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SUMMARY OF THE MD's ON ECOOL - DECEMBER 1993

Reported by J. Bosser (15.1.1994)

**Geneva, Switzerland
7 February, 1994**

SUMMARY OF THE DECEMBER 1993 MD'S ON ECOOL

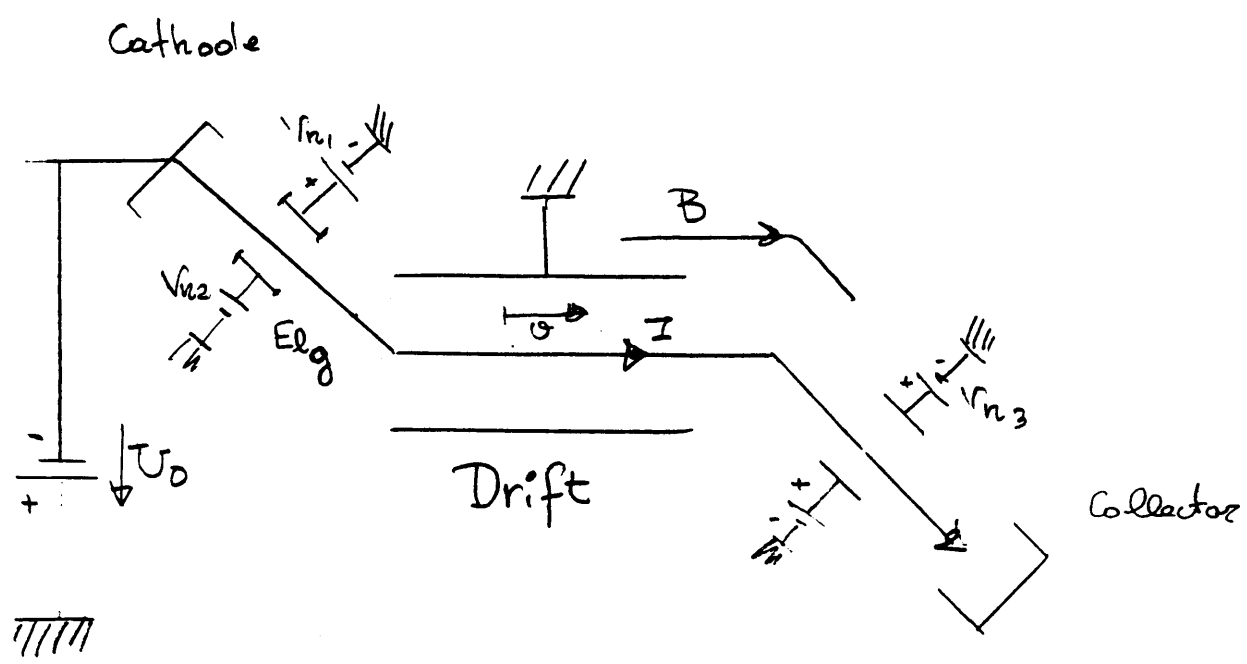
(Reported by J. Baker 15/1/84)

Participants: P. Leg, G. Tranquille, F. Brenne, R. Brown
F. Caspers, G. Tassinari, R. Vaccaro

The sessions were organized as follows:

- Neutralisation,
- Source system,
- Vacuum physics,
- Various results,
- $H\phi$ transverse profiles.

1) RECALL, SYMBOLS



$Elg = C_{gen}$ neutralisation electrodes
 $Elc = C_{collector}$ neutralisation electrodes

Electron kinetic energy

$$E_c = -e [-U_0 + U_{sp}]$$

U_{sp} space charge potential: $U_{sp}(\eta) = \frac{91.71 I}{\beta} (1-\eta)$

η : Neutralisation factor = $\frac{\text{Positive ion density}}{\text{Electron beam density}}$

$$(\gamma-1) m_e c^2 = e [U_0 - U_{sp}], \quad (\gamma-1) \approx \frac{\beta^2}{2} = \left(\frac{v}{c}\right)^2 \frac{1}{2}$$

$$v^2 \approx \frac{2e}{m} [U_0 - U_{sp}] \quad k = \frac{2e}{m}$$

$$\boxed{v \approx \left\{ k \left[U_0 - \frac{91.71 I}{\beta} (1-\eta) \right] \right\}^{1/2}} \quad (1)$$

We set $U = U_0 - U_{sp}$ such as $v^2 = k U$

$$2v dv = k dU$$

$$\frac{dv}{v} = \frac{1}{2} \frac{dU}{U} = -\frac{1}{2} \frac{dU_{sp}}{U} = \frac{1}{2U} \left[\frac{-\frac{91.71 I}{\beta} (1-\eta) \Delta I + \frac{91.71 I}{\beta} d\eta}{U} \right]$$

Since $\frac{91.71 I}{\beta} = U_{sp}(0)$ we approximate

$$\boxed{\frac{\Delta f_r}{f_r} \approx \frac{\Delta v}{v} \approx \frac{1}{2U_0} \left[-\frac{91.71 I}{\beta} (1-\eta) \Delta I + U_{sp}(0) L \eta \right]} \quad (2)$$

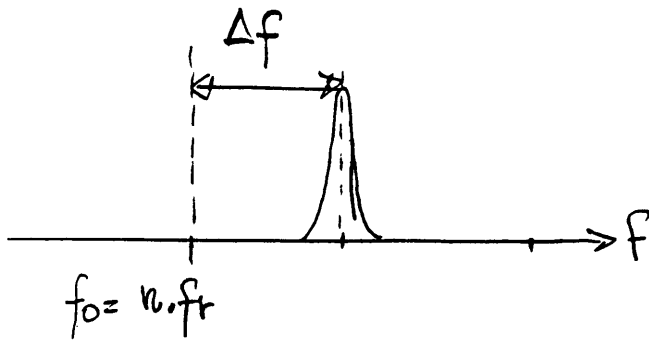
f_r revolution frequency.

Magnetic field $B = 1.57 [p [MeV/c]] \text{ Gauss}$

2) Measurement of the neutralization coefficient η

Two methods: Absolute, Phase shift.

2.1 Absolute: We use a longitudinal Schottky PU connected to a spectrum analyzer which central frequency is set at a harmonic "n" of f_r



$$f_0 = n f_r$$

- First: $\eta = 0$ and therefore $\Delta\eta = \eta - 0 = \eta$

- Second: $\eta = 0, \Delta\eta = 0,$

we check that equation ②

$$\Delta f = -(n f_r) \frac{91.71}{\beta} \Delta I$$

is confirmed by varying I . Therefore the coefficient $\frac{91.71}{\beta}$ is experimentally verified.

- Third: I is constant ($\Delta I = 0$) then ②

$$\Delta f = (n f_r) \frac{1}{2} \frac{U_{sp}(0)}{U} \Delta\eta, \quad U_{sp}(0) = \frac{91.71 I}{\beta}$$

$$\Delta\eta \equiv \eta, \quad U \approx U_0, \quad \underbrace{(n f_r) \frac{U_{sp}(0)}{2 U_0}}_{\Delta f_{max}}$$

$$\boxed{\eta(\Delta f) = \frac{\Delta f}{\Delta f_{max}}}$$

③

2.1.2) Measurements with the absolute method

A) $p = 310 \text{ Me}/c$

$U_0 = 27.9 \text{ kV}$, $\beta = 0.314$, $f_r = 1.197732 \text{ MHz}$

$n = 34$, $n f_r = 40.723 \text{ MHz}$

$I = 2.5 \text{ A}$, $U_{sp}(0) = 730 \text{ V}$ $\Delta f_{max} = 532 \text{ kHz}$

$I = 1.5 \text{ A}$, $U_{sp}(0) = 435 \text{ V}$ $\Delta f_{max} = 318 \text{ kHz}$

I (A)	V _{sp1} (kV)	V _{sp2} (kV)	V _{sp3} (kV)	V _{sp4} (kV)	Δf (kHz)	Δφ (°)	η(Δf)	η(Δφ) see 2.2
2.5	1	0	1	0	70	5	0.13	0.086
	2	0	2	0	105	9	0.19	0.154
	3	0	3	0	158	15	0.29	0.257
	4	0	4	0	183.5	17	0.34	0.291
	5	0	5	0	209	22	0.39	0.376
	6	0	6	0	293	30	0.55	0.513
1.5	4	0	4	0	140	15	0.44	0.427
	5	0	5	0	146	17	0.46	0.487
	6	1	6	0	157.5	19	0.49	0.541
	6	0	0	6	138	16	0.43	0.456
	6.3	0	6.3	0	160	19	0.5	0.541
	0	6.3	0	6.3	280	31	0.88	0.884

See
← remark

Remark: When looking to the phase measurement (see 2.1) we notice that with this configuration (0, 6.3, 0, 6.3)

(the p-beam off cooling) from the moment the e-beam is neutralised and therefore the phase is oscillating and $\langle \eta \rangle = 0,83$. Once the p-beam velocity \approx e-beam velocity, and therefore the p-beam is cooled, the phase oscillation disappears and η jumps from 0,83 to 0,88!

Conclusion: At 310 MeV/c $\eta \approx 0,5$ except for the only measurement at $I = 1,5A$ when we "invert" the voltages on the neutralisation electrodes

B) $p \approx 200$ MeV/c

$$\begin{aligned}
 U_0 &= 11,7 \text{ keV}, & \beta &= 0,208, & f_r &= 0,7816 \text{ MHz} \\
 n &= 52, & n f_r &= 41,1633, & I_p &= 4 \cdot 10^9 \\
 I &= 0,4 \text{ A}, & U_{sp}(0) &= 175 \text{ V}, & \Delta f_{max} &= 308 \text{ kHz}
 \end{aligned}$$

I A	V _{n1} keV	V _{n2} keV	V _{n3} keV	V _{n4} keV	Δf kHz	$\eta(\Delta f)$
0,4	5,5	0	5,5	0	287,2	
	5,5	1	5,5	1	289,6	0,94
	6,3	0	6,3	0	286,4	0,94
	6,3	1	6,3	1	283,6	0,95
	6,3	2	6,3	2	285,2	0,96
	6,3	2,5	6,3	2,5	296	0,96
	6,3	3	6,3	6,3	3	

Unstable, period 2,2.

Stable

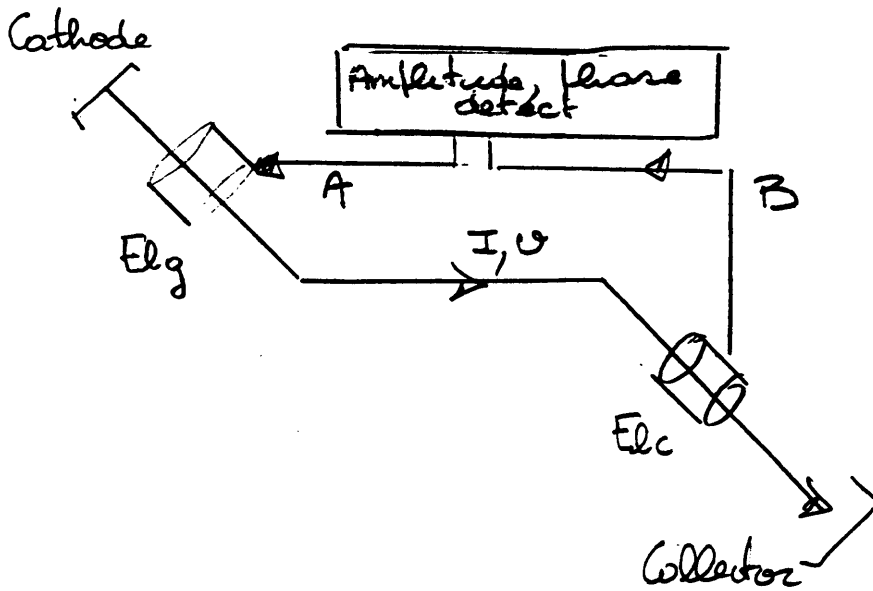
Unstable $\Delta\phi = 25^\circ$

Unstable

Conclusion: For this nominal low intensity e⁻ beam: no difficulties to come to $\eta = 0,96$

2.2) Time of flight

(6)



The principle consists in measuring the phase difference " ϕ " between a signal A exciting the beam by means of Elg, and the detected signal B on Elc.

$$\phi = \frac{\omega L}{v} \quad d\phi = -\frac{\omega L}{v^2} dv$$

$$\boxed{\Delta\phi = -\frac{\omega L}{v^2} \Delta v}$$

ω : excitation frequency: $\omega = 2\pi (380 \cdot 10^6) \text{ rad/s}$;
 L : distance between electrodes,
 v : electron velocity.

The system is easily calibrated with the method described in 2.1).

The main interest consists in the fact that it gives a description in the time domain rather than in the frequency domain.

Once calibrated we find that at 310 MeV/c

$$I = 1.5 \text{ A} : \eta(\Delta\phi) = 0.0285 \cdot \Delta\phi \text{ (degree)}$$

$$I = 2.5 \text{ A} : \eta(\Delta\phi) = 0.017 \cdot \Delta\phi \text{ (degree)}$$

2.2.1) Figure caption

All the plots are performed when $p = 200 \text{ MeV}/c$.
 $I = 0,4 \text{ A}$ where not specified. Ordinate unit = 10^0
Abscissa: 1 unit = 1,99 s. Vacuum $\approx 10^{-11}$ torr.

Fig 2.2.1 $V_{n1} = V_{n3} = 6300 \text{ V}$, $V_{n2} = V_{n4} = 0$.

Non periodic oscillations around 70°

Fig 2.2.2 : $V_{n1} = V_{n3} = 6300 \text{ V}$, $V_{n2} = V_{n4} = 0$

$I = 0,5 \text{ A}$. Periodic oscillations with
period $\approx 2 \text{ s}$. Phase discontinuity
 $80 - 65 = 15^\circ$

Fig 2.2.3 : $V_{n1} = V_{n3} = 6000 \text{ V}$, $V_{n2} = 3000 \text{ V}$, $V_{n4} = 2000 \text{ V}$

Stable phase shift of $\approx 82^\circ$. The
phase (and therefore the neutralisation)
was unstable for $V_{n1} = V_{n3} = 6000 \text{ V}$, $V_{n2} = V_{n4} = 3000$

Figure 2.2.4a: Phase evolution $U_{n1} = U_{n3} = 3000 \text{ V}$
 $U_{n2} = U_{n4} = 0 \text{ V}$.

2.2.4.b: Phase evolution $U_{n1} = U_{n3} = 3000 \text{ V}$, $U_{n2} = U_{n4} = 1$

Figure 2.2.5 : Illustration of the remark in
2.1.1 A). Figure 2.2.5 a) differs from 2.2.5 b) by
a time scaling only. 1) The ion beam is
cooled. 2) Neutralisation is set on and neutralisa-
tion proceeds in less than 2 s, the ion beam
is off cooling. 3) During the $\approx 24 \text{ s}$, where the
ion beam energy is moved forward it new
(since neutralisation is ON) energy, the phase is
oscillating. 4) The ion beam velocity = neutralized

e-beam velocity: There is a jump of 10° in Φ and Φ becomes stable. (8)

Figure 2.2.6: Plot of $\left| \frac{B}{A} \right|$ and phase $\angle \frac{B}{A}$ are

the transfer function between 300 MHz and 500 MHz. No neutralisation. No perturbabilities within this bandwidth.

Figure 2.2.7: Same as 2.2.6 but with neutralisation. $V_{n1} = 6000V$, $V_{n2} = 3000V$
 $V_{n3} = 6000V$, $V_{n4} = 2000V$

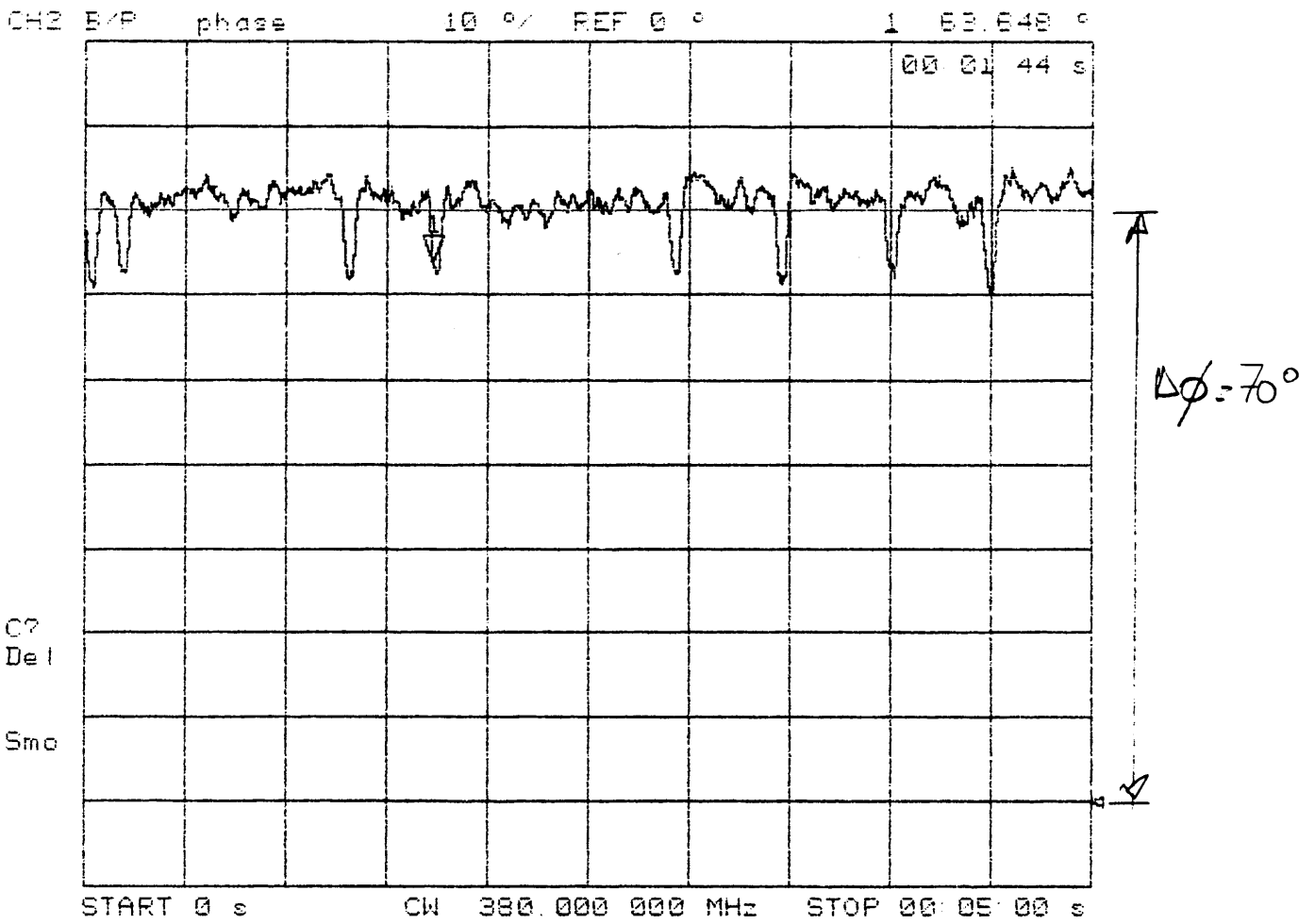


Fig 2.2.1

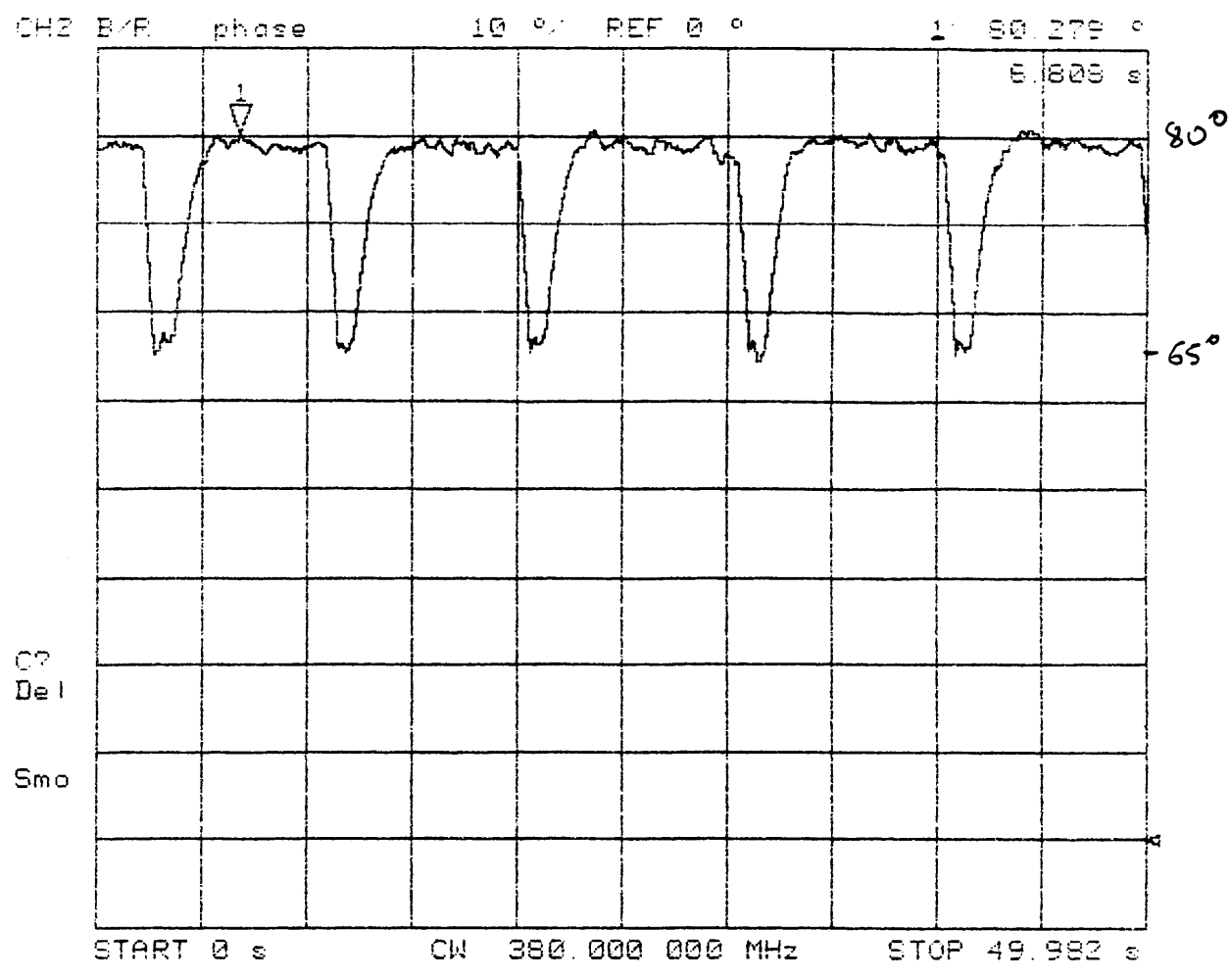
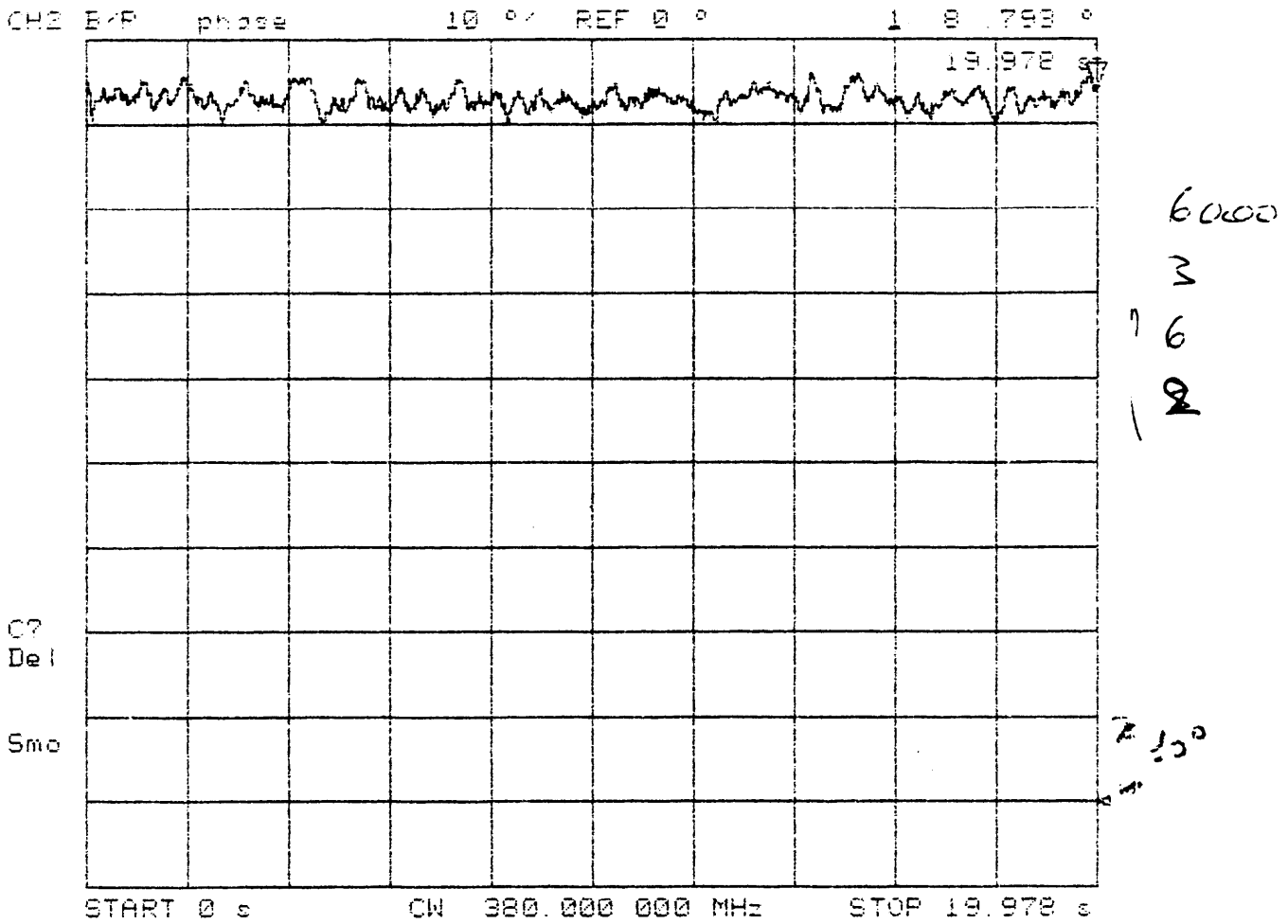


Figure 2.2.2

200 μ V
0.4 A

(11)



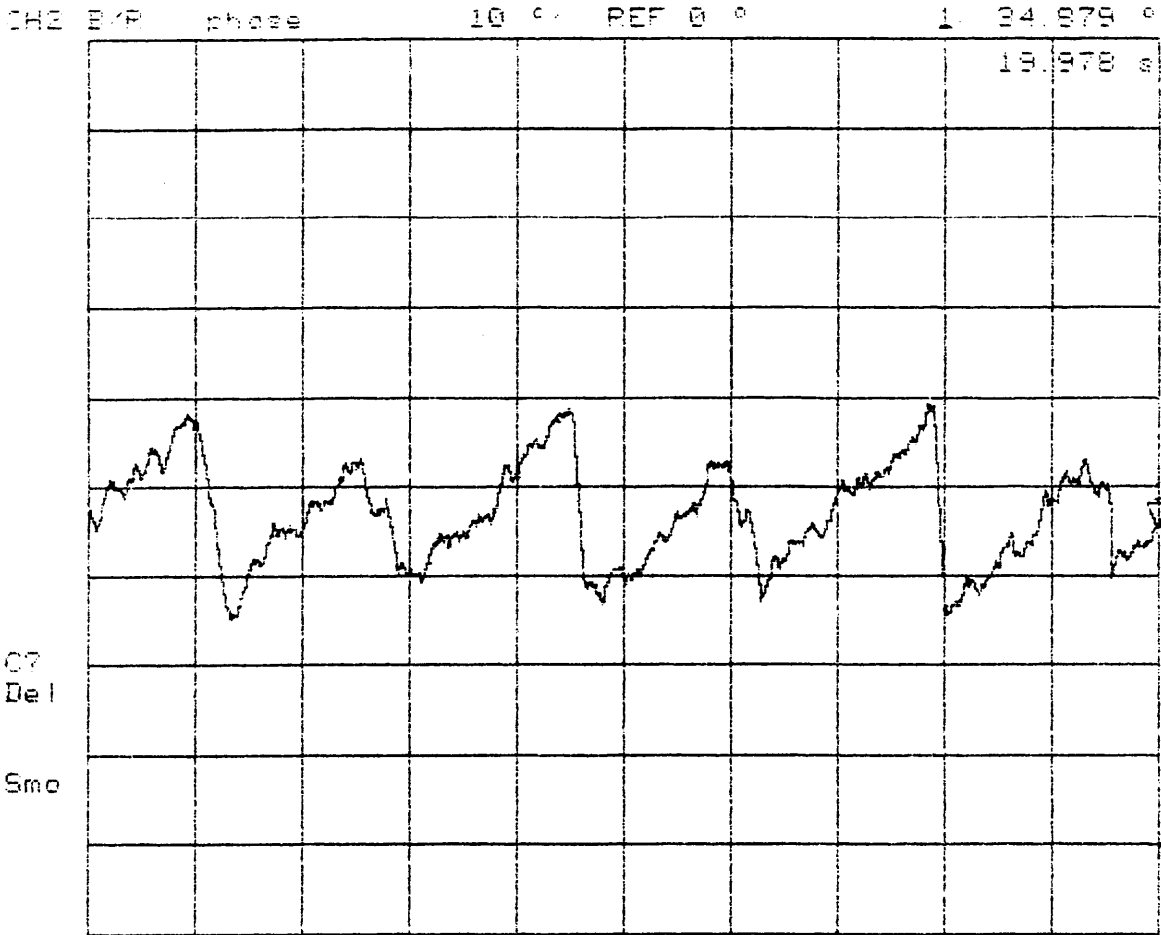
16,3,6,3 unstable $\eta = 60\%$

$$\Delta f = 302.5 \text{ kHz.}$$

Figure 2.2.3

200 μ V
0.4 A.

(12)



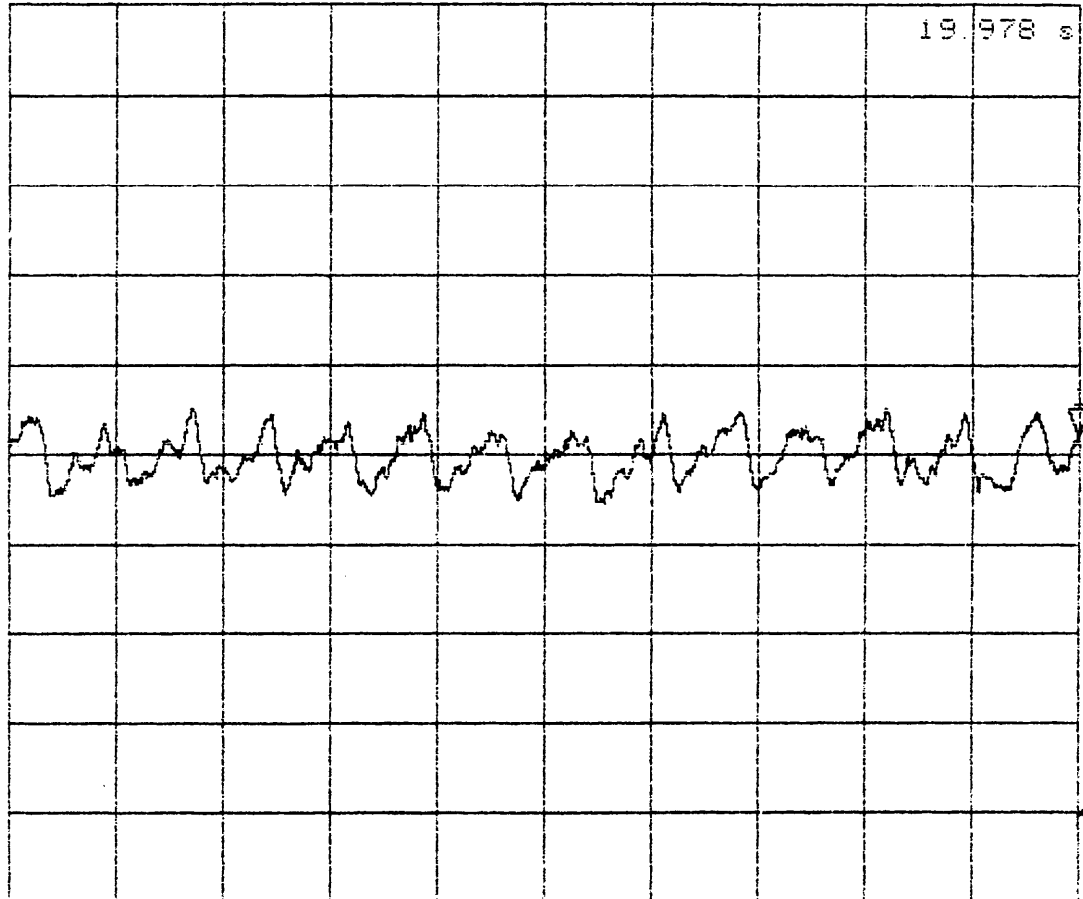
3000

0

2.2.4 a)

START 0 s CW 380.000 000 MHz STOP 19.978 s

CH2 B/R phase 10 ° REF 0 ° 1 41.844 °
19.978 s



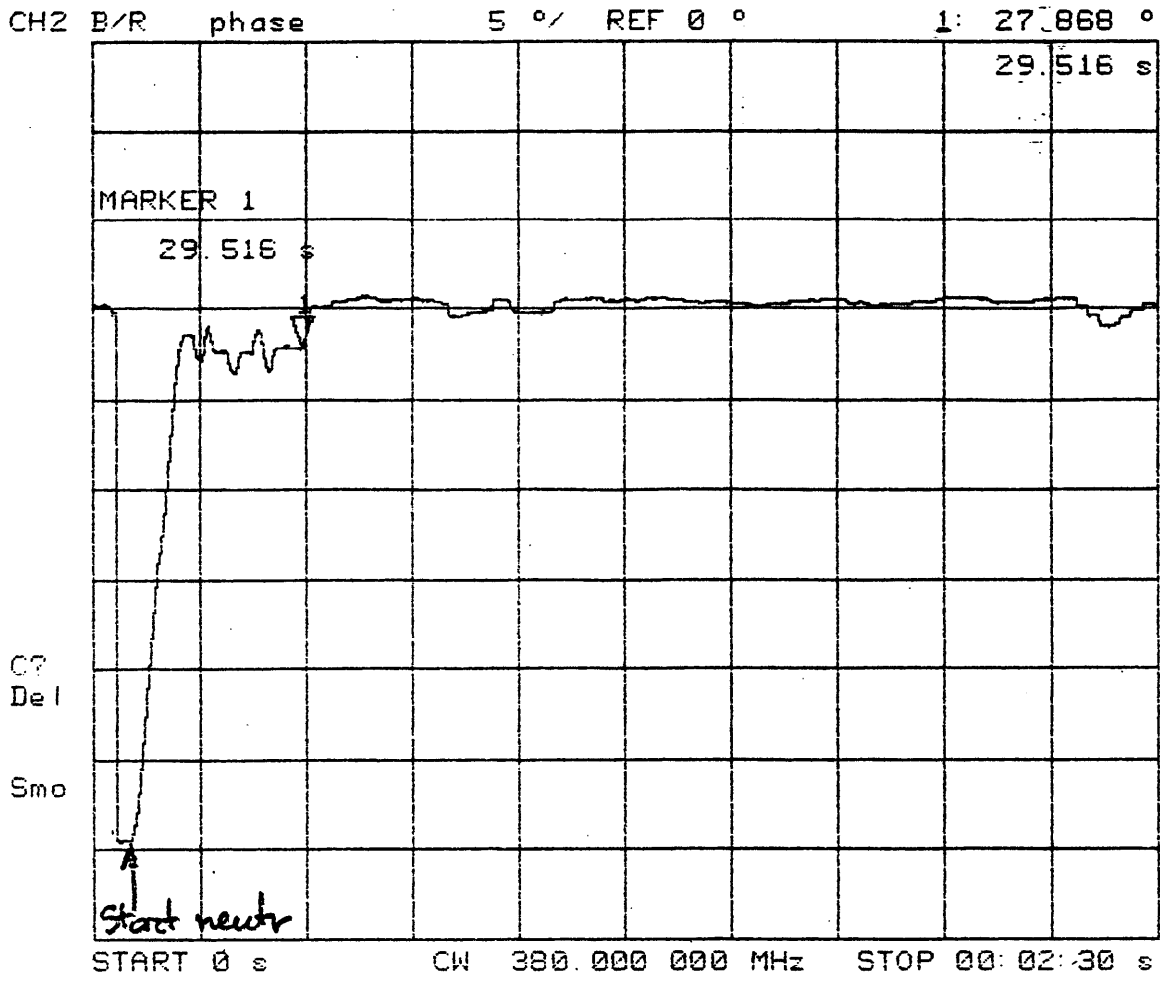
3000

6000

2.2.4 b)

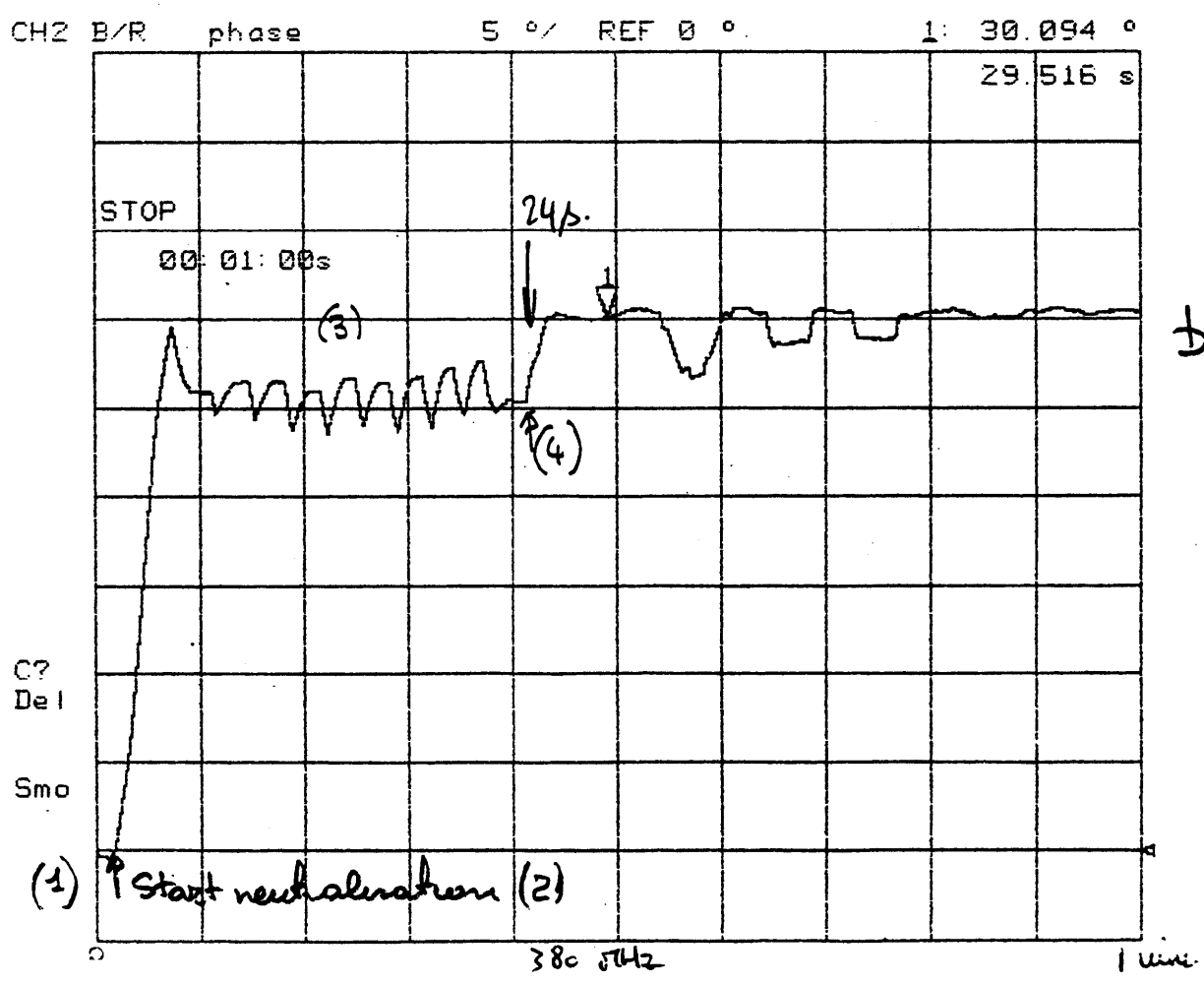
START 0 s CW 380.000 000 MHz STOP 19.978 s

0.63 0.63



a)

Fig 2.25

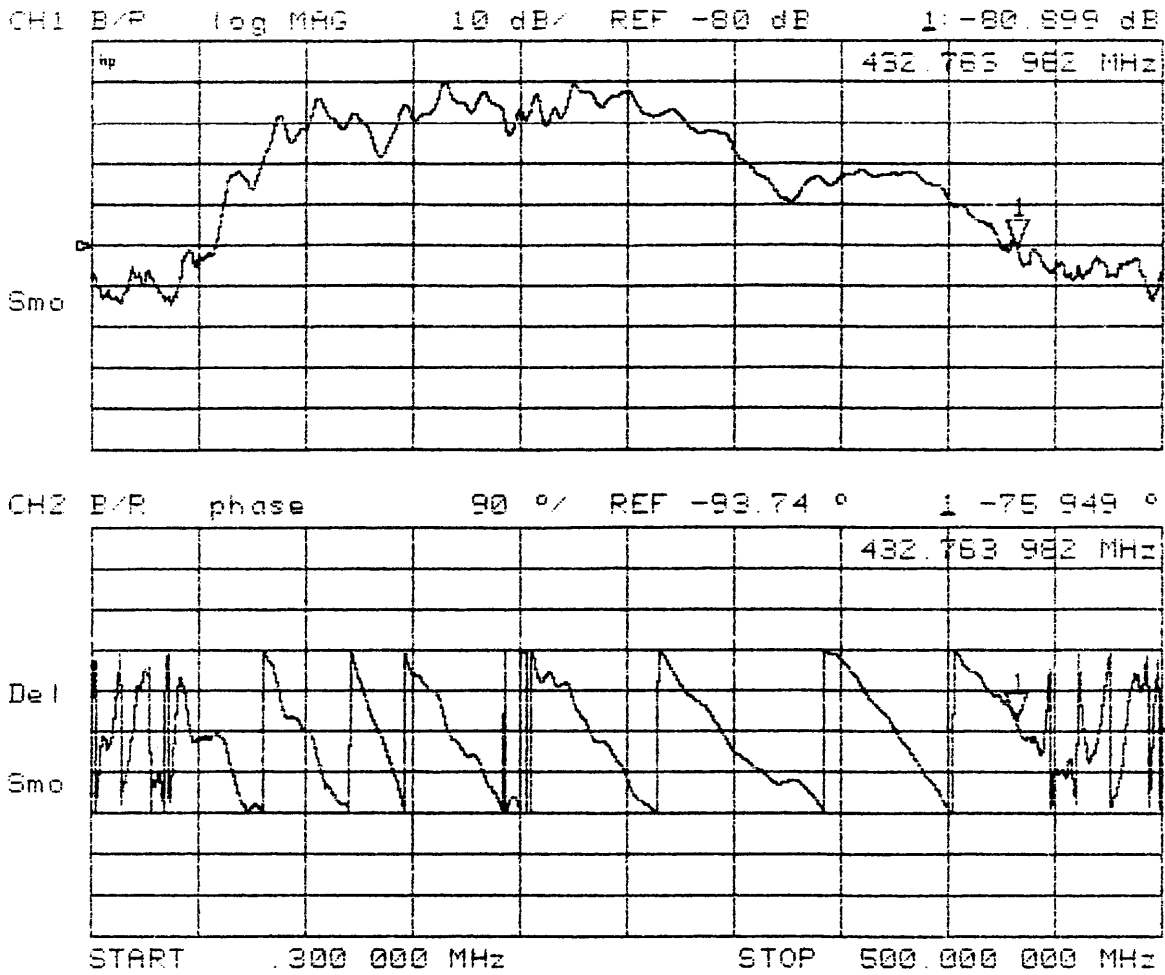


b)

200 Ω /

0.4 A

(14)

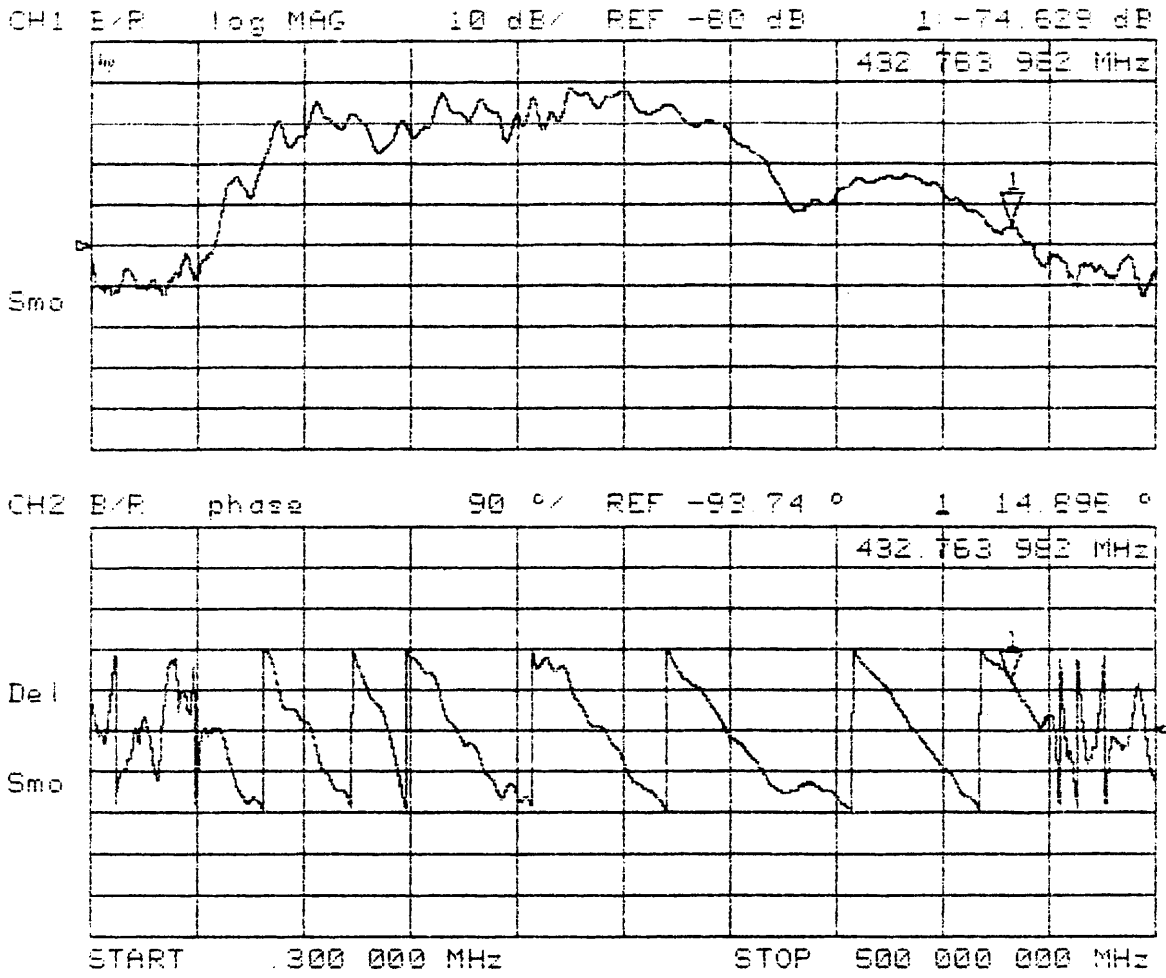


Neutralis. OFF.

Figure 2.2.6

200 μ W
0.4 A

(15)



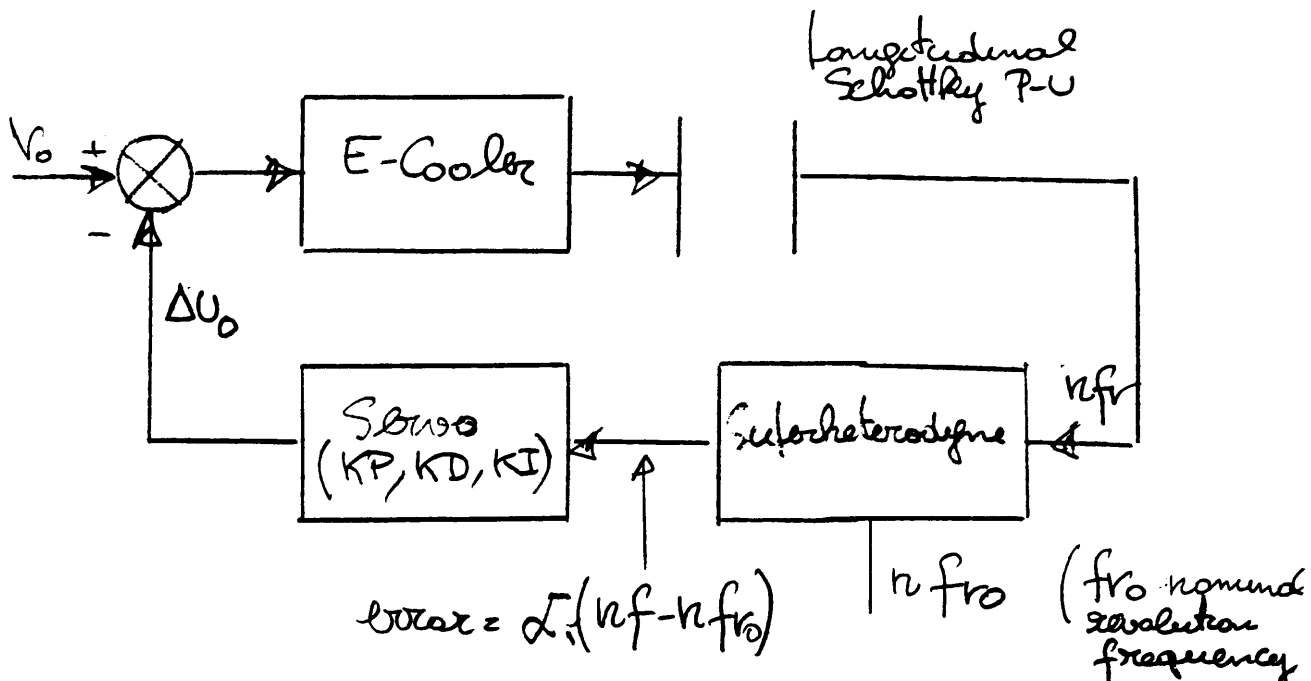
Neutral on (6, 3, 6, 2)
100%

Figure 2.2.7

3) Calibration and optimisation of the servo-system:

3.1) Aim : In order to keep ω (or β) constant whenever I or η are modified (equation 1) a servo-system has been implemented

It consist in the measurement of the actual signal at the output of a longitudinal P-U at a given harmonic "n" of the revolution frequency f_r



This signal is applied to a superheterodyne which output signal is proportional to $n(f_r - f_{r0})$. A filter with response :

$$\Delta U_0 = \left(K_P + K_D \frac{d}{dt} + K_I \int dt \right) error$$

provides an error signal ΔU_0 algebraically added to V_0 in order to reduce $(f_r - f_{r0})$ to a minimal value (0 if possible)

The aim was to calibrate the system and to optimise the coefficients K_I, K_D, K_P .

3.2) Measurement at 300 MeV/c

3.2.1) Measurement of the open loop system

Calibration: Application of a step on V0

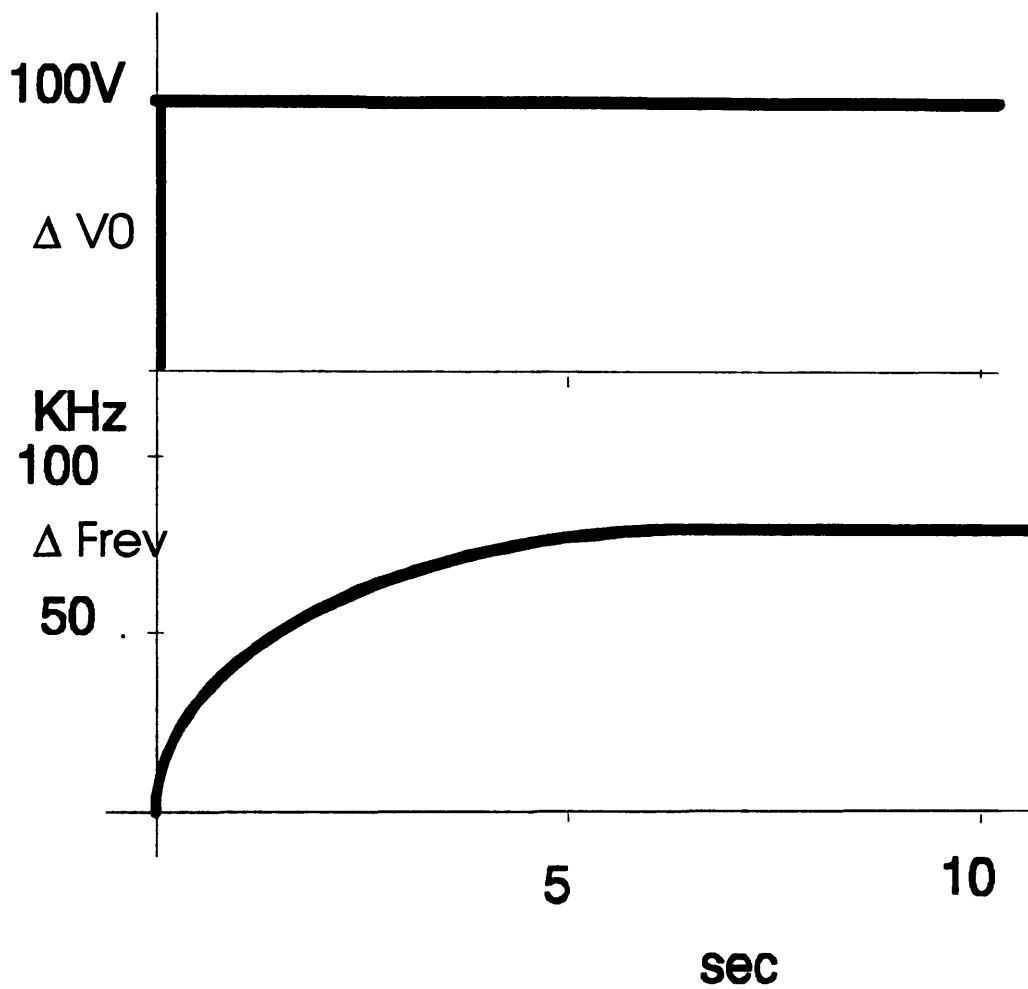
Frev=1197732 Hz

Harmonic= 34

Fmeas=40'722888 Hz

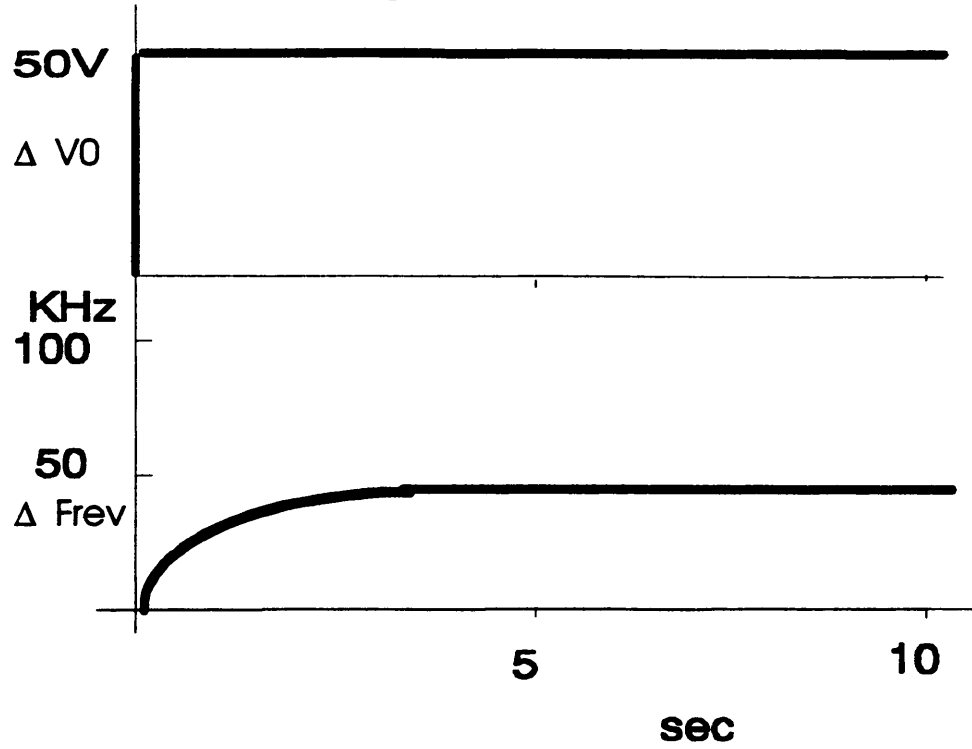
Step	Spectrum	Superetherodyne
+100v	+73 KHz	+66KHz
-100V.	-71 KHz	-73 KHz

Response with a step of 100V, servo loop OFF

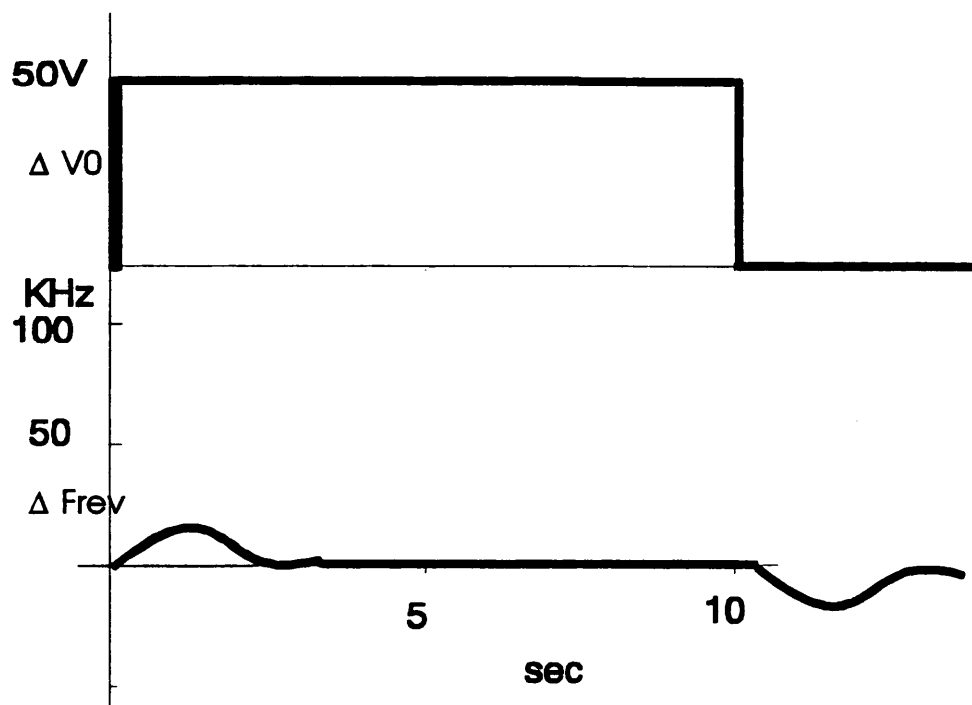


V0 =27.744 V. (+100 V) Vs=20 KV.

Same measurement with a step of 50V



3.2.2) Servo system ON

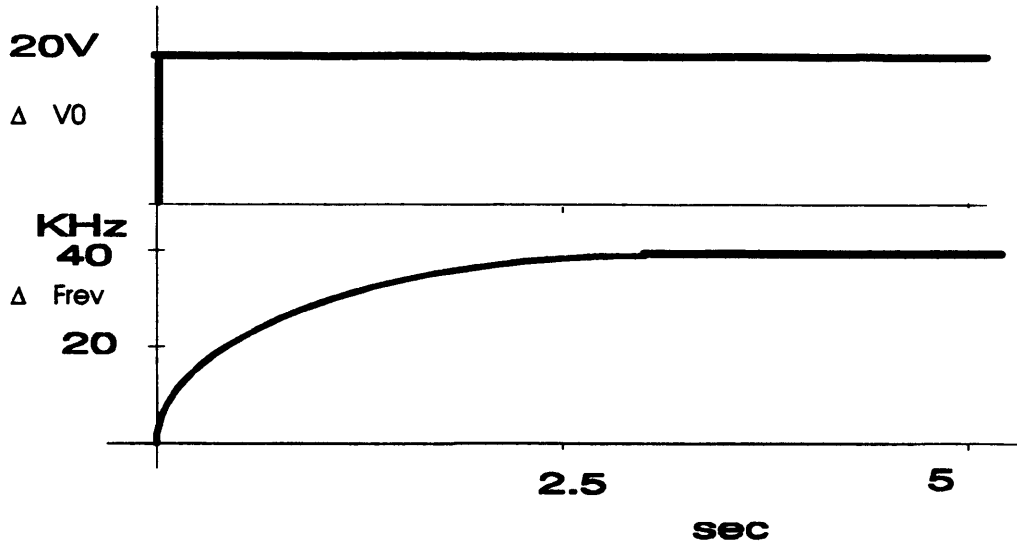


$V0=27744 (+50V)$; $Vs= 20 KV.$; $KP= 2500$; $KI= 35$; $KD=8000$; $KDV0=511$

3.3) Measurement at 200 Mev/c

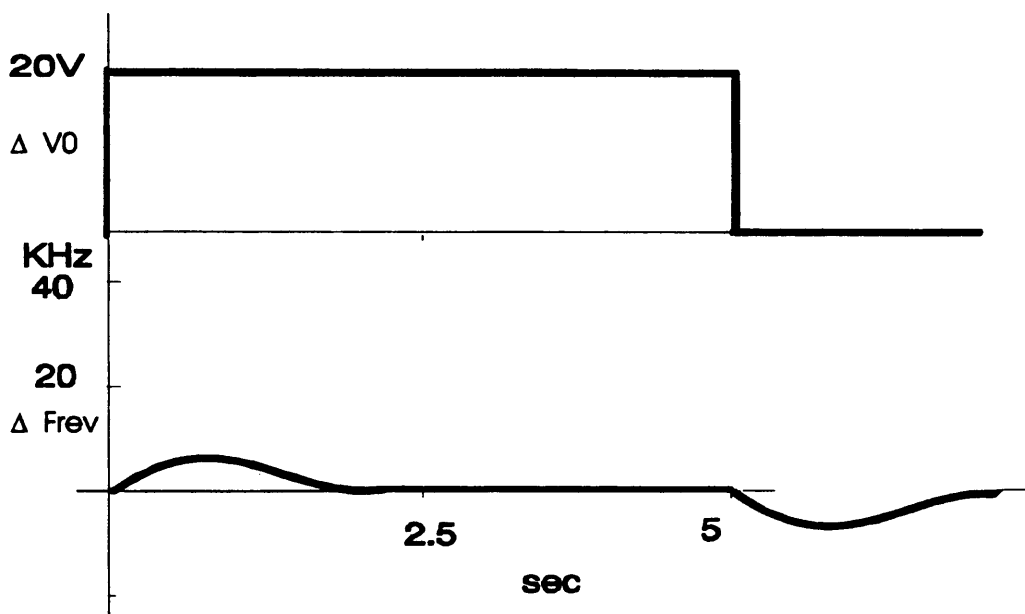
Frev=795778 Hz
Harmonic 51
Fmeas=40'584678 Hz

3.31) Open loop response with a step of 20V



$V_0=11.841V.(+20)$ $V_s=8$ KV.

3.3.2) Response with closed loop

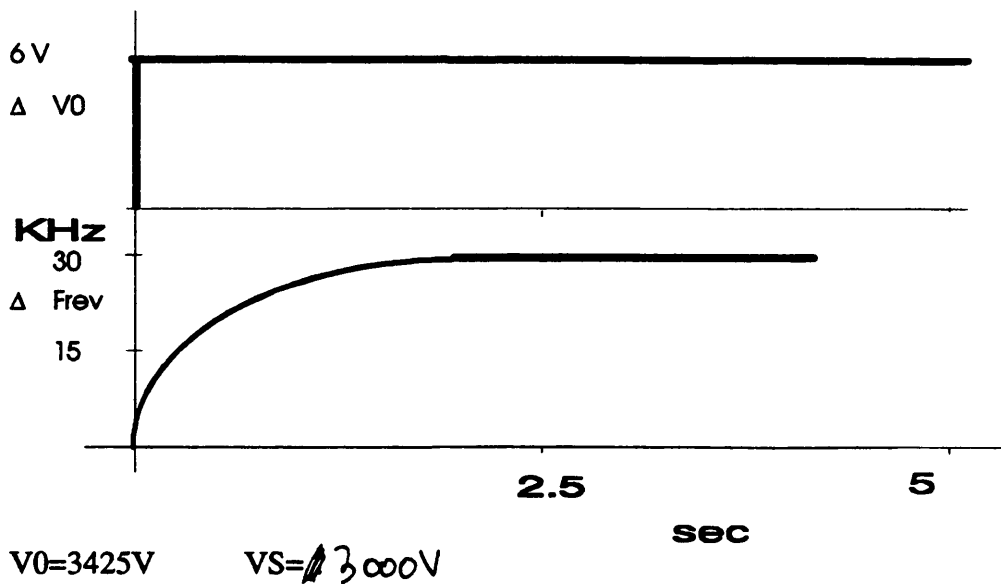


$K_p=2500$; $K_i=35$; $K_d=8000$; $KDV_0=128$

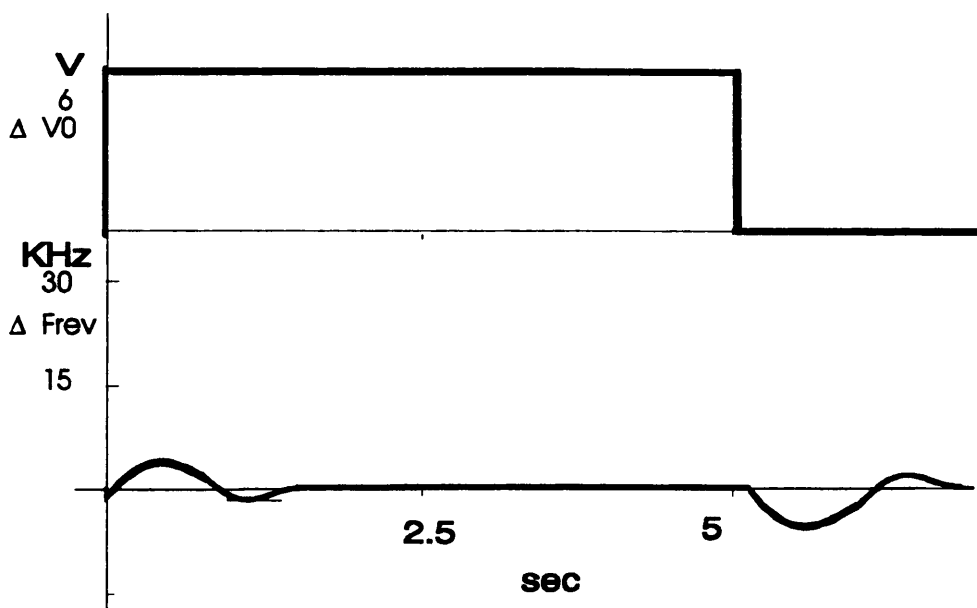
3.3) Measurement at 105 MeV/c

Frev=424520
Harmonic 95
Fmeas 40329400

3.3.1) Open loop response with a step de 6 V



3.3.2) Response with closed loop



$K_p=2500(400)$; $k_i=35(3)$; $k_d=8000(1000)$; $k_{dv0}=64(511)$

3.3) Measurements at 200 MeV/c.

We obtain a system with an average error equal to ± 0.5 but not absolutely stable. This has to be improved.

4) Machine physics

We get good results: at the second 200 MeV/c flat-top

: when decelerating from

310 MeV/c to 200 MeV/c

The deceleration from 200 to 100 MeV/c was accompanied by a large proton beam loss (from 10^7 p to $2 \cdot 10^3$ p). We note a large coherent Φ -shift.

This Φ -shift, leading to losses, may be attributed to compensation solenoids although the magnetic field is almost the same as the one we usually use.

5) Various results

(22)

5.1) Change in permeance

At 310 MeV/c we notice a sudden jump of the electron current from $I_e = 2.5 \text{ A}$ (nominal permeance) to 2.3 A. This was followed instabilities of the proton beam.

This current discontinuity and instabilities is suppressed when applying a positive voltage on V_{n3} (or V_{n4}) all the other neutralisation electrodes being at 0 V. The current flowing through the electrodes was about 1 μA (continuously). This looks like ^(the occurrence of) a secondary electron trapping in the collector region.

5.2) Change in energy

When we changed to cathode heating we changed the cooling energy while the electron current remains constant.

Increasing the cathode heating power induces an reduction of the cooled ion energy (or of the electron velocity). This can be explained by the existence of an electron cloud (due to gas ionisation) inducing a supplementary space charge potential (from the cathode to at least to E1c).

When putting a positive voltage, of about 1 kV to one of the E1c electrodes (all the other neutralisation electrodes being at 0 V)

This phenomena was suppressed

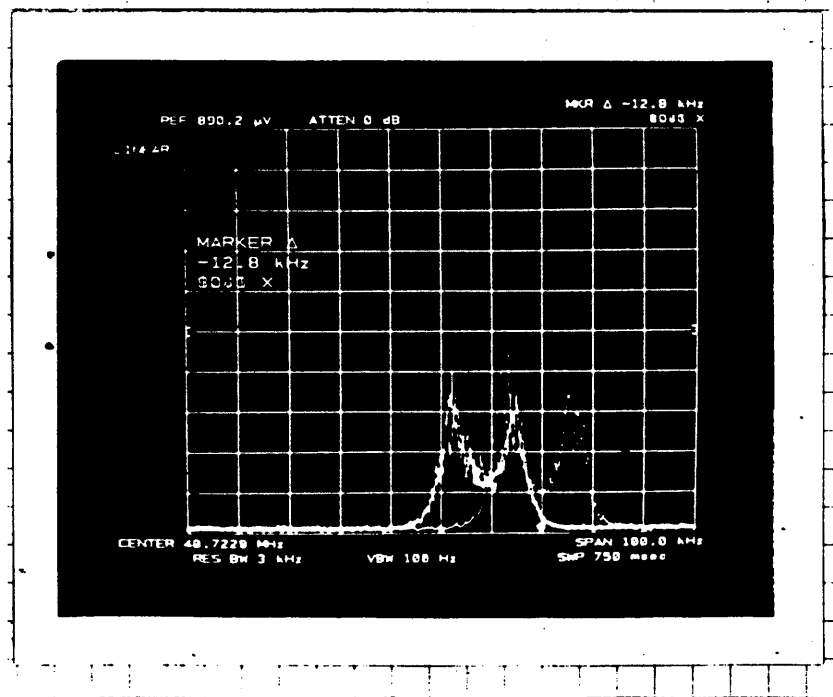
Examples with $I = 1.5A$ ($V_{stamping} = 20kV$)

Heating: from 25A to 30A introduces a reduction $\Delta f \approx -60 kHz$ (at $f_0 \approx 40 MHz$)

: from 25A to 27.5A introduces a reduction $\Delta f \approx -35 kHz$ (at $f_0 = 40 MHz$)

This reduction in revolution frequency is slow, since related to the cathode thermal inertia but also the cancelation of this effect by applying 1 kV to V_{ns} takes more than 1 minute

The next photo ($N_p = 15.3 \cdot 10^9$, $p = 310 MeV/c$) shows how a shift of $-12.8 kHz$ due to an increase of the cathode intensity (increase of about 1A) is compensated by putting $V_{ns} = 1 kV$ (all the other $V_n = 0V$)



longitudinal distribution

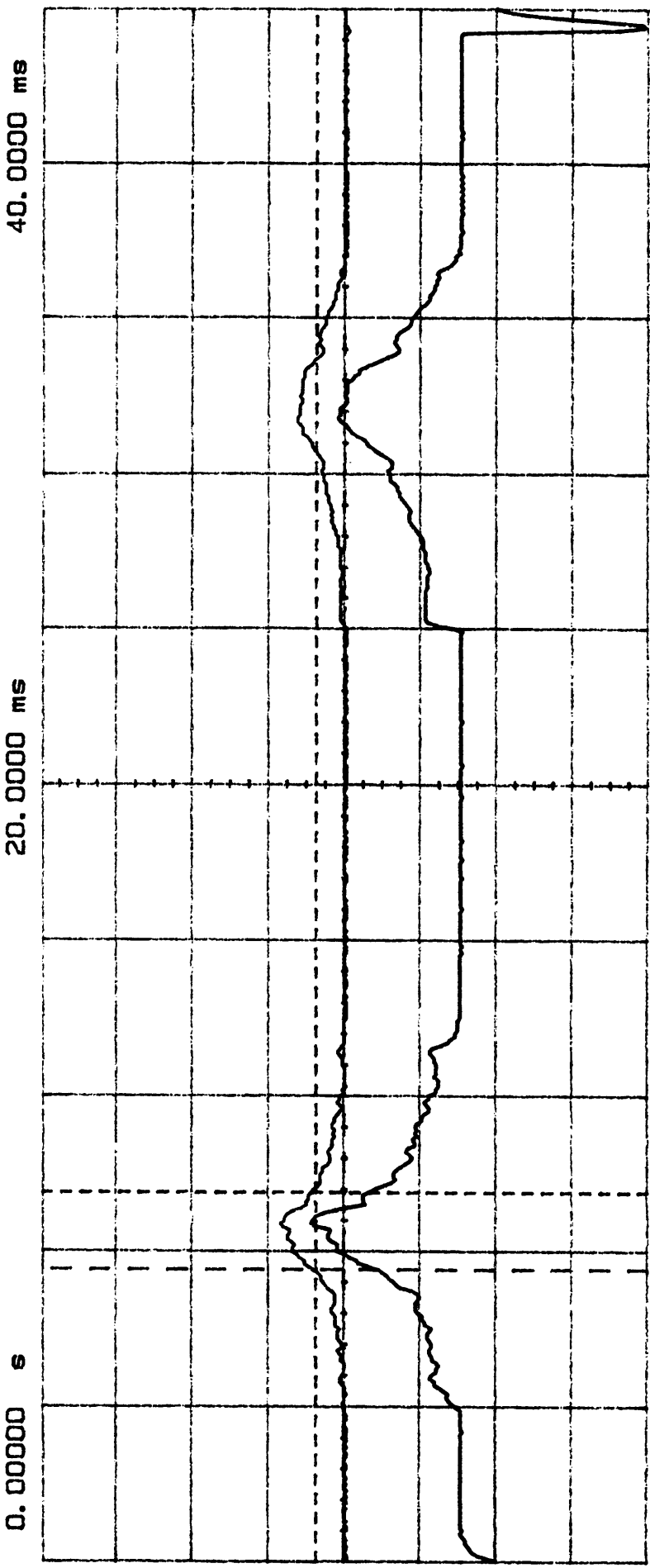
6°) H ϕ transverse profiles

Used at $p = 310$ MeV/c.

The digitalisation of the H ϕ transverse distribution on a scintillator gave reliable measurements

Fig 6.1 is a typical measurement

Fig 6.2 is a measurement without and with a shift in resolution of about 20 kHz ($f_0 = 40.7$ MHz) introduced by the experiment mentioned in 5.2. There are no significant changes in emittance

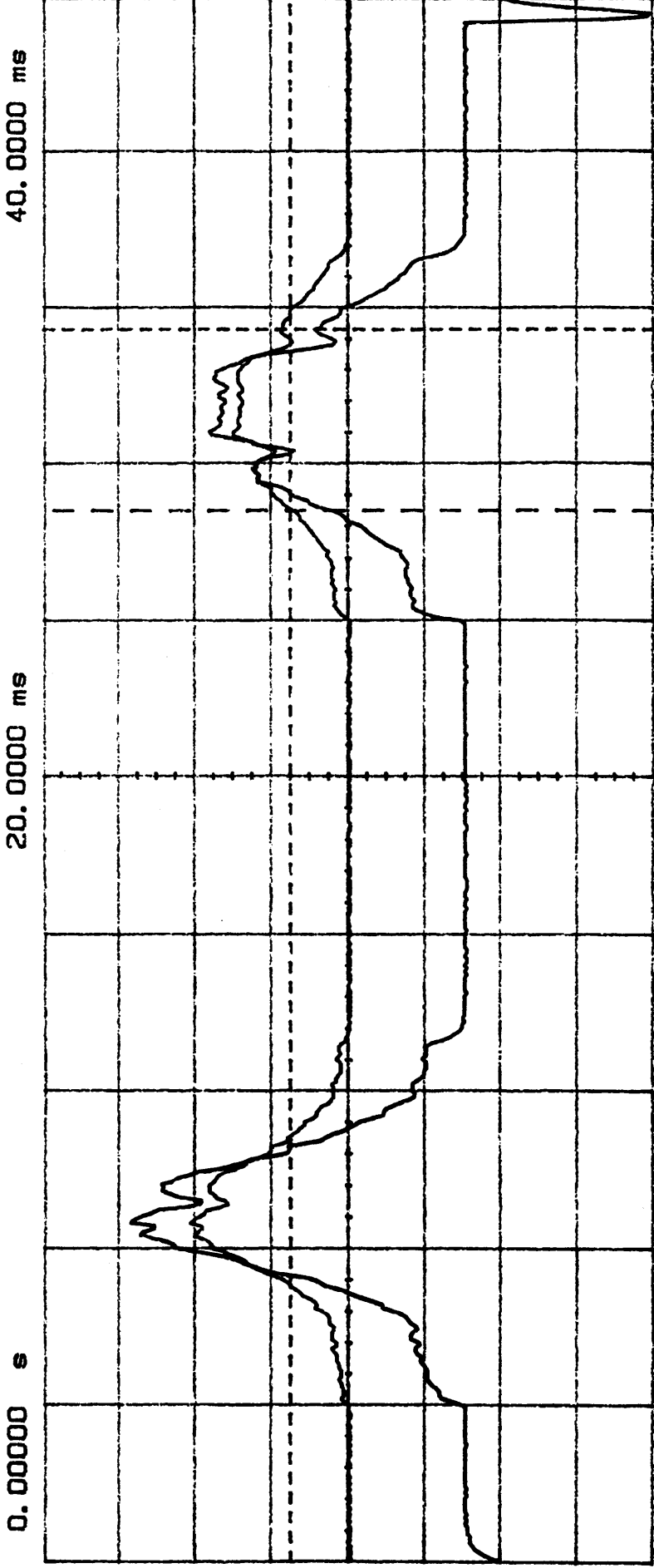


Channel 1 = 50.00 mVolts/div
 Function1 = 100.0 mVolts/div
 Timebase = 4.00 ms/div
 Start = 7.52000 ms
 Vmarker1 = 0.000 Volts
 Stop Vmarker2 = 9.52000 ms
 = 36.00 mVolts
 Offset = 50.00 mVolts
 Offset = 0.000 Volts
 Delay T = 0.000000 s
 Delta V = 2.000000 ms
 = 36.00 mVolts

Fig 6.1

$$\epsilon_v \approx 3\pi$$

$$\epsilon_v \approx 2.0\pi$$



Channel 1 = 50.00 mVolts

Offset = 50.00 mVolts
 Offset = 0.000 Volts
 Delay = 0.00000 s
 Delta T = 4.64000 ms
 Delta V = 76.00 mVolts

Stop = 31.4400 ms
 Vmarker2 = 76.00 mVolts

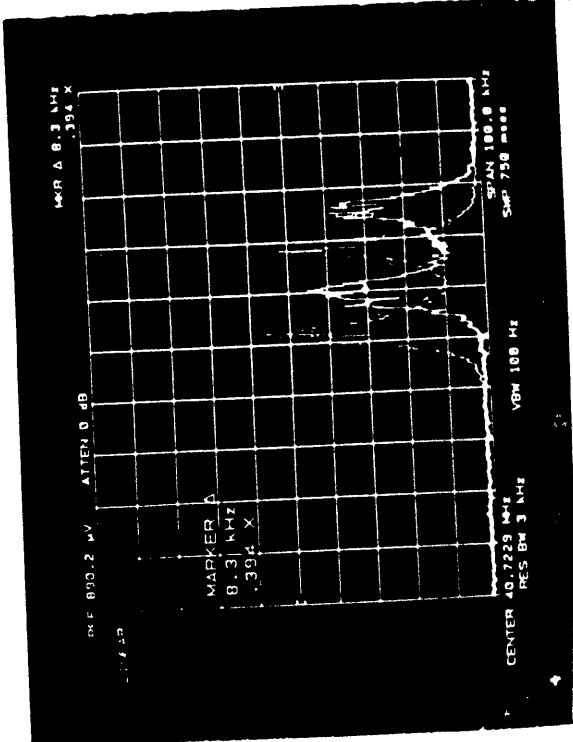


Figure 6.7

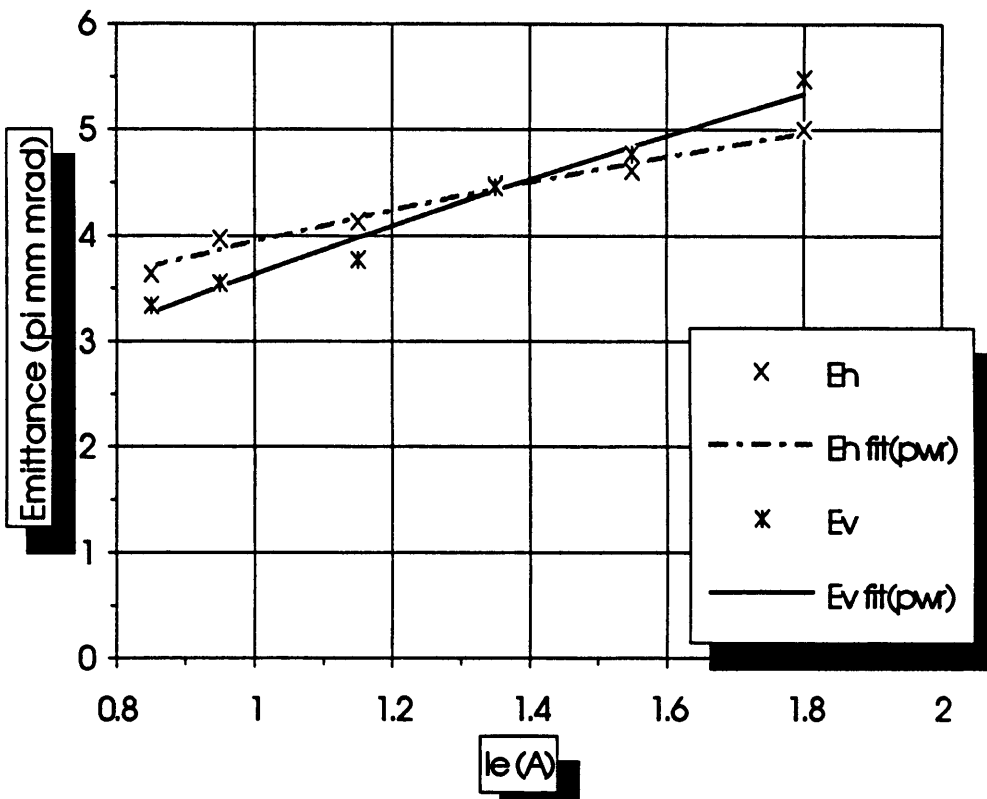
A series of measurements were made to determine the influence of particle number and electron beam intensity on the transverse equilibrium emittances at 310.1 MeV/c.

(i) E_h, E_v vs. I_e

The electron beam intensity was varied by modifying the grid potential V_g and then centering the proton beam energy to the nominal value via the cathode potential V_o . The transverse equilibrium emittances were measured from the H0 profiles. This measurement was made for a circulating beam intensity of 1.9×10^{10} protons.

I_e (A)	h FWHM (mm)	E_h (pi mm mrad)	v FWHM (mm)	E_v (pi mm mrad)	
0.85	1.3	3.6	0.85	3.3	lower limit
0.95	1.37	4.0	0.88	3.6	
1.15	1.4	4.1	0.91	3.8	
1.35	1.46	4.5	0.99	4.5	
1.55	1.48	4.6	1.02	4.8	
1.8	1.54	5.0	1.09	5.5	

Equilibrium emittances vs. electron current with electron cooling for $N_p = 1.9 \times 10^{10}$ protons

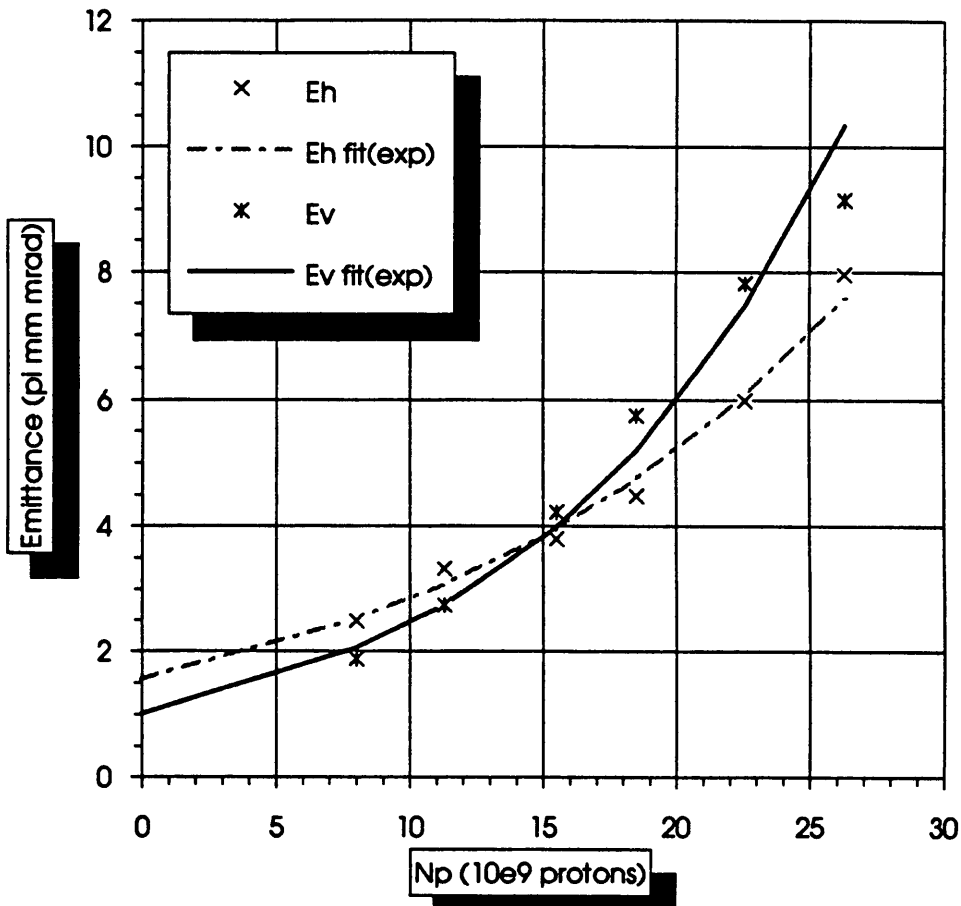


(ii) E_h, E_v vs. N_p

The injected proton beam intensity was varied by changing the head-tail clipper length (dump-switch). After the injected beam had been cooled down to equilibrium, the transverse emittances were measured from the H0 profiles. This measurement was made for an electron current of 2.42 A.

N_p (x10E9)	h FWHM (mm)	E_h (pi mm mrad)	v FWHM (mm)	E_v (pi mm mrad)
8	1.09	2.5	0.64	1.9
11.3	1.26	3.3	0.77	2.7
15.5	1.34	3.8	0.96	4.2
18.5	1.46	4.5	1.12	5.8
22.6	1.69	6.0	1.31	7.8
26.3	1.94	7.9	1.41	9.2

Equilibrium emittances vs. particle number with electron cooling for $I_e=2.42$ A



7) CONCLUSIONS

7.1) Neutralisation:

- The oscillations can be avoided to the fact that the positive potential, provided by the Elg, Elc electrodes, is not large enough in order to maintain the positive ions trapped.

- Neutralisation must be studied with high intensity e-beams and as a function of the magnetic field and if possible of the vacuum pressure.

- The oscillation time constant, amplitude, should find an theoretical explanation.

- The phenomena mentioned in 2.1.5, remark should be analysed

- Time of flight should be extended to a real BTF i.e experiments given in fig 2.2.5 and 2.2.6 have to be analysed over a larger bandwidth and therefore above the plasma frequency and some instabilities

7.2) Source System

- To be improved at: $100 \text{ MeV/c} = p$

- To be put operational for all the moments taking into account some safety rules

- It seems that this facility has left the

experimental domain and is more a technical problem.

7.3) Machine physics

So many to do! The effects of the main lensoid and of the compensation lensoids should be mastered. At each MD we lose 1 to 2 days in order to fix the LEAR for cooling

7.4) Various results

Change in forceance, Change in energy:
Need for more measurements. The problems of of interest and could be part of the Russian collaboration

7.5) H ϕ profiles

Unfortunately do not work under 200 MeV.
Should be operational.

Anyway we have to find a mean to measure transverse profiles in a short time (every 5ms)