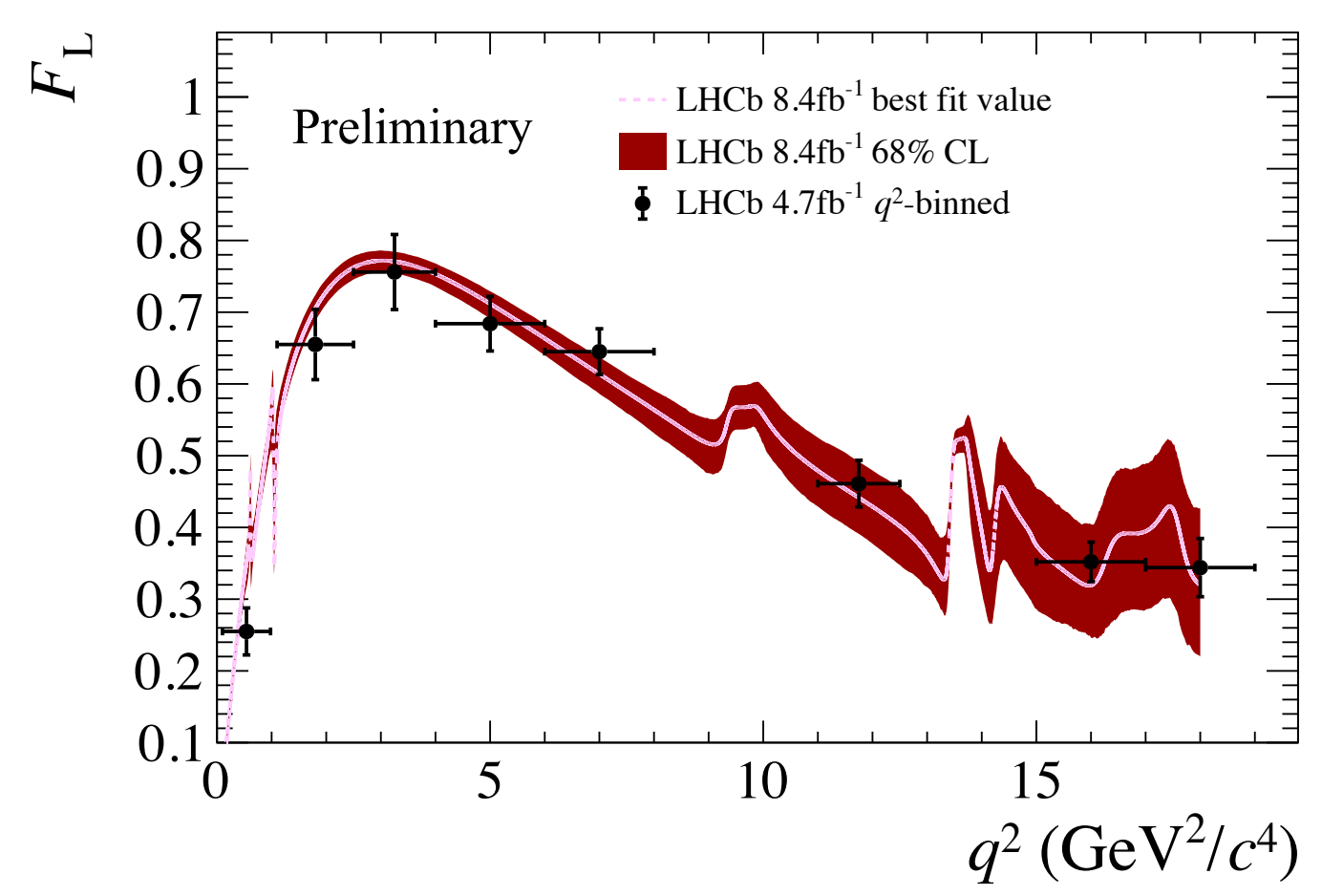
C_{10} changes by 90% σ_{stat}

Subtraction point

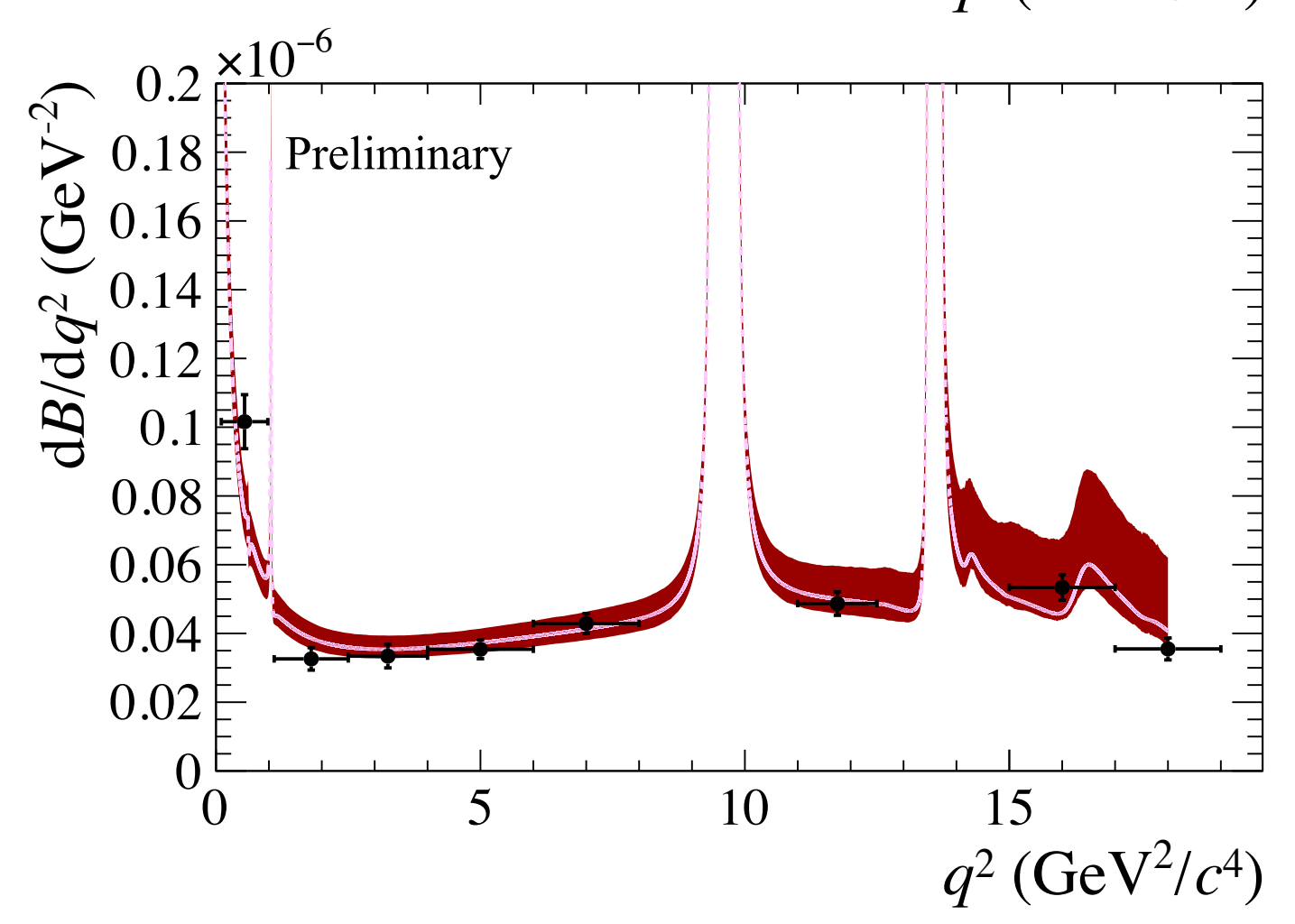
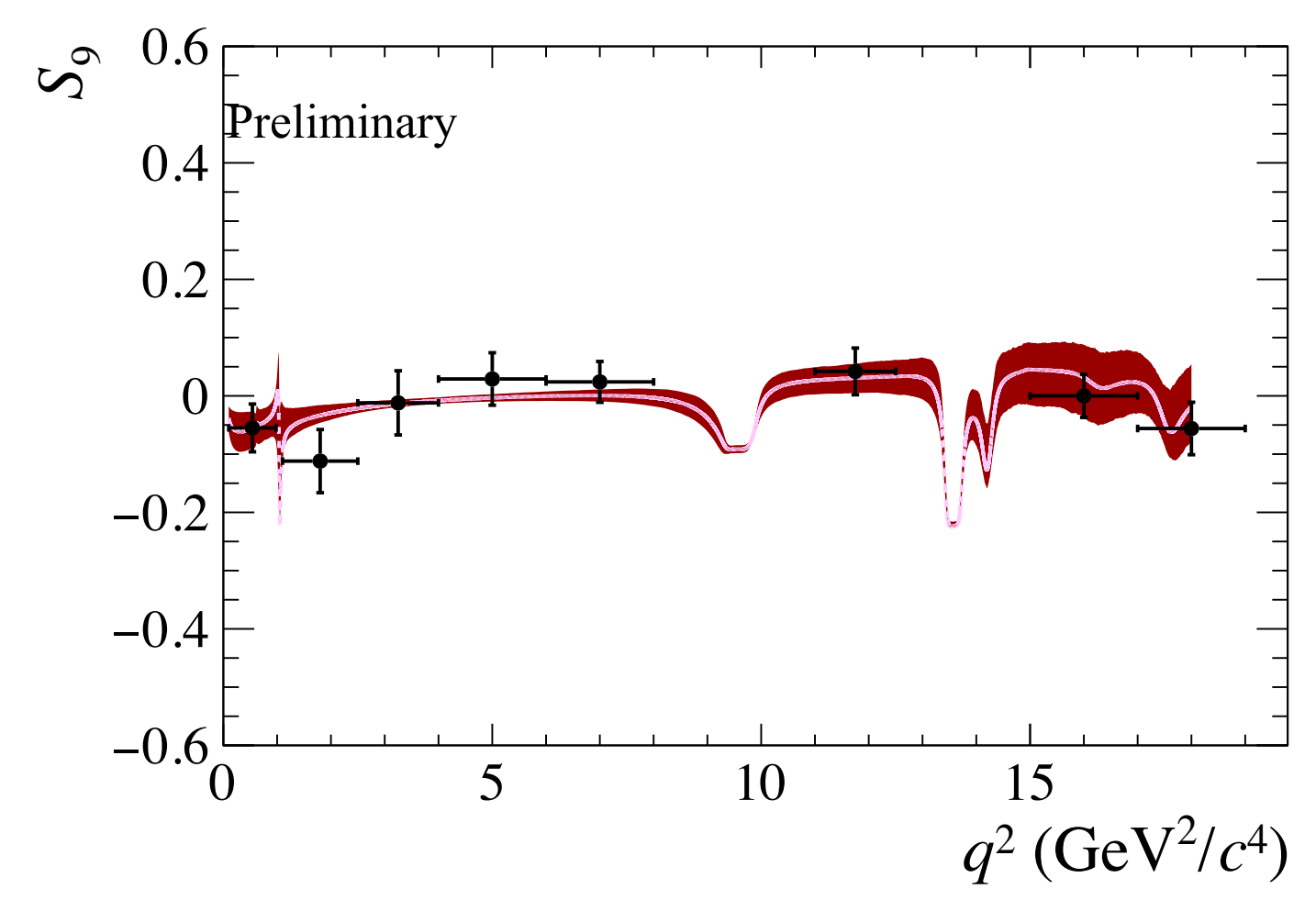
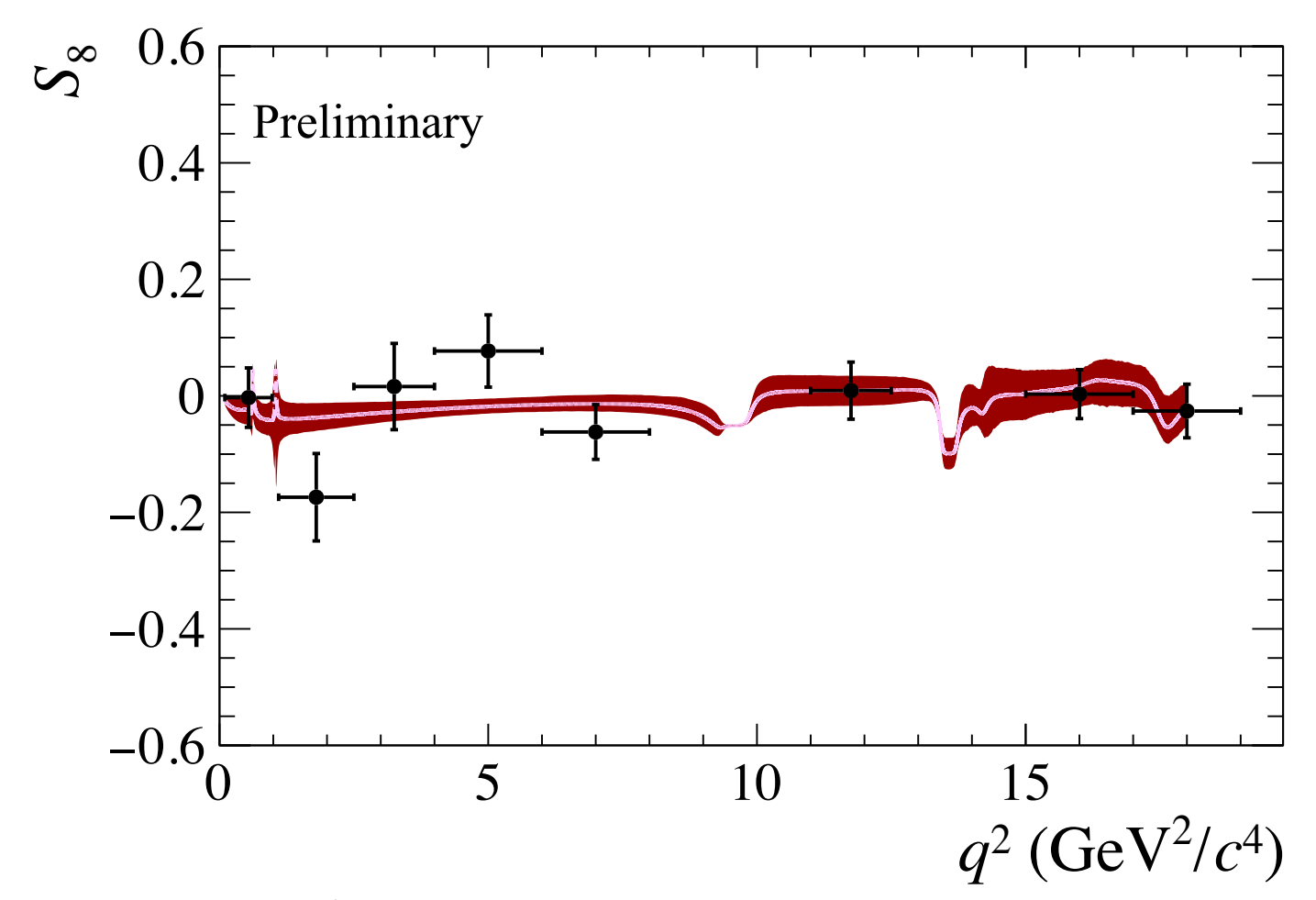
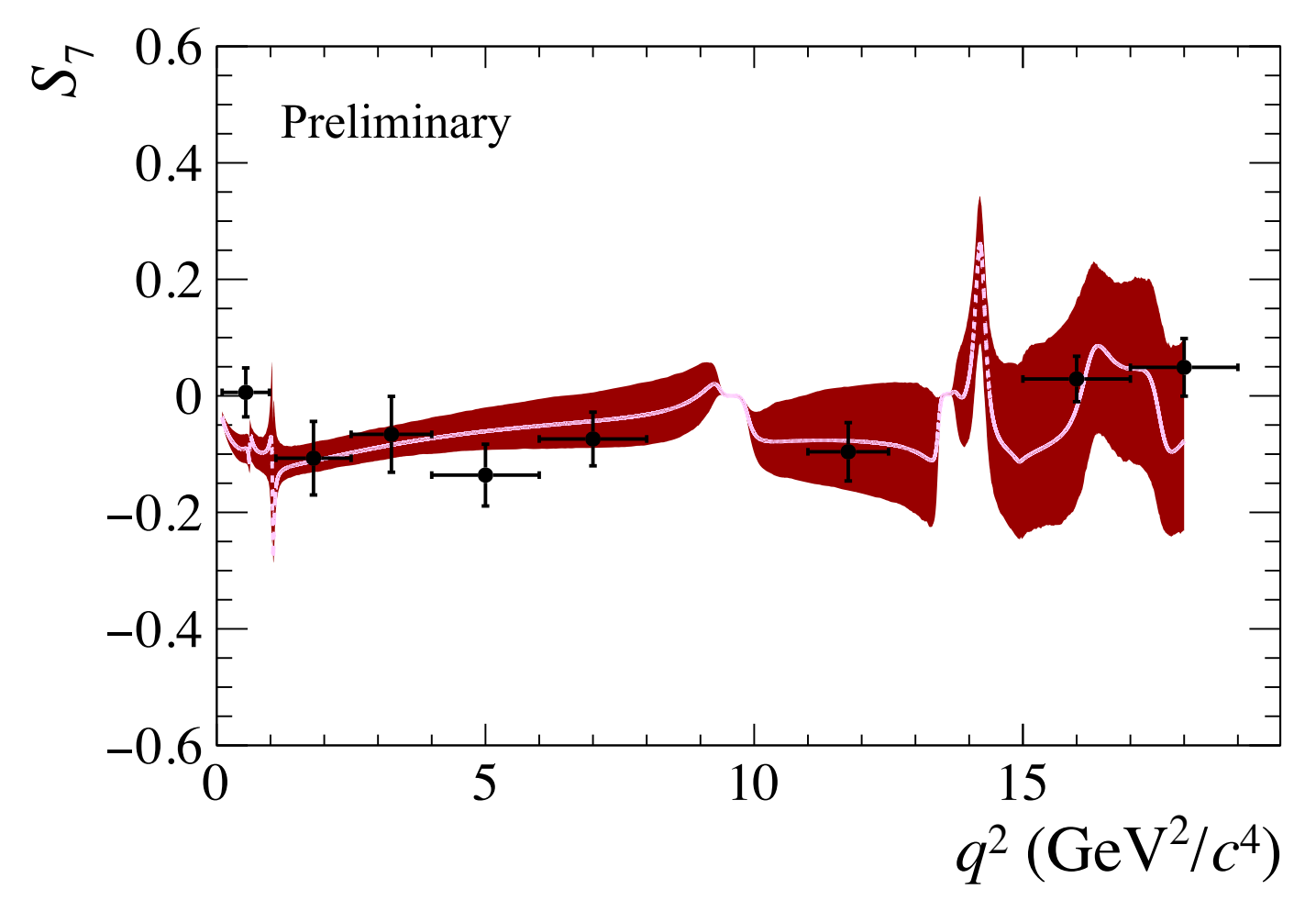
Dispersion relation should be independent of subtraction point

Varying subtraction point between $q_0^2 = -1 \text{ GeV}^2/c^4$ and $q_0^2 = -10 \text{ GeV}^2/c^4$ leads to variation of 35% σ_{stat} in C_9

[LHCb-PAPER-2020-002]



[LHCb-PAPER-2020-002]



sPlot method is used to study kinematic distributions

