

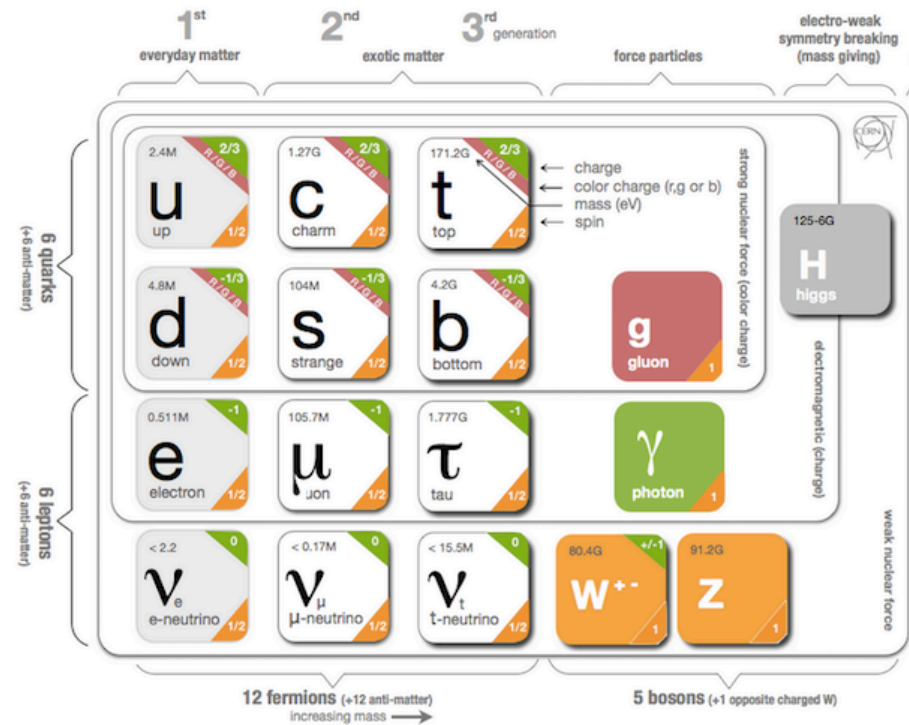


Time-integrated measurements of the CKM angle γ

Sneha Malde
University of Oxford
On behalf of the LHCb collaboration

ICHEP, Prague, 28th July -3rd August 2020

The Standard Model – not full story



Empirical

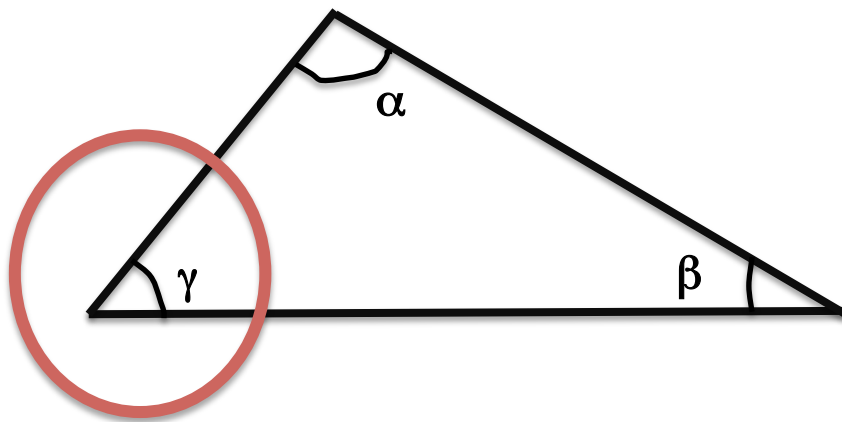
- Dark Matter
- Matter rather than antimatter
- Gravity
- ... more

Aesthetic

- Why 3 generations?
- Unification
- Fine tuning / hierarchy

A promising area - CP violation

- Probing CPV further may uncover the effects of NP
- CKM matrix describes the coupling of the weak and mass eigenstates of quarks.
- Single free phase in the CKM matrix gives rise to Standard Model CPV



$$\gamma = -\arg\left(\frac{V_{ud}V_{ub}^*}{V_{cd}V_{cb}^*}\right)$$

$$\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}$$

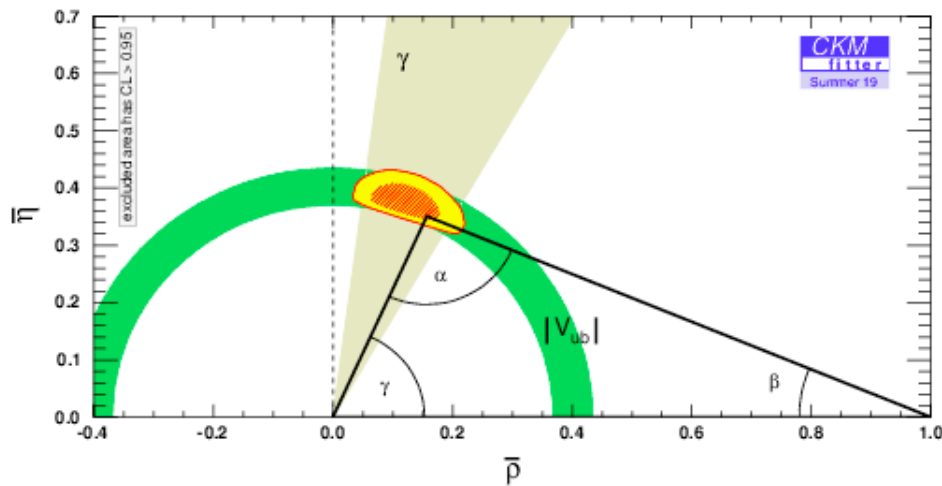
Using the properties of unitary matrices

$$0 = 1 + \frac{V_{tb}^*V_{td}}{V_{cb}^*V_{cd}} + \frac{V_{ub}^*V_{ud}}{V_{cb}^*V_{cd}}$$

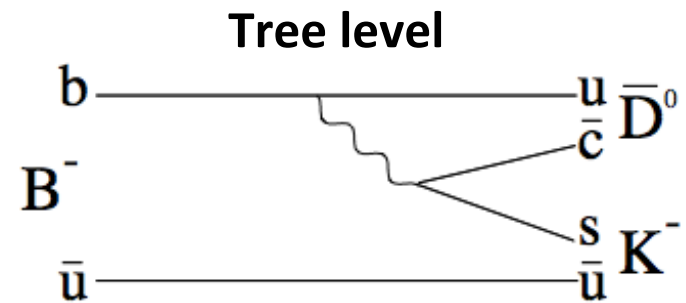
CKM angle γ

Direct measurement

- γ only angle easily accessible at tree level.
- Tree level measurements are “SM” benchmark values - no interference from New Physics
- Effectively no theory uncertainties.



Standard model benchmark



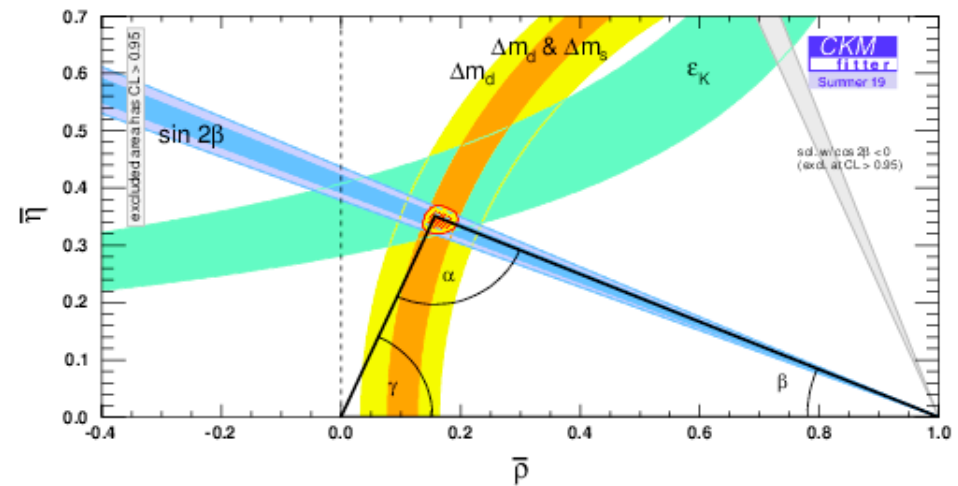
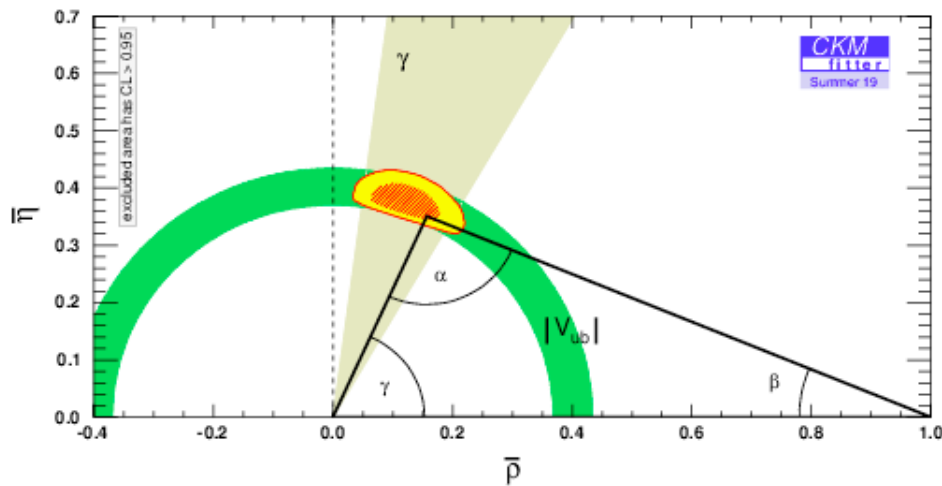
CKM angle γ

Direct measurement vs

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Indirect determination

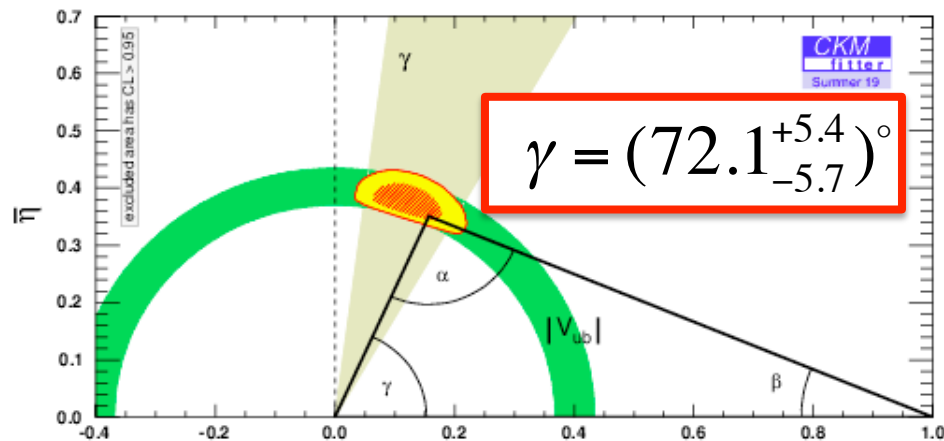
- Assume the triangle is closed. Measurements of the other sides and angles are used to infer the value of γ .
- New Physics can contribute – potential for different central value.



CKM angle γ

Direct measurement vs.

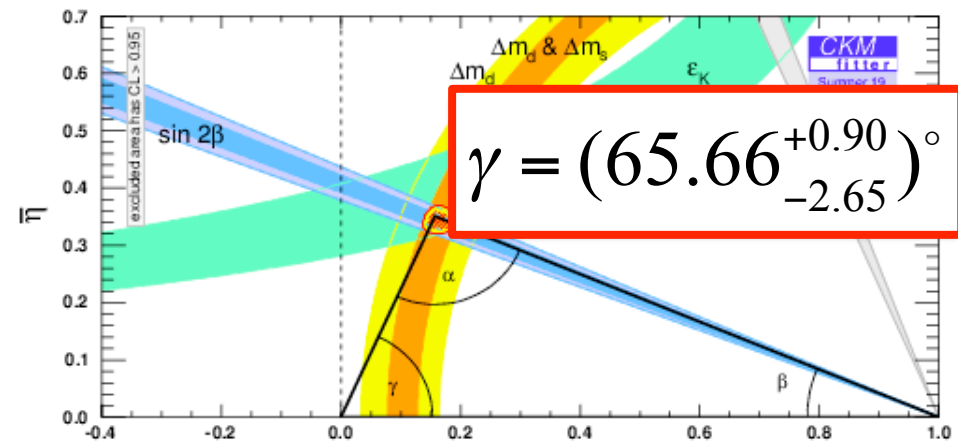
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- Large experimental uncertainties.
- **Significant progress possible in next few years**

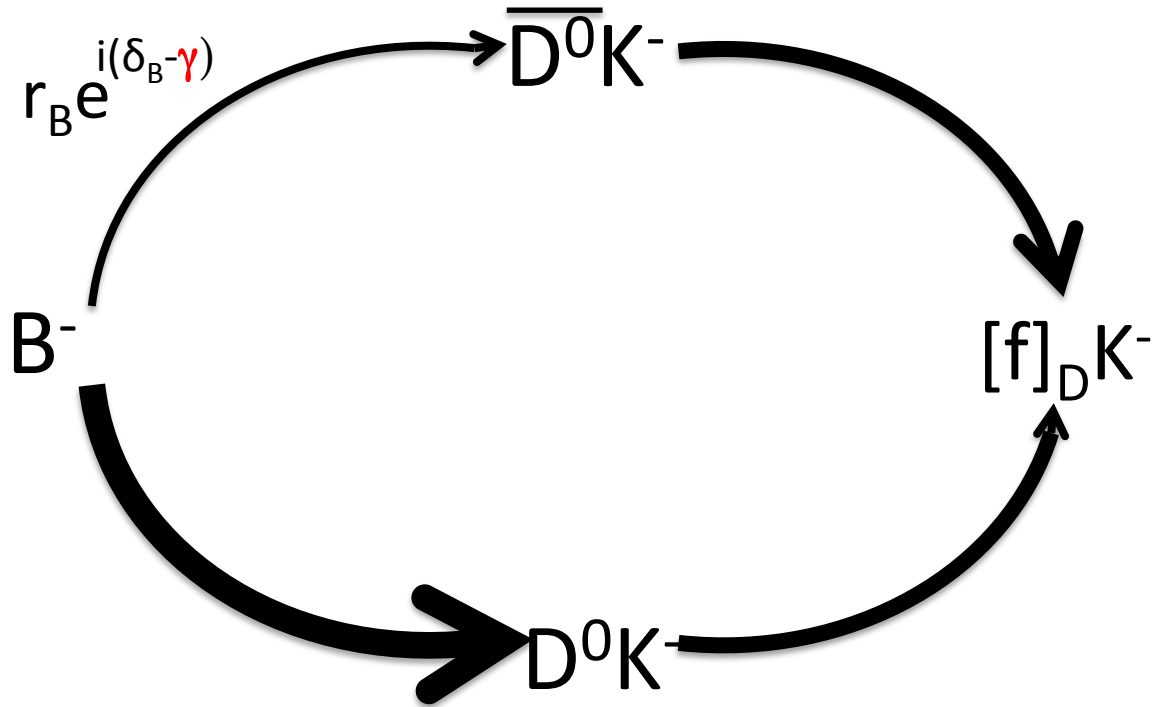
Indirect determination

- Assume the triangle is closed. Measurements of the other sides and angles are used to infer the value of γ .
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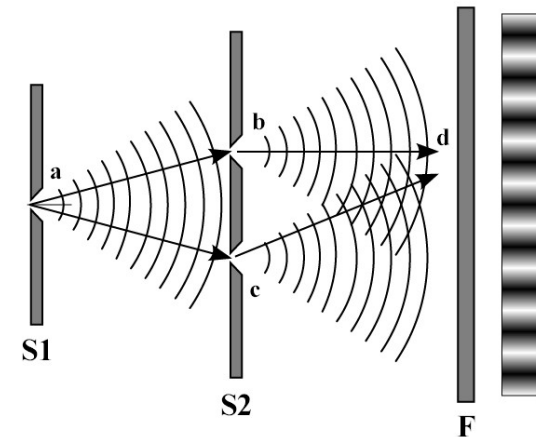
- Uncertainties from LQCD
- Can expect reduction in time

Using a common D decay final state

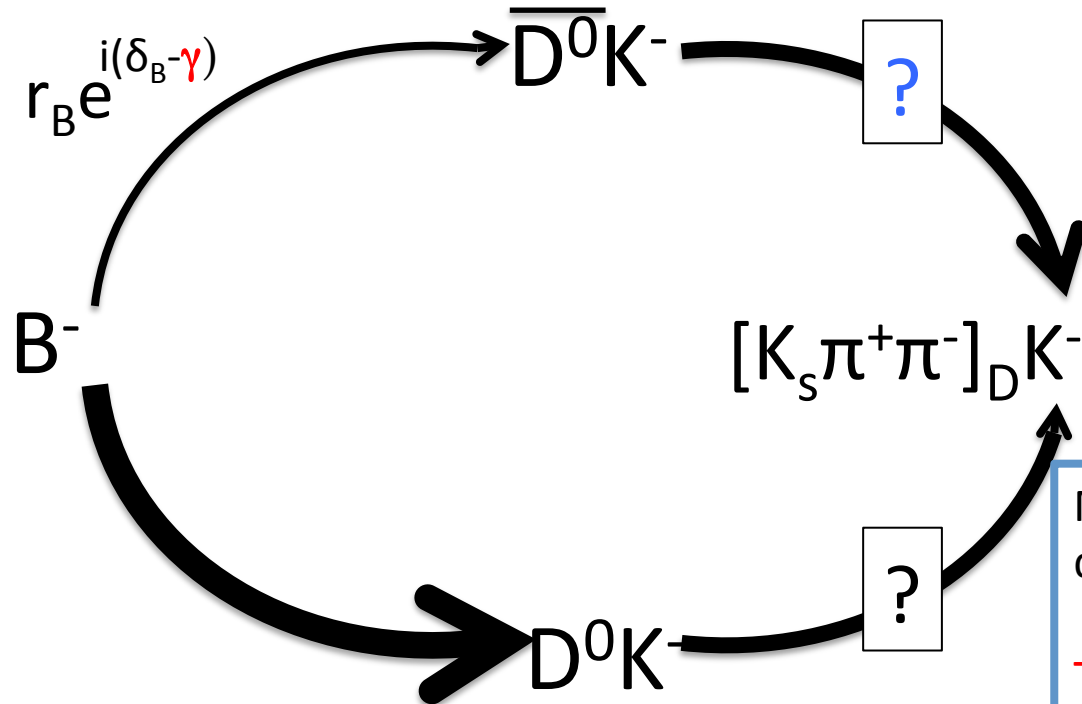


The level of interference, and its exact manifestation is dependent on the physics of the B decay **AND D decay**

- Common final state allows interference between the two paths
- Interference gives access to the phase



Self-conjugate D decays using Dalitz plot “BPGGSZ”



3-body D meson decay.

The level of interference, and its exact manifestation is dependent on the physics of the B decay **AND D decay**

Many combinations of B and D decays give sensitivity to γ

This talk:

- Focus on $B^+ \rightarrow D(Kshh)h'$
- Briefly $B^+ \rightarrow D(KsK\pi)h$

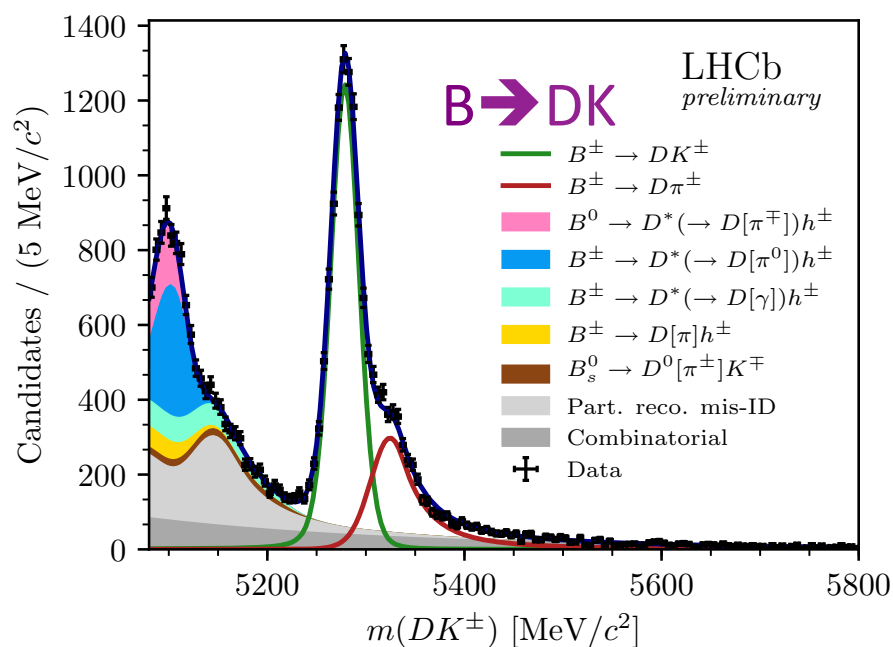
NEW

Time dependent results shown in Eva Gersabeck's talk – Next talk!

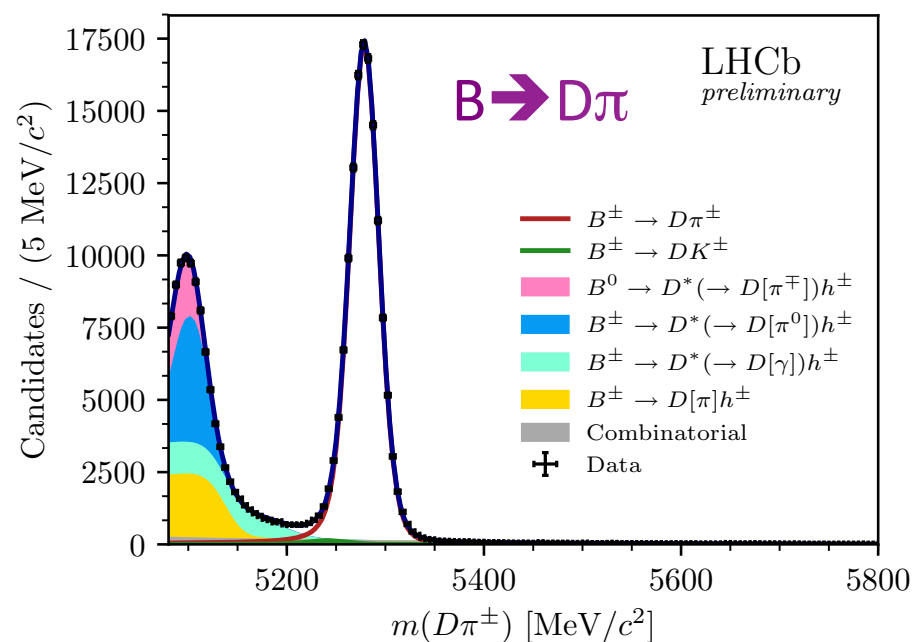
LHCb data selection

Excellent detector performance:

- Trigger efficiency, IP resolution, momentum resolution and hadron PID lead to large yields with high purity

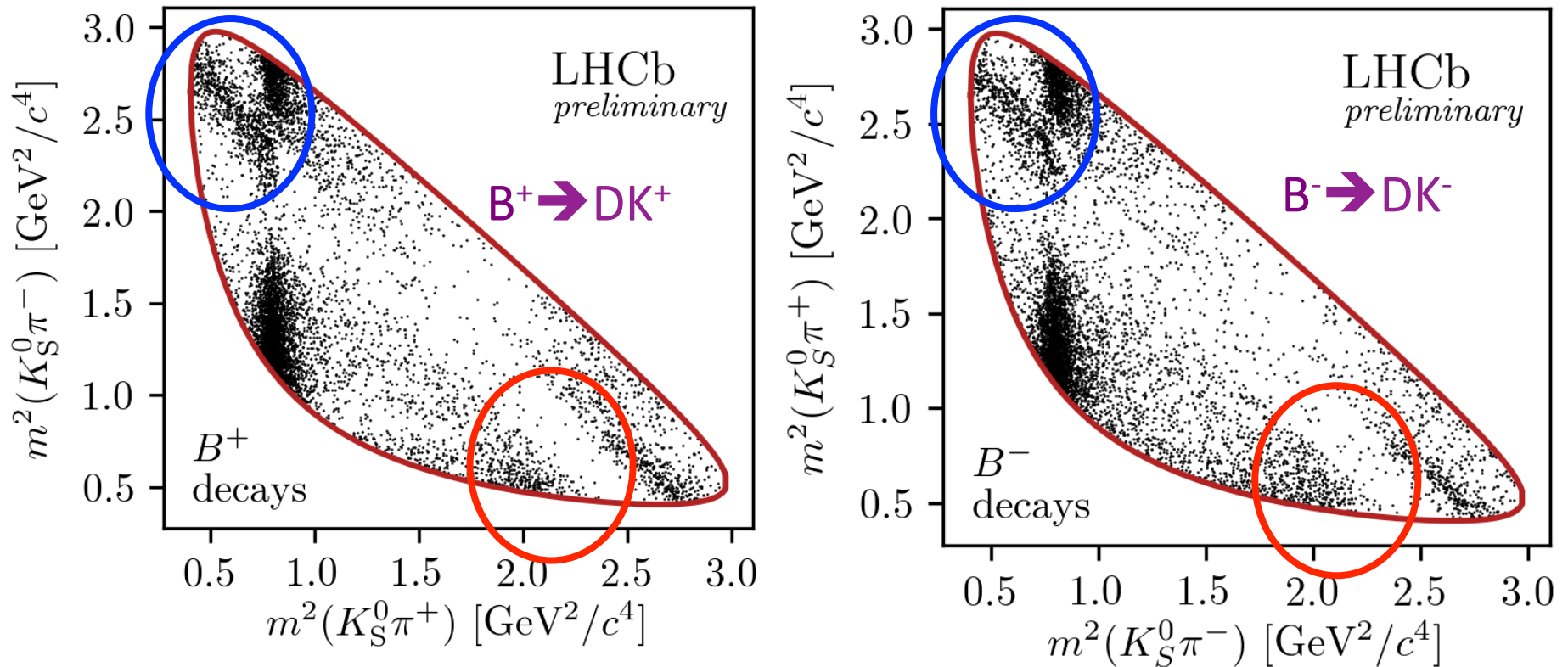


In total ~ 15K $B \rightarrow DK$
210K $B \rightarrow D\pi$



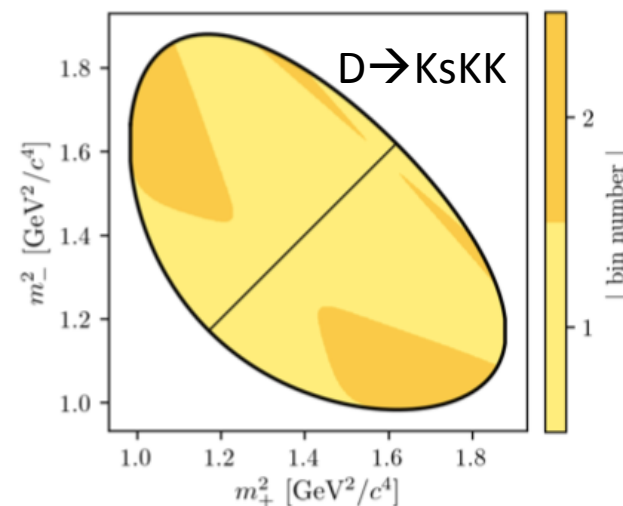
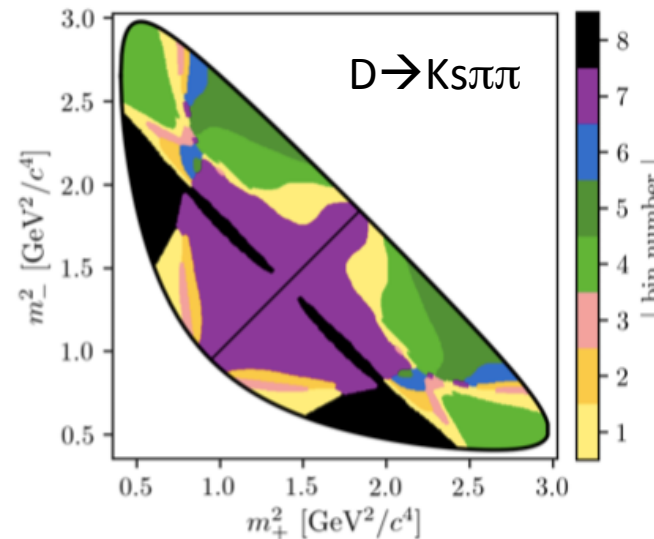
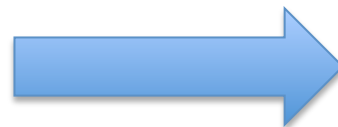
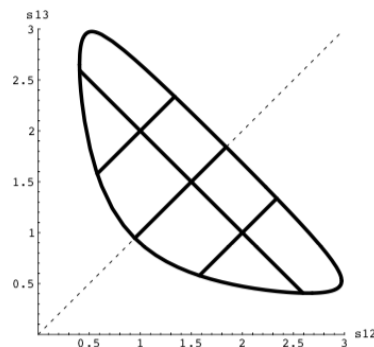
Full dataset from 2011 - 2018

CP violation on the D-Dalitz plot distribution



The magnitude and position of the differences is driven by the values of r_B , δ_B , γ , and the physics of the D decay

Compare Bin yields



- Idea – compare yields in bins between B^+ and B^-
- Non uniform binning scheme chosen to maximise statistical sensitivity
- $D \rightarrow K_s K K$ can also be included
- Results are **independent** of any amplitude model

Yield equations

- Observed yields in each bin can be related to physics parameters of interest and D^0 decay information

$$N_{+i}^+ = h_{B^+} \left[F_{-i} + \left((x_+^{DK})^2 + (y_+^{DK})^2 \right) F_{+i} + 2\sqrt{F_i F_{-i}} (x_+^{DK} c_{+i} - y_+^{DK} s_{+i}) \right]$$

$$N_{+i}^- = h_{B^-} \left[F_{+i} + \left((x_-^{DK})^2 + (y_-^{DK})^2 \right) F_{-i} + 2\sqrt{F_i F_{-i}} (x_-^{DK} c_{+i} + y_-^{DK} s_{+i}) \right]$$

Yield equations

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- Physics parameters of interest $x_{\pm} = r_B \cos(\delta_B \pm \gamma)$; $y_{\pm} = r_B \sin(\delta_B \pm \gamma)$

Yield equations

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- Physics parameters of interest $x_{\pm} = r_B \cos(\delta_B \pm \gamma)$; $y_{\pm} = r_B \sin(\delta_B \pm \gamma)$
- Strong phase parameters of the D decay from BESIII+CLEO*
- Access to quantum-correlated D decay allows them access to the phase information.

PRD 101 112002, PRD 82 112006

* Preliminary result doesn't use the recent $D \rightarrow KsKK$ result arXiv:2007.07959

Yield equations

- Observed yields in each bin can be related to physics parameters of interest and D^0 decay information

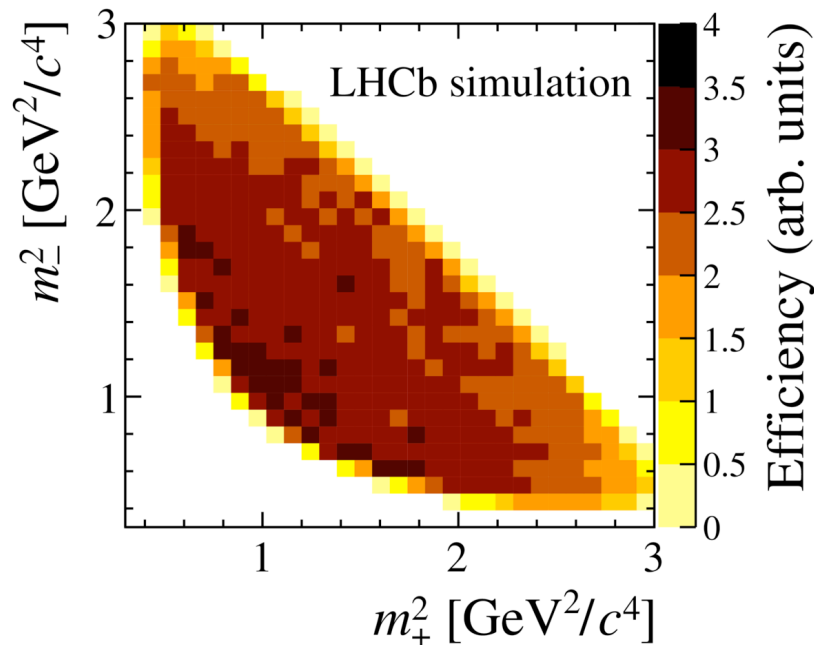
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- Physics parameters of interest $x_{\pm} = r_B \cos(\delta_B \pm \gamma)$; $y_{\pm} = r_B \sin(\delta_B \pm \gamma)$
- Strong phase parameters of the D decay from BESIII+CLEO
- Fraction of pure D^0 decay to bin i taking into account the reconstruction and selection efficiency

Efficiency and $B \rightarrow D\pi$

Efficiency profile is not uniform

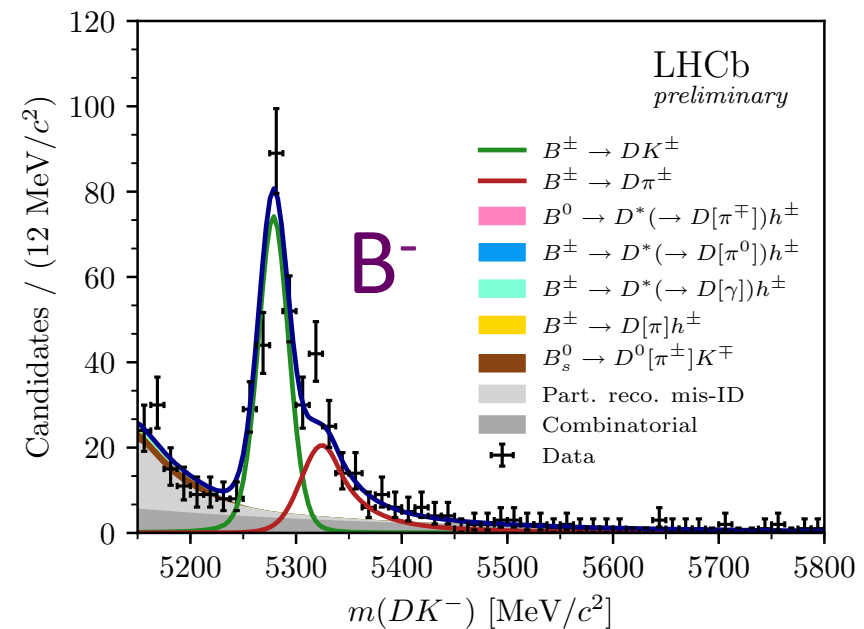
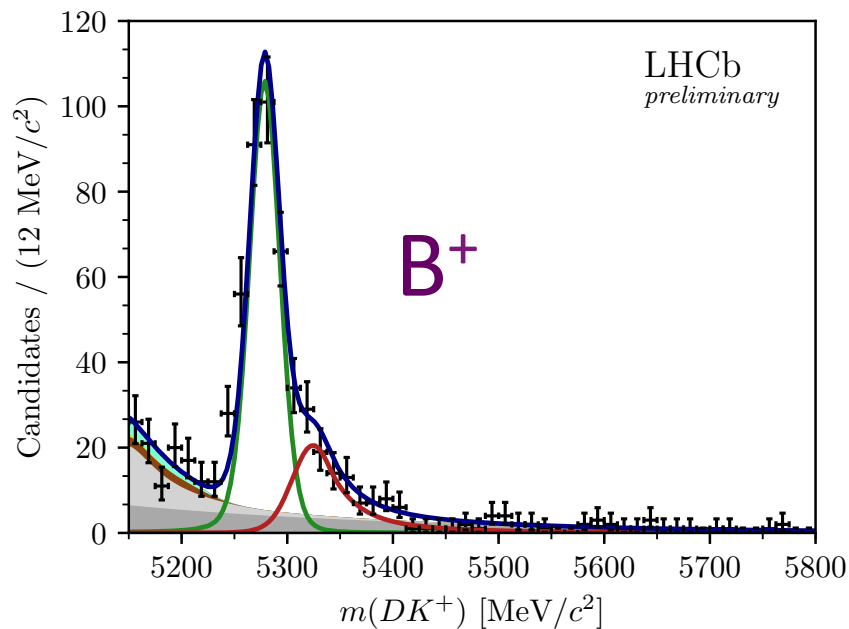


Reduce systematic uncertainties,
reduce reliance on simulation

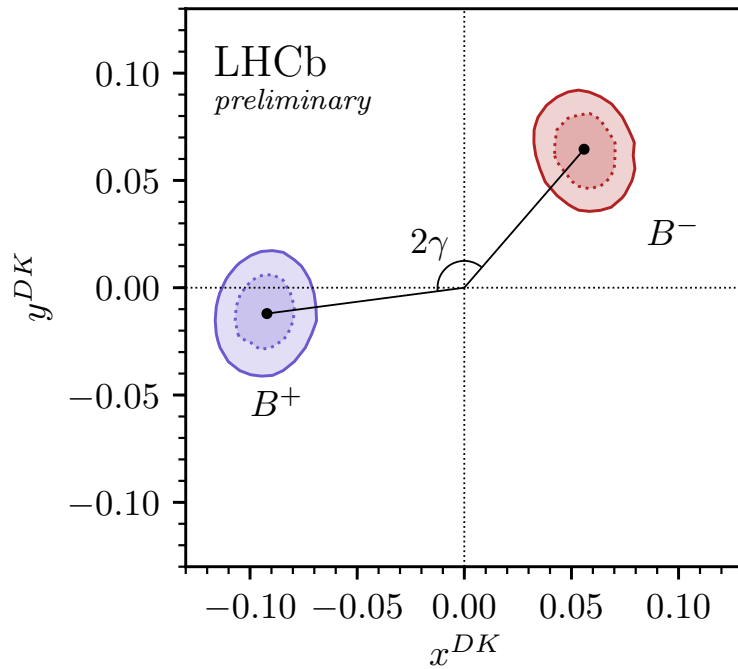
- Previously used $B \rightarrow D^* \mu \nu$ and simulation to determine the F_i – but the trigger and selection can't be the same.
- Efficiency profile in $B \rightarrow D\pi$ would be the same – topology same
- Branching fraction $\sim \times 12$ larger - obvious control mode **BUT CPV and other physics effects in this channel** must be understood/taken into account.
- **For the first time**, use this as the control mode to determine the F_i (and simultaneously determine the CPV parameters in $B \rightarrow D\pi$)

Fit

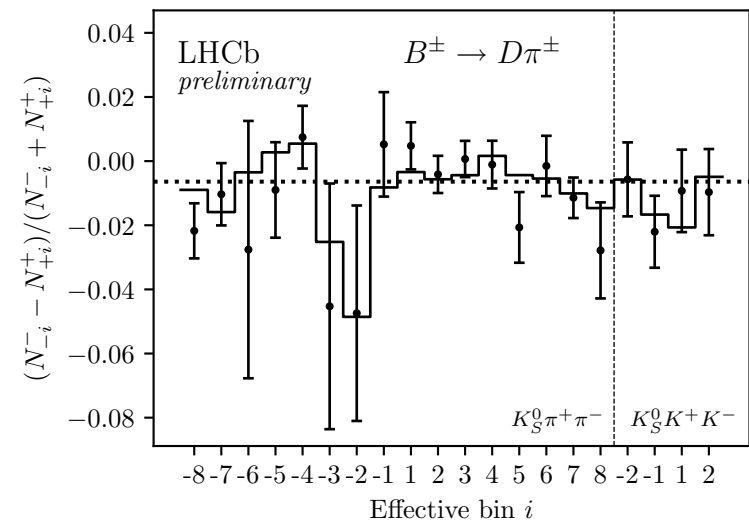
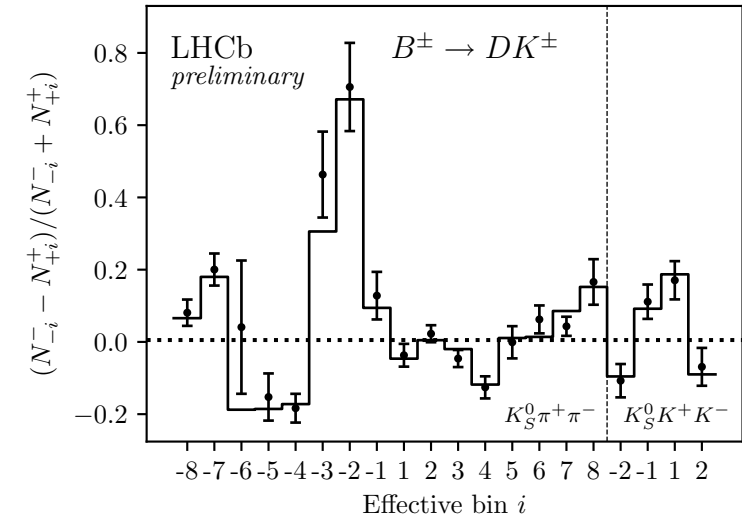
- Mass fit performed in each Dalitz plot bin to determine x, y CP observables
- Example bin 4 shown below and demonstrates a region of large asymmetry



Results



- CP violation is clearly observed in $B \rightarrow DK$.
- Data insufficient to see CPV in $B \rightarrow D\pi$



Interpretation + Comparison

2011 -2018: Preliminary

$$\gamma = (69 \pm 5)^\circ$$

$\sigma(\text{stat}) \sim 5^\circ$ $\sigma(\text{BESIII+CLEO}) \sim 1^\circ$, $\sigma(\text{syst}) \sim 1^\circ$



Interpretation + Comparison

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2011 -2016:

$$\gamma = (80_{-9}^{+10})^\circ$$

$\sigma(\text{stat}) \sim 9^\circ$

$\sigma(\text{CLEO}) \sim 4^\circ$, $\sigma(\text{syst}) \sim 3^\circ$



New inputs from BESIII on strong phases in $D \rightarrow K_s \pi \pi$ make a large difference

Use of the $B \rightarrow D \pi$ decay mode to incorporate the efficiency effects reduces the experimental systematic uncertainties.

Interpretation + Comparison

2011 -2018: Preliminary

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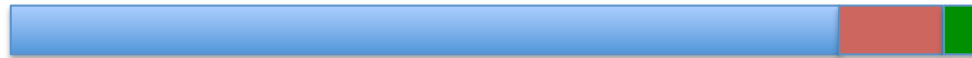
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$\sigma(\text{stat}) \sim 9^\circ$ $\sigma(\text{CLEO}) \sim 4^\circ$, $\sigma(\text{syst}) \sim 3^\circ$



$$r_B^{DK} = 0.089_{-0.007}^{+0.008},$$

$$\delta_B^{DK} = (118 \pm 6)^\circ,$$

$$r_B^{D\pi} = 0.0048_{-0.0016}^{+0.0017},$$

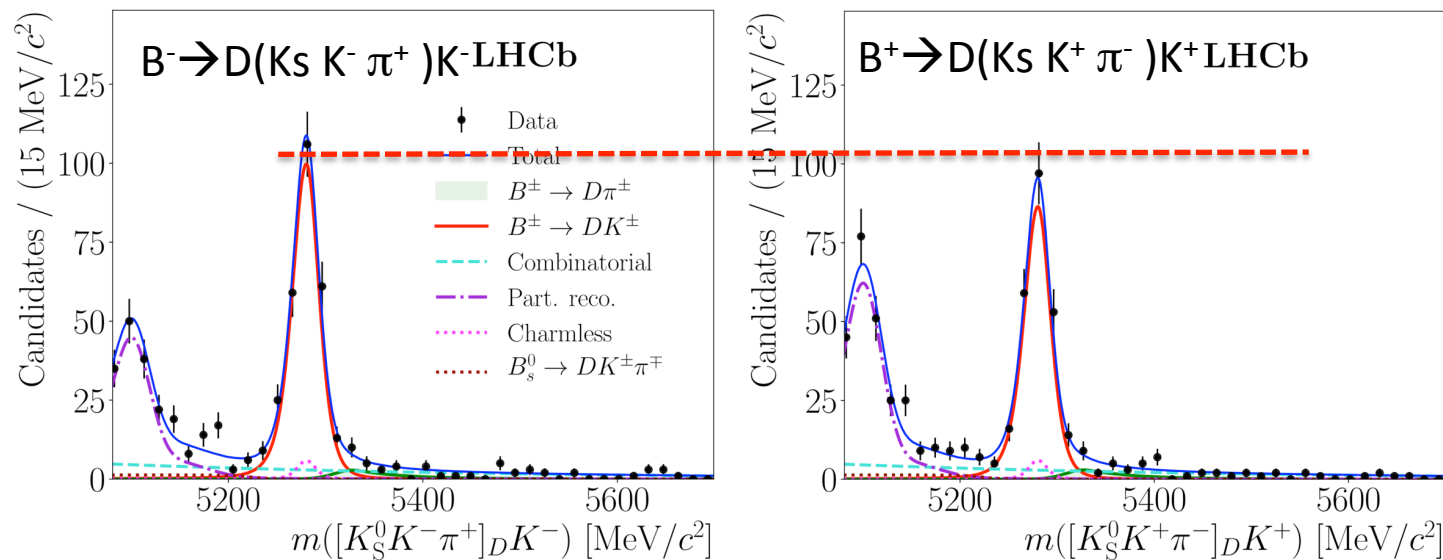
$$\delta_B^{D\pi} = (287_{-27}^{+26})^\circ.$$

- $B \rightarrow D\pi$ parameters measured for the first time.
- Impact in the γ combination of many results, as CPV is seen in other $B \rightarrow D\pi$ decay modes.
- This result is the most precise to date.
- Reaches similar precision as all other measurements of γ combined

Other measurements

A large number of different B and D decays are pursued at LHCb to measure γ
Large amount of current activity to update these to the full data sample

- Asymmetries in $B \rightarrow D[K_S K \pi]K$ have sensitivity to γ .



Another full Run1 +
Run2 analysis –

Standalone
measurement not
possible.

Will contribute to the next γ combination

Summary and Outlook

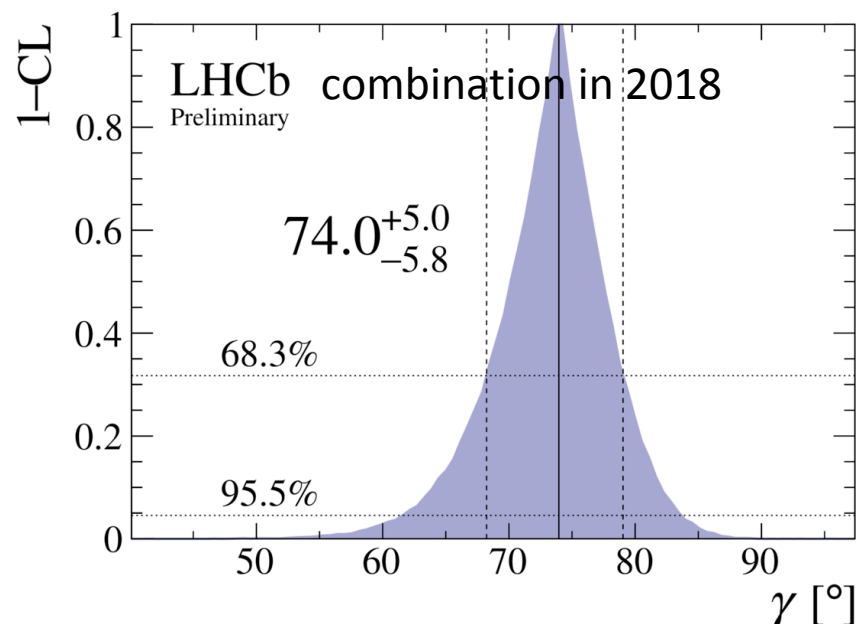
LHCb started to release full Run1 and Run2 measurements of γ

New result using $B \rightarrow D(K_S h h) h'$

$$\gamma = (69 \pm 5)^\circ$$

Most precise measurement from single measurement.

Benefit from new control and new external inputs of strong phases



LHCb is on track to surpass the 4° Run1+2 target