

# Modelling radiation damage to pixel sensors in the ATLAS detector

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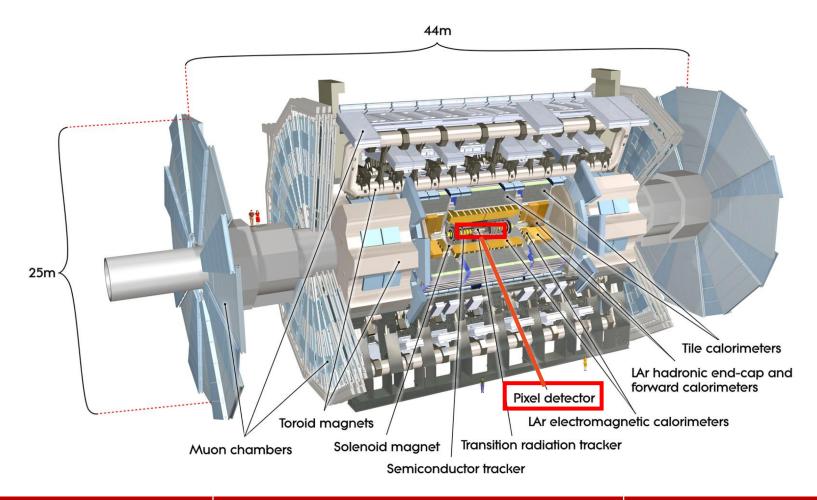
#### Dec. 10, 2019 CPAD Instrumentation Frontier Workshop 2019





#### The ATLAS Detector

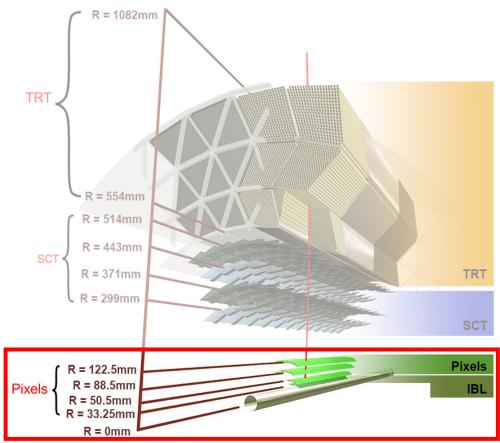
• Silicon pixel detectors are at the core of the current and planned upgrades of the ATLAS Pixel detector



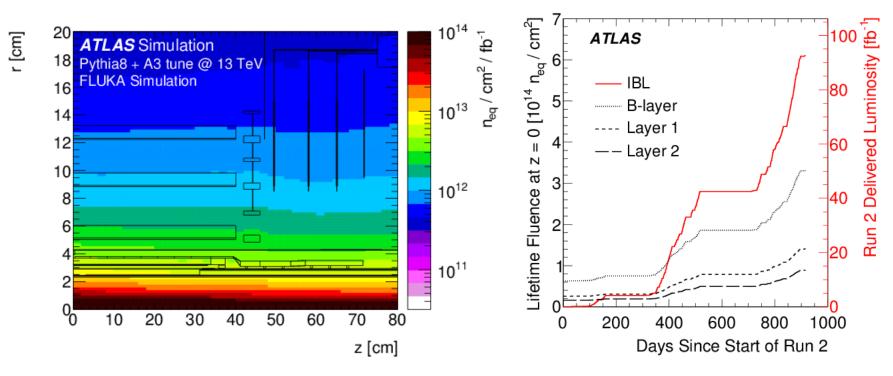


### ATLAS Pixel Detector

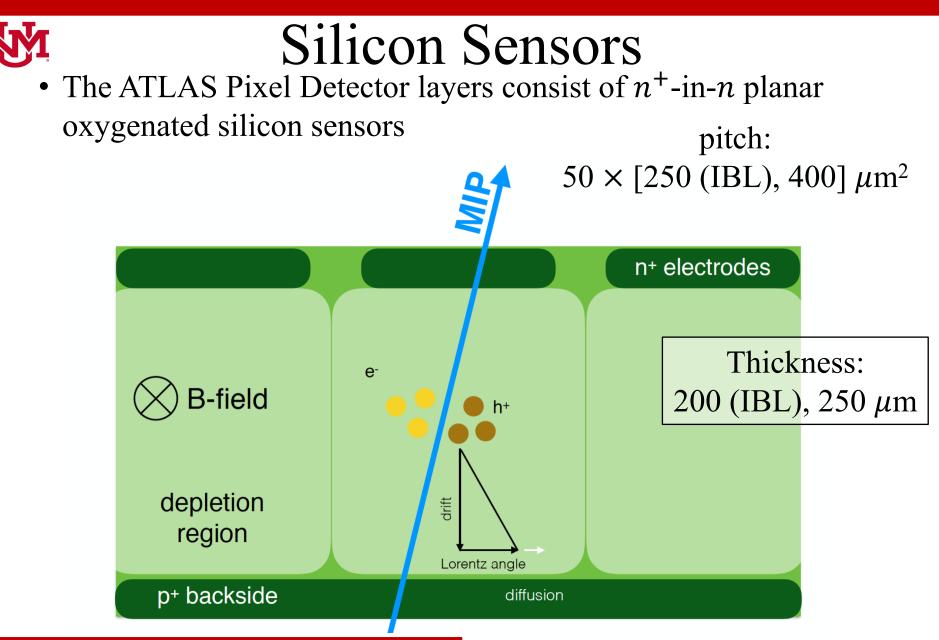
- The ATLAS Pixel detector consists of four barrel layers and 2 × 3 disks
- The innermost barrel layer (the Insertable B-Layer or IBL) is located 3.3 cm from the LHC beam line
- By the end of 2017, the integrated fluences for the two layers closest to the beam line were:
  - IBL:  $6 \times 10^{14}$  1 MeV  $n_{eq}/cm^2$
  - B-Layer:  $3 \times 10^{14}$  1 MeV  $n_{eq}/cm^2$



#### Fluence Predictions



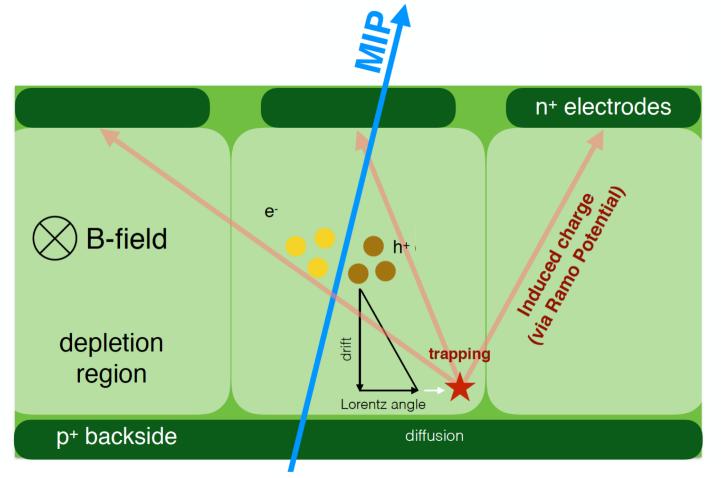
- Simulated 1 MeV  $n_{eq}$  fluence predictions made through the ATLAS FLUKA geometry on the left
- Lifetime fluence predictions for the ATLAS Pixel Detector layers are shown on the right (since the start of Run 2 on June 3, 2015)
- These simulations are used to check how much radiation damage the sensors have been exposed to and can be compared to data



On the IBL, there are  $n^+$ -in-p 3D sensors that are 230  $\mu$ m thick. They are excluded from this presentation because they are outside of ATLAS tracking acceptance

#### Radiation Damage

• Radiation introduces traps in the bulk by displacing a silicon atom from its lattice site, resulting in an interstitial and a vacancy (Frenkel pair)





### Part I

<u>Monitoring</u> of radiation damage effects
 >Use the Hamburg Model\* to validate sensor conditions data: fluence and depletion voltage

#### For more detail see: The ATLAS Collaboration, JINST 14 (2019) P06012

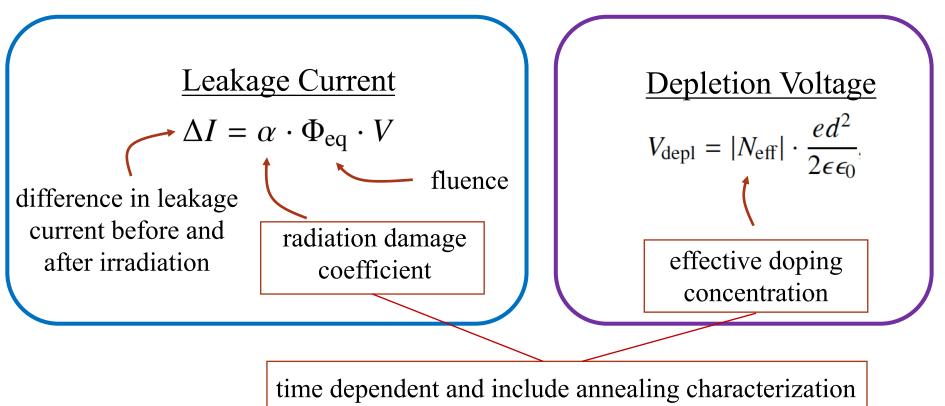
\*M. Moll, 'Radiation damage in silicon particle detectors: Microscopic defects and macroscopic properties', PhD thesis: Hamburg U., 1999, <u>http://www-library.desy.de/cgi-bin/showprep.pl?desy-thesis99-040</u>

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# Hamburg Model

• The Hamburg Model simulates leakage current and depletion voltage

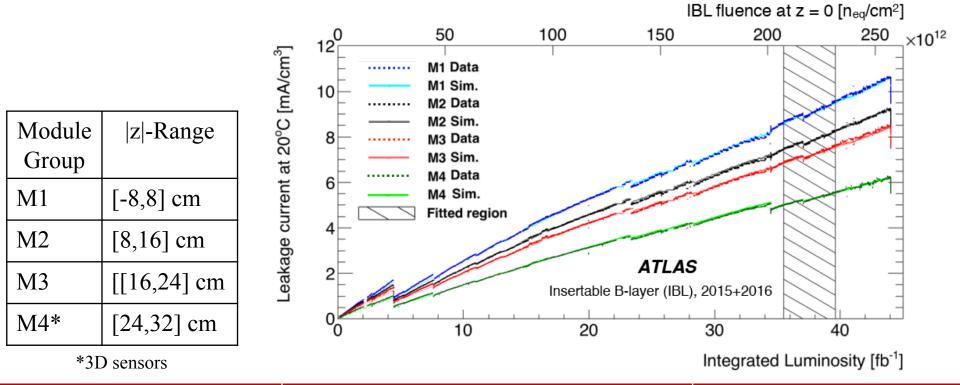


Other variables: V is the depleted volume, d is the sensor thickness, e is the charge of the electron,  $\epsilon$  is the dielectric constant, and  $\epsilon_0$  is the vacuum permittivity

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# Fluence Monitoring

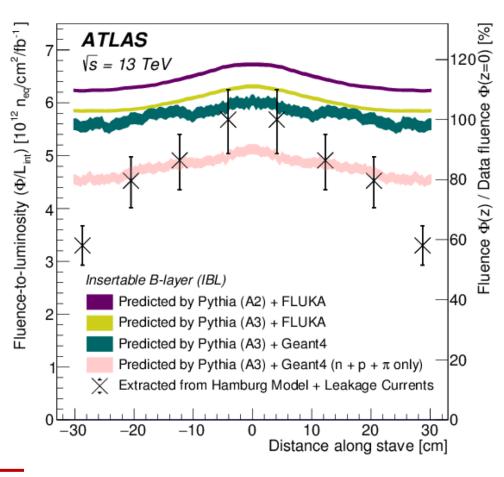
- The measured ("Data") and predicted ("Sim") leakage current as a function of integrated luminosity for IBL
- Leakage current is predicted using the Hamburg Model and by fitting the data in the dashed region to determine the fluence-to-luminosity factor,  $\Phi/L_{int}$



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### Fluence-to-luminosity

- Fluence-to-luminosity conversion factors (extracted from the leakage current fits) as a function of z on IBL
- The conversion factors are compared to those predicted with
  - Pythia + FLUKA
  - Pythia + Geant4
- Two different minimum bias tunings are are also investigated\*
- Differences between measured and predicted Φ/L<sub>int</sub> are most likely due to the particle damage factors used in the fluence predictions

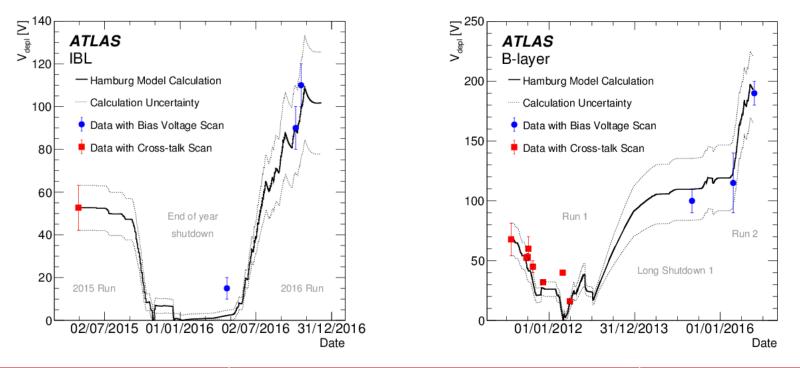


\* ATLAS Collaboration, A study of the Pythia 8 description of ATLAS minimum bias measurements with the Donnachie-Landshoff diffractive model, ATL-PHYS-PUB-2016-017, https://cds.cern.ch/record/1474107



#### Depletion Voltage

- Calculated depletion voltage according to the Hamburg Model for IBL (on the left) and the B-Layer (on the right)
- Square points indicate measurements using cross talk scans (accessible only before type inversion)
- Circular points indicate measurements of depletion voltage using bias voltage scan
- Full depletion is well predicted by the Hamburg Model





#### Part II

- <u>Modelling</u> of radiation damage effects
  - ➤Use Technology Computer Aided Design (TCAD) to implement a non-uniform electric field and compute charge propagation inside the sensor bulk
  - Implements the Chiochia double trap model\* (one acceptor trap and one donor trap)

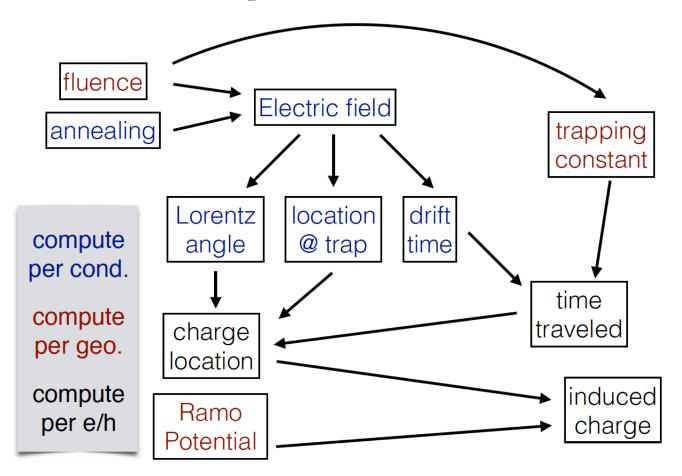
For more detail see: The ATLAS Collaboration, JINST 14 (2019) P06012

\*V. Chiochia et al., A Double junction model of irradiated silicon pixel sensors for LHC, NIMA 568 (2006) 51



# Digitizer Model

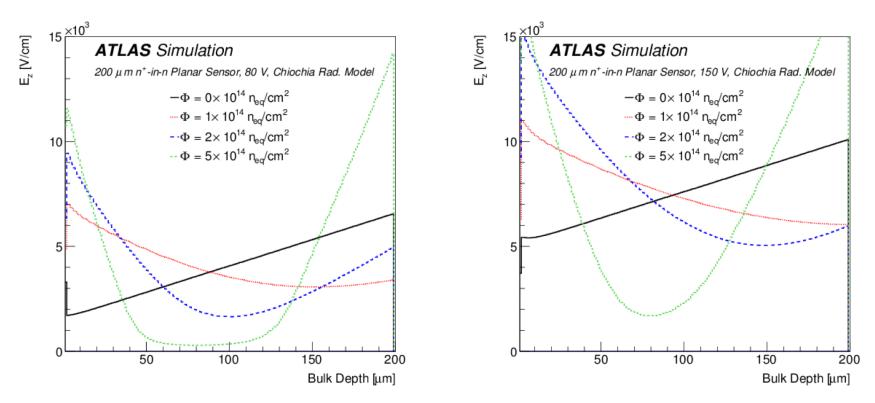
• A schematic of the digitizer model is shown here – start with fluence and annealing input and produce induced charge at the electrode as output





## Electric Field

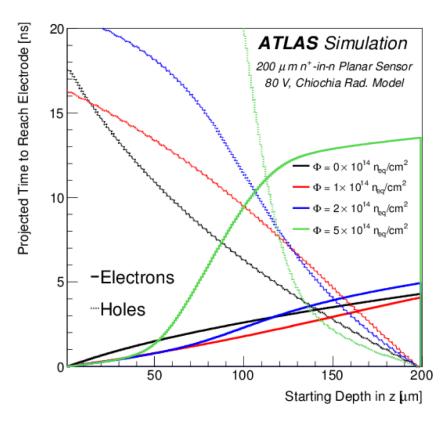
- The simulated electric field magnitude in the z direction along the bulk depth of an ATLAS IBL sensor
  - Simulation uses the Chiochia Radiation Model through TCAD
  - The electric field is averaged over x and y
- The E field at various fluences is shown for the sensor biased at: 80 V (on the left) and 150 V (on the right)





#### Time-to-Electrode

- The projected time in the absence of trapping – for an electron or hole to drift from the point of generation to the collecting electrode (for electrons) or back plane (for holes)
- Using E fields predicted by Chiochia model through TCAD simulation



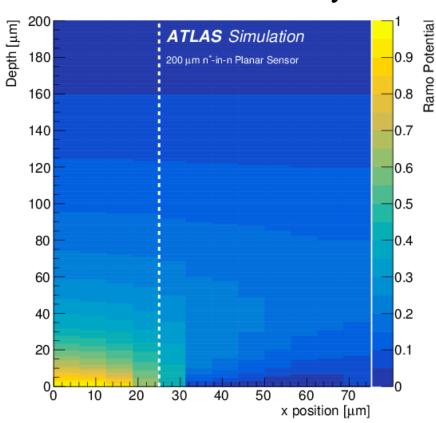
- An exponential distribution, with mean value  $1/\beta \Phi$ , is used to set the random charge trapping time
  - $\beta$  is the trapping constant and  $\Phi$  is fluence



# Ramo Potential

- The Ramo potential is calculated using TCAD to solve the Poisson equation  $(\nabla^2 \phi_W = \rho/\epsilon)^*$  and from the geometry of the sensor
  - Here  $\phi_W$  is the Ramo potential,  $\rho$ is the charge density in the bulk, and  $\epsilon$  is the dielectric constant
- Slice of the full three-dimensional ATLAS IBL planar sensor Ramo potential is shown
  - The dashed vertical line (at 25  $\mu$ m) indicates the edge of the primary pixel
  - 0 20 30 40 10 Induced charge on the electrode is computed with the Ramo potential and the charge trapping location:

$$Q_{\text{induced}} = -q[\phi_{\text{w}}(\vec{x}_{\text{end}}) - \phi_{\text{w}}(\vec{x}_{\text{start}})]$$



shown at y = 0

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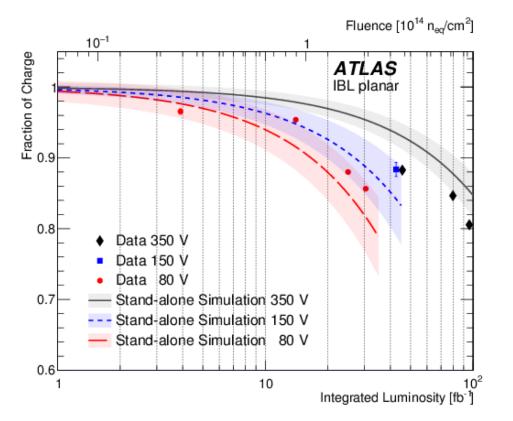
## Part III

- Model validations
  - Comparing simulations with data for: charge collection efficiency and Lorentz angle

For more detail see: The ATLAS Collaboration, JINST 14 (2019) P06012

# Charge Collection Efficiency

- Charge collection efficiency as a function of integrated luminosity for 80 V, 150 V, and 350 V bias voltage
- The bias voltage was increased during data-taking, so the data points are only available at increasing high-voltage values

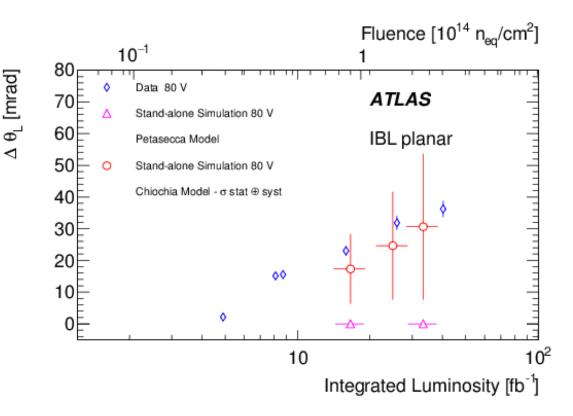


- The uncertainty on the simulation is due to model parameters as well as the uncertainty in the fluence-to-luminosity conversion
- Uncertainties on the data are due to charge calibration drift (vertical) and luminosity uncertainty (horizontal)



# Lorentz Angle

- The change in the Lorentz angle  $(\theta_L)$  from the unirradiated case as a function of integrated luminosity
- Two TCAD radiation models are considered: Chiochia and Petasecca\*
  - The Petasecca model predicts a linear electric field profile
- Due to the deformation of the E field, the mobility and Lorentz angle increase with fluence



\*M. Petasecca et. al., Numerical Simulation of Radiation Damage Effects in p-Type and n-Type FZ Silicon Detectors, IEEE Transactions on Nuclear Science 53 (2006) 2971



#### Conclusions

- The digitization model for the silicon sensors in ATLAS Pixel Detector detector has been presented
- Fluence and depletion voltage predictions with the Hamburg Model have been validated with data
- TCAD simulations with effective traps in the silicon bulk are used to model the distortions in the electric field
- The impact of annealing is studied in the digitization framework
- Validation of the digitization model through physical observables (charge collection efficiency and Lorentz Angle) has been presented



#### Additional Slides





#### Hamburg Model: Leakage Current

• The Hamburg model is based on this relationship:

$$\Delta I = \alpha \cdot \Phi_{\rm eq} \cdot V$$

• And by replacing  $\alpha$  (the radiation damage coefficient) the equation becomes:

$$I_{\text{leak}} = (\Phi_{\text{eq}}/L_{\text{int}}) \times V \cdot \sum_{i=1}^{n} L_{\text{int},i} \cdot \left[ \alpha_{\text{I}} \exp\left(-\sum_{j=i}^{n} \frac{t_j}{\tau(T_j)}\right) + \alpha_0^* - \beta \log\left(\sum_{j=i}^{n} \frac{\Theta(T_j) \cdot t_j}{t_0}\right) \right]$$

- Where the variables are:
  - $\Phi_{eq}$  is the fluence,  $L_{int}$  is the integrated luminosity, V is depleted volume of the sensor,  $t_i$  is the time, and  $t_0 = 1$  min
  - $\alpha_I = (1.23 \pm 0.06) \times 10^{-17} \text{ A/cm}$
  - $\tau^{-1} = (1.2^{+5.3}_{-1.0}) \times 10^{13} \text{ s}^{-1} \times e^{(-1.11 \pm 0.05) \text{ eV}/k_{\text{B}}T}$
  - $\alpha_0^* = 7.07 \cdot 10^{-17}$  A/cm.

• 
$$\beta = (3.29 \pm 0.18) \times 10^{-18}$$
 A/cm

• and 
$$\Theta(T) = \exp\left[-\frac{E_{\text{eff}}}{k_{\text{B}}}\left(\frac{1}{T} - \frac{1}{T_{\text{R}}}\right)\right]$$

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# Hamburg Model: Depletion Voltage

$$N_{\rm eff}(t) = N_{\rm D}^{\rm non-removable}(0) + N_{\rm D}^{\rm removable}(t) - N_{\rm A}^{\rm stable}(t) - N_{\rm A}^{\rm beneficial}(t) - N_{\rm A}^{\rm reverse}(t),$$
(3)

$$\frac{d}{dt}N_{D}^{\text{removable}}(t) = -c\phi(t)N_{D}^{\text{removable}}(t) \quad \text{removal of donors for } n\text{-type during irradiation,} \quad (4)$$

$$\frac{d}{dt}N_{A}^{\text{stable}}(t) = g_{C}\phi(t) \quad \text{addition of stable acceptors during irradiation,} \quad (5)$$

$$\frac{d}{dt}N_{A}^{\text{beneficial}}(t) = g_{A}\phi(t) - k_{A}(T)N_{A}^{\text{beneficial}}(t) \quad \text{beneficial annealing,} \quad (6)$$

$$\frac{d}{dt}N_{N}^{\text{reverse}}(t) = g_{Y}\phi(t) - k_{Y}(T)N_{N}^{\text{reverse}}(t) \quad \text{reverse annealing - neutrals,} \quad (7)$$

$$\frac{d}{dt}N_{A}^{\text{reverse}}(t) = k_{Y}(T)N_{N}^{\text{reverse}}(t) \quad \text{reverse annealing - acceptors,} \quad (8)$$

Parameter	IBL [ $\times 10^{-2}$ cm <sup>-1</sup> ]	<i>B</i> -layer [× $10^{-2}$ cm <sup>-1</sup> ]	ROSE Coll. $[\times 10^{-2} \text{ cm}^{-1}]$
<i>g</i> A	$1.4 \pm 0.5$	$1.4 \pm 0.5$	1.4 ( <i>n</i> )
$g_{ m Y}$	$6.0 \pm 1.6$	$6.0 \pm 1.6$	2.3 ( <i>p</i> ), 4.8 ( <i>n</i> )
<i>g</i> c	$1.1 \pm 0.3$	$0.45 \pm 0.1$	0.53 ( <i>p</i> ), 2.0 ( <i>n</i> )

 $V_{\rm depl} = |N_{\rm eff}| \cdot \frac{ed^2}{2\epsilon\epsilon_0},$ 

where d is the sensor thickness, e is the charge of the electron,  $\epsilon$  is the dielectric constant, and  $\epsilon_0$  is the vacuum permittivity

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1 May 2019